

BMI trends in Australia

— population surveys

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0.1 Introduction and overview

This is a report on trends in BMI in Australia, and how they depend on calendar time and date of birth.

The data base is survey data from Australia, where we have data on sex, BMI, date of survey, date of birth (and educational level).

The general approach will be to model the BMI-distribution by regression as a function sex, age, calendar time and date of birth. This can be seen as a variant of the Age-Period-Cohort model for occurrence rates ([1]), where we instead of rates are modeling mean BMI (or, as will appear later, median BMI as well as other quantiles of the BMI distribution).

Chapter 1

Summary

This chapter gives a summary of the findings documented in subsequent chapters. There is also a section with a first proposal text to the paper.

1.1 Preliminary observations

- Log-transformed BMI gives a better fit than non-transformed.
- Log-transformed BMI is approximately symmetric for men (as measured by residuals), but right-skewed for women.
- The distribution of BMI is inadequately described by a log-normal distribution.
- Assuming a normal distribution of the log-transformed BMI still understates the variation in BMI among women; in particular it will not capture the very right-skewed distribution of BMI among women
- BMI is smaller for women than for men in ages up to mid 50es, in older ages, mean BMI is similar for men and women.
- The BMI distribution is largely constant after age 60.
- Population variation in BMI is substantially larger for females than for males, and in particular substantially more right-skewed than for males.
- The secular changes in BMI is particularly pronounced for the upper 25% of the population with the highest BMI. Both the absolute increase and the relative increase in BMI is larger, the more obese people are.
- BMI is increasing for the entire population, the smallest (both relative and absolute) increase is for the leanest part of the population, the increase in BMI is steeper, the larger the BMI.

1.2 Proposed article sections

1.2.1 Material and methods

...

1.2.1.1 Data preparation

For the National health surveys where no individual date of examination were available we assigned a random date in the interval of the survey.

The analysis dataset had one record per person with complete information on date of birth, date of examination (and hence age at examination) as well as height and weight (and hence BMI). Figure 1 shows the distribution of age and date of examination in the dataset; the 6 surveys are clearly discernible.

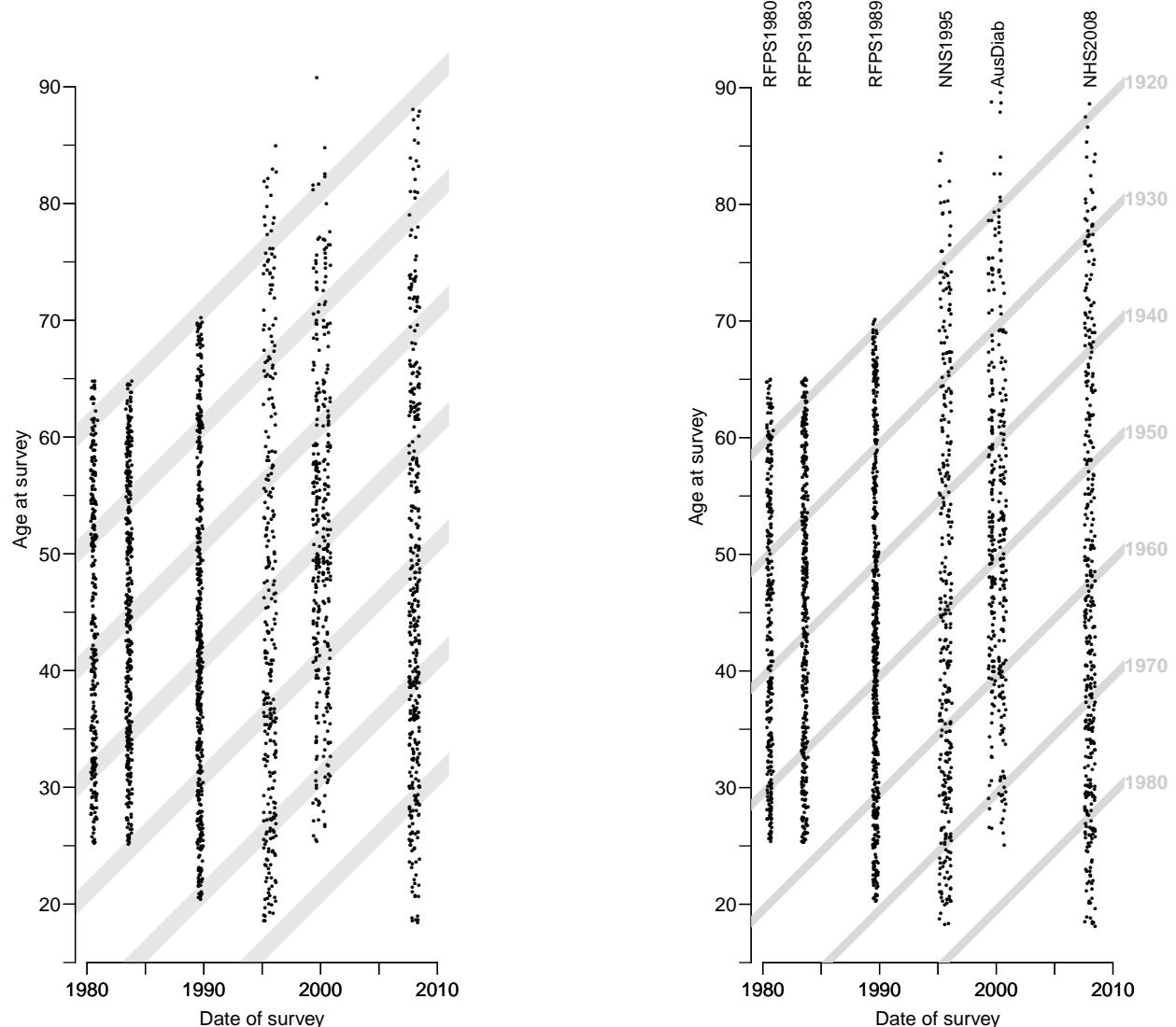


Figure 1.1: *Age and date of survey for a random 5% sample of persons in the analysis. The gray lines indicate the birth cohorts (from the top) 1920, 1930, ..., 1980.*

Here we read the analysis file used throughout and create the table 1 of the paper:

```
> library( Epi )
> library( quantreg )
> load( file=".~/data/abmi.Rdata" )
> abmi$age <- abmi$dos - abmi$dob
> str( abmi )

'data.frame':      42618 obs. of  11 variables:
 $ sex: Factor w/ 2 levels "M","F": 1 2 1 1 2 2 2 1 1 2 ...
 $ dob: num  1926 1935 1938 1955 1926 ...
 $ dos: num  1980 1980 1980 1981 1980 ...
 $ bmi: num  31.7 24.2 25.2 24.5 32.1 ...
 $ ht : num  1.73 1.7 1.78 1.85 1.72 1.6 1.53 1.73 1.76 1.61 ...
 $ wt : num  95 70 80 84 95 61 50 66 86 56 ...
 $ edu: Factor w/ 2 levels "lo","hi": 2 2 2 2 1 2 1 2 2 2 ...
 $ smk: Factor w/ 2 levels "non","cur": 2 2 1 2 1 1 1 1 1 1 ...
 $ aus: Factor w/ 2 levels "no","aus": 1 2 2 2 2 2 2 2 2 2 ...
 $ srv: Factor w/ 6 levels "RFPS1980","RFPS1983",...: 1 1 1 1 1 1 1 1 1 1 ...
 $ age: num  54.4 45.4 42.2 25.2 54.6 ...

> t0 <- with( abmi, table( srv, sex ) )
> t1 <- with( abmi, table( srv, cut( age,
+                                breaks=c(0,25,35,45,55,65,Inf),
+                                right=FALSE ) ) )
> t2 <- with( abmi, table( srv, aus ) )
> t3 <- with( abmi, table( srv, edu ) )
> t4 <- with( abmi, table( srv, smk ) )
> arttab <- rbind( t( pctab( t0, dec=FALSE ) )[c(4,1),,drop=FALSE],
+                   t( pctab( t1, dec=FALSE ) )[1:6,,drop=FALSE],
+                   t( pctab( t2, dec=FALSE ) )[2,,drop=FALSE],
+                   t( pctab( t3, dec=FALSE ) )[2,,drop=FALSE],
+                   t( pctab( t4, dec=FALSE ) )[2,,drop=FALSE] )
> round( arttab, 1 )

          RFPS1980 RFPS1983 RFPS1989 NNS1995 AusDiab NHS2008
N        5572.0    7569.0    9134.0   6184.0   6758.0   7401.0
M        49.6      49.3      49.2      47.9      46.0      48.0
[0,25)     0.0      0.1      8.1     11.6      0.0      9.8
[25,35)    27.7     26.7     22.1     21.3     12.5     18.7
[35,45)    23.9     27.4     26.8     19.9     22.3     21.2
[45,55)    25.4     23.1     19.4     16.5     27.9     17.3
[55,65)    22.9     22.6     16.3     13.0     19.2     15.1
[65,Inf)    0.2      0.2      7.2     17.6     18.2     17.9
aus       71.1     70.6     72.7     68.9     70.6     66.7
hi        50.6     57.9     56.5     40.5     51.4     56.1
cur       32.2     29.7     24.0     23.7     14.5     19.8

> round( arttab )

          RFPS1980 RFPS1983 RFPS1989 NNS1995 AusDiab NHS2008
N        5572    7569    9134    6184    6758    7401
M        50      49      49      48      46      48
[0,25)     0       0       8       12      0       10
[25,35)    28      27      22      21      12      19
[35,45)    24      27      27      20      22      21
[45,55)    25      23      19      17      28      17
[55,65)    23      23      16      13      19      15
[65,Inf)    0       0       7       18      18      18
aus       71      71      73      69      71      67
hi        51      58      56      40      51      56
cur       32      30      24      24      14      20

> write.csv( round( arttab, 0 ), file="art-table1r.csv" )
> write.csv( round( arttab, 1 ), file="art-table1.csv" )
```

1.2.1.2 Statistical methods

BMI was analyzed separately for men and women. The basic assumption was that the distribution of BMI varies smoothly by age and date of survey and date of birth (an age-period-cohort model). Even though the BMI-distribution is only recorded at six narrow calendar time periods, we assumed that the surveys represent an overall smooth variation of BMI distribution. How the period from 1980 through 2009 is covered by measurements is illustrated in figure 1.

Initially we modelled mean log-BMI by a linear model with normal errors, but found that this approach that others [4] has taken violated assumptions about variance homogeneity, and assumptions about normality (primarily *symmetry*) of the residual distribution, in particular among women.

Since it was of primary interest to inspect the *distribution* of BMI as it evolves over time, we used quantile regression for the percentiles 5, 10, 25, 50, 75, 90 and 95. These percentiles were modeled (separately) by natural splines in age and date of birth, both with 6 knots (and hence 5 parameters), and date of survey with 3 knots (one non-linear parameter). Also, a simplified model assuming a linear trend in BMI-quantiles by date of birth (and hence by date of survey too) was fitted in order to provide overall figures of trends in BMI percentiles in more detail. This was done both for absolute and relative BMI (using the log-transform).

The age-period-cohort model estimates are shown for each of the chosen percentiles as age-specific BMI, birth cohort effect centered at 1950 and residual period effect. This allows the age-specific BMIs to be interpreted as how the development will be in a particular birth cohort. Note that we are not considering mortality in this study, so we are modeling the BMI among *survivors* at a given age.

