

Mortality and morbidity among T1D DN patients

GbAd, PPro / SDC

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Chapter 1

Analysis of T1 patients' follow-up

```
> library( Epi )
> library( splines )
```

Initially we load the T1D patients from the datasets with the follow-up:

```
> load( file="./data/Base-Lexis.Rda" )
> L1 <- subset( L1, dm.type=="type1" )
> L7 <- subset( L7, dm.type=="type1" )
```

We can make a Lexis diagram of the follow-up with DN duration and age as timescales:

```
> ypi <- 7
> yl <- c(15,90)
> xl <- c(0,40)
> pdf( "./graph/DN1-tfn-Lexis.pdf",
+       height=1+diff(yl)/ypi,
+       width=1+diff(xl)/ypi )
> par( mai=c(3,3,1,1)/4, omi=c(0,0,0,0),
+       mgp=c(3,1,0)/1.6, las=1 )
> plsymb <- c(NA,16)[1+(substr(L7$lex.Xst,1,4)=="Dead")]
> plot( L7,
+       time.scale=c("tfn","age"), xlab="DN duration", ylab="Age",
+       col=clr[L7$lex.Cst],
+       xaxs="i", yaxs="i", xaxt="n", yaxt="n", xlim=xl, ylim=yl,
+       grid=seq(10,90,5), lty.grid=1 )
> axis( side=1, at=0:5*5, labels=rep("",6) )
> axis( side=1, at=0:5*10 )
> axis( side=2, at=0:20*5, labels=rep("",21) )
> axis( side=2, at=0:20*10 )
> points( L7, pch=pl symb, cex=0.7, col=clr[L7$lex.Cst] )
> dev.off()
null device
1

> xl <- c(0,15)+1998
> pdf( "./graph/DN1-per-Lexis.pdf",
+       height=1+diff(yl)/ypi,
+       width=1+diff(xl)/ypi )
> par( mai=c(3,3,1,1)/4, omi=c(0,0,0,0),
+       mgp=c(3,1,0)/1.6, las=1 )
> plsymb <- c(NA,16)[1+(substr(L7$lex.Xst,1,4)=="Dead")]
> plot( L7,
+       time.scale=c("per","age"), xlab="Date of FU", ylab="Age",
+       col=clr[L7$lex.Cst],
+       xaxs="i", yaxs="i", xaxt="n", yaxt="n", xlim=xl, ylim=yl,
+       grid=seq(10,90,5), lty.grid=1 )
> axis( side=1, at=0:5*5+2000, labels=rep("",6) )
```

```

> axis( side=1, at=0:5*10+2000 )
> axis( side=2, at=0:20*5, labels=rep("",21) )
> axis( side=2, at=0:20*10 )
> points( L7, pch=plsymb, cex=0.7, col=clr[L7$lex.Cst] )
> dev.off()

null device
1

> x1 <- c(0,30)
> X7 <- subset( L7, !is.na(tfCVD) )
> pdf( "./graph/DN1-cvd-Lexis.pdf",
+      height=1+diff(y1)/ypi,
+      width=1+diff(x1)/ypi )
> par( mai=c(3,3,1,1)/4, omi=c(0,0,0,0),
+      mgp=c(3,1,0)/1.6, las=1 )
> plsymb <- c(NA,16)[1+(substr(X7$lex.Xst,1,4)=="Dead")]
> plot( X7,
+       time.scale=c("tfCVD","age"), xlab="CVD duration", ylab="Age",
+       col=clr[X7$lex.Cst],
+       xaxs="i", yaxs="i", xaxt="n", yaxt="n", xlim=x1, ylim=y1,
+       grid=seq(10,90,5), lty.grid=1 )
> axis( side=1, at=0:5*5, labels=rep("",6) )
> axis( side=1, at=0:5*10 )
> axis( side=2, at=0:20*5, labels=rep("",21) )
> axis( side=2, at=0:20*10 )
> points( X7, pch=plsymb, cex=0.7, col=clr[X7$lex.Cst] )
> dev.off()

null device
1

```

We also make a plot of the actual transitions between states for T1D patients:

```

> bp <- list( x = c( 10, 40, 43, 19, 90, 90, 90, 90 ),
+            y = c( 95, 65, 35, 5, 95, 65, 35, 5 ) )
> boxes( L7, boxpos=bp, cex=1.2, lwd=3, wmult=1.1, hmult=1.3,
+        show.BE="nz", BE.pre=c("", " ", "" ),
+        scale.R=100, digits.R=1, DR.sep=c(" (", ")"),
+        col.bg=clx, col.txt=rep(c("white","black"),each=4),
+        col.border=c(clx[1:4],rep("black",4)),
+        col.arr=c(par("fg"),clr[c(2,1,4)])[c(1:3,2,3,4,1,4)],
+        pos.arr=c(0.4,0.6)[c(1,2,1,1,1,1,2,1)] )

```

1.1 Analysis of rates

In order to analyze the transition rates we split the follow-up in small pieces of 2 month duration along the timescale time since DN, called `tfn`:

```

> S7 <- splitLexis( L7, breaks=seq(0,100,1/6), time.scale="tfn" )
> summary( S7 )

```

Transitions:							
To							
From	DN	CVD	ESRD+CVD	ESRD	Dead(DN)	Dead(CVD)	Dead(ESRD+CVD)
DN	14949	70	0	92	34	0	0
CVD	0	4976	56	0	0	42	0
ESRD+CVD	0	0	1458	0	0	0	45
ESRD	0	0	35	1544	0	0	0
Sum	14949	5046	1549	1636	34	42	45

```

Transitions:
To
From      Dead(ESRD)  Records:  Events:  Risk time:  Persons:

```

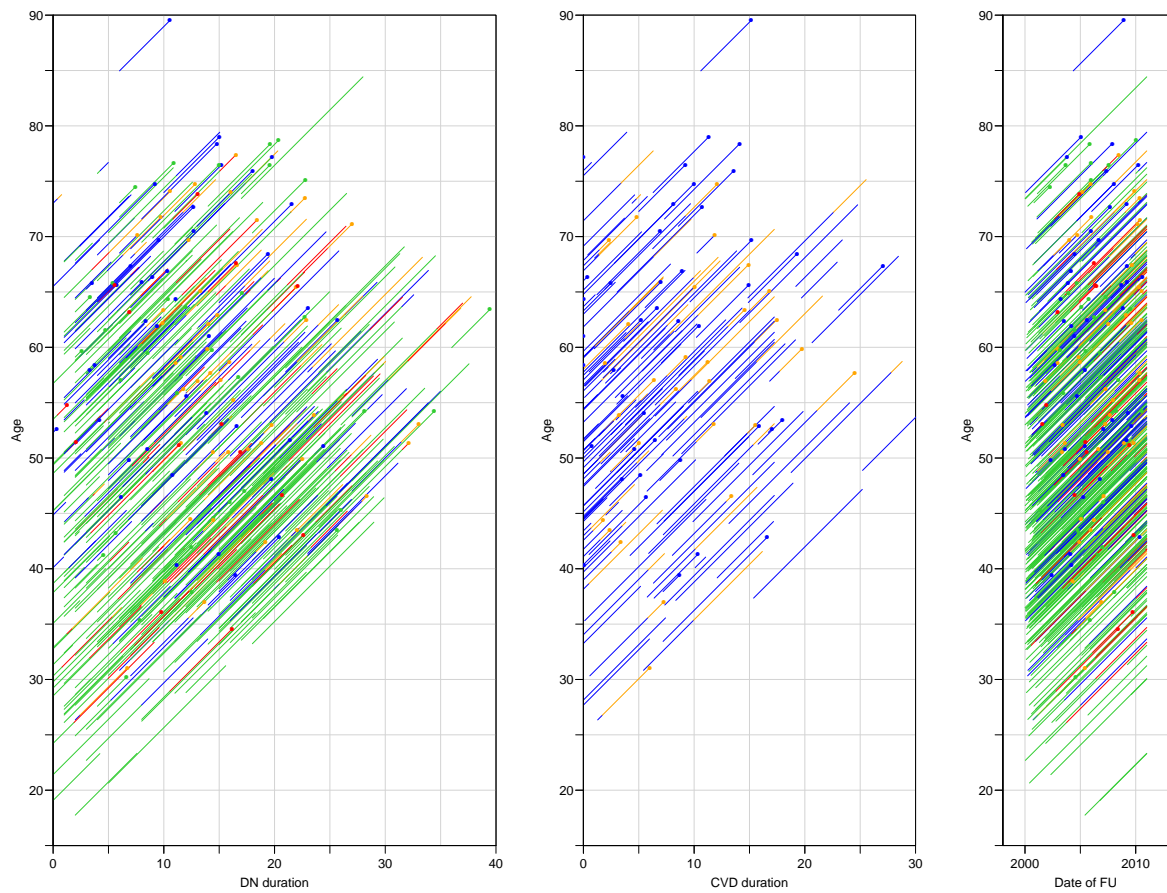


Figure 1.1: *Lexis diagrams for the follow-up of T1 patients by DN duration, CVD duration and calendar time versus age. DN state is green, CVD blue, ESRD after CVD orange and ESRD without CVD red. Dots indicate deaths.*

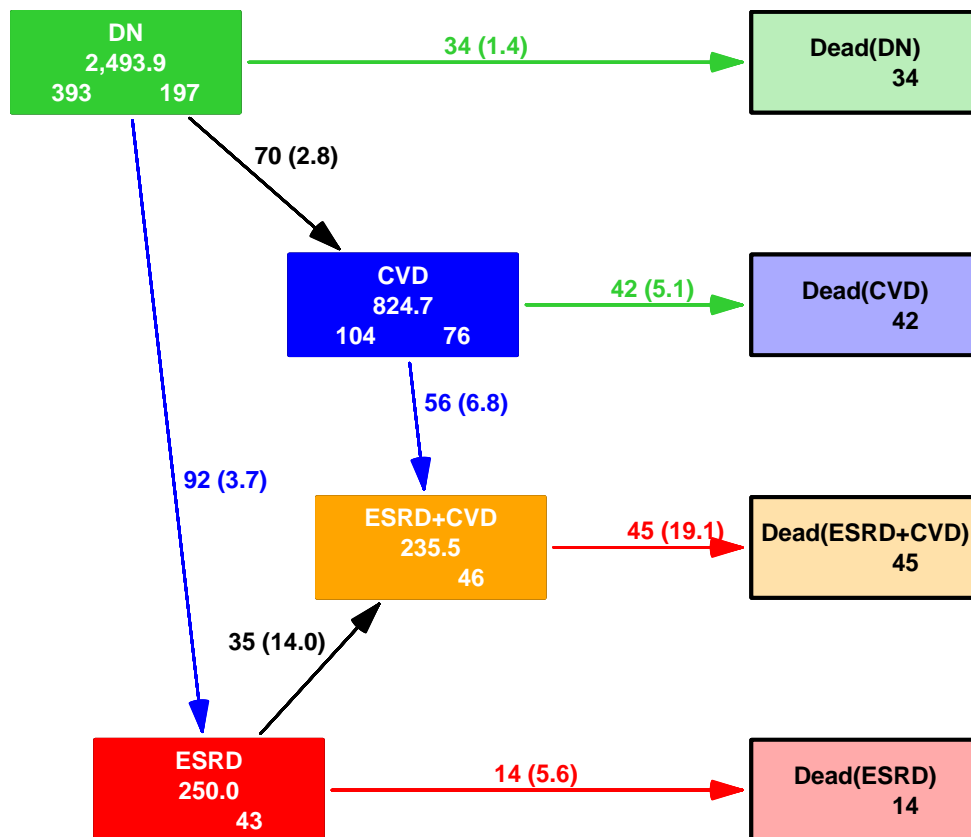


Figure 1.2: States and transitions between them in the analysis set-up for T1D patients. Numbers in the boxes are the person-years, and the number of persons starting, respectively ending in each state. The numbers on the arrows are the number of transitions (rate per 100 PY).

Note that some persons start their follow-up in the CVD state; these patients also suffer from DN.

```

      DN          0      15145      196      2493.86      393
      CVD         0       5074       98       824.70      174
      ESRD+CVD    0       1503       45       235.53       91
      ESRD        14       1593       49       249.96       92
      Sum         14      23315      388      3804.05      497

> addmargins(with(L7,table(table(lex.id))))
      1   2   3 Sum
302 137  58 497

> addmargins(with(S7,table(table(lex.id))))
      1   2   3   4   6   7   8   9  10  11  12  14  15  16  17  18  19  20  21  22
      3   2   1   3   5   4   3   9   4   6   2   4   5   3   4   2   6   6   4   4
23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38 39 40 41 42
      1   7   2   6   7   5   6   2  10   2   4   6  14  10   5   4   2   4   3   9
43 44 45 46 47 48 49 50 51 52 53 54 55 56 57 58 59 60 61 62
      5   4   2   5   8   2   5   3   2   5   5   7   2   5   9   7  14  11  16  21
63 64 65 66 67 68 Sum
25 41 30 50 22  2 497

```

We want to position the knots for the splines so that the number of events is the same between each pair of knots. We do this the same way for all transitions after inspection:

```

> nk <- 4
> ( n.kn <- with( subset( S7, substr(lex.Xst,1,4)=="Dead" ),
+               quantile( tfn+lex.dur, probs=(1:nk-0.5)/nk ) ) )
      12.5%   37.5%   62.5%   87.5%
      6.512834 11.613963 15.953799 22.643395

> ( a.kn <- with( subset( S7, substr(lex.Xst,1,4)=="Dead" ),
+               quantile( age+lex.dur, probs=(1:nk-0.5)/nk ) ) )
      12.5%   37.5%   62.5%   87.5%
      43.39493 53.93977 63.35524 74.02259

> ( d.kn <- with( subset( S7, substr(lex.Xst,1,4)=="Dead" ),
+               quantile( dur+lex.dur, probs=(1:nk-0.5)/nk ) ) )
      12.5%   37.5%   62.5%   87.5%
      21.22519 31.26626 39.30459 49.35164

```

Since we are interested in modelling the transitions in figure 1.2, we make a stacked dataset and use this as the basis for modelling:

```

> St7 <- stack( S7 )
> dim( St7 )
      [1] 60272   40

> xtabs( cbind(lex.dur,lex.Fail) ~ lex.Tr, data=St7 )
      lex.Tr          lex.dur  lex.Fail
DN->CVD          2493.8563    70.0000
DN->ESRD          2493.8563    92.0000
DN->Dead(DN)      2493.8563    34.0000
CVD->ESRD+CVD     824.7036    56.0000
CVD->Dead(CVD)    824.7036    42.0000
ESRD+CVD->Dead(ESRD+CVD) 235.5291    45.0000
ESRD->ESRD+CVD   249.9576    35.0000
ESRD->Dead(ESRD) 249.9576    14.0000

```

We are not (initially) interested in the first and last three of these transitions, so we subset to the relevant 4 transitions; we specifically want to look at mortality rates and rates of ESRD from the states DN and CVD. We just check that all is as expected:

```
> St4 <- subset( St7, lex.Tr %in% levels(St7$lex.Tr)[2:5] )
> St4$lex.Tr <- factor( St4$lex.Tr )
> with( St4, ftable( lex.Xst, lex.Tr, lex.Fail, col.vars=2:3 ) )
```

lex.Xst	lex.Tr	DN->ESRD		DN->Dead(DN)		CVD->ESRD+CVD		CVD->Dead(CVD)		TRUE
	lex.Fail	FALSE	TRUE	FALSE	TRUE	FALSE	TRUE	FALSE	TRUE	
DN		14949	0	14949	0	0	0	0	0	0
CVD		70	0	70	0	4976	0	4976	0	0
ESRD+CVD		0	0	0	0	0	56	56	0	0
ESRD		0	92	92	0	0	0	0	0	0
Dead(DN)		34	0	0	34	0	0	0	0	0
Dead(CVD)		0	0	0	0	42	0	0	42	0
Dead(ESRD+CVD)		0	0	0	0	0	0	0	0	0
Dead(ESRD)		0	0	0	0	0	0	0	0	0

```
> dim( St4 )
[1] 40438 40
```


1.1.1 Simple proportional hazards model

We now set up a simple model that just models the 4 different transitions using the same dependency on time since DN, diabetes duration, sex and current age. Note that this model assumes that all 4 types of rates are proportional along the three chosen timescales:

```
> m0 <- glm( lex.Fail ~ lex.Tr + sex +
+           Ns( tfn, kn=n.kn ) +
+           Ns( age, kn=a.kn ) +
+           Ns( dur, kn=d.kn ),
+           offset=log(lex.dur), family=poisson,
+           data = St4 )
> round( ci.exp( m0 ), 3 )

              exp(Est.)  2.5% 97.5%
(Intercept)          0.028 0.019 0.041
lex.TrDN->Dead(DN)    0.370 0.249 0.548
lex.TrCVD->ESRD+CVD   1.627 1.155 2.291
lex.TrCVD->Dead(CVD)  1.220 0.839 1.774
sexM                  1.258 0.943 1.679
Ns(tfn, kn = n.kn)1   0.922 0.563 1.509
Ns(tfn, kn = n.kn)2   1.361 0.816 2.271
Ns(tfn, kn = n.kn)3   1.110 0.741 1.663
Ns(age, kn = a.kn)1   1.791 1.070 2.999
Ns(age, kn = a.kn)2   2.689 1.694 4.270
Ns(age, kn = a.kn)3   2.742 1.759 4.275
Ns(dur, kn = d.kn)1   0.592 0.352 0.996
Ns(dur, kn = d.kn)2   0.685 0.399 1.175
Ns(dur, kn = d.kn)3   0.615 0.393 0.962
> CM <- rbind(0,c(1,0,0),c(0,1,0),c(0,-1,1),c(-1,0,1))
> rownames( CM ) <- paste( c("",levels(St4$lex.Tr)[c(2:4,4)]),
+                          c("",rep(" vs. ",4)),
+                          levels(St4$lex.Tr)[c(1,1,1,3,2)], sep="" )
> colnames( CM ) <- levels(St4$lex.Tr)[-1]
> CM

              DN->Dead(DN)  CVD->ESRD+CVD  CVD->Dead(CVD)
DN->ESRD              0              0              0
DN->Dead(DN) vs. DN->ESRD      1              0              0
CVD->ESRD+CVD vs. DN->ESRD     0              1              0
CVD->Dead(CVD) vs. CVD->ESRD+CVD 0              -1              1
CVD->Dead(CVD) vs. DN->Dead(DN) -1              0              1
> round( ci.exp( m0, subset="lex.Tr" ), 2 )

              exp(Est.)  2.5% 97.5%
lex.TrDN->Dead(DN)    0.37 0.25 0.55
lex.TrCVD->ESRD+CVD   1.63 1.15 2.29
lex.TrCVD->Dead(CVD)  1.22 0.84 1.77
> round( ci.exp( m0, subset="lex.Tr", ctr.mat=CM ), 2 )

              exp(Est.)  2.5% 97.5%
DN->ESRD              1.00 1.00 1.00
DN->Dead(DN) vs. DN->ESRD 0.37 0.25 0.55
CVD->ESRD+CVD vs. DN->ESRD 1.63 1.15 2.29
CVD->Dead(CVD) vs. CVD->ESRD+CVD 0.75 0.50 1.12
CVD->Dead(CVD) vs. DN->Dead(DN) 3.30 2.08 5.23
```

This means that CVD influences the occurrence of ESRD by a factor of 1.6, whereas there is a 3.3-fold increase in the rate of death (prior to ESRD).

We can then test the proportionality of the rates on each of the three timescales:

```
> ma <- update( m0 , .~. + lex.Tr:Ns(age,kn=a.kn) )
> mna <- update( ma , .~. + lex.Tr:Ns(tfn,kn=n.kn) )
> mnad <- update( mna , .~. + lex.Tr:Ns(dur,kn=d.kn) )
> mad <- update( mnad, .~. - lex.Tr:Ns(tfn,kn=n.kn) )
> pr.test <- anova( m0, ma, mna, mnad, mad, ma, test="Chisq" )[-1,3:5]
> rownames( pr.test ) <- c("+i.age", "+i.tfn", "+i.dur", "-i.tfn", "-i.dur")
> round( pr.test, 3 )
```

	Df	Deviance	Pr(>Chi)
+i.age	9	19.592	0.021
+i.tfn	9	12.453	0.189
+i.dur	9	7.146	0.622
-i.tfn	-9	-11.786	0.226
-i.dur	-9	-7.813	0.553

If anything, the rates are non-proportional along the age-scale, but hardly along any of the other time scales. However, these tests are somewhat unspecific as they test for proportionality of 4 different transitions simultaneously; it is of more interest to see if there is proportionality between pairs of these. More precisely, it is more relevant to test the state×timescale interaction for one set of transitions at a time. Specifically we want to test proportionality between *pairs* of rates:

1. Death and ESRD rates from the DN state (`fromDN`)
2. Death and ESRD rates from the CVD state (`fromCVD`)
3. Death rates from the DN and CVD states (`toDeath`)
4. ESRD rates from the DN and CVD states (`toESRD`)

However we would also like to see if these non-proportionalities are confounded by the clinical variables of interest.

Each of these sets of proportionality assumptions are testable by fitting the same set of models as above, but varying the outcome and the dataset:

```
> log1.5 <- function(x) log(x)/log(1.5)
> mz <- update( m0, . ~ . + bmi
+               + I(sys.bt/10)
+               + I(-gfr/10)
+               + log2(alb)
+               + log1.5(pmax(ins.kg,0.03))
+               + hmgb
+               + hba1c
+               + tchol
+               + bmi
+               + smoke )
> mx <- update( mz, data=subset(St4,lex.Tr %in% c("DN->Dead(DN)","DN->ESRD") ) )
> ma <- update( mx , .~. + lex.Tr:Ns(age,kn=a.kn) )
> mna <- update( ma , .~. + lex.Tr:Ns(tfn,kn=n.kn) )
> mnad <- update( mna , .~. + lex.Tr:Ns(dur,kn=d.kn) )
> mad <- update( mnad, .~. - lex.Tr:Ns(tfn,kn=n.kn) )
> pr.fromDN <- anova( mx, ma, mna, mnad, mad, ma, test="Chisq" )[-1,3:5]
> rownames( pr.fromDN ) <- c("+i.age","+i.tfn","+i.dur","-i.tfn","-i.dur")
> mx <- update( mz, data=subset(St4,lex.Tr %in% c("CVD->Dead(CVD)","CVD->ESRD+CVD") ) )
> ma <- update( mx , .~. + lex.Tr:Ns(age,kn=a.kn) )
> mna <- update( ma , .~. + lex.Tr:Ns(tfn,kn=n.kn) )
> mnad <- update( mna , .~. + lex.Tr:Ns(dur,kn=d.kn) )
> mad <- update( mnad, .~. - lex.Tr:Ns(tfn,kn=n.kn) )
> pr.fromCVD <- anova( mx, ma, mna, mnad, mad, ma, test="Chisq" )[-1,3:5]
> rownames( pr.fromCVD ) <- c("+i.age","+i.tfn","+i.dur","-i.tfn","-i.dur")
> mx <- update( mz, data=subset(St4,lex.Tr %in% c("DN->Dead(DN)","CVD->Dead(CVD)") ) )
> ma <- update( mx , .~. + lex.Tr:Ns(age,kn=a.kn) )
> mna <- update( ma , .~. + lex.Tr:Ns(tfn,kn=n.kn) )
> mnad <- update( mna , .~. + lex.Tr:Ns(dur,kn=d.kn) )
> mad <- update( mnad, .~. - lex.Tr:Ns(tfn,kn=n.kn) )
> pr.toDeath <- anova( mx, ma, mna, mnad, mad, ma, test="Chisq" )[-1,3:5]
> rownames( pr.toDeath ) <- c("+i.age","+i.tfn","+i.dur","-i.tfn","-i.dur")
> mx <- update( mz , data=subset(St4,lex.Tr %in% c("DN->ESRD","CVD->ESRD+CVD") ) )
> ma <- update( mx , .~. + lex.Tr:Ns(age,kn=a.kn) )
```

```

> mna <- update( ma , .~. + lex.Tr:Ns(tfn, kn=n.kn) )
> mnad <- update( mna , .~. + lex.Tr:Ns(dur, kn=d.kn) )
> mad <- update( mnad, .~. - lex.Tr:Ns(tfn, kn=n.kn) )
> pr.toESRD <- anova( mx, ma, mna, mnad, mad, ma, test="Chisq" )[-1,3:5]
> rownames( pr.toESRD ) <- c("+i.age", "+i.tfn", "+i.dur", "-i.tfn", "-i.dur")
> prop <- cbind( pr.fromDN, pr.fromCVD, pr.toDeath, pr.toESRD )
> colnames( prop )[0:3*3+1] <- c("fromDN", "fromCVD", "toDeath", "toESRD")
> round( prop[,1:6], 3 )
      fromDN Deviance Pr(>Chi) fromCVD Deviance.1 Pr(>Chi).1
+i.age      3   10.193   0.017      3     7.521   0.057
+i.tfn      3    1.218   0.749      3     5.615   0.132
+i.dur      3    1.072   0.784      3     0.725   0.867
-i.tfn     -3   -1.234   0.745     -3    -6.022   0.111
-i.dur     -3   -1.055   0.788     -3    -0.318   0.957
> round( prop[,1:6+6], 3 )
      toDeath Deviance Pr(>Chi) toESRD Deviance.1 Pr(>Chi).1
+i.age      3    1.567   0.667      3     1.516   0.679
+i.tfn      3    4.030   0.258      3     3.128   0.372
+i.dur      3    1.773   0.621      3     3.420   0.331
-i.tfn     -3   -3.339   0.342     -3    -2.381   0.497
-i.dur     -3   -2.465   0.482     -3    -4.167   0.244

```

From this it is pretty clear that rates of mortality and ESRD from DN, resp. CVD are not proportional along the age-scale. It seems that mortality rates as well as ESRD rates are reasonably proportional between patients with and without CVD

Thus the most appropriate model would be one with separate baseline intensities for rates of Death and ESRD, and CVD as a time-dependent covariate with proportional effects along the three time scales. So we model the rates of Death and ESRD separately but with the same set of covariates — it seems that rates *into* the same state (Dead, resp. ESRD) are proportional, whereas rates to *different* states are not necessarily so.

1.1.2 CVD effect

There is no particular reason to assume that the covariates have the same effects for all the transitions, so the *a priori* model is one with all interactions present. So we start out with a base model with separate baselines for ESRD and Death rates. This also means that it is only the contrasts *within* rates of death and *within* rates of ESRD that are of relevance:

```

> mD <- glm( lex.Fail ~ lex.Tr + sex +
+           Ns( age, kn=a.kn ) +
+           Ns( dur, kn=d.kn ) +
+           Ns( tfn, kn=n.kn ),
+           offset = log(lex.dur),
+           family = poisson,
+           data = subset(St4, lex.Tr %in% c("DN->Dead(DN)", "CVD->Dead(CVD)") ) )
> mE <- update( mD, data = subset(St4, lex.Tr %in% c("DN->ESRD", "CVD->ESRD+CVD") ) )
> round( rbind( ci.exp( mD, subset="Tr" ),
+             ci.exp( mE, subset="Tr" ) ), 3 )
              exp(Est.)  2.5% 97.5%
lex.TrCVD->Dead(CVD)    2.770 1.720 4.460
lex.TrCVD->ESRD+CVD    1.776 1.255 2.512

```

So there is a strong effect of CVD occurrence on the rate of Death, and a somewhat weaker on the rate of ESRD, pretty much what we saw in the simple model with all proportional hazards.

In principle we could check whether covariates have the same effect on rates of Death and rates of ESRD, but it would not make much sense as they are distinct outcomes, so *a priori* decide to model these transitions separately.