The 5-year change in all BMI-percentiles from 2 to 98, separately for men and women were computed based on quantile regression models with a 6-parameter age-effect and a linear drift (linear effect of date of birth or date of survey).

To show the changes in absolute levels of BMI over time, results from the models were shown as the age-specific percentiles in cohorts 1920, 1930, ..., 1980 and for the survey dates 1980, 1985, ..., 2010. These are shown for the 10th, 50th and 90th percentiles.

Finally we inverted the fitted models to estimate the fraction of persons that at a given age and time exceeded a BMI of 30, 35 and 40 kg/m². Confidence intervals for these fractions were computed by the bootstrap.

All analyses were done in R[3], version 3.0.1 with the *quantreg* package, [?]

```
> print( sessionInfo(), loc=F )

R version 3.0.2 (2013-09-25)
Platform: i386-w64-mingw32/i386 (32-bit)

attached base packages:
[1] utils     datasets   graphics   grDevices  stats       methods    base

other attached packages:
[1] quantreg_4.98  SparseM_0.99   Epi_1.1.59    foreign_0.8-55

loaded via a namespace (and not attached):
[1] tools_3.0.2
```

A complete account of all data reading, transformation and all statistical analyses is available as <http://BendixCarstensen.com/IDI/BMI/BMI-APC.pdf>

1.2.2 Results

There were a total of 43,631 persons in the analysis surveyed between May 1980 and May 2009. Overall there were slightly fewer men than women in the surveys (see table 1).

```
> with( abmi, as.Date.cal.yr( range( dos ) ) )
[1] "1980-05-03" "2008-07-01"
```

Age-period-cohort modeling of the percentiles 5, 10, 25, 50, 75, 90 and 95, showed that the spread in BMI was very skew, the skewness increasing both by age and birth cohort, see figure 1.2. We found no clinically relevant curvature by period, although the effects were formally statistically significant.

We found that the distribution of BMI is spreading out over time, the increase by calendar time in the higher quantiles of BMI were steeper than among the lower percentiles as shown in figure 1.3. The increase in the 95th percentile was around 1 kg/m^2 per 5 years for women and 0.8 for men, whereas the increase in the median was only about a third of this and for the 10th percentile a fifth of this. It was noticeable that even the leanest 5 percent of the population saw a small increase of about $0.15 \text{ kg/m}^2/5\text{y}$. There was a small tendency that the increases were higher for males than females in the lower percentiles and vice versa for the higher percentiles, so there seems to be a tendency that the female distribution in the higher end of the BMI scale is spreading more over time than the male distribution (figure 1.3).

This tendency was also seen in the picture of how the 10th, 50th and 90th percentiles develop by age for different generations in figure 1.4. The tendency was less pronounced when the effects were shown by date of survey, because the general increase in all BMI-percentiles is causing the age-effects within generations to be masked (figure 1.5).

When inverting the model to assess the fraction of the population exceeding BMI 30, 35 or 40, we found that in the latest period more than 30% of the middle aged men and women had BMI over 30 kg/m^2 , whereas it was only about 10% at the peak age that exceeded a BMI of 35 kg/m^2 (figure 5.3). However it was remarkable how rapidly the fraction exceeding 30 and 35 kg/m^2 increased by age within cohorts (figure 5.4), only for the threshold 35 there seemed to be a stabilization after age 50. The fraction exceeding 40 kg/m^2 was very small particularly for men, but we saw a weak tendency that about 5% of women already in ages 50 in the more recent cohort could reach this level.

1.2.3 Discussion

To our knowledge this is the first report that has analyzed trends in BMI allowing a description of the increasing spread in the distribution by quantile regression, while allowing a description of how BMI evolve across different generations of Australians.

By looking at the generational patterns we saw the tendency to a potential massive increase in BMI particularly in the younger generations, which were not immediately detectable from the cross-sectional figures. By taking the date of birth into account in the description of trends we were able to foreshadow these trends.

It was noticeable that the major increases were seen among the part of the population with the highest BMI, particularly in the most obese quarter of the population. Among the 20% most obese women, the increase in BMI was more than 0.8 kg/m^2 or 2.5% per 5 years, among men they were more than 0.5 kg/m^2 or 2% per year.

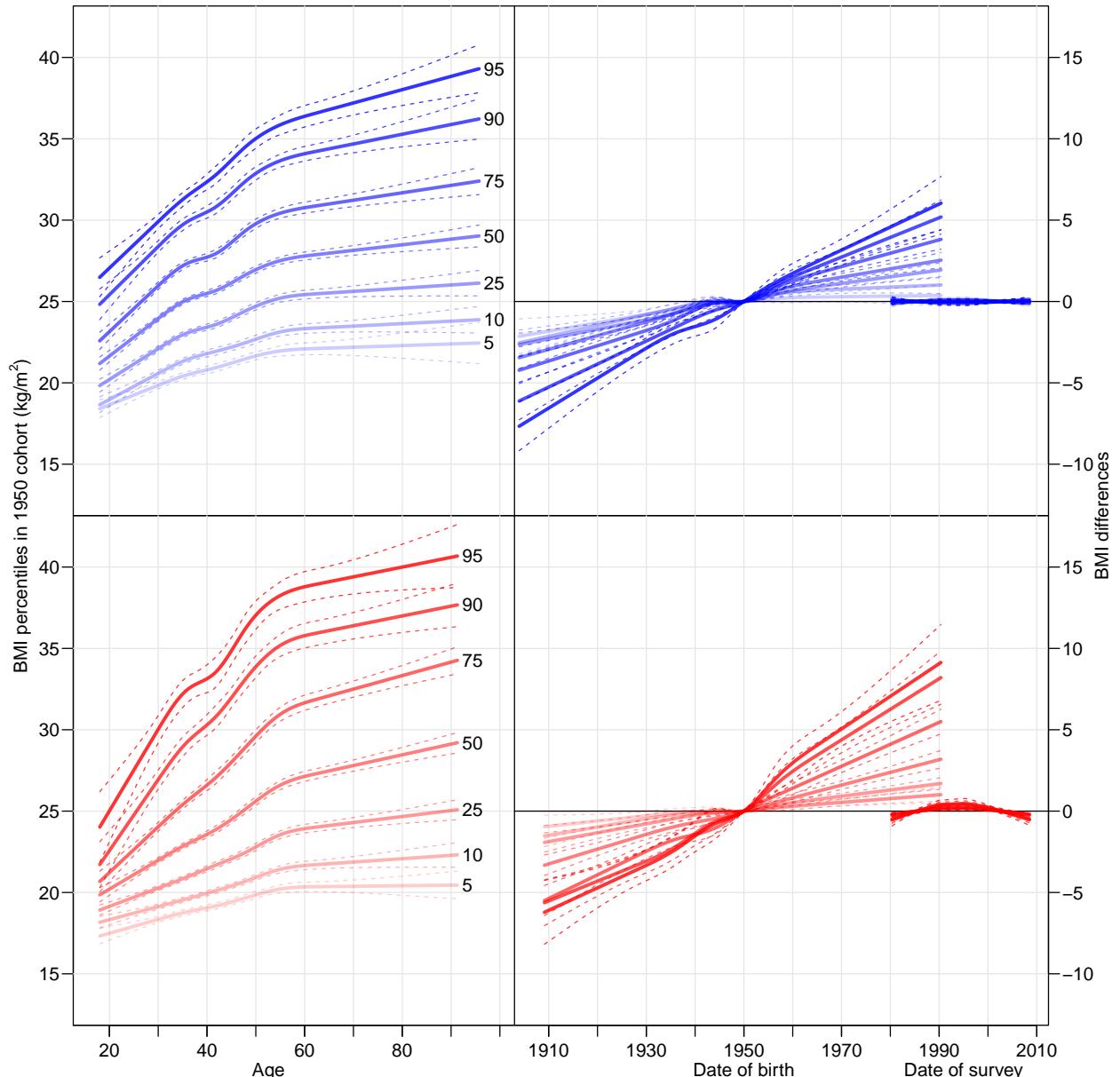


Figure 1.2: *Age, cohort and period effects for the 7 percentiles, separately for men (blue, top) and women (red, bottom). Estimates are from 7 separate models, one for each of the percentiles, each model shown in a separate shade. The dotted lines are 95% confidence intervals.*

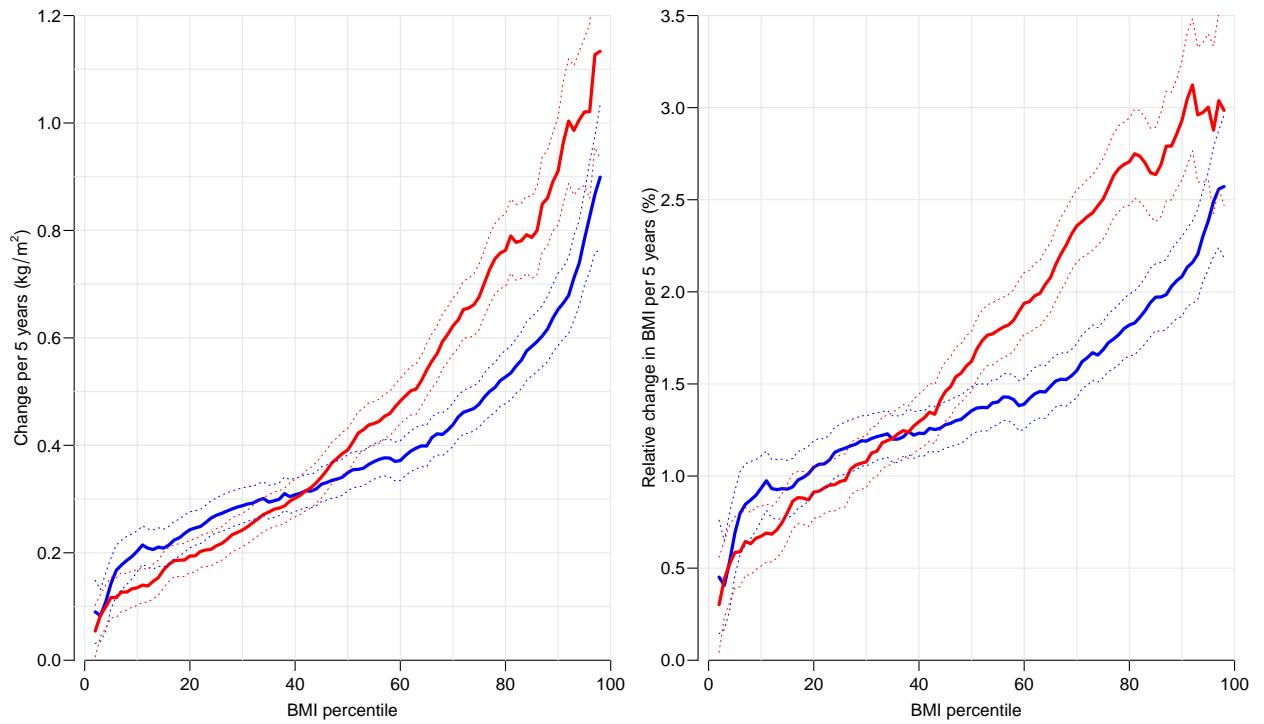


Figure 1.3: Absolute (left) and relative (right) changes in quantiles of the BMI-distribution by time (date of birth / calendar time). Estimates are from separate models for each percentile from 2 to 98. There are no constraints on the models that require these estimates to be positive, nor increasing by percentile.