1.1.3 Covariate effects

Hence we make separate models for the two transitions based on subsets of the split dataset, *S7*. But we will only use the part of the dataset that relates to the transitions we are looking at, so the part where `lex.Cst %in% %c("DN", "CVD")`:

```
> S7d <- Relevel( subset( S7, lex.Cst %in% c("DN", "CVD") ),
+                 list("Dead"=5:8), first=FALSE )
```

	type	old	new
1	lex.Cst	DN	DN
2	lex.Cst	CVD	CVD
3	lex.Cst	ESRD+CVD	ESRD+CVD
4	lex.Cst	ESRD	ESRD
5	lex.Cst	Dead(DN)	
6	lex.Cst	Dead(CVD)	
7	lex.Cst	Dead(ESRD+CVD)	
8	lex.Cst	Dead(ESRD)	
9	lex.Xst	DN	DN
10	lex.Xst	CVD	CVD
11	lex.Xst	ESRD+CVD	ESRD+CVD
12	lex.Xst	ESRD	ESRD
13	lex.Xst	Dead(DN)	Dead
14	lex.Xst	Dead(CVD)	Dead
15	lex.Xst	Dead(ESRD+CVD)	
16	lex.Xst	Dead(ESRD)	

```
> summary( S7d )
```

Transitions:

	To	DN	CVD	ESRD+CVD	ESRD	Dead	Records:	Events:	Risk time:	Persons:
From	DN	14949	70	0	92	34	15145	196	2493.86	393
	CVD	0	4976	56	0	42	5074	98	824.70	174
	Sum	14949	5046	56	92	76	20219	294	3318.56	497

We shall also address the mortality subsequent to ESRD, so we make a dataset for the analysis of these transitions too:

```
> S7e <- Relevel( subset( S7, lex.Cst %in% c("ESRD", "ESRD+CVD") ),
+                 list("Dead"=5:8), first=FALSE )
```

	type	old	new
1	lex.Cst	DN	
2	lex.Cst	CVD	
3	lex.Cst	ESRD+CVD	ESRD+CVD
4	lex.Cst	ESRD	ESRD
5	lex.Cst	Dead(DN)	
6	lex.Cst	Dead(CVD)	
7	lex.Cst	Dead(ESRD+CVD)	
8	lex.Cst	Dead(ESRD)	
9	lex.Xst	DN	
10	lex.Xst	CVD	
11	lex.Xst	ESRD+CVD	ESRD+CVD
12	lex.Xst	ESRD	ESRD
13	lex.Xst	Dead(DN)	
14	lex.Xst	Dead(CVD)	
15	lex.Xst	Dead(ESRD+CVD)	Dead
16	lex.Xst	Dead(ESRD)	Dead

```
> summary( S7e )
```

Transitions:

	To	DN	CVD	ESRD+CVD	ESRD	Dead	Records:	Events:	Risk time:	Persons:
From	ESRD+CVD	0	0	1458	0	45	1503	45	235.53	91
	ESRD	0	0	35	1544	14	1593	49	249.96	92
	Sum	0	0	1493	1544	59	3096	94	485.49	148

The naming convention is having the first uppercase letter as B for models without covariates or E for models extended with covariates, followed by a lowercase d for deaths without ESRD, e for ESRD events and ed for deaths subsequent to ESRD:

```
> # Base model:
> Bd <- glm( lex.Xst=="Dead" ~ Ns( age, kn=a.kn ) +
+          Ns( dur, kn=d.kn ) +
+          Ns( tfn, kn=n.kn ) +
+          I(lex.Cst=="CVD") + sex,
+          offset = log(lex.dur),
+          family = poisson,
+          data = S7d )
> # Extend model by adding covariates:
> Ed <- update( Bd, . ~ . + bmi +
+             + I(sys.bt/10)
+             + I(-gfr/10)
+             + log2(alb)
+             + log1.5(pmax(ins.kg,0.03))
+             + hmgb
+             + hba1c
+             + tchol
+             + bmi
+             + smoke )
> # Model for ESRD coccurrence
> Be <- update( Bd, substr(lex.Xst,1,4)=="ESRD" ~ . )
> Ee <- update( Ed, substr(lex.Xst,1,4)=="ESRD" ~ . )
> # Model for post-ESRD mortality
> Bed <- update( Bd, . ~ . - I(lex.Cst=="CVD") + I(lex.Cst=="ESRD+CVD"), data=S7e )
> Eed <- update( Ed, . ~ . - I(lex.Cst=="CVD") + I(lex.Cst=="ESRD+CVD"), data=S7e )
```

When looking at the results of the CVD-effects we should keep in mind that for most CVD patients the baseline values are measured *after* the CVD date as illustrated in figure 1.3.

```
> par( mar=c(3,3,1,1), mgp=c(3,1,0)/1.6 )
> with( L1,
+       hist( docvd-donra,
+             breaks=seq(-26,11,1), col="gray", main="",
+             xlab="Time from entry to CVD (years)",
+             ylim=c(0,20),xlim=c(-26,13) ) )
> abline( v=0, col="red" )
> text(-15, 12, paste("\nCVD: ",
+                    sum(!is.na(L1$docvd) ),
+                    "\nno CVD: ",
+                    sum( is.na(L1$docvd) ),
+                    sep=""),
+       adj=c(1,1) )
```

The effects on the rates of death are now extracted; the first line is the isolated effect of CVD, only taking duration of DN, duration of diabetes and age (=duration of life) into account, the second line is the CVD effect controlled for all the other covariates. The subsequent lines are the effects of the covariates.

```
> dd <- rbind( ci.exp(Bd,subset="CVD"),
+             ci.exp(Ed,subset=-(1:10)) )
> round( dd, 3 )
```

	exp(Est.)	2.5%	97.5%
I(lex.Cst == "CVD")TRUE	2.770	1.720	4.460
I(lex.Cst == "CVD")TRUE	2.578	1.554	4.277
sexM	1.078	0.604	1.925
bmi	0.942	0.863	1.028
I(sys.bt/10)	1.029	0.886	1.195
I(-gfr/10)	1.180	1.060	1.314
log2(alb)	0.974	0.851	1.115

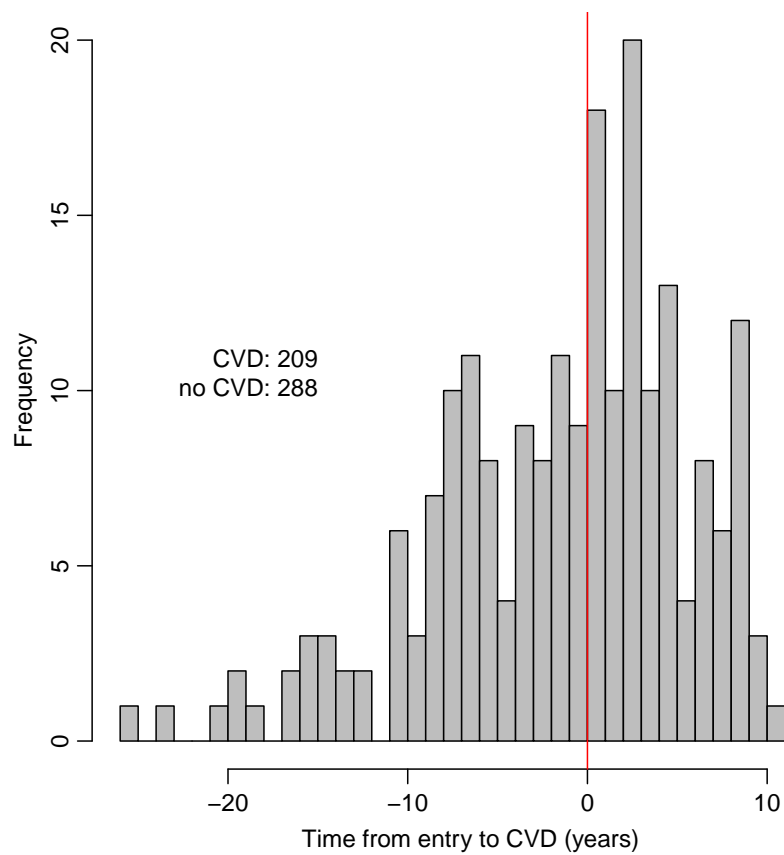


Figure 1.3: Histogram of time from entry (date of DN) to CVD; hence, negative numbers refer to patients with CVD prior to entry. Note that the numbers w/o CVD here is the total number in the database, also those 34 who have a recorded date of CVD after ESRD, and who thus do not appear in figure 1.2.

```

log1.5(pmax(ins.kg, 0.03))    0.904 0.785 1.042
hmgb                          1.330 0.982 1.802
hba1c                          1.077 0.895 1.297
tchol                          0.903 0.717 1.136
smoke4-20+20+                 2.240 1.302 3.852

```

It seems that only smoking (RR=2.2 (1.3–3.9)), presence of CVD (RR=2.6 (1.6–4.3)) and GFR (RR per 10: 1.2 (1.1–1.3)) influence the mortality significantly. There is a borderline significant effect of hemoglobin (RR per %: 1.3 (1.0–1.8)).

The same figures for the rates of ESRD and death subsequent to ESRD are:

```

> ee <- rbind( ci.exp(Be,subset="CVD"),
+             ci.exp(Ee,subset=-(1:10)) )
> round( ee, 3 )

              exp(Est.)  2.5% 97.5%
I(lex.Cst == "CVD")TRUE    1.776 1.255 2.512
I(lex.Cst == "CVD")TRUE    1.158 0.790 1.698
sexM                        1.826 1.217 2.741
bmi                          1.007 0.951 1.066
I(sys.bt/10)                 1.170 1.041 1.315
I(-gfr/10)                   1.232 1.138 1.333
log2(alb)                    1.514 1.340 1.710
log1.5(pmax(ins.kg, 0.03))  0.991 0.885 1.110
hmgb                          0.616 0.498 0.761
hba1c                        1.178 1.033 1.344
tchol                        1.054 0.892 1.245
smoke4-20+20+                1.073 0.732 1.572

> eed <- rbind( ci.exp(Bed,subset="CVD"),
+             ci.exp(Eed,subset=-(1:10)) )
> eed <- eed[c(1,nrow(eed),2:(nrow(eed)-1)),]
> round( eed, 3 )

              exp(Est.)  2.5% 97.5%
I(lex.Cst == "ESRD+CVD")TRUE 3.622 1.916 6.847
I(lex.Cst == "ESRD+CVD")TRUE 2.945 1.463 5.928
sexM                          0.679 0.311 1.481
bmi                           0.985 0.909 1.066
I(sys.bt/10)                   1.008 0.811 1.253
I(-gfr/10)                     1.259 1.070 1.480
log2(alb)                      0.939 0.739 1.193
log1.5(pmax(ins.kg, 0.03))    0.801 0.676 0.948
hmgb                          0.905 0.586 1.399
hba1c                          1.093 0.892 1.339
tchol                          1.051 0.801 1.379
smoke4-20+20+                 2.055 1.017 4.156

```

The pattern of effects on rates of ESRD is very different from the effects on the mortality rates; CVD is a much weaker risk factor, but GFR and albumin are, along with HBA_{1c} and blood pressure. Moreover, males have a higher ESRD rate than females. The pattern of risk is shown in forest plot in figures 1.4 and 1.5, the latter showing reasonably clearly that the risk factor pattern is pretty much the same for pre- and post-ESRD mortality, but different from that of ESRD occurrence (figure 1.4):

```

> new.names <- c("CVD-crude", "Prior cardiovascular disease", "Male vs. female",
+              "Body mass index (kg/m2)", "Systolic blood pressure (10 mmHg)",
+              "GFR (10 ml/min/1.73 m2)",
+              "Albuminuria (per 100% incr.)", "Insulin/kg (per 50% incr.)",
+              "Hemoglobin (mmol/l)", "HbA1c (%)", "Total cholesterol (mmol/l)", "Smoker vs. non-smok
> data.frame( rownames( dd ), rownames( ee ), new.names )

              rownames.dd.              rownames.ee.
1      I(lex.Cst == "CVD")TRUE    I(lex.Cst == "CVD")TRUE

```

```

2      I(lex.Cst == "CVD")TRUE      I(lex.Cst == "CVD")TRUE
3          sexM                      sexM
4          bmi                       bmi
5          I(sys.bt/10)                I(sys.bt/10)
6          I(-gfr/10)                  I(-gfr/10)
7          log2(alb)                   log2(alb)
8      log1.5(pmax(ins.kg, 0.03)) log1.5(pmax(ins.kg, 0.03))
9          hmgb                       hmgb
10         hba1c                      hba1c
11         tchol                      tchol
12         smoke4-20+20+              smoke4-20+20+
                                     new.names
1          CVD-crude
2      Prior cardiovascular disease
3          Male vs. female
4          Body mass index (kg/m2)
5      Systolic blood pressure (10 mmHg)
6          GFR (10 ml/min/1.73 m2)
7      Albuminuria (per 100% incr.)
8      Insulin/kg (per 50% incr.)
9          Hemoglobin (mmol/l)
10         HbA1c (%)
11      Total cholesterol (mmol/l)
12         Smoker vs. non-smoker

> data.frame( rownames( dd ), rownames( eed ), new.names )

      rownames.dd.      rownames.eed.
1      I(lex.Cst == "CVD")TRUE I(lex.Cst == "ESRD+CVD")TRUE
2      I(lex.Cst == "CVD")TRUE I(lex.Cst == "ESRD+CVD")TRUE
3          sexM                      sexM
4          bmi                       bmi
5          I(sys.bt/10)                I(sys.bt/10)
6          I(-gfr/10)                  I(-gfr/10)
7          log2(alb)                   log2(alb)
8      log1.5(pmax(ins.kg, 0.03)) log1.5(pmax(ins.kg, 0.03))
9          hmgb                       hmgb
10         hba1c                      hba1c
11         tchol                      tchol
12         smoke4-20+20+              smoke4-20+20+
                                     new.names
1          CVD-crude
2      Prior cardiovascular disease
3          Male vs. female
4          Body mass index (kg/m2)
5      Systolic blood pressure (10 mmHg)
6          GFR (10 ml/min/1.73 m2)
7      Albuminuria (per 100% incr.)
8      Insulin/kg (per 50% incr.)
9          Hemoglobin (mmol/l)
10         HbA1c (%)
11      Total cholesterol (mmol/l)
12         Smoker vs. non-smoker

> rownames( dd ) <- rownames( ee ) <- rownames( eed ) <- new.names
> par( mar=c(3,3,1,1), mgp=c(3,1,0)/1.6 )
> rownames( dd )[c(4,6,10)] <- ""
> plotEst( dd[-1,1:3], xlog=TRUE, vref=1, y=c(11:1), txtpos=c(11:1),
+         lwd=3, cex=1.1, xlab="",
+         xtic=c(0.4,0.6,1,2,4), xlim=c(0.4,4*16^2),
+         grid=c(4:15/10,seq(2,4,0.5)),
+         restore.par=FALSE )
> axis( side=2, at=c(9,7,3),
+      labels=c( expression( "Body mass index (kg/*m^2*)" ),
+                expression( "GFR (-10 ml/min/1.73/*m^2*)" ),
+                expression( HbA[1][c]*"%" ) ),
+      las=1, tick=FALSE )
> abline( v=c(4:15/10,seq(2,4,0.5))*16, col=gray(0.9) )

```



```

> abline( v=16 )
> axis( side=1, at=c(0.4,0.6,1,2,4)*16, labels=formatC(c(0.4,0.6,1,2,4),format="f",digits=1) )
> et <- pmax( ee, 0.4 )*16
> linesEst( et[-1,1:3], vref=1, y=11:1, lwd=3, cex=1.1)
> abline( v=c(4:15/10,seq(2,4,0.5))*16^2, col=gray(0.9) )
> abline( v=16^2 )
> axis( side=1, at=c(0.4,0.6,1,2,4)*16^2, labels=formatC(c(0.4,0.6,1,2,4),format="f",digits=1) )
> et <- pmax( eed, 0.4 )*(16^2)
> linesEst( et[-1,1:3], vref=1, y=11:1, lwd=3, cex=1.1)
> mtext( "RR of pre-ESRD death" , side=1, line=par("mgp")[1], at=sqrt(10)*0.4 )
> mtext( "RR of ESRD" , side=1, line=par("mgp")[1], at=sqrt(10)*0.4*16 )
> mtext( "RR of post-ESRD death", side=1, line=par("mgp")[1], at=sqrt(10)*0.4*16^2 )

```

We could also show the effects of the covariates on the same scale for comparability, using different colors:

```

> par( mar=c(5,3,1,1), mgp=c(3,1,0)/1.6 )
> plotEst( dd[-1,1:3], xlog=TRUE, vref=1, y=c(11:1)+0.15, txtpos=c(11:1),
+         lwd=3, cex=1.1, xlab="",
+         xtic=c(0.4,0.6,1,2,4), xlim=c(0.4,4),
+         grid=c(4:15/10,seq(2,4,0.5)), col=clr[1],
+         restore.par=FALSE )
> axis( side=2, at=c(9,7,3),
+       labels=c( expression( "Body mass index (kg/*m^2*)" ),
+                 expression( "GFR (-10 ml/min/1.73*m^2*)" ),
+                 expression( "HbA[1][c]*(%)" ) ),
+       las=1, tick=FALSE )
> et <- pmax( ee, 0.4 )
> linesEst( et[-1,1:3], y=11:1-0.15, lwd=3, cex=1.1, col=clr[2])
> et <- pmax( eed, 0.4 )
> linesEst( et[-1,1:3], y=11:1 , lwd=3, cex=1.1, col=clr[4])
> mtext( "RR of pre-ESRD death" , side=1, line=par("mgp")[1] , at=sqrt(10)*0.4, col=clr[1])
> mtext( "RR of ESRD" , side=1, line=par("mgp")[1]+2, at=sqrt(10)*0.4, col=clr[2])
> mtext( "RR of post-ESRD death", side=1, line=par("mgp")[1]+1, at=sqrt(10)*0.4, col=clr[4])

```

From figures 1.4 and 1.5 it is clear that the major risk factors for death are CVD, GFR, and smoking, whereas the significant risk factors for ESRD are blood pressure, GFR,

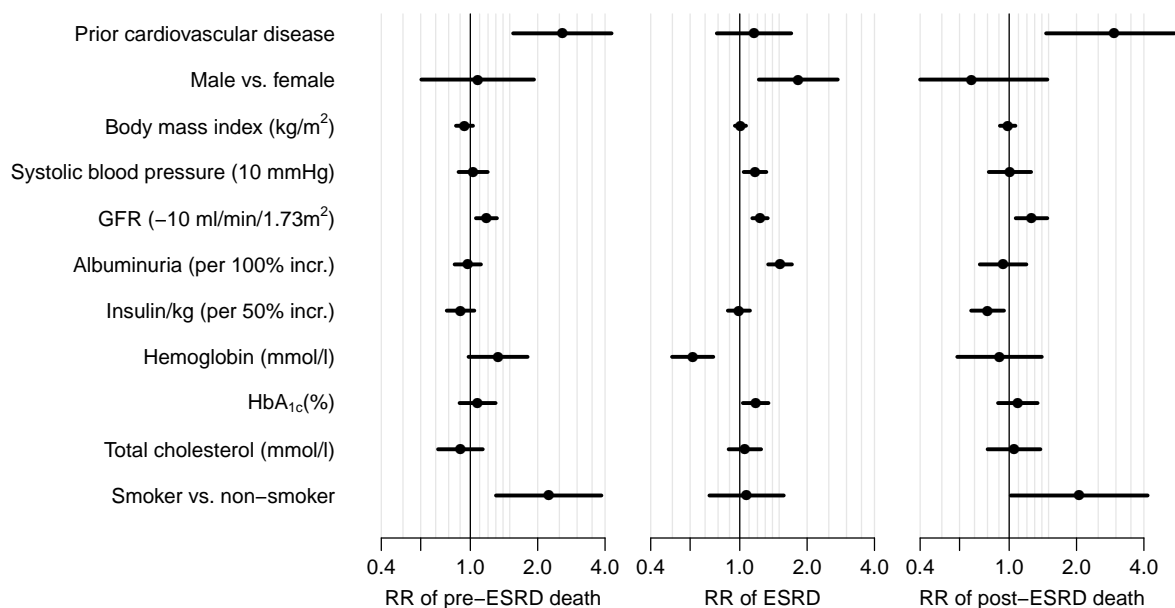


Figure 1.4: *RRs associated with the different risk factors for the transitions from DN and CVD, to either death or ESRD or from ESRD to death (see figure 1.2).*

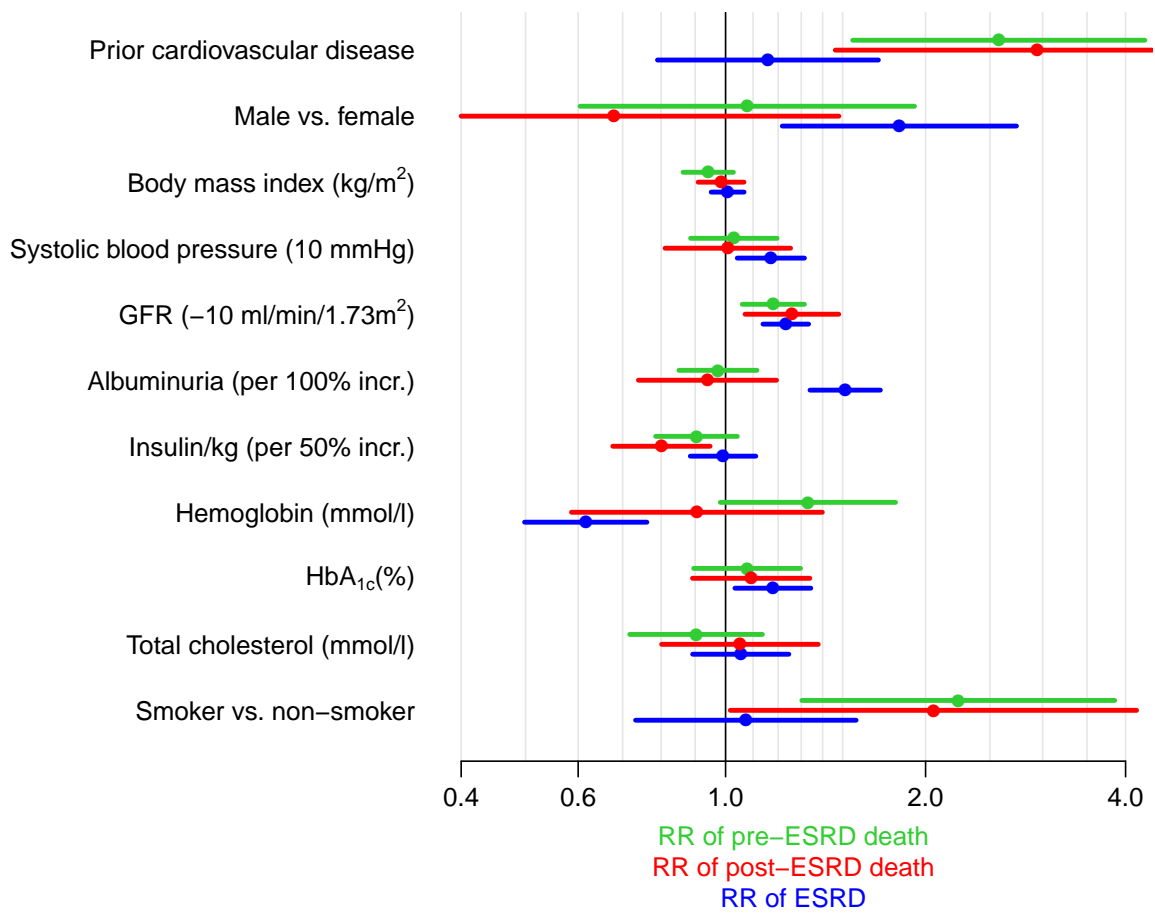


Figure 1.5: RRs associated with the different risk factors for the transitions from DN and CVD, to either death or ESRD or from ESRD to death (see figure 1.2).

albuminuria, HbA_{1c} and low hemoglobin.

1.1.4 Baseline effects

These RR estimates are all conditional on the baseline hazard which depends on time since entry (`tfn`), duration of diabetes (`dur`) and current age (`age`).

```
> quantile( L1$lex.dur, probs=0:4/4 )
      0%      25%      50%      75%     100%
0.02737851 5.09787817 9.13347023 10.54893908 10.98973306

> pairs( L1[,c("age","tfn","dur")], gap=0, pch=16 )
```

We want to show the mortality rates as a function of time since DN for times from 0 to 10 years. Since the mortality also depends on DM duration and current age, we need to take these into account too, so draw mortality curves for different combinations of age and duration at entry. Moreover, we will of course also need to fix the values of the other covariates, so we just get an overview of the distribution of the covariates as measured at baseline:

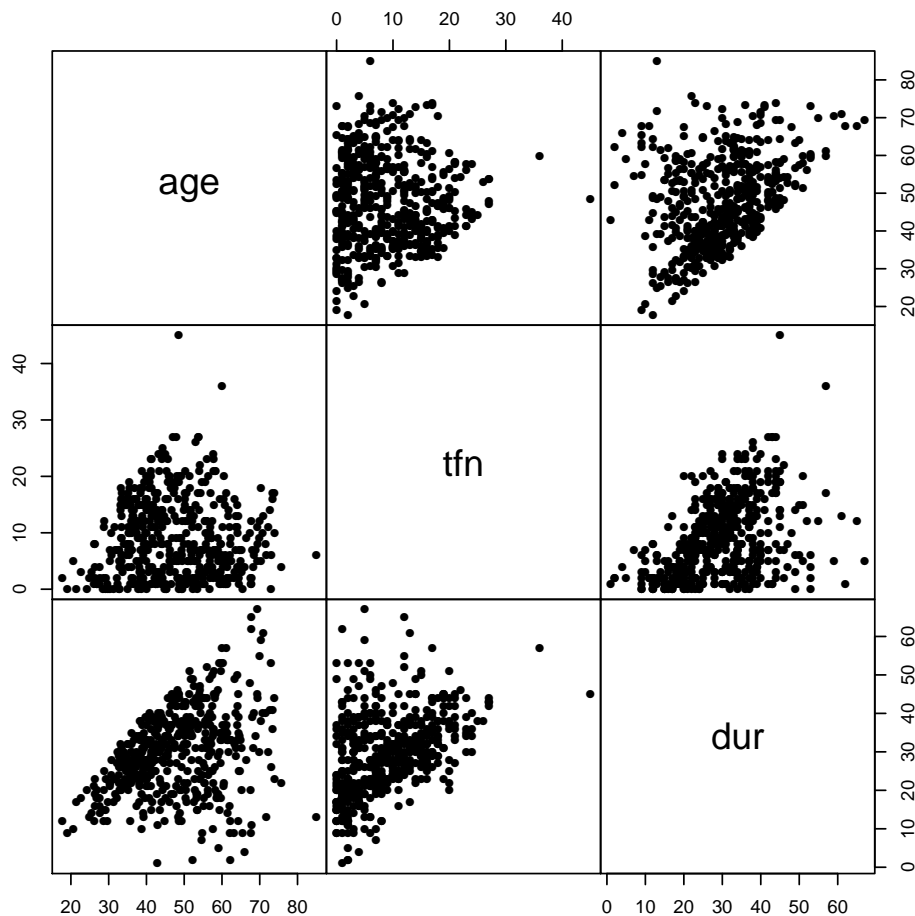


Figure 1.6: Pairs plot of the entry times on the 3 time-scales in the models.

```
> wh <- c("bmi","sys.bt","gfr","alb","ins.kg","hmgb","hba1c","tchol")
> mm <- t( apply( as.matrix(L1[,wh]),
+               2,
+               quantile,
+               probs=0:4/4,
+               na.rm=TRUE ) )
```