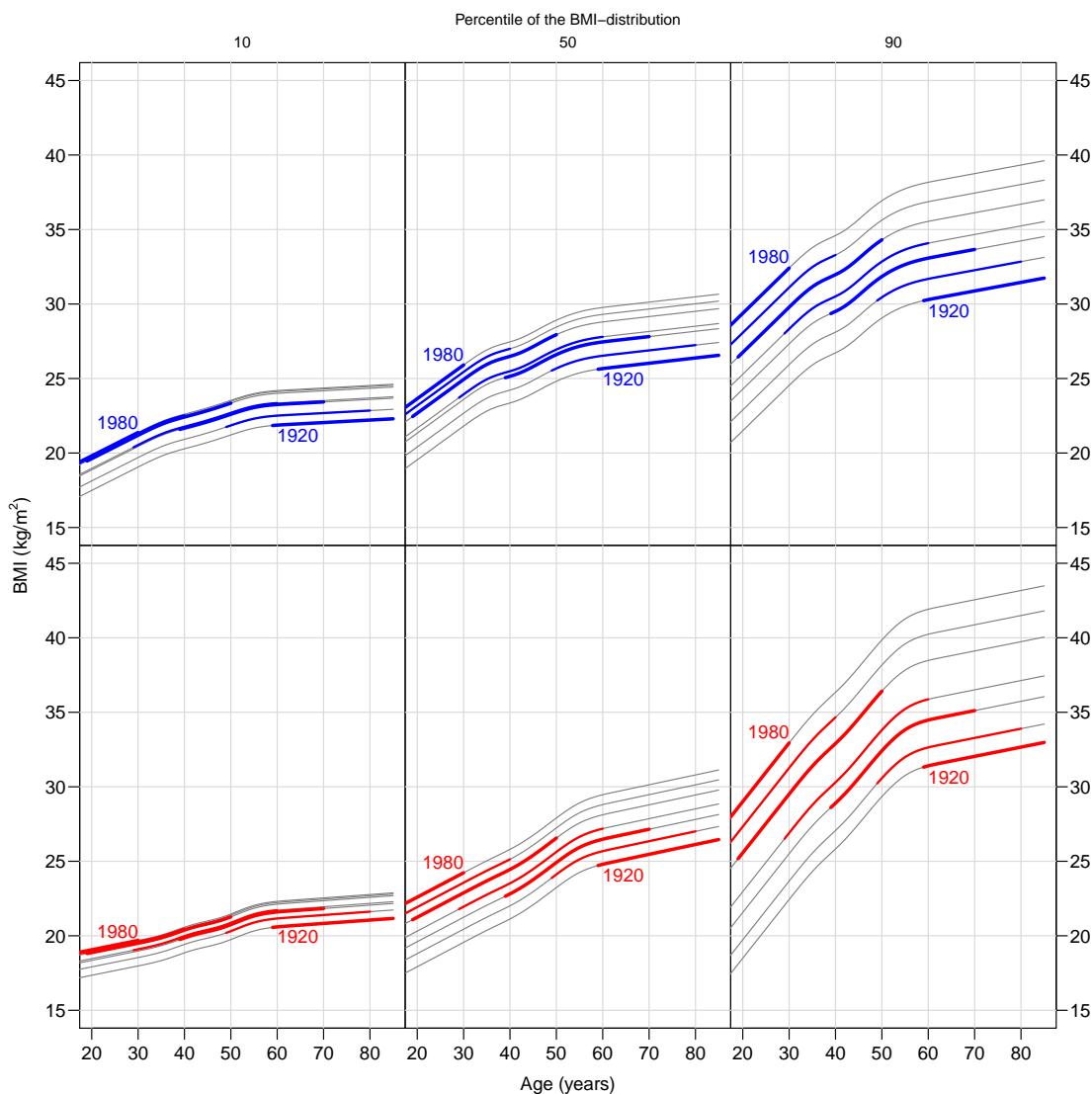


Figure 1.4: *Estimated age-specific BMI-quantiles for cohorts 1920, 1930, ..., 1980.*

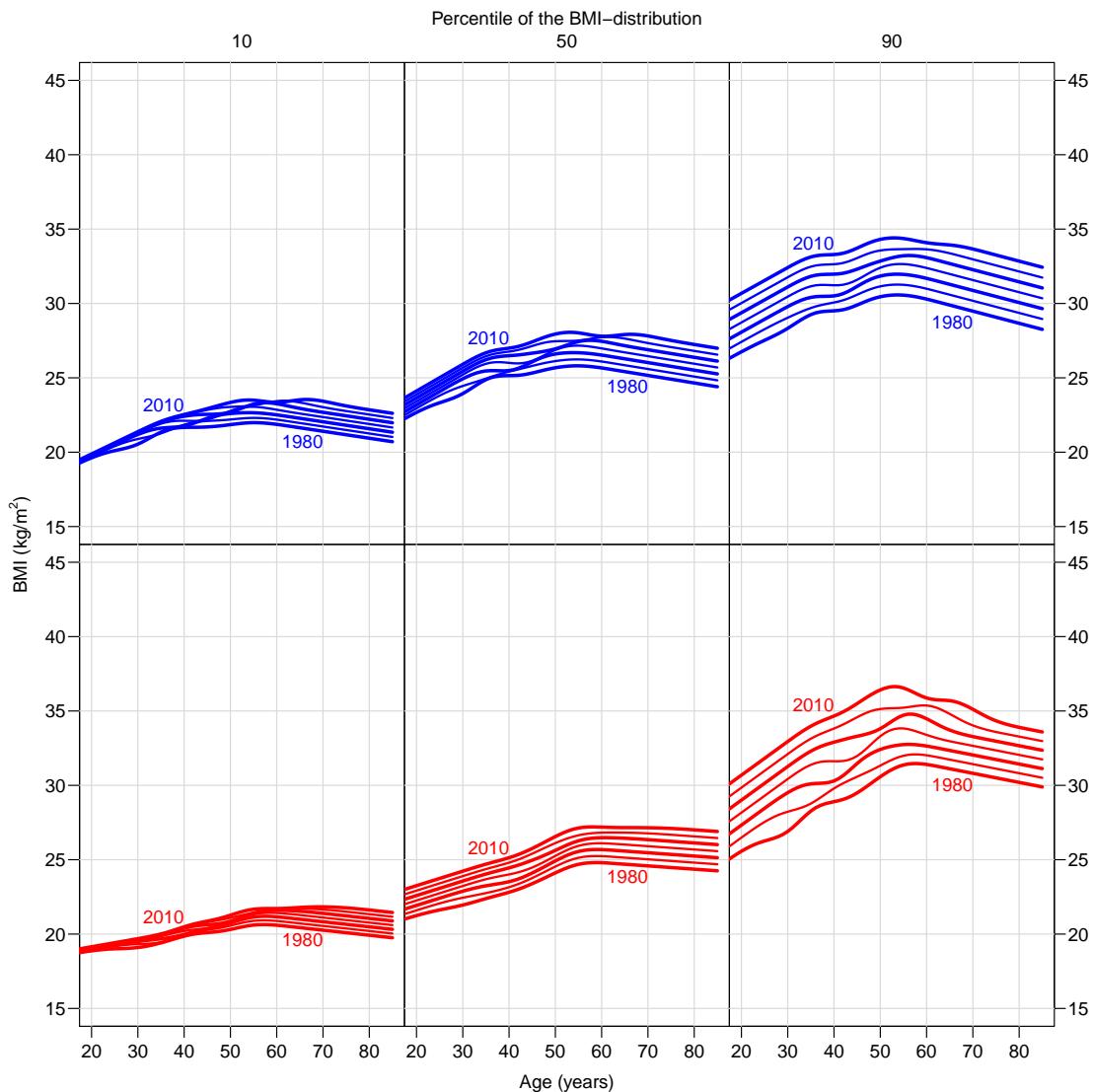


Figure 1.5: *Estimated age-specific BMI-quantiles at dates 1980, 1985, ..., 2010.*

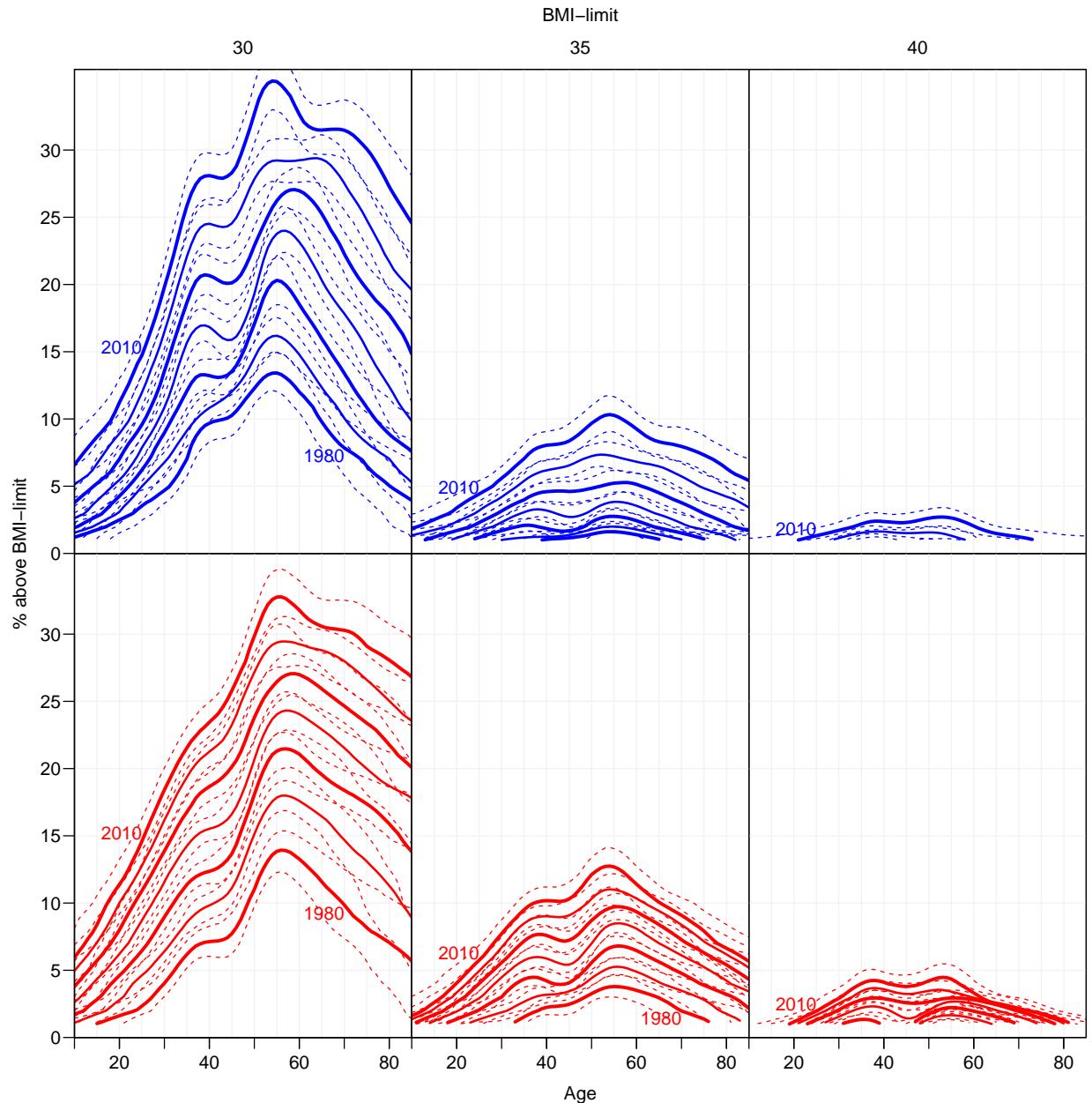


Figure 1.6: Fraction of persons that exceed BMI 30, 35 and 40 at the dates 1980, 1985, ..., 2010, as a function of age. Blue curves are for males, red for females. Full curves shows the median from a bootstrap sample of 1000, dotted curves the 95% confidence intervals.