We use the following rounded values (chosen close to the median) for the covariates when computing the rates, here shown together with the quantiles of the variables in the data:

```
> round( cbind( mm, c(21,150,70,500,0.7,8,9,5) ), 2 )
```

	0%	25%	50%	75%	100%	
bmi	13.78	19.53	21.52	23.68	37.22	21.0
sys.bt	104.00	130.00	141.00	153.25	220.00	150.0
gfr	7.00	45.00	69.00	93.00	178.00	70.0
alb	6.00	193.25	483.00	1087.75	10962.00	500.0
ins.kg	0.00	0.51	0.68	0.93	28.78	0.7
hmgb	4.50	7.40	8.10	8.70	12.00	8.0
hba1c	5.30	8.20	9.00	9.90	16.30	9.0
tchol	1.80	4.50	5.10	5.90	9.20	5.0

So we set up a prediction frame using these covariate values. The data frame `pr1` will have one line per follow-up time, repeated over 4 ages and 3 DM durations at start.

```
> np <- 200
> pr.tnf <- c(seq(0,10,,np-1),NA)
> # ages at entry
> a1 <- c(25,35,45,55)
> na <- length(a1)
> # DM duration at entry
> d1 <- c(5,15,25)
> nd <- length(d1)
> # Common covariate values:
> pr0 <- data.frame( sex = factor( 1, levels=2:1, labels=c("F","M") ),
+                   bmi = 21,
+                   gfr = 70.0,
+                   sys.bt = 150.0,
+                   alb = 500.0,
+                   ins.kg = 0.7,
+                   hmgb = 8.0,
+                   hba1c = 9.0,
+                   tchol = 5.0,
+                   smoke = factor(1,levels=1:2,labels=levels(S7d$smoke)),
+                   lex.dur = 100,
+                   lex.Cst = factor(1,levels=1:5,labels=levels(S7d$lex.Cst)),
+                   tfn = rep(pr.tnf,na*nd) )
> pr1 <- data.frame( age = rep(a1,each=nd*np) + pr0$tfn,
+                   ain = rep(a1,each=nd*np),
+                   dur = rep(d1,na,each=np) + pr0$tfn,
+                   din = rep(d1,na,each=np),
+                   pr0 )
```

Note that we only need to give the values of the variables, the transformation of them is made in the model object. Also note that we set `lex.dur`, the risk time variable, to 100, which means that we get the rates in cases per 100 person-years or % per year, since the units used for `lex.dur` is years.

With this data frame in place we can now plot the mortality rates and the ESRD rates for these 3 types of T1 patients:

```
> get.rates <-
+ function( obj, nd )
+ {
```

```

+ ff <- predict.glm( obj, newdata = nd, se.fit=TRUE )
+ dfr <-
+ data.frame( tfn=nd$tfm, a=factor(nd$aain), d=factor(nd$din),
+             exp( cbind( ff$fit, ff$se.fit ) %*% ci.mat() ) )
+ names( dfr )[4:6] <- c("r","l","h")
+ dfr
+ }
> pr.Bd <- get.rates( Bd, pr1 )
> str( pr.Bd )
'data.frame':      2400 obs. of  6 variables:
 $ tfn: num  0 0.0505 0.101 0.1515 0.202 ...
 $ a  : Factor w/ 4 levels "25","35","45",...: 1 1 1 1 1 1 1 1 1 1 ...
 $ d  : Factor w/ 3 levels "5","15","25": 1 1 1 1 1 1 1 1 1 1 ...
 $ r  : num  0.336 0.337 0.338 0.339 0.34 ...
 $ l  : num  0.0476 0.0481 0.0485 0.0489 0.0494 ...
 $ h  : num  2.37 2.36 2.35 2.35 2.34 ...
> pr.Be <- get.rates( Be, pr1 )
> pr.Ed <- get.rates( Bd, pr1 )
> pr.Ee <- get.rates( Ee, pr1 )

```

We can now plot the resulting estimates, using a convenience function as wrapper:

```

> plr <-
+ function( mr, er, tit, wh=1:3 )
+ {
+ matplot( mr$tfm, cbind(mr[,3+wh],er[,3+wh]), type="n",
+           log="y", xaxt="n", yaxt="n", ylab="", xlab="" )
+ for( ia in 1:na )
+ for( id in 1:nd )
+   with( subset(mr, a==levels(a)[ia] &
+                 d==levels(d)[id] ),
+         matlines( tfm, cbind(r,l,h)[,wh],
+                   lty=(1:nd)[id], lwd=c(3,1,1),
+                   col=gray((1:na/(na+1))[ia]) ) )
+ }

```

With this function in place it straight-forward to plot the estimates of Death and ESRD rates for T1 patients, both adjusted and not adjusted for the covariates of interest:

```

> par( mfrow=c(2,2), oma=c(0,2,2,0)+c(3,3,1,1), mar=c(0,0,0,0), las=1 )
> plr( pr.Bd, pr.Be, "" ) ; axis(side=2)
> plr( pr.Ed, pr.Ee, "" )
> plr( pr.Be, pr.Bd, "" ) ; axis(side=1) ; axis(side=2)
> plr( pr.Ee, pr.Ed, "" ) ; axis(side=1)
> mtext( "Time since DN", side=1, line=2, las=0, outer=TRUE )
> mtext( "Mortality rates (% per year)", side=2, line=3.5, at=0.75, las=0, outer=TRUE )
> mtext( "ESRD rates (% per year)", side=2, line=3.5, at=0.25, las=0, outer=TRUE )
> mtext( "Undadjusted", side=3, line=1, at=0.25, las=0, outer=TRUE )
> mtext( "Adjusted to median", side=3, line=1, at=0.75, las=0, outer=TRUE )
> mtext( "T1", side=3, line=1, at=-0.1, adj=0, las=0, outer=TRUE )

> par( mfrow=c(2,2), oma=c(0,2,2,0)+c(3,3,1,1), mar=c(0,0,0,0), las=1 )
> plr( pr.Bd, pr.Be, "", wh=1 ) ; axis(side=2)
> plr( pr.Ed, pr.Ee, "", wh=1 )
> plr( pr.Be, pr.Bd, "", wh=1 ) ; axis(side=1) ; axis(side=2)
> plr( pr.Ee, pr.Ed, "", wh=1 ) ; axis(side=1)
> mtext( "Time since DN", side=1, line=2, las=0, outer=TRUE )
> mtext( "Mortality rates (% per year)", side=2, line=3.5, at=0.75, las=0, outer=TRUE )
> mtext( "ESRD rates (% per year)", side=2, line=3.5, at=0.25, las=0, outer=TRUE )
> mtext( "Undadjusted", side=3, line=1, at=0.25, las=0, outer=TRUE )
> mtext( "Adjusted to median", side=3, line=1, at=0.75, las=0, outer=TRUE )
> mtext( "T1", side=3, line=1, at=-0.1, adj=0, las=0, outer=TRUE )

> save( Ed, Ee, a.kn, d.kn, n.kn, clr, clx, file="./data/T1E-models.Rda" )

```

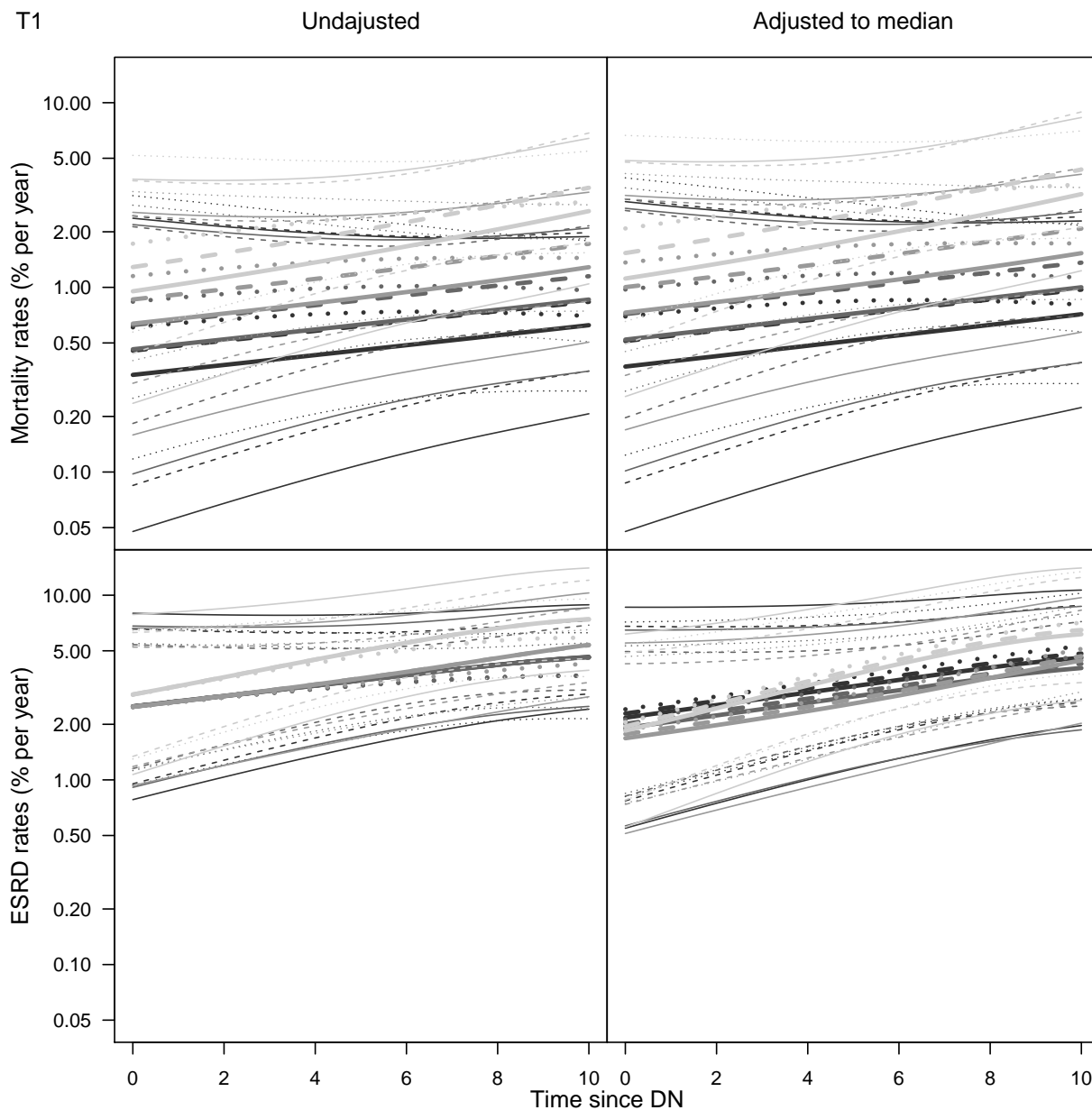


Figure 1.7: Mortality and ESRD rates for T1 patients with 95% c.i., as a function of time since entry into the study. Rates are for persons without CVD, for ages at entry 25, 35, 45, 55 (dark to light color), and duration of diabetes at entry 5, 15, 25 (full, dashed and dotted lines).

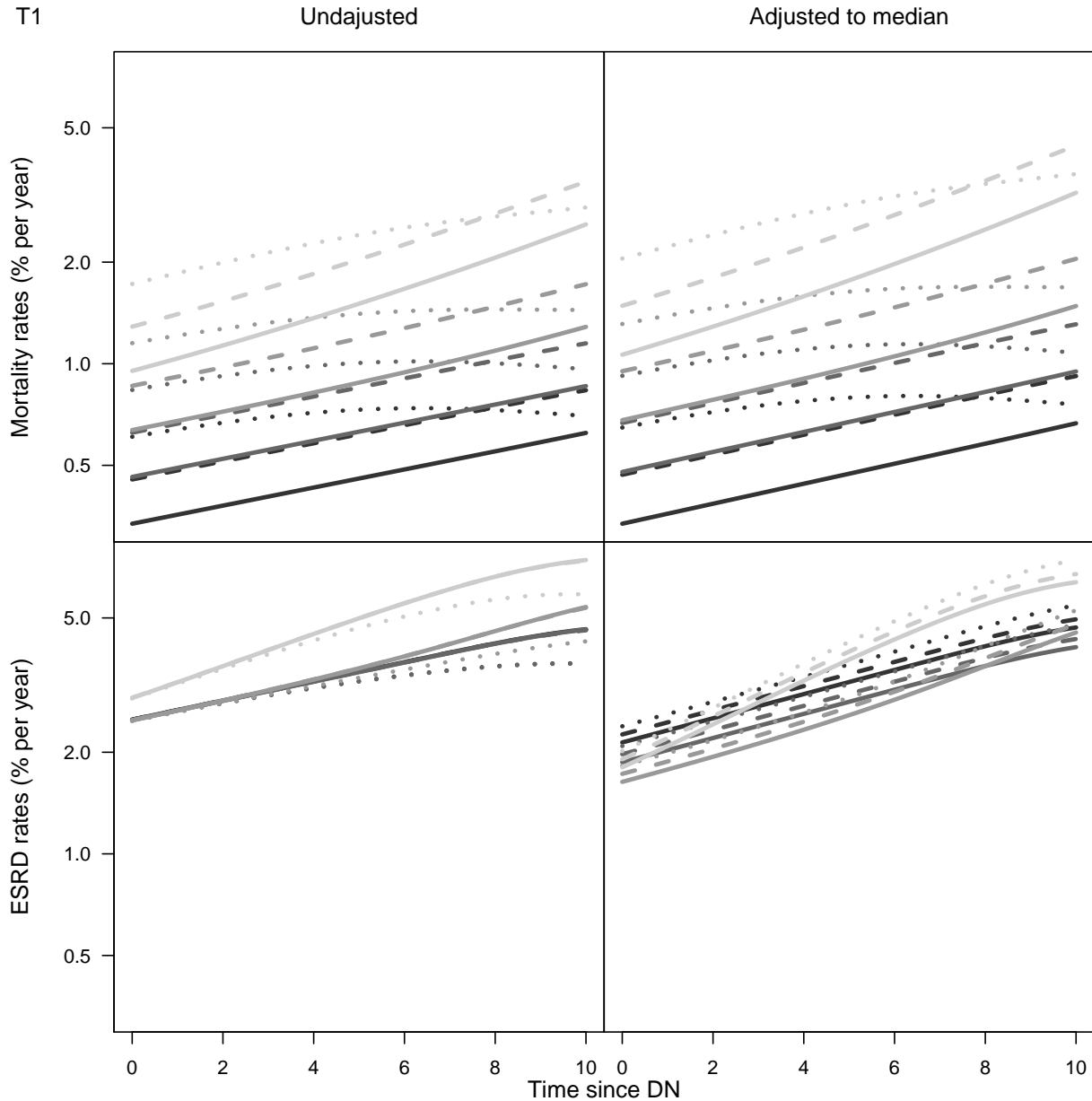


Figure 1.8: *Mortality and ESRD rates for T1 patients, as a function of time since entry into the study. Rates are for persons without CVD, for ages at entry 25, 35, 45, 55 (dark to light color), and duration of diabetes at entry 5, 15, 25 (full, dashed and dotted lines). It is seen that age and diabetes duration at entry has a more pronounced effect on mortality rates than on ESRD rates. For both sets of rates it is also clear that rates do not increase so much by time for those with the longest diabetes duration (over 25 years), which is presumably a selection phenomenon.*

1.1.5 Time trends

We would like to see if there are any time-trends in mortality, so we would introduce an effect of either current calendar time (follow-up date) or date of diagnosis of DN. However, `tfn`, time since diagnosis of DN is already in the model, so those two would have the same coefficient, hence including current calendar time, `per`, is sufficient:

```
> Bed <- update( Be, . ~ . + per )
> Bdd <- update( Bd, . ~ . + per )
> Eed <- update( Ee, . ~ . + per )
> Edd <- update( Ed, . ~ . + per )
> per.eff <- cbind(
+   rbind( ci.exp( Bed, subset="per" ),
+         ci.exp( Bdd, subset="per" ) ),
+   rbind( ci.exp( Eed, subset="per" ),
+         ci.exp( Edd, subset="per" ) ) )
> rownames( per.eff ) <- c( "ESRD", "Dead" )
> round( per.eff, 2 )
      exp(Est.) 2.5% 97.5% exp(Est.) 2.5% 97.5%
ESRD      1.03 0.98  1.09      1.20 1.13  1.28
Dead      1.03 0.95  1.11      1.08 0.98  1.18
```

The leftmost 3 columns of this are the annual increases in mortality/ESRD rates by calendar time when using a model with no covariates, showing basically no change in mortality but slight increase in ESRD by time, whereas the estimates in the rightmost shows a stronger increase in both mortality and in particular ESRD rates when controlling for the covariates.

This indicates that there is a change in covariates to the better, because the latter time-estimates are estimates for a *given* set of covariates. Hence, if the covariates are changing to the better, then mortality when measured *with* control for covariates should exhibit an increase relative to that measured *without*.

So we should *not* take the time trend into account when reporting the effect of covariates, that is that we should only look at the model *without* the time-trend in order to evaluate covariate effects, and a model without covariates if we really want to evaluate the time trends.

The conclusion is therefore that there seems to be small, non-significant increase in mortality and ESRD rates overall, but a substantial improvement in the distribution of risk factors over time.

```
> save( S7, file="./data/T1S7.Rda" )
```

1.2 Prediction of life course

We have so far fitted models for the mortality rates for patients without ESRD, incorporating CVD, these are in the models `Ed` for death as outcome and `Ee` for ESRD as outcome for type 1 patients. These models all contain CVD as a time-dependent variable, that is the transition rates are considered proportional (and we checked that).

If we want to model how different covariates influence the risk ever having ESRD and dying from the different states we must have a model for *all* transitions in the observed network.


```
> options( width=90 )
> library( Epi )
> library( splines )

> load( file="./data/T1S7.Rda" )
> load( file="./data/T1E-models.Rda" )
```

So far we only have models for 6 of the transitions, we also want models for the remaining two transitions, namely the occurrence of CVD among DN patients and ESRD patients, respectively.

For a start we model the CVD occurrence the same way as we modeled mortality and occurrence of ESRD:

```
> log1.5 <- function(x) log(x)/log(1.5)
> Ec <- update( Ed, (lex.Xst=="CVD") ~ . - I(lex.Cst=="CVD"),
+             data = subset( S7, lex.Cst=="DN" ) )
> Ece <- update( Ed, (lex.Xst=="ESRD+CVD") ~ . - I(lex.Cst=="CVD"),
+             data = subset( S7, lex.Cst=="ESRD" ) )
> round( cbind( ci.exp( Ec ), ci.exp( Ece ) ), 3 )
```

	exp(Est.)	2.5%	97.5%	exp(Est.)	2.5%	97.5%
(Intercept)	0.003	0.000	0.247	0.105	0.000	161.278
Ns(age, kn = a.kn)1	0.722	0.223	2.337	0.130	0.013	1.334
Ns(age, kn = a.kn)2	1.000	0.312	3.207	14.865	2.384	92.690
Ns(age, kn = a.kn)3	0.892	0.271	2.933	10.013	2.080	48.206
Ns(dur, kn = d.kn)1	1.490	0.569	3.901	0.209	0.034	1.303
Ns(dur, kn = d.kn)2	1.234	0.374	4.077	0.497	0.035	7.039
Ns(dur, kn = d.kn)3	1.670	0.700	3.986	0.233	0.044	1.238
Ns(tfn, kn = n.kn)1	0.445	0.164	1.208	0.822	0.169	4.001
Ns(tfn, kn = n.kn)2	0.495	0.191	1.286	0.740	0.113	4.848
Ns(tfn, kn = n.kn)3	0.492	0.225	1.074	1.426	0.355	5.722
sexM	1.577	0.833	2.984	2.706	0.933	7.848
bmi	1.020	0.929	1.120	0.864	0.732	1.019
I(sys.bt/10)	1.132	0.941	1.363	1.221	0.931	1.602
I(-gfr/10)	1.193	1.074	1.326	1.010	0.820	1.243
log2(alb)	0.811	0.700	0.940	1.222	0.815	1.833
log1.5(pmax(ins.kg, 0.03))	1.101	0.895	1.356	1.151	0.845	1.568
hmgb	0.988	0.692	1.410	0.715	0.441	1.161
hba1c	1.205	0.988	1.470	1.161	0.784	1.720
tchol	1.243	0.975	1.583	0.859	0.573	1.289
smoke4-20+20+	1.831	1.032	3.251	1.107	0.415	2.953

Because of the overfitting of the model for mortality after ESRD (which has 59 events), we fit a simpler model with only 6 parameters, using only CVD, sex, DN duration, age and a quadratic in time since ESRD:

```
> En <- update( Ed, (substr(lex.Xst,1,4)=="Dead") ~ I(lex.Cst=="ESRD+CVD") +
+             sex +
+             tfn +
+             age +
+             pmin(tfESRD,tfCE,na.rm=TRUE) +
+             I(pmin(tfESRD,tfCE,na.rm=TRUE)^2),
+             data = subset( S7, substr(lex.Cst,1,4)=="ESRD" ) )
> ci.exp( En )
```

	exp(Est.)	2.5%	97.5%
(Intercept)	0.03350861	0.007786894	0.1441944
I(lex.Cst == "ESRD+CVD")TRUE	3.44452981	1.827610681	6.4919656
sexM	0.58788892	0.331119880	1.0437712
tfn	0.96698189	0.932286002	1.0029690
age	1.02751001	1.003547924	1.0520442
pmin(tfESRD, tfCE, na.rm = TRUE)	0.93975450	0.641123062	1.3774867
I(pmin(tfESRD, tfCE, na.rm = TRUE)^2)	1.00540419	0.950965133	1.0629597

Once we have these models we can set up a transition object for use in simulation of probabilities:

```
> Tr <- list( "DN" = list( "Dead(DN)" = Ed,
+                         "CVD"      = Ec,
+                         "ESRD"     = Ee ),
+           "CVD" = list( "Dead(CVD)" = Ed,
+                         "ESRD+CVD" = Ee ),
+           "ESRD" = list( "ESRD+CVD" = Ece,
+                         "Dead(ESRD)" = En ),
+           "ESRD+CVD" = list( "Dead(ESRD+CVD)" = En ) )
```

We can actually derive the induced transition matrix from this:

```
> st <- union( names(Tr), unlist(lapply( Tr, names )))
> dn <- list( from=st, to=st )
> tm <- array( NA, dim=sapply(dn,length), dimnames=dn )
> for( i in names(Tr) ) for( j in names(Tr[[i]]) ) tm[i,j] <- 1
> tm[c(1,2,4,3,5,6,8,7),c(1,2,4,3,5,6,8,7)]
```

from	to							
	DN	CVD	ESRD+CVD	ESRD	Dead(DN)	Dead(CVD)	Dead(ESRD+CVD)	Dead(ESRD)
DN	NA	1	NA	1	1	NA	NA	NA
CVD	NA	NA	1	NA	NA	1	NA	NA
ESRD+CVD	NA	NA	NA	NA	NA	NA	1	NA
ESRD	NA	NA	1	NA	NA	NA	NA	1
Dead(DN)	NA	NA	NA	NA	NA	NA	NA	NA
Dead(CVD)	NA	NA	NA	NA	NA	NA	NA	NA
Dead(ESRD+CVD)	NA	NA	NA	NA	NA	NA	NA	NA
Dead(ESRD)	NA	NA	NA	NA	NA	NA	NA	NA

```
> tmat( S7 )
```

	DN	CVD	ESRD+CVD	ESRD	Dead(DN)	Dead(CVD)	Dead(ESRD+CVD)	Dead(ESRD)
DN	NA	70	NA	92	34	NA	NA	NA
CVD	NA	NA	56	NA	NA	42	NA	NA
ESRD+CVD	NA	NA	NA	NA	NA	NA	45	NA
ESRD	NA	NA	35	NA	NA	NA	NA	14
Dead(DN)	NA	NA	NA	NA	NA	NA	NA	NA
Dead(CVD)	NA	NA	NA	NA	NA	NA	NA	NA
Dead(ESRD+CVD)	NA	NA	NA	NA	NA	NA	NA	NA
Dead(ESRD)	NA	NA	NA	NA	NA	NA	NA	NA

We now set up an initial state data frame as input for simulation by `simLexis`. In order to get timescales and attributes right, specifically the `time.scales` and the `time.since` attributes, we must use `subset` since the “[” operator purges attributes when selecting columns:

```
> init <- subset( S7, FALSE ,
+               select=c(timeScales(S7), "lex.Cst",
+                       "sex", "hba1c", "sys.bt", "tchol", "alb",
+                       "smoke", "bmi", "gfr", "hmgb", "ins.kg") )
> str( init )
Classes 'Lexis' and 'data.frame':      0 obs. of  19 variables:
 $ age      : num
 $ per      : num
 $ tfi      : num
 $ tfn      : num
 $ dur      : num
 $ tfCVD    : num
 $ tfESRD   : num
 $ tfCE     : num
 $ lex.Cst  : Factor w/ 8 levels "DN","CVD","ESRD+CVD",...:
 $ sex      : Factor w/ 2 levels "F","M":
 $ hba1c    : num
 $ sys.bt   : num
```

```

$ tchol : num
$ alb   : num
$ smoke : Factor w/ 2 levels "never+<3","4-20+20+":
$ bmi   : num
$ gfr   : num
$ hmgb  : num
$ ins.kg : num
- attr(*, "breaks")=List of 8
..$ age : NULL
..$ per : NULL
..$ tfi : NULL
..$ tfn : num 0 0.167 0.333 0.5 0.667 ...
..$ dur : NULL
..$ tfCVD : NULL
..$ tfESRD: NULL
..$ tfCE : NULL
- attr(*, "time.scales")= chr "age" "per" "tfi" "tfn" ...
- attr(*, "time.since")= chr "" "" "" "" ...

> cbind( attr(init,"time.scales"),
+       attr(init,"time.since") )

      [,1]      [,2]
[1,] "age"      ""
[2,] "per"      ""
[3,] "tfi"      ""
[4,] "tfn"      ""
[5,] "dur"      ""
[6,] "tfCVD"    "CVD"
[7,] "tfESRD"  "ESRD"
[8,] "tfCE"     "ESRD+CVD"

```

Then we must devise values for all covariates that are to enter in the estimation of state probabilities. They are also shown in table 1.1.