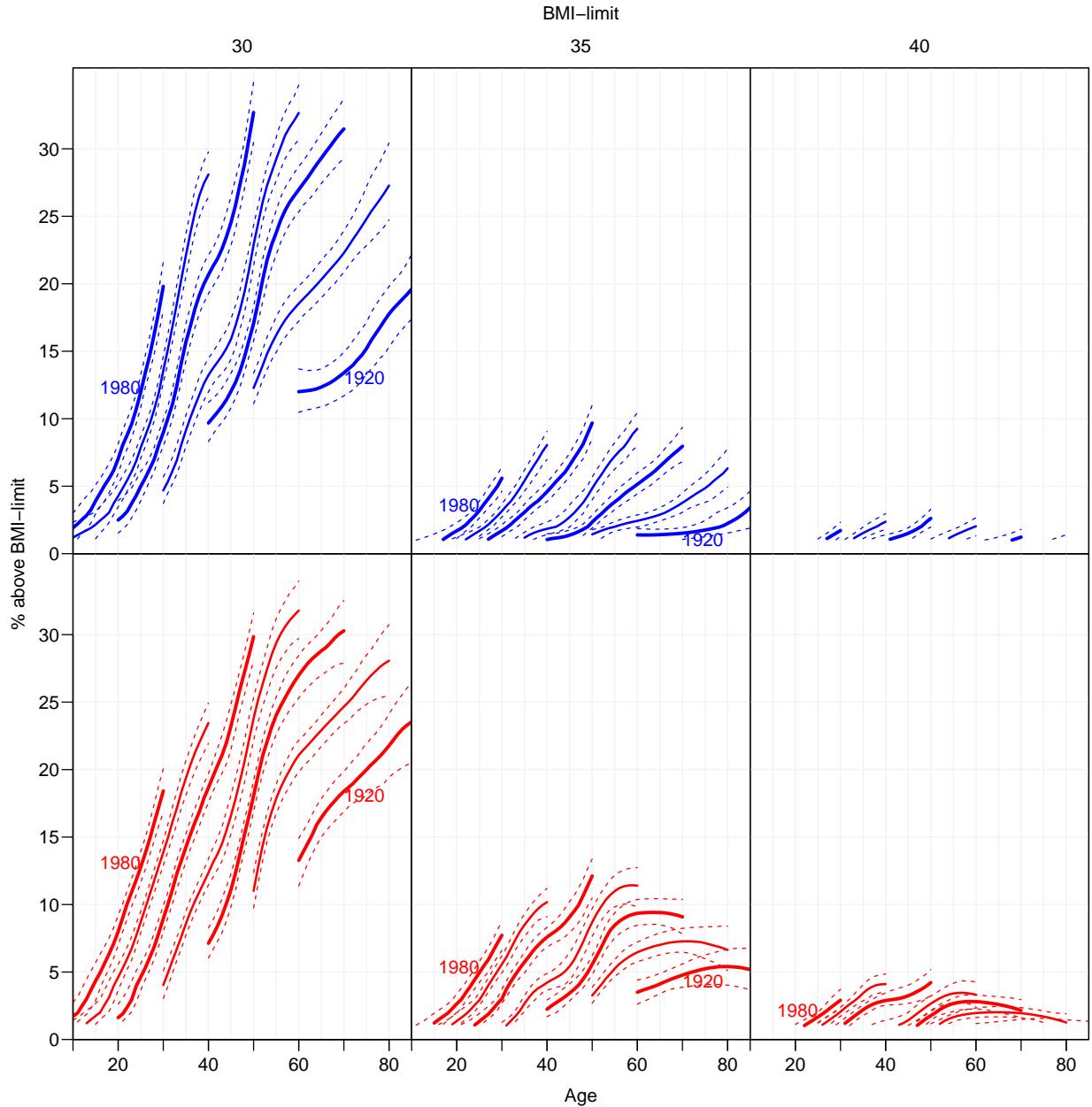


Figure 1.7: Fraction of persons that exceed BMI 30, 35 and 40 from birth cohorts 1920, 1930, ..., 1980, as a function of age. Blue curves are for males, red for females. Full curves shows the median from a bootstrap sample of 1000, dotted curves the 95% bootstrap confidence intervals.

The median BMI in the 1950 birth cohort is well below 30 throughout life and the increase in BMI for the leanest half of the population is moderate, but certainly not non-existing. The leanest quarter of the population has a BMI well below 25 throughout life, and the increase in BMI is only slightly more than 1% per 5 years.

Thus it is clear that the obesity increase is primarily in the upper part of the BMI distribution, meaning that the distribution of BMI is becoming increasingly skew, and that obesity problems can be expected to be increasingly severe in the most obese part of the population.

It should also be noticed that the leveling off of the BMI percentiles after age 50–60 to some extent may be attributable to excess mortality among the most obese, thus masking the obesity problems somewhat in older ages.

Chapter 2

Data sources for BMI trends

There are several sources of BMI data, and we shall derive a dataset with the following variables from all of the six surveys:

<code>sex</code>	sex (M,F)
<code>dob</code>	date of birth
<code>dos</code>	date of survey
<code>bmi</code>	measured BMI (kg/m^2)
<code>ht</code>	measured height (m)
<code>wt</code>	measured weight (kg)
<code>edu</code>	education (<code>hi</code> =high school completed, <code>lo</code> =not)
<code>smk</code>	smoking status (<code>cur</code> =current smoker, <code>non</code> =non-smoker)
<code>aus</code>	Australia born (<code>yes</code> , <code>no</code>)

The names of variables and codings of them are slightly different, so reading data from each survey requires its own piece of code, and in the log we will make tables that show how the original variables from the surveys are transformed to the variables that we will be using for the analyses.

We shall exclude persons with weight outside the range 40–140 kg and height outside range 145–200 cm, and since we are generating some random dates, we also explicitly set a seed to make sure that everything is exactly reproducible:

```
> w.lo <- 40
> w.hi <- 140
> h.lo <- 145
> h.hi <- 200
> set.seed( 1328765 )
> options( width=90 )
> library( Epi )
> library( foreign )
```

2.0.4 Random dates

Some of the surveys do not have a survey date for each participant, but instead of assigning everyone in the survey a fixed data in the middle of the survey period, we have chosen to assign survey participants a random date, uniformly distributed over the survey period.

2.1 RFPS - Risk factor prevalence surveys

These are three surveys done in 1980, 1983 and 1990, with different variable names and and -codings.

2.1.1 RFPS 1980

First we read the data from 1980 survey:

```
> rfps <- read.spss( file="rfps/RFPS1980.sav", to.data.frame=TRUE )
> names( rfps )
```

```
[1] "centre"      "id"        "card1"      "rollsex"    "rollage"    "esd"        "q01day"
[8] "q01mnth"    "q01yr"     "q02"       "day"        "mnth"      "yr"         "q03"
[15] "q04"         "q05"       "q06"       "q0701"    "q0702"    "q0703"    "q0704"
[22] "q0705"       "q0706"    "q0707"    "q0708"    "q08"       "q09"       "q1001"
[29] "q1002"       "q1101"    "q1102"    "q1103"    "q1104"    "q1105"    "q1106"
[36] "q1107"       "q12"       "q13"       "q14"       "q15"       "q16"       "q17"
[43] "q18"         "q19"       "q20"       "q21"       "q22"       "q23"       "q24"
[50] "card2"       "q25"       "q2601"    "q2602"    "q2701"    "q2702"    "q2801"
[57] "q2802"       "q2803"    "q29"       "q30"       "q31"       "q32"       "q3301"
[64] "q3302"       "q3303"    "q3304"    "q3305"    "q3306"    "q3307"    "q3308"
[71] "q3401"       "q3402"    "q35"       "q36"       "q37"       "q38"       "q39"
[78] "q40"         "q41"       "q42"       "q4301"   "q4302"    "q4303"    "q4304"
[85] "q4305"       "q4306"    "q4307"    "q44"       "q45"       "q46"       "q47"
[92] "q48"         "card3"    "q49"       "q50"       "q51"       "q5201a"   "q5201b"
[99] "q5202a"     "q5202b"   "q5203a"   "q5203b"   "q5204a"   "q5204b"   "q5205a"
[106] "q5205b"     "q5206a"   "q5206b"   "q5301a"   "q5301b"   "q5302a"   "q5302b"
[113] "q5303a"     "q5303b"   "q5304a"   "q5304b"   "q5305a"   "q5305b"   "q5306a"
[120] "q5306b"     "q54"       "card4"    "q55"       "q5601"    "q5602"    "q5603"
[127] "q5604"       "q5605"    "q5606"    "q5607"    "q5608"    "q5609"    "q5610"
[134] "q5611"       "q5612"    "height"   "weight"   "sys1"     "sys2"     "dia1"
[141] "dia2"        "pulse"    "response" "card5"    "rose01"   "rose02"   "rose03"
[148] "rose04"      "rose05"    "rose0601" "rose0602" "rose0603" "rose0604" "rose0605"
[155] "rose07"      "rose08"    "rose09"   "rose1001" "rose1002" "card6"    "serchol"
[162] "hdlchol"     "triglyc"  "daystoba" "popn"     "samplen"  "age"      "bthplace"
[169] "fastflag"
```

```
> sex <- factor( rfps$rollsex, labels=c("M", "F") )
> table( rollsex=rfps$rollsex, sex, exclude=NULL )
```

rollsex	M	F	<NA>
1	2764	0	0
2	0	2839	0
<NA>	0	0	0

```
> dob <- with( rfps, cal.yr( as.Date(paste("19",q01yr,"-",q01mnth,"-",q01day,sep="")) ) )
> dos <- with( rfps, cal.yr( as.Date(paste("19",yr,"-",mnth,"-",day,sep="")) ) )
> ht  <- rfps$height/100
> wt  <- rfps$weight
> bmi <- wt/ht^2
> edu <- factor( rfps$q06>=4, labels=c("lo", "hi") )
> table( q06=rfps$q06, edu, exclude=NULL )
```

```

edu
q06    lo   hi <NA>
 1     21   0   0
 2     832   0   0
 3    1914   0   0
 4      0 1703   0
 5      0 1133   0
<NA>     0   0   0

> smk <- factor( rfps$q49==1 & rfps$q51==8888, labels=c("non","cur") )
> ftable( table( q51=rfps$q51, smk, q49=rfps$q49 )[-(10:330),], row.vars=1 )

      smk  non      cur
      q49    1     2     1     2
q51
34       1     0     0     0
38       2     0     0     0
39       1     0     0     0
40       2     0     0     0
42       1     0     0     0
44       1     0     0     0
45       7     0     0     0
46       2     0     0     0
48       1     0     0     0
1276      4     0     0     0
1277      2     0     0     0
1278      5     0     0     0
1279     10     0     0     0
8888      0     0 1803   0
9999      2     0     0     0

> aus <- factor( rfps$q04<=8, labels=c("no","aus") )
> table( q04=rfps$q04, aus )

aus
q04    no  aus
 1     0 1104
 2     0  591
 3     0  624
 4     0  517
 5     0  513
 6     0  626
 7     0   2
 8     0   4
 9    70   0
10   657   0
11   292   0
12   363   0
13   170   0
14    50   0
15     1   0
16     8   0
17     5   0
18     6   0

> d1 <- data.frame( sex, dob, dos, bmi, ht, wt, edu, smk, aus, srv="RFPS1980" )
> str( d1 )