Table 1.1: *Starting values for estimation of probabilities*

Regulation	Fair	Poor
Sex	Man	Man
Age	45/55	45/55
Time since DN	5	5
Diabetes duration	25	25
Sex	M	M
HbA< 1c	7.5	9.0
Systolic blood pr.	130	150
Total cholesterol	4.5	5.5
Albumin	300	1000
Smoking	never, < 3	4-20, 20+
BMI	22	22
GFR	70	70
Hemoglobin	8	8
Insulin dose per kg	0.75	0.75

```

> init[1:2,"sex"] <- rep(levels(init$sex)[2],2)
> init[1:2,"age"] <- c(45,45)
> init[1:2,"tfn"] <- rep(5,2)
> init[1:2,"dur"] <- c(25,25)
> init[1:2,"lex.Cst"]<- rep("DN",2)
> init[1:2,"hba1c"] <- c(7.5,9)
> init[1:2,"sys.bt"] <- c(130,150)
> init[1:2,"tchol"] <- c(4.5,5.5)
> init[1:2,"alb"] <- c(3,10)*100
> init[1:2,"smoke"] <- levels(init$smoke)[c(1,2)]
> init[1:2,"bmi"] <- c(22,22)
> init[1:2,"gfr"] <- 70
> init[1:2,"hmgb"] <- 8
> init[1:2,"ins.kg"] <- 0.75
> init$regl <- factor(c("Fair","Poor"))
> init
  age per tfi tfn dur tfCVD tfESRD tfCE lex.Cst sex hba1c sys.bt tchol alb smoke bmi
1  45 NA  NA   5  25    NA     NA  NA     DN   M   7.5   130  4.5  300 never+<3  22
2  45 NA  NA   5  25    NA     NA  NA     DN   M   9.0   150  5.5 1000 4-20+20+  22
  gfr hmgb ins.kg regl
1  70    8   0.75 Fair
2  70    8   0.75 Poor

```

A quick glance at figure 1.2 shows that a substantial part of the patients enter the study *after* CVD, and it is therefore of interest to see how these fare. Hence we make a duplicate version of the `init` data set where the persons are assumed to start in the CVD state. Based on the distribution of age at entry into the study we also do the calculation for a person aged 45, resp. 55. Thus we will simulate probabilities for $8 = 2^3$ different combinations:

- age: 45/55, DN dur: 5/15, DM dur: 25/35
- regulation: Fair/Poor
- state: DN/CVD

Note we do not have to specify CVD duration as this is not included in any of the models. DN duration will still exist as a time scale in the Lexis object but it will just be updated as NA during the iteration, and it has no effect since the variable is never used in any model for transitions subsequent to CVD.

```

> i.cvd <- transform( init, lex.Cst=factor("CVD",levels=levels(lex.Cst)) )
> i.old <- transform( init, age=age+10,
+                   tfn=tfn+10,
+                   dur=dur+10 )
> i.ocv <- transform( init, age=age+10,
+                   tfn=tfn+10,
+                   dur=dur+10,
+                   lex.Cst=factor("CVD",levels=levels(lex.Cst)) )
> init <- rbind( init, i.cvd, i.old, i.ocv )
> init$i.state <- init$lex.Cst
> init$i.age <- init$age
> init
  age per tfi tfn dur tfCVD tfESRD tfCE lex.Cst sex hba1c sys.bt tchol alb smoke bmi
1  45 NA  NA   5  25    NA     NA  NA     DN   M   7.5   130  4.5  300 never+<3  22
2  45 NA  NA   5  25    NA     NA  NA     DN   M   9.0   150  5.5 1000 4-20+20+  22
3  45 NA  NA   5  25    NA     NA  NA     CVD  M   7.5   130  4.5  300 never+<3  22
4  45 NA  NA   5  25    NA     NA  NA     CVD  M   9.0   150  5.5 1000 4-20+20+  22
5  55 NA  NA  15  35    NA     NA  NA     DN   M   7.5   130  4.5  300 never+<3  22
6  55 NA  NA  15  35    NA     NA  NA     DN   M   9.0   150  5.5 1000 4-20+20+  22
7  55 NA  NA  15  35    NA     NA  NA     CVD  M   7.5   130  4.5  300 never+<3  22

```

```

8  55  NA  NA  15  35  NA  NA  NA  CVD  M  9.0  150  5.5 1000 4-20+20+ 22
   gfr hmgb ins.kg regl i.state i.age
1  70   8  0.75 Fair    DN    45
2  70   8  0.75 Poor   DN    45
3  70   8  0.75 Fair   CVD   45
4  70   8  0.75 Poor   CVD   45
5  70   8  0.75 Fair   DN    55
6  70   8  0.75 Poor   DN    55
7  70   8  0.75 Fair   CVD   55
8  70   8  0.75 Poor   CVD   55

```

Now we can simulate transitions through the defined model for a specified number of patients with these patterns of initial values. Since simulation of 10,000 patients in one go would be too much, we simulate in chunks of 500 replicates of each type of patient:

```

> NN <- 500
> system.time(
+ simL <- simLexis( Tr, init,
+                  time.pts=seq(0,15.2,0.2), N=NN )
+                  )
      user system elapsed
      25.51   2.41   28.27
> summary( simL )
Transitions:
  To
From   DN  CVD  ESRD+CVD  ESRD  Dead(DN)  Dead(CVD)  Dead(ESRD+CVD)  Dead(ESRD)  Records:
DN      624  428         0  723      225         0             0             0         2000
CVD      0  772        996  0         0         660             0             0         2428
ESRD+CVD 0   0         471  0         0             0            868             0         1339
ESRD      0   0         343  230        0             0             0            150         723
Sum      624 1200        1810  953      225         660            868            150         6490

Transitions:
  To
From   Events: Risk time: Persons:
DN      1376   17852.83   2000
CVD     1656   20636.92   2428
ESRD+CVD 868   5248.99   1339
ESRD     493   3257.10   723
Sum     4393   46995.84   4000

```

We can then simulate another 19 times to get a sample of 10,000 simulated patients for each of the 8 types of initial persons:

```

> system.time(
+ for( i in 1:19 )
+ {
+ simL <- rbind( simL, simLexis( Tr, init,
+                               time.pts=seq(0,15.2,0.2), N=NN,
+                               lex.id=i*(NN*nrow(init))+1:(NN*nrow(init)) ) )
+ cat( "Iter ", i, " at", strftime(Sys.time(), "%Y-%m-%d, %H:%M:%S"), "\n" )
+ flush.console()
+ } )
Iter 1 at 2014-01-01, 21:04:04
Iter 2 at 2014-01-01, 21:04:31
Iter 3 at 2014-01-01, 21:04:57
Iter 4 at 2014-01-01, 21:05:24
Iter 5 at 2014-01-01, 21:05:50
Iter 6 at 2014-01-01, 21:06:17
Iter 7 at 2014-01-01, 21:06:44
Iter 8 at 2014-01-01, 21:07:12
Iter 9 at 2014-01-01, 21:07:40
Iter 10 at 2014-01-01, 21:08:08

```

```

Iter 11 at 2014-01-01, 21:08:36
Iter 12 at 2014-01-01, 21:09:04
Iter 13 at 2014-01-01, 21:09:32
Iter 14 at 2014-01-01, 21:10:01
Iter 15 at 2014-01-01, 21:10:31
Iter 16 at 2014-01-01, 21:11:00
Iter 17 at 2014-01-01, 21:11:29
Iter 18 at 2014-01-01, 21:11:58
Iter 19 at 2014-01-01, 21:12:28
  user system elapsed
523.10   5.60 529.48

```

We then save the simulated data for possible future use:

```

> save( simL, file="./data/simL1.Rda" )
> load( file="./data/simL1.Rda" )

```

We now have a data frame (a Lexis-object) with the lifecourse of 80,000 persons — 10,000 for each combination of variables, and thus with somewhat more records:

```

> dim( simL )
[1] 129451    26
> summary( simL )
Transitions:
  To
From      DN      CVD  ESRD+CVD  ESRD  Dead(DN)  Dead(CVD)  Dead(ESRD+CVD)  Dead(ESRD)
DN         12780  8094         0 14629     4497         0                 0           0
CVD         0 15382  19740     0         0     12972         0                 0           0
ESRD+CVD   0 0      9812     0         0         0     16916         0           0
ESRD        0 0      6988  4515     0         0         0                 0          3126
Sum         12780 23476  36540 19144     4497     12972     16916         0          3126

Transitions:
  To
From      Records:  Events:  Risk time:  Persons:
DN         40000     27220  362432.22   40000
CVD         48094     32712  410801.93   48094
ESRD+CVD   26728     16916  106142.72   26728
ESRD        14629     10114   65389.53   14629
Sum         129451     86962  944766.39   80000
> with( simL, ftable(regl,i.age,i.state) )
      i.state      DN      CVD  ESRD+CVD  ESRD  Dead(DN)  Dead(CVD)  Dead(ESRD+CVD)  Dead(ESRD)
regl i.age
Fair 45         14401 12091         0 0         0         0                 0           0
     55         15096 13150         0 0         0         0                 0           0
Poor 45         21011 15101         0 0         0         0                 0           0
     55         22220 16381         0 0         0         0                 0           0

```

Once we have the simulated Lexis objects we can compute the state occupancy probabilities. We want to show these in different displays, so it is most convenient to collect the estimated fractions in a large array, suitably indexing the dimensions of the array:

```

> times <- seq(0,15.2,0.1)
> perm <- c(1:4,8:5)
> levels( simL$lex.Cst )[perm]
[1] "DN"           "CVD"           "ESRD+CVD"     "ESRD"         "Dead(ESRD)"
[6] "Dead(ESRD+CVD)" "Dead(CVD)"     "Dead(DN)"
> pArr <- NArray( list( i.age = c(45,55),
+                       regl = c("Fair","Poor"),
+                       i.state = c("DN","CVD"),
+                       times = times,
+                       state = levels( simL$lex.Cst )[perm] ) )
> dimnames( pArr )[-4]

```

```

$i.age
[1] "45" "55"

$regl
[1] "Fair" "Poor"

$i.state
[1] "DN" "CVD"

$state
[1] "DN" "CVD" "ESRD+CVD" "ESRD" "Dead(ESRD)"
[6] "Dead(ESRD+CVD)" "Dead(CVD)" "Dead(DN)"

> for( ia in dimnames(pArr)$i.age )
+ for( ir in dimnames(pArr)$regl )
+ for( ii in dimnames(pArr)$i.state )
+ pArr[ia,ir,ii,,] <- pState( nState( subset( simL, i.age==as.numeric(ia) &
+ regl==ir &
+ i.state==ii ),
+ at = times,
+ from = as.numeric(ia),
+ time.scale = "age" ),
+ perm = perm )
> save( pArr, file="./data/simP1.Rda" )

```

Now (re-)load the simulated survival curves (well, state occupancy probability curves):

```

> load( file="./data/simP1.Rda" )
> round( pArr[1,1,1,1:10,], 3 )

```

times	DN	CVD	ESRD+CVD	ESRD	Dead(ESRD)	Dead(ESRD+CVD)	Dead(CVD)	Dead(DN)
0	1.000	1.000	1.000	1.000	1.000	1.000	1.000	1
0.1	0.996	0.998	0.998	0.999	0.999	0.999	0.999	1
0.2	0.993	0.997	0.997	0.999	0.999	0.999	0.999	1
0.3	0.989	0.996	0.996	0.998	0.998	0.998	0.998	1
0.4	0.985	0.994	0.994	0.997	0.997	0.997	0.997	1
0.5	0.982	0.992	0.992	0.997	0.997	0.997	0.997	1
0.6	0.979	0.991	0.991	0.996	0.996	0.996	0.996	1
0.7	0.976	0.989	0.990	0.996	0.996	0.996	0.996	1
0.8	0.973	0.988	0.988	0.994	0.995	0.995	0.995	1
0.9	0.969	0.986	0.986	0.994	0.994	0.994	0.994	1

Once we have the tables with the simulated probabilities we can plot them, using the same colors as in the state diagram (figure 1.2).

```

> grps <- function(ia)
+ {
+ par( mfrow=c(2,2), mar=c(6,6,3,2)/2.5, mgp=c(3,1,0)/1.6, las=1, oma=c(2,2,0,0) )
+ il <- 0
+ for( ii in dimnames(pArr)$i.state )
+ for( ir in dimnames(pArr)$regl )
+ {
+ xx <- pArr[ia,ir,ii,,]
+ ai <- as.numeric( ia )
+ class( xx ) <- c("pState","matrix")
+ plot( xx, col=clx[c(1:4,8:5)], xlab="", ylab="",
+ xlim = c(0,10), xaxt="n" )
+ abline( h=1:19/20, v=1:9, col=gray(0.6), lty="13" )
+ lines( as.numeric(rownames(xx)), xx[, "ESRD"], lwd=3 )
+ axis( side=1, at=0:10, labels=rep("",11) )
+ axis( side=1, at=0:5*2, labels=seq(ai,ai+10,2) )
+ axis( side=4, at=0:20/20, tcl=-0.3, labels=FALSE )
+ axis( side=4, at=0:10/10, tcl=-0.6, labels=FALSE )
+ text( 0.5, 0.15,
+ paste( ii,"\n", ir, " control of risk factors", sep="" ),

```

```
+         col="white", font=2, adj=c(0,0) )
+   box(col="white")
+   mtext(letters[i1<-i1+1],line=0.2,adj=0)
+ }
+ mtext( "Probability", side=2, line=0, outer=TRUE, las=0 )
+ mtext( "Age at follow-up", side=1, line=0, outer=TRUE )
+ }
```

```
> grps("45")
```

```
> grps("55")
```

Also, we want to see the numerical size of some of the cumulative risks at 5, 10 and 15 years after DN, specifically:

- cumulative risks of any ESRD (red and orange areas)
- cumulative risks of death (the survival curve)
- fraction of those acquiring ESRD that are dead (pale red and orange areas relative to total red and orange areas)

So we set up an array to hold these quantities for the 8 types of T1 patients that we are considering:

```
> times <- c(5,10,15)
> CumR <- NArray( c( dimnames( pArr ) [1:3],
+                   list( when = times,
+                   what = c("cr-Death", "cr-ESRD", "pr-ESRDdead") ) ) )
> str( CumR )
logi [1:2, 1:2, 1:2, 1:3, 1:3] NA NA NA NA NA NA ...
- attr(*, "dimnames")=List of 5
..$ i.age : chr [1:2] "45" "55"
..$ regl : chr [1:2] "Fair" "Poor"
..$ i.state: chr [1:2] "DN" "CVD"
..$ when : chr [1:3] "5" "10" "15"
..$ what : chr [1:3] "cr-Death" "cr-ESRD" "pr-ESRDdead"
> tms <- dimnames(CumR)$when
```

— and then extract the quantities at these specified times:

```
> CumR[,,, "cr-Death"] <- 1-pArr[,,, tms, "ESRD"]
> CumR[,,, "cr-ESRD" ] <- pArr[,,, tms, "Dead(ESRD+CVD)"]-
+ pArr[,,, tms, "CVD"]
> CumR[,,, "pr-ESRDdead" ] <- (pArr[,,, tms, "Dead(ESRD+CVD)"]-
+ pArr[,,, tms, "ESRD"])/
+ (pArr[,,, tms, "Dead(ESRD+CVD)"]-
+ pArr[,,, tms, "CVD" ])
```