```

```
'data.frame':      5603 obs. of  10 variables:
 $ sex: Factor w/ 2 levels "M","F": 1 2 1 1 2 2 2 1 1 2 ...
 $ dob:Classes 'cal.yr', 'numeric' num [1:5603] 1926 1935 1938 1955 1926 ...
 $ dos:Classes 'cal.yr', 'numeric' num [1:5603] 1980 1980 1980 1981 1980 ...
 $ bmi: num  31.7 24.2 25.2 24.5 32.1 ...
 $ ht : num  1.73 1.7 1.78 1.85 1.72 1.6 1.53 1.73 1.76 1.61 ...
 $ wt : num  95 70 80 84 95 61 50 66 86 56 ...
 $ edu: Factor w/ 2 levels "lo","hi": 2 2 2 2 1 2 1 2 2 2 ...
 $ smk: Factor w/ 2 levels "non","cur": 2 2 1 2 1 1 1 1 1 1 ...
 $ aus: Factor w/ 2 levels "no","aus": 1 2 2 2 2 2 2 2 2 2 ...
 $ srv: Factor w/ 1 level "RFPS1980": 1 1 1 1 1 1 1 1 1 1 ...

> head( d1 )

  sex      dob      dos      bmi      ht wt edu smk aus      srv
1   M 1925.992 1980.368 31.74179 1.73 95  hi cur  no RFPS1980
2   F 1935.027 1980.382 24.22145 1.70 70  hi cur  aus RFPS1980
3   M 1938.175 1980.385 25.24934 1.78 80  hi non  aus RFPS1980
4   M 1955.328 1980.502 24.54346 1.85 84  hi cur  aus RFPS1980
5   F 1925.795 1980.346 32.11195 1.72 95  lo non  aus RFPS1980
6   F 1946.315 1980.382 23.82812 1.60 61  hi non  aus RFPS1980
```

2.1.2 RFPS1983

```
> rfps <- read.spss( file="rfps/RFPS1983.sav", to.data.frame=TRUE )
> names( rfps )
```

```
[1] "place"     "id"        "card1"      "sex"        "agegp"      "subdiv"      "q1day"      "q1mth"
[9] "q1yr"      "q2"        "dateday"    "datemth"    "dateyr"     "q3"         "q4"         "q5"
[17] "q6"        "q7a"       "q7b"        "q7c"        "q7d"        "q7e"        "q7f"        "q7g"
[25] "q7h"      "q8"        "q9"        "q10"        "q11a"       "q11b"       "q11c"       "q11d"
[33] "q11e"      "q11f"      "q12"        "q13"        "q14"        "q15"        "q16"        "q17"
[41] "q18"        "q19a"      "q19b"      "q20a"      "q20b"      "q21a"      "q21b"      "q21c"
[49] "q22"        "q23"       "q24"       "seq1"       "card2"      "q25a"      "q25b"      "q25c"
[57] "q26a"      "q26b"      "q27a"      "q27b"      "q28a"      "q28b"      "q28c"      "q29"
[65] "q30"        "q31mth"    "q31yr"     "q32a"      "q32b"      "q32c"      "q32d"      "q33a"
[73] "q33b"      "q33c"      "q33d"      "q34"       "q35mth"    "q35yr"     "q36"       "q37"
[81] "q38"        "q39a"      "q39b"      "q39c"      "q39d"      "q39e"      "q39f"      "q39g"
[89] "q39h"      "seq2"       "card3"     "q40a"      "q40b"      "q40c"      "q40d"      "q40e"
[97] "q40f"      "q40g"      "q40h"      "q40i"      "q40j"      "q40k"      "q40l"      "weight"
[105] "height"    "arm1"      "arm2"      "bpobs"     "sphygmo"    "sys1"      "dias1"     "sys2"
[113] "dias2"    "fasted"    "est1982"   "obsno"     "var362"     "var363"     "var364"     "var365"
[121] "var366"    "var367"    "var368"    "var369"    "var370"     "var371"     "var372"     "seq3"
[129] "card4"     "totchol"   "hdlchol"   "triglyc"   "glucose"   "gamma"     "var431"     "var432"
[137] "var433"    "var434"    "var435"    "var436"    "seq4"      "bmi"       "bmicat"
```

```
> sex <- factor( 1+(rfps$sex %in% c("FEMALE", "CODED MALE, BUT PROB FEMALE")),
+                  labels=c("M","F") )
> table( sex=rfps$sex, sex, exclude=NULL )
```

sex	sex		
	M	F	<NA>
MALE	3735	0	0
FEMALE	0	3863	0
CODED MALE, BUT PROB FEMALE	0	12	0
CODED FEMALE, BUT PROB MALE	5	0	0
<NA>	0	0	0

```
> dob <- with( rfps, cal.yr( as.Date(paste("19",q1yr,"-",q1mth,"-",q1day,sep="")) ) )
> dos <- with( rfps, cal.yr( as.Date(paste("19",dateyr,"-",datemth,"-",dateday,sep="")) ) )
> ht <- rfps$height/100
> wt <- rfps$weight
> bmi <- wt/ht^2
> edu <- factor( rfps$q6>=4, labels=c("lo","hi") )
> table( q6=rfps$q6, edu, exclude=NULL )
```

	edu		
q6	lo	hi	<NA>
1	24	0	0
2	844	0	0
3	2346	0	0
4	0	2597	0
5	0	1803	0
<NA>	0	0	1

```
> smk <- factor( rfps$q29==1 & is.na(rfps$q31yr), labels=c("non","cur") )
> ftable(q31yr=rfps$q31yr, smk, q29=rfps$q29, row.vars=1, exclude=NULL )
```

q31yr	smk	non		cur		NA		smk	non		cur		NA	
		q29	1	2	NA	1	2		1	2	NA	1	2	NA
40		3	0	0	0	0	0		0	0	0	0	0	0
42		1	0	0	0	0	0		0	0	0	0	0	0
43		2	0	0	0	0	0		0	0	0	0	0	0
44		4	0	0	0	0	0		0	0	0	0	0	0
45		4	0	0	0	0	0		0	0	0	0	0	0
46		6	0	0	0	0	0		0	0	0	0	0	0
47		3	0	0	0	0	0		0	0	0	0	0	0
48		6	0	0	0	0	0		0	0	0	0	0	0
49		5	0	0	0	0	0		0	0	0	0	0	0
50		18	0	0	0	0	0		0	0	0	0	0	0
51		7	0	0	0	0	0		0	0	0	0	0	0
52		5	0	0	0	0	0		0	0	0	0	0	0
53		13	0	0	0	0	0		0	0	0	0	0	0
54		5	0	0	0	0	0		0	0	0	0	0	0
55		10	0	0	0	0	0		0	0	0	0	0	0
56		16	0	0	0	0	0		0	0	0	0	0	0
57		17	0	0	0	0	0		0	0	0	0	0	0
58		26	0	0	0	0	0		0	0	0	0	0	0
59		6	0	0	0	0	0		0	0	0	0	0	0
60		39	0	0	0	0	0		0	0	0	0	0	0
61		10	0	0	0	0	0		0	0	0	0	0	0
62		22	0	0	0	0	0		0	0	0	0	0	0
63		50	0	0	0	0	0		0	0	0	0	0	0
64		20	0	0	0	0	0		0	0	0	0	0	0
65		34	0	0	0	0	0		0	0	0	0	0	0
66		26	0	0	0	0	0		0	0	0	0	0	0
67		26	0	0	0	0	0		0	0	0	0	0	0
68		47	0	0	0	0	0		0	0	0	0	0	0
69		35	0	0	0	0	0		0	0	0	0	0	0
70		85	0	0	0	0	0		0	0	0	0	0	0
71		49	0	0	0	0	0		0	0	0	0	0	0
72		46	0	0	0	0	0		0	0	0	0	0	0
73		90	0	0	0	0	0		0	0	0	0	0	0
74		59	0	0	0	0	0		0	0	0	0	0	0
75		65	0	0	0	0	0		0	0	0	0	0	0
76		78	0	0	0	0	0		0	0	0	0	0	0
77		68	0	0	0	0	0		0	0	0	0	0	0
78		126	0	0	0	0	0		0	0	0	0	0	0
79		88	0	0	0	0	0		0	0	0	0	0	0

```

80      94    0    0    0    0    0    0    0    0
81     107    0    0    0    0    0    0    0    0
82     151    0    0    0    0    0    0    0    0
83     189    0    0    0    0    0    0    0    0
NA      0 3597    0 2257    0    0    0    0    0

```

```

> aus <- factor( rfps$q4<=8, labels=c("no", "aus") )
> table( q4=rfps$q4, aus )

```

q4	aus	no	aus
1	no	0	1411
2	no	0	742
3	no	0	771
4	no	0	670
5	no	0	997
6	no	0	770
7	no	0	7
8	no	0	4
9	no	2	0
11	no	5	0
12	no	107	0
15	no	706	0
16	no	26	0
17	no	135	0
18	no	34	0
19	no	27	0
20	no	23	0
21	no	19	0
22	no	8	0
23	no	22	0
24	no	67	0
25	no	32	0
26	no	64	0
27	no	60	0
28	no	10	0
29	no	38	0
30	no	117	0
31	no	243	0
32	no	31	0
33	no	4	0
34	no	7	0
35	no	88	0
36	no	22	0
40	no	2	0
42	no	17	0
43	no	14	0
44	no	19	0
45	no	6	0
46	no	46	0
47	no	14	0
49	no	2	0
50	no	8	0
51	no	2	0
52	no	1	0
53	no	2	0
55	no	28	0
56	no	23	0
57	no	3	0
58	no	7	0
59	no	15	0
60	no	12	0
61	no	2	0
63	no	3	0

```

64     2     0
65     6     0
66    13     0
70    70     0
80     4     0
81     4     0
82    12     0
83     8     0

> d2 <- data.frame( sex, dob, dos, bmi, ht, wt, edu, smk, aus, srv="RFPS1983" )
> str( d2 )

'data.frame':      7615 obs. of  10 variables:
$ sex: Factor w/ 2 levels "M","F": 2 1 1 1 2 2 1 2 1 2 ...
$ dob:Classes 'cal.yr', 'numeric' num [1:7615] 1956 1926 1931 1937 1930 ...
$ dos:Classes 'cal.yr', 'numeric' num [1:7615] 1983 1983 1983 1983 1983 ...
$ bmi: num  19.2 34.9 34 25.7 21.7 ...
$ ht : num  1.67 1.8 1.77 1.83 1.6 1.77 1.7 1.6 1.75 1.62 ...
$ wt : num  53.5 113.1 106.4 86.2 55.5 ...
$ edu: Factor w/ 2 levels "lo","hi": 2 2 2 2 2 1 2 1 2 1 ...
$ smk: Factor w/ 2 levels "non","cur": 2 1 2 2 1 1 1 1 1 1 ...
$ aus: Factor w/ 2 levels "no","aus": 2 2 2 1 2 2 2 2 2 2 ...
$ srv: Factor w/ 1 level "RFPS1983": 1 1 1 1 1 1 1 1 1 1 ...

> head( d2 )

  sex      dob      dos      bmi      ht      wt      edu      smk      aus      srv
1  F 1955.832 1983.374 19.18319 1.67  53.5  hi  cur  aus RFPS1983
2  M 1926.197 1983.358 34.90741 1.80 113.1  hi  non  aus RFPS1983
3  M 1931.391 1983.377 33.96214 1.77 106.4  hi  cur  aus RFPS1983
4  M 1936.768 1983.418 25.73980 1.83  86.2  hi  cur   no RFPS1983
5  F 1929.797 1983.361 21.67969 1.60  55.5  hi  non  aus RFPS1983
6  F 1941.526 1983.394 20.58795 1.77  64.5  lo  non  aus RFPS1983

```

2.1.3 RFPS1989

```

> rfpss <- read.spss( file="rfps/RFPS1989.sav", to.data.frame=TRUE )
> names( rfpss )

```

```

[1] "questno"   "ssdata"     "dob"        "sex"        "datecom"    "mstat"      "kid014"
[8] "fts1524"   "livearr"    "plobir"    "inoz"       "educlev"    "measrbp"    "measrbc"
[15] "highbp"    "angina"     "heart"     "stroke"     "highcol"    "hightri"    "bptabs"
[22] "bloodfat"  "tangina"    "tolddia"   "yeardia"   "sugurine"   "tolduri"    "treatdia"
[29] "treatyr"   "treatyp"    "ocpill"    "lengpill"  "pillnow"    "preg"       "vexer"
[36] "nvexer"    "tvexer"     "lvexer"    "nlvexer"   "wexer"     "nwexer"     "vtask"
[43] "nvtask"    "timetask"   "eversm"    "agesm"     "quitsm"    "brandq"     "rollq"
[50] "cigarq"    "pipeq"      "brand"     "roll"      "cigar"     "pipe"       "brandcig"
[57] "golow"     "alcohol"    "ndrinks"   "salt"      "usualdit"  "meatfat"    "fullmilk"
[64] "skim"      "lowfat"     "yoghurt"   "lowfatyo"  "cream"     "icecream"   "height"
[71] "weight"    "ftorpt"     "mainjob"   "fulltime"  "fulltimp"   "parttime"   "parttimp"
[78] "nowork"    "noworkp"    "home"      "homep"     "ftstu"     "ftstup"     "ptstu"
[85] "ptstup"    "ret"        "retp"      "unable"    "unablep"    "other"      "otherp"
[92] "grossinc"  "grosincp"  "inc"       "incp"      "mweight"   "mheight"   "waista"
[99] "waistb"    "hipa"       "hipb"      "bpobs"    "sphyg"     "ambtemp"   "bpsa"
[106] "bpda"      "bpsb"       "bpdb"      "fast"      "donor"     "donorwen"  "iron"
[113] "totchol"   "hdl"        "tri"       "PCODE"    "pop"       "n"         "wt"
[120] "agegp"    "born"      ""          ""          ""          ""          ""

```

```

> dob <- cal.yr(as.Date(paste(substr(as.character(rfps$dob),1,4),"19",
+                         substr(as.character(rfps$dob),5,6),sep=""),
+                         format="%d%m%Y"))
> dos <- cal.yr(as.Date(paste(substr(as.character(rfps$datecom),1,4),"19",
+                         substr(as.character(rfps$datecom),5,6),sep=""),
+                         format="%d%m%Y"))
> sex <- factor( 1+(rfps$sex=="Female"), labels=c("M","F") )
> table( sex=rfps$sex, sex )

      sex
sex      M   F
Male    4552 0
Female   0 4727

> ht  <- rfps$mheight/100
> wt  <- rfps$mweight/10
> bmi <- wt/ht^2
> edu <- factor( as.integer(rfps$educlev)>3, labels=c("lo","hi") )
> table( educlev=rfps$educlev, edu, exclude=NULL )

      edu
educlev      lo   hi <NA>
Never attended school  26   0   0
Primary school        796   0   0
Some high school     3233   0   0
Completed high school  0 2629   0
Tertiary institution    0 2595   0
<NA>                  0   0   0

> smk <- with( rfps, factor( quitsm==8888 & eversm=="Yes", labels=c("non","cur") ) )
> chktab <- addmargins( table( eversm=rfps$eversm,
+                               smk,
+                               quit=rfps$quitsm,
+                               exclude=NULL ),
+                               margin=c(1,3))
> ftable( chktab[,c(1:5,dim(chktab)[3]-5:0)], row.vars=2:1 )

      quit  41  42  44  45  46 1287 1288 1289 8888  NA  Sum
smk eversm
non Yes      1   1   2   1   1   23   20   1   0   0 2397
      No      0   0   0   0   0   0   0   0   0   0 4634 4634
      NA      0   0   0   0   0   0   0   0   0   0   0   0
      Sum     1   1   2   1   1   23   20   1   0 4634 7031
cur Yes      0   0   0   0   0   0   0   0   0   0 2235 2235
      No      0   0   0   0   0   0   0   0   0   0   0   0
      NA      0   0   0   0   0   0   0   0   0   0   0   0
      Sum     0   0   0   0   0   0   0   0   0 2235 2235
NA  Yes      0   0   0   0   0   0   0   0   0   0   13  13
      No      0   0   0   0   0   0   0   0   0   0   0   0
      NA      0   0   0   0   0   0   0   0   0   0   0   0
      Sum     0   0   0   0   0   0   0   0   0   0 13  13

> aus <- factor( rfps$plobir<=8, labels=c("no","aus") )
> print( addmargins( table( aus, plobir=rfps$plobir ), 2 ), zero.print="." )

```



```

> d3 <- data.frame( sex, dob, dos, bmi, ht, wt, edu, smk, aus, srv="RFPS1989" )
> str( d3 )

'data.frame':      9279 obs. of  10 variables:
$ sex: Factor w/ 2 levels "M","F": 1 1 1 1 1 1 1 1 1 ...
$ dob:Classes 'cal.yr', 'numeric' num [1:9279] 1963 1962 1964 1955 1954 ...
$ dos:Classes 'cal.yr', 'numeric' num [1:9279] 1990 1989 1989 1990 1990 ...
$ bmi: num  23.7 21 23.5 24.8 24.1 ...
$ ht : num  1.7 1.76 1.85 1.75 1.8 1.8 1.72 1.85 1.76 1.71 ...
$ wt : num  68.5 64.9 80.5 76 78 ...
$ edu: Factor w/ 2 levels "lo","hi": 1 2 2 2 2 2 1 2 2 2 ...
$ smk: Factor w/ 2 levels "non","cur": 2 2 2 1 1 1 2 1 2 1 ...
$ aus: Factor w/ 2 levels "no","aus": 2 2 2 2 2 2 2 2 2 1 ...
$ srv: Factor w/ 1 level "RFPS1989": 1 1 1 1 1 1 1 1 1 1 ...

> head( d3 )

  sex      dob      dos      bmi      ht      wt    edu   smk   aus     srv
1  M 1962.775 1989.532 23.70242 1.70  68.5  lo  cur  aus RFPS1989
2  M 1961.502 1989.455 20.95170 1.76  64.9  hi  cur  aus RFPS1989
3  M 1964.311 1989.425 23.52082 1.85  80.5  hi  cur  aus RFPS1989
4  M 1955.410 1989.562 24.81633 1.75  76.0  hi  non  aus RFPS1989
5  M 1953.540 1989.532 24.07407 1.80  78.0  hi  non  aus RFPS1989
6  M 1950.635 1989.428 23.14815 1.80  75.0  hi  non  aus RFPS1989

```

2.2 National Health/Nutrition Surveys

2.2.1 1995 Health Survey

We first read the data from the 1995 health survey (the NNS, that is the national nutrition survey):

```

> nns <- read.spss( file="nns95/nns95.sav", to.data.frame=TRUE )
> dim( nns )

```

```
[1] 13858 158
```

```
> names(nns)
```

```

[1] "randomid" "persnopl" "idp"      "sidp"      "hhtype"    "sex"       "marstat"
[8] "cob"       "yoarr"     "age"      "famrelcp"  "ffqflag"   "state"     "rrmaclas"
[15] "qlowcda"   "typoccp"   "nrperh"   "lansah"    "wcurstdy"  "schatt"    "wcomsesc"
[22] "aglftsch"  "empstat"   "umact"    "occa"     "hrswkd"   "nuwklfj"   "nfutempp"
[29] "incmsrc"   "gainchp"   "equivinc" "obsa"     "pwhrespa"  "pwhrespb"  "pwhrespc"
[36] "pwhrespd"  "pwhrespe"  "pwhrespf" "pwhrespg"  "pwhresph"  "pwhrespi"  "pwhrespj"
[43] "pwhrespk"  "pwhrespl"  "obsc"     "diettpe"   "foodinpd"  "wchange"   "reaswcha"
[50] "reaswchb"  "reaswchc"  "reaswchd" "reaswche"  "reaswchf"  "reaswchg"  "nofood"
[57] "accffq"    "mintake"   "dayofwee" "breastfd"  "tenergy"   "tprotein"  "ttotfat"
[64] "ttotsfat"  "ttotmfat"  "ttotpfat" "tcholest"  "ttotsugr"  "tstarch"   "tcarbohy"
[71] "tdfibre"   "tvitare"   "tvitapre" "tprovita"  "tthiamin"  "tribofla"  "tniacinp"
[78] "tniacind"  "tniacine"  "tfolate"  "tvitac"    "tcalcium"  "tphospho"  "tmagnesi"
[85] "tiron"     "tzinc"     "tpotassi" "talcohol"  "tmoistur"  "kprotein"  "ktotfat"
[92] "ktotsfat"  "ktotmfat"  "ktotpfat" "kcholest"  "ktotsugr"  "kstarch"   "kcarbohy"
[99] "kdfibre"   "kvitare"   "kvitapre" "kprovita"  "kthiamin"  "kribofla"  "kniacinp"

```

```
[106] "kniacind" "kniacine" "kfolate" "kvitac"   "kcalcium" "kphospho" "kmagnesi"
[113] "kiron"     "kzinc"    "kpottassi" "kalcohol"  "kmoistur"  "vegserve" "fruitsve"
[120] "selfhlth" "weighth"  "heighth"   "sasbw"    "rawbmih"   "wcursmk"  "wcursreg"
[127] "whesmreg" "physacti" "pregnant"  "medblpr"  "systave"  "diastave" "bpriskgr"
[134] "bprgint"   "notsecbp" "hyperten"  "hghtave"  "noheight" "personwt" "adchwt"
[141] "noweight"  "waistave" "hipave"    "nowaisth" "whratio"  "bodymixn" "bodyimage"
[148] "bmi4aust"  "zhtage"   "zwtage"   "zwtht"    "bmr"      "eibmr"    "ifiqwt"
[155] "ffqwt"     "famnop"   "iunop"    "pnop"
```

```
> # nns[1:10,c("sex", "age", "personwt", "hghtave", "rrmaclas", "wcomsesc")]
```