Finally we can show the cumulative risks in two different lay-outs:

```
> round( 100*ftable( CumR, col.vars=3:4 ), 1 )
```

			i.state	DN		CVD			
			when	5	10	15	5	10	15
i.age	regl	what							
45	Fair	cr-Death		4.4	11.2	19.3	10.7	22.8	35.3
		cr-ESRD		5.8	13.2	20.5	6.3	13.6	20.6
		pr-ESRDdead		16.1	30.8	43.1	33.9	51.3	62.9
	Poor	cr-Death		12.8	31.7	50.4	24.2	48.1	66.9

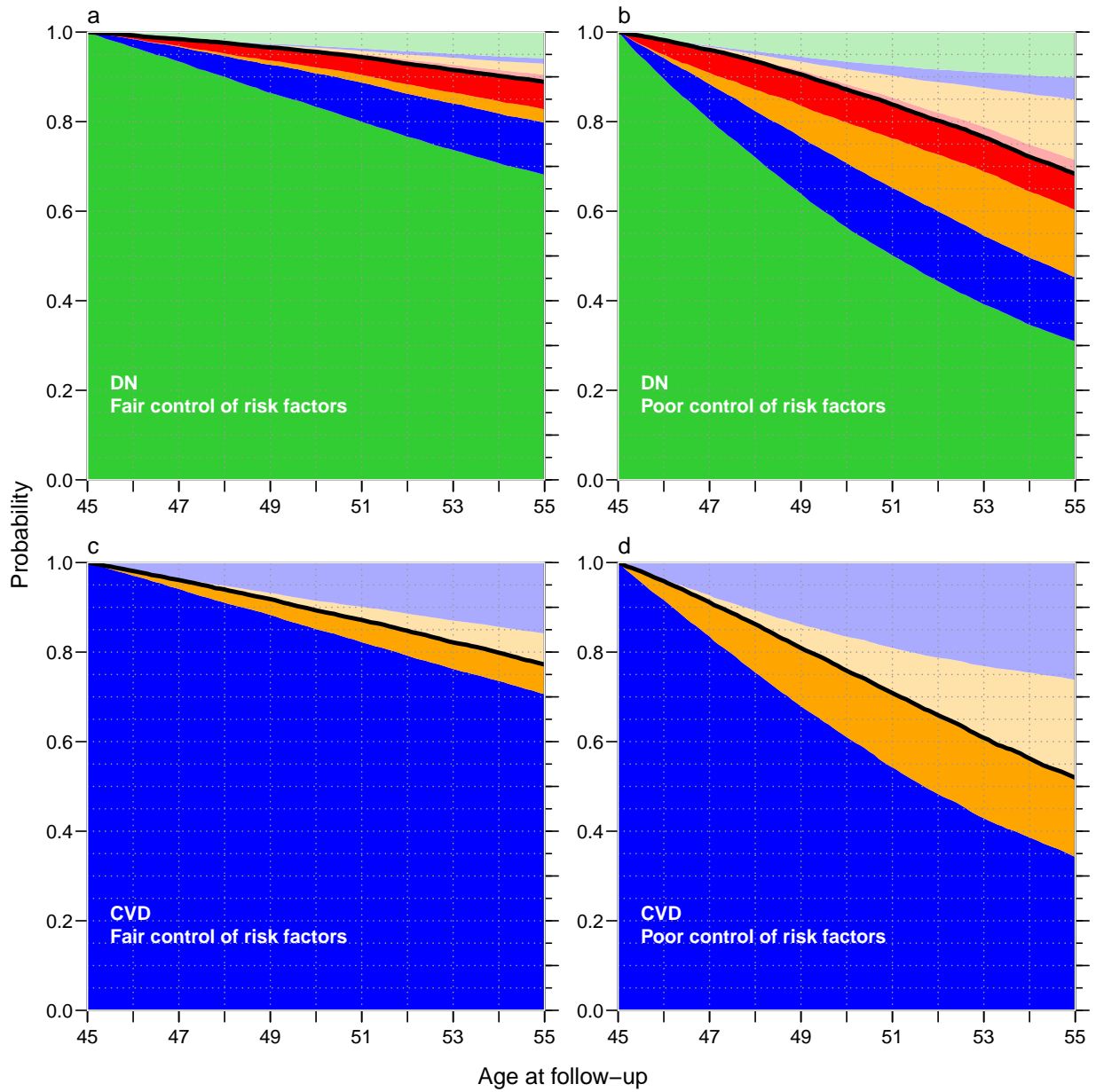


Figure 1.9: *Estimated probabilities of being in different states for patients shown in table 1.1, for T1 patients entering at age 45. Coloring as in figure 1.2. The black line is the survival curve, the (pale) states above the line are the death states.*

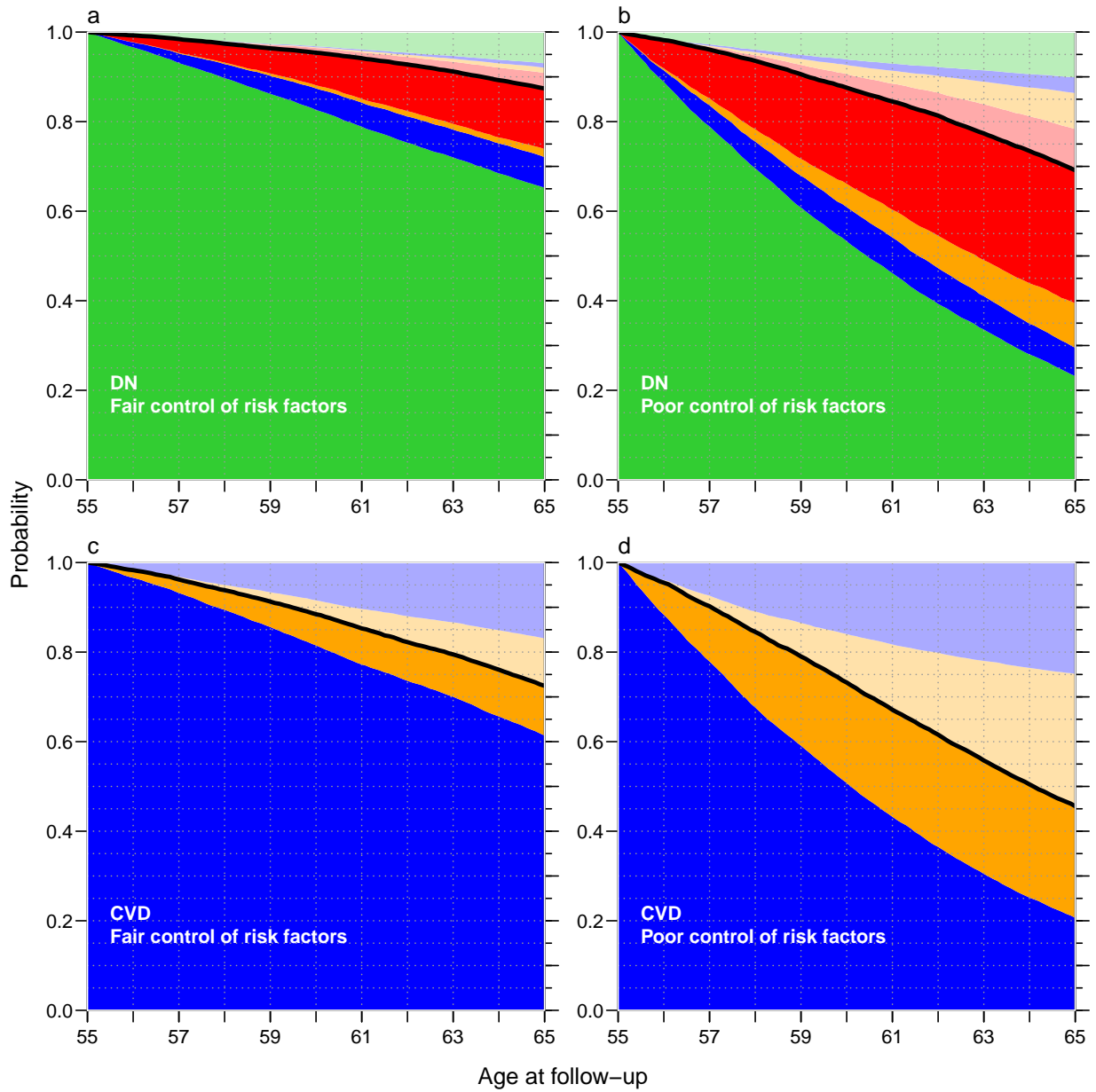


Figure 1.10: Estimated probabilities of being in different states for patients shown in table 1.1, for T1 patients entering at age 55. Coloring as in figure 1.2. The black line is the survival curve, the (pale) states above the line are the death states.

		cr-ESRD	21.0	39.7	54.2	22.5	39.5	50.5
		pr-ESRDdead	21.8	41.9	56.0	33.9	55.3	69.1
55	Fair	cr-Death	4.6	12.6	24.5	11.6	27.5	45.6
		cr-ESRD	9.2	20.0	30.2	10.1	21.7	31.2
		pr-ESRDdead	13.3	23.2	35.3	30.9	48.8	62.1
	Poor	cr-Death	12.4	30.9	52.3	26.8	54.4	75.9
		cr-ESRD	31.7	56.9	70.0	33.2	54.5	63.6
		pr-ESRDdead	15.9	30.3	48.7	32.6	54.3	72.0

```
> round( 100*ftable( CumR, col.vars=c(3,5) ), 1 )
```

			DN			CVD		
i.age	regl	when	cr-Death	cr-ESRD	pr-ESRDdead	cr-Death	cr-ESRD	pr-ESRDdead
45	Fair	5	4.4	5.8	16.1	10.7	6.3	33.9
		10	11.2	13.2	30.8	22.8	13.6	51.3
		15	19.3	20.5	43.1	35.3	20.6	62.9
	Poor	5	12.8	21.0	21.8	24.2	22.5	33.9
		10	31.7	39.7	41.9	48.1	39.5	55.3
		15	50.4	54.2	56.0	66.9	50.5	69.1
55	Fair	5	4.6	9.2	13.3	11.6	10.1	30.9
		10	12.6	20.0	23.2	27.5	21.7	48.8
		15	24.5	30.2	35.3	45.6	31.2	62.1
	Poor	5	12.4	31.7	15.9	26.8	33.2	32.6
		10	30.9	56.9	30.3	54.4	54.5	54.3
		15	52.3	70.0	48.7	75.9	63.6	72.0

Compilation log

R 3.0.2

```
-----
Program: DN1.rnw
Folder:  c:\Bendix\Steno\GbAd
Started:  onsdag 01. januar 2014, 21:02:15
-----
```

Writing to file DN1.tex

Processing code chunks with options ...

```
1 : echo keep.source term hide (Tinef.rnw:5)
2 : echo keep.source term verbatim (Tinef.rnw:10)
3 : echo keep.source term verbatim (Tinef.rnw:17)
4 : echo keep.source term verbatim eps pdf (label = boxes-tp1, Tinef.rnw:92)
5 : echo keep.source term verbatim (Tinef.rnw:114)
6 : echo keep.source term verbatim (Tinef.rnw:123)
7 : echo keep.source term verbatim (label = stack, Tinef.rnw:135)
8 : echo keep.source term verbatim (label = subset-stack, Tinef.rnw:144)
9 : echo keep.source term verbatim (label = m0, Tinef.rnw:158)
10 : echo keep.source term verbatim (label = prop-tests, Tinef.rnw:181)
11 : echo keep.source term verbatim (Tinef.rnw:210)
12 : echo keep.source term verbatim (label = m1-m2-cov, Tinef.rnw:281)
13 : echo keep.source term verbatim (label = base-separate, Tinef.rnw:308)
14 : echo keep.source term verbatim (Tinef.rnw:315)
15 : echo keep.source term verbatim (Tinef.rnw:325)
16 : echo keep.source term verbatim eps pdf (label = base-CVD1, Tinef.rnw:355)
17 : echo keep.source term verbatim (label = RR-comp-mort1, Tinef.rnw:382)
18 : echo keep.source term verbatim (label = RR-comp-ESRD, Tinef.rnw:393)
19 : echo keep.source term verbatim eps pdf (label = xforest1, Tinef.rnw:411)
20 : echo keep.source term verbatim eps pdf (label = xforestcol1, Tinef.rnw:456)
21 : echo keep.source term verbatim eps pdf (label = pairs1, Tinef.rnw:492)
22 : echo keep.source term verbatim (label = covariate-medians, Tinef.rnw:506)
23 : echo keep.source term verbatim (label = used-values, Tinef.rnw:517)
24 : echo keep.source term verbatim (label = pred-frames, Tinef.rnw:523)
25 : echo keep.source term verbatim (label = get-rates, Tinef.rnw:560)
26 : echo keep.source term verbatim (label = plr-def, Tinef.rnw:579)
27 : echo keep.source term verbatim eps pdf (label = crates, Tinef.rnw:597)
28 : echo keep.source term verbatim eps pdf (label = rates, Tinef.rnw:611)
29 : echo keep.source term verbatim (Tinef.rnw:642)
30 : echo keep.source term verbatim (label = per-eff, Tinef.rnw:655)
31 : echo keep.source term verbatim (Tinef.rnw:690)
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33 : echo keep.source term verbatim (T1pred.rnw:20)
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36 : echo keep.source term verbatim (T1pred.rnw:53)
37 : echo keep.source term verbatim (T1pred.rnw:64)
38 : echo keep.source term verbatim (T1pred.rnw:77)
39 : echo keep.source term verbatim (T1pred.rnw:114)
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42 : echo keep.source term verbatim (label = simrest, T1pred.rnw:178)
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51 : echo keep.source term verbatim (T1pred.rnw:303)
52 : echo keep.source term verbatim (T1pred.rnw:313)
```

You can now run (pdf)latex on 'DN1.tex'

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Program: DN1.rnw
Folder:  c:\Bendix\Steno\GbAd
Ended:   onsdag 01. januar 2014, 21:13:58
Elapsed: 00:11:43
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