We only want to include persons from large cities:

```
> levels(nns$rrmaclas)
```

```
[1] "Not available"           "Capital city/other metro"
[3] "Large/small rural areas" "Other rural areas"
[5] "ACT/NT"                  "Brisbane"
[7] "Other QLD metro/rural centres"
```

```
> ( wh <- levels(nns$rrmaclas)[c(2,6)] )
```

```
[1] "Capital city/other metro" "Brisbane"
```

```
> nns <- subset( nns, rrmaclas %in% wh )
> with( nns, table(rrmaclas, exclude=NULL) )
```

rrmaclas	Not available	Capital city/other metro	Large/small rural areas
	0	6968	0
Other rural areas	0	ACT/NT	Brisbane
	0	0	1025
Other QLD metro/rural centres	0	<NA>	0

Then we create an age-variable which is uniformly distributed over the intervals:

```
> table( agr <- as.numeric( substr(nns$age,1,2) ), exclude=NULL )
```

2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19
93	106	119	118	106	100	98	105	101	98	85	109	77	81	78	78	77	85
20	25	30	35	40	45	50	55	60	65	70	75	80	<NA>				
578	688	711	704	560	563	481	420	407	430	350	209	178	0				

```
> age <- agr + runif(length(agr),0,1)*(1+4*(agr>19.5))
```

Then sex:

```
> sex <- factor( as.integer(nns$sex), labels=c("M","F") )
> table( nns$sex, sex, exclude=NULL )
```

	sex	
	M	F <NA>
Males	3810	0 0
Females	0 4183	0
<NA>	0 0	0

Then a random survey-date in the absence of a recorded one, the survey was conducted from February 1995 through March 1996, so we take the midpoints of these months as endpoints for the uniform distribution:

```
> dos <- 1995 + runif( length(age), 1.5/12, 14.5/12 )
> dob <- dos - age
```

Then we can compute the BMI and finalize the data frame:

```
> wt <- nns$personwt/10
> # hist(wt,breaks=0:200,col="black")
> ht <- nns$hghtave/10000
> # hist( ht*100, breaks=90:210,col="black")
> bmi <- wt/ht^2
> edu <- factor( as.integer(nns$wcomsesc)==2, labels=c("lo","hi") )
> table( wcomsesc=nns$wcomsesc, edu, exclude=NULL )
```

wcomsesc	edu		
	lo	hi	<NA>
Not applicable	3926	0 0	
Completed secondary school	0 2610	0	
Did not complete secondary school	1457	0 0	
<NA>	0 0	0	

Finally we construct the smoking and australian born variables:

```
> smk <- with( nns, factor( wcursmk=="Yes", labels=c("non","cur") ) )
> table( cursmk=nns$wcursmk, smk, exclude=NULL )
```

cursmk	non	cur	<NA>
Not applicable	1568	0 0	
Yes	0 1504	0	
No	4921	0 0	
<NA>	0 0	0	

```
> aus <- factor( nns$cob=="Australia", labels=c("no","aus") )
> table( cob=nns$cob, aus, exclude=NULL )
```

cob	aus		
	no	aus	<NA>
Australia	0 5863	0	
New Zealand	151	0 0	
UK & Ireland	847	0 0	
Italy	87	0 0	
Greece	45	0 0	
Other Southern Europe	107	0 0	
Western Europe	159	0 0	
Other Europe,USSR,Baltic	116	0 0	
Middle East	43	0 0	
Vietnam	38	0 0	
Other Southeast Asia	148	0 0	
Southern Asia	81	0 0	
Northeast Asia	92	0 0	
All other	216	0 0	
<NA>	0 0	0	


```
> match( c("RA2006CF", "SEX", "AGEPRSBN", "PHDKGWC", "PHDCMHCF",
+         "BMWEIGCF", "MEASWEIG", "BMHEIGCF", "MEASHEIG", "EDATTCF"),
+         names(bsp) )
```

```
[1] 10 343 114 134 137 136 323 139 324 133
```

```
> # Select persons from the major cities only
> bsp <- subset( bsp, RA2006CF=="Major cities of Australia" )
> dim( bsp )
```

```
[1] 14037 463
```

```
> sex <- factor( as.integer(bsp$SEX), labels=c("M", "F") )
> table( bsp$SEX, sex )
```

sex	M	F
Male	6638	0
Female	0	7399

We can now tease out the-5-year age-group, and then put in some bogus exact age — note the uneven lengths of the age-classes: ..., 10–15, 15–18, 18–25, 25–30, ...:

```
> agr <- as.numeric( substr( gsub("-", " ", bsp$AGEPRSBN ), 1, 2 ) )
> table( agr, exclude=NULL )
```

```
agr
 0    5   10   15   18   25   30   35   40   45   50   55   60   65   70   75   80   85
1052 827 876 640 986 927 1010 1204 1066 1026 886 819 789 596 454 408 288 183
<NA>
 0
```

```
> age <- agr + runif(nrow(bsp)) * (5+2*(agr==18)-2*(agr==15))
```

There are two different sets of height / weight variables, some are missing on some occasions, some on other, the variables BMWEIGCF and BMHEIGCF are self-reported so we do not use these, but the variables PHDKGWC and PHDCMHCF

```
> table( bsp$PHDKGWC, exclude=NULL )
```

0	1	40	41	42	43	44	45	46	47	48	49	50	51	52	53	54	55
3395	6	5	6	14	8	19	24	31	33	38	39	60	59	77	71	100	109
56	57	58	59	60	61	62	63	64	65	66	67	68	69	70	71	72	73
102	125	118	119	150	141	152	167	172	170	151	159	187	148	187	151	184	165
74	75	76	77	78	79	80	81	82	83	84	85	86	87	88	89	90	91
161	210	178	179	194	161	173	148	161	150	135	163	111	128	105	115	83	95
92	93	94	95	96	97	98	99	100	101	102	103	104	105	106	107	108	109
99	88	88	94	86	58	69	69	66	57	53	40	43	46	40	42	36	19
110	111	112	113	114	115	116	117	118	119	120	121	122	123	124	125	126	127
30	21	24	20	21	18	14	12	10	8	16	8	6	11	10	11	10	7
128	129	130	131	132	133	134	135	136	137	138	139	140	997	<NA>			
1	4	8	6	7	4	4	3	3	5	1	2	27	3120	0			

```
> table( bsp$PHDCMHCF, exclude=NULL )
```

0	1	145	146	147	148	149	150	151	152	153	154	155	156	157	158	159	160
3395	24	11	13	22	18	34	53	69	109	104	94	151	137	190	190	188	224
161	162	163	164	165	166	167	168	169	170	171	172	173	174	175	176	177	178
212	269	291	251	362	264	264	290	245	301	237	283	224	209	267	218	187	257
179	180	181	182	183	184	185	186	187	188	189	190	191	192	193	194	195	196
169	177	136	137	115	101	111	81	57	61	37	35	16	25	14	14	11	5
197	198	199	200	997	<NA>												
3	5	3	2	3065	0												

```
> addmargins( with( bsp, table( is.na(PHDKGWCF), MEASWEIG ) ) )
```

MEASWEIG			
	Not applicable	Measured	Measurement refused
FALSE	1052	9087	3693
Sum	1052	9087	3693
MEASWEIG			
	Measurement not taken for other reason		Sum
FALSE		205	14037
Sum		205	14037

```
> addmargins( with( bsp, table( is.na(PHDCMHCF), MEASHEIG ) ) )
```

MEASHEIG			
	Not applicable	Measured	Measurement refused
FALSE	1052	9159	3680
Sum	1052	9159	3680
MEASHEIG			
	Measurement not taken for other reason		Sum
FALSE		146	14037
Sum		146	14037

```
> ht <- bsp$PHDCMHCF/100
> wt <- bsp$PHDKGWC
> bmi <- wt/ht^2
> edu <- factor( as.integer(bsp$EDATTCF)==2, labels=c("lo","hi") )
> table( bsp$EDATTCF, age>15, exclude=NULL )
```

	FALSE	TRUE	<NA>
Not applicable	2755	0	0
Year 12 or equivalent	0	5935	0
Year 11 or equivalent	0	1277	0
Year 10 or equivalent	0	2359	0
Year 9 or equivalent	0	844	0
Year 8 or below including never attended school	0	866	0
Not stated	0	1	0
<NA>	0	0	0

```
> table( bsp$EDATTCF, edu, exclude=NULL )
```

	edu		
	lo	hi	<NA>
Not applicable	2755	0	0
Year 12 or equivalent	0	5935	0
Year 11 or equivalent	1277	0	0
Year 10 or equivalent	2359	0	0
Year 9 or equivalent	844	0	0
Year 8 or below including never attended school	866	0	0
Not stated	1	0	0
<NA>	0	0	0

We construct current smoking status and Australian born:

```
> smk <- with( bsp, factor( SMKSTAT %in% levels(SMKSTAT) [2:4], labels=c("non", "cur") ) )
> table( bsp$SMKSTAT, smk, exclude=NULL )
```

	smk		
	non	cur	<NA>
Not applicable	2755	0	0
Current smoker daily	0	1961	0
Current smoker weekly (at least once a week but not daily)	0	162	0
Current smoker less than weekly	0	45	0
Ex-smoker	3319	0	0
Never smoked	5795	0	0
<NA>	0	0	0

```
> levels( bsp$COBCODBC ) <- substr( levels( bsp$COBCODBC ), 1, 31 )
> aus <- with( bsp, factor( COBCODBC=="Australia", labels=c("no", "aus") ) )
> table( bsp$COBCODBC, aus, exclude=NULL )
```

	aus		
	no	aus	<NA>
Australia	0	10165	0
Main English speaking countries	1405	0	0
Other	2467	0	0
<NA>	0	0	0

We then make a continuous version of the data for age and date of survey; there is no specific survey date given for the individuals, so we assign a random date in the survey period 15 August 2007 to 15 July 2008:

```
> dos <- cal.yr("2007-08-01") + runif( nrow(bsp), 0, 11/12 )
> dob <- dos - age
> n8 <- data.frame( sex, dob, dos, bmi, ht, wt, edu, smk, aus, srv="NHS2008" )
> head( n8 )
```

sex	dob	dos	bmi	ht	wt	edu	smk	aus	srv
1 F	1955.647	2007.763	10.03009	9.97	997	lo	non	aus	NHS2008
2 F	1947.763	2008.484	10.03009	9.97	997	lo	non	aus	NHS2008
3 F	1953.283	2008.196	10.03009	9.97	997	lo	cur	aus	NHS2008
4 F	1938.950	2008.147	22.37568	1.61	58	lo	non	no	NHS2008
5 M	1935.839	2008.292	10.03009	9.97	997	lo	cur	aus	NHS2008
6 M	1947.088	2008.166	38.06228	1.70	110	lo	non	no	NHS2008

```
> summary(n8 )
```

sex	dob	dos	bmi	ht	
M:6638	Min. :1918	Min. :2008	Min. : 0.4	Min. :0.000	
F:7399	1st Qu.:1953	1st Qu.:2008	1st Qu.: 10.0	1st Qu.:1.490	
	Median :1970	Median :2008	Median : 23.8	Median :1.680	
	Mean :1970	Mean :2008	Mean : 1277.6	Mean :3.085	
	3rd Qu.:1989	3rd Qu.:2008	3rd Qu.: 28.2	3rd Qu.:1.850	
	Max. :2008	Max. :2008	Max. :860000.0	Max. :9.970	
			NA's :3395		
	wt	edu	smk	aus	
	Min. : 0.0	lo:8102	non:11869	no : 3872	NHS2008:14037
	1st Qu.: 47.0	hi:5935	cur: 2168	aus:10165	
	Median : 75.0				
	Mean :262.8				
	3rd Qu.:107.0				
	Max. :997.0				

2.3 AUSDiab baseline survey (2000)

```
> ad <- read.dta( "ausdiab/AusDiabBase.dta")
> names( ad )
```

[1]	"id"	"drsex_00"	"drdate_00"
[4]	"drage_00"	"agegrp_00"	"drdob_00"
[7]	"drhrs_00"	"drdiab_00"	"drtrt_00"
[10]	"diabstat_00"	"drpreg_00"	"drurine_00"
[13]	"drfastgl_00"	"drgluclo_00"	"drglucti_00"
[16]	"dr2hour_00"	"dr2hourt_00"	"drwhobsi_00"
[19]	"drwaist1_00"	"drhip1_00"	"drwaist2_00"
[22]	"drhip2_00"	"drwaist3_00"	"drhip3_00"
[25]	"drheight_00"	"drweight_00"	"drbioobs_00"
[28]	"bioweigh_00"	"drimped_00"	"drfatper_00"
[31]	"drfatmas_00"	"drlbm_00"	"drtbw_00"
[34]	"drbpobsi_00"	"drpulse_00"	"drsyst1_00"
[37]	"drdiast1_00"	"drsyst2_00"	"drdiast2_00"
[40]	"drsyst3_00"	"drdiast3_00"	"drecg_00"
[43]	"drsf36_00"	"drgenq_00"	"drgenqob_00"
[46]	"drhka_00"	"drhkaobs_00"	"drdietq_00"
[49]	"systolic_00"	"diastoli_00"	"choltabl_00"
[52]	"cd_area_00"	"cdcluste_00"	"state_00"
[55]	"systgrp_00"	"diastgrp_00"	"smokstat_00"
[58]	"waisttot_00"	"waistfe_00"	"waistma_00"
[61]	"waist_00"	"hip_00"	"bmi_00"
[64]	"bmigrp_00"	"site_no_00"	"duration_00"
[67]	"agebysex_00"	"type_00"	"obese_00"
[70]	"overweig_00"	"absagegp_00"	"absabys_00"
[73]	"wtdrclin_00"	"stratum_00"	"exercise_00"
[76]	"urbrural_00"	"wsr_00"	"wsrcat_00"
[79]	"wtonsite_05"	"wtehc_05"	"dr_genqu_00"
[82]	"q1_gende_00"	"q2_date__00"	"q3_livin_00"
[85]	"q4_schoo_00"	"q5_schoo_00"	"q6_quali_00"
[88]	"q7_highe_00"	"q8_educa_00"	"q9_natur_00"
[91]	"q10_moth_00"	"q10_don_00"	"q11_moth_00"
[94]	"q11_don_00"	"q12_moth_00"	"q13_diag_00"
[97]	"q14_natu_00"	"q15_fath_00"	"q15_don_00"
[100]	"q16_fath_00"	"q16_don_00"	"q17_fath_00"
[103]	"q18_diag_00"	"q19_gout_00"	"q20_angi_00"
[106]	"q20_coro_00"	"q20_stro_00"	"q21_bloo_00"
[109]	"q22_bloo_00"	"q23_tabl_00"	"q24_lose_00"
[112]	"q25_chol_00"	"q26_chol_00"	"q27_doc__00"
[115]	"q28_tabl_00"	"q29_alco_00"	"q30_heav_00"
[118]	"q31_alco_00"	"q32_drin_00"	"q33_alco_00"
[121]	"q34_numb_00"	"q35_cut__00"	"q36_crit_00"

[124]	"q37_bad__00"	"q38_hang_00"	"q39_alco_00"
[127]	"q40_smok_00"	"q41_smok_00"	"q41smday_00"
[130]	"q41smwk_00"	"q42_ciga_00"	"q42_cigd_00"
[133]	"q42_cigw_00"	"q43_pipe_00"	"q43_pipd_00"
[136]	"q43_pipw_00"	"q44_smok_00"	"q45_smok_00"
[139]	"q46_week_00"	"q46_mont_00"	"q46yrold_00"
[142]	"q46yrago_00"	"q47_age_00"	"q47norem_00"
[145]	"q48_yrsm_00"	"q49_trie_00"	"q50a_age_00"
[148]	"q50b_day_00"	"q50b_mon_00"	"q50b_wee_00"
[151]	"q50b_yea_00"	"q51_time_00"	"q52_walk_00"
[154]	"q52wkmin_00"	"q53_time_00"	"q54_hour_00"
[157]	"q54_minu_00"	"q55_time_00"	"q56_hour_00"
[160]	"q56_minu_00"	"q57_time_00"	"q58_hour_00"
[163]	"q58_minu_00"	"q59_time_00"	"q60_hour_00"
[166]	"q60_minu_00"	"q60b_typ_00"	"q61_monf_00"
[169]	"q61mfmin_00"	"q61_sats_00"	"q61ssmin_00"
[172]	"q62_inco_00"	"q63_inco_00"	"q64_join_00"
[175]	"q65_job__00"	"q66_asco_00"	"q68_asco_00"
[178]	"asco1_00"	"asco2_00"	"q67a_00"
[181]	"q67b_00"	"q67c_00"	"q67d_00"
[184]	"q67e_00"	"q67f_00"	"q67g_00"
[187]	"q67h_00"	"q67i_00"	"q69_oral_00"
[190]	"q70_cont_00"	"q71_taki_00"	"q72_hyst_00"
[193]	"q73_age__00"	"q74_remo_00"	"q75_meno_00"
[196]	"q76_meno_00"	"q77_estr_00"	"q78_taki_00"
[199]	"q79_ever_00"	"q80_firs_00"	"q81_how__00"
[202]	"q82_preg_00"	"q83_age__00"	"q84_test_00"
[205]	"q85_gest_00"	"q86_gest_00"	"q87_inte_00"
[208]	"q88_inte_00"	"q89_inte_00"	"tvtime_00"
[211]	"exertime_00"	"sdte_00"	"fbg_00"
[214]	"plg_00"	"creat_00"	"fibr_00"
[217]	"chol_00"	"hdl_00"	"ldl_00"
[220]	"ldl_hdl_00"	"trig_00"	"malb_00"
[223]	"malbstr_00"	"ucr_00"	"macr_00"
[226]	"macrstr_00"	"uprotein_00"	"uproteininstr_00"
[229]	"ua_00"	"egfr00"	"ckd00"
[232]	"selfreportdm_05"	"diabstat_05"	"drtrt_05"
[235]	"type_05"	"drdiab_05"	"attendeestatus_05"
[238]	"ehcq1aco_05"	"ehcq1b_05"	"ehcq1c_05"
[241]	"ehcq1d_05"	"ehcq2a_05"	"ehcq2b_05"
[244]	"ehcq2c_05"	"ehcq2d_05"	"ehcq2f_05"
[247]	"cleaningcomments_05"	"drgluclo_05"	"drhr_05"
[250]	"sdte_05"	"drhrs_05"	"Gribcm_2"
[253]	"Rg_cm_2"	"bp_cm_2"	"hw_cm_2"
[256]	"Attendee_status_05"	"sex_05"	"agebysex_05"
[259]	"dob"	"gender"	"drage_05"
[262]	"agegrp_05"	"drdate_05"	"Anthobid"
[265]	"bmi_05"	"bmigrp_05"	"drheight_05"
[268]	"drweight_05"	"drpreg_05"	"CDcluster_05"
[271]	"drbiowt_05"	"drbiocomp_05"	"drfatmas_05"
[274]	"drlbmm_05"	"drtbw_05"	"bpobid"
[277]	"drpulse_05"	"drgenq_05"	"drhka_05"
[280]	"drcompl_05"	"drsf36_05"	"drBWQ_05"
[283]	"drDrugq_05"	"drEHQ_051"	"drdiet_05"
[286]	"drUrine_05"	"drecg_05"	"drurbloo_05"
[289]	"drurleuk_05"	"drurnitr_05"	"drurprot_05"
[292]	"drhip1_05"	"drhip2_05"	"drhip3_05"
[295]	"hip_05"	"drwaist1_05"	"drwaist2_05"
[298]	"drwaist3_05"	"waist_05"	"waistfe_05"
[301]	"waistma_05"	"waistot_05"	"drsyst1_05"
[304]	"drsyst2_05"	"drsyst3_05"	"drdiast1_05"
[307]	"drdiast2_05"	"drdiast3_05"	"systgrp_05"
[310]	"diastgrp_05"	"hypprev_05"	"hypertrt_05"
[313]	"systolic_05"	"diastoli_05"	"fbg_05"
[316]	"plg_05"	"gibble_05"	"fibr_05"
[319]	"creatadj_05"	"ucr_05"	"ua_05"

```
[322] "malbstr_05"          "malb_05"           "macrstr_05"
[325] "macr_05"             "crpstr_05"        "crp_05"
[328] "uproteininstr_05"   "uprotein_05"      "egfr_05"
[331] "ckd_05"              "chol_05"          "hdl_05"
[334] "ldl_05"              "trig_05"          "cholprev_05"
[337] "hdlprev_05"          "ldlprev_05"       "trigprev_05"
[340] "lipidtot_05"         "comment_05"      "energy_00"
[343] "all_fat_00"          "satfat_00"        "death_st"
[346] "dod"                 "dead_10"          "fail_10"
[349] "dcod_07"              "fcod_07"          "CVD_D"
[352] "cod"                 "mcod1"            "mcod2"
[355] "mcod3"               "mcod4"            "mcod5"
[358] "mcod6"               "mcod7"            "mcod8"
[361] "mcod9"               "mcod10"           "mcod11"
[364] "mcod12"
```

```
> adet <- read.dta( "ausdiab/Ethnicity.dta")
> c( dim(ad), dim(adet) )
```

```
[1] 11247    364 11247     12
```

```
> intersect( names(ad), names(adet) )
```

```
[1] "id"
```

```
> ad <- merge( ad, adet )
> dim( ad )
```

```
[1] 11247    375
```

The coding of q5_schoo_00 is indeed a bit fishy, but the following tabulation shows that it is indeed the education variable as used below — the labelling has just been mixed up. “Overweight” (factor level 2) corresponds to “finished high school” (hi):

```
> table( ad$q5_schoo_00, exclude=NULL )
```

	Normal	Overweight	Obese	<NA>
0	5181	5997	69	

So there is no reason to panic over the strange labeling of this variable below.

```
> dim(ad)
```

```
[1] 11247    375
```

```
> table( ad$q5_schoo_00 )
```

	Normal	Overweight	Obese
0	5181	5997	

```
> str(ad[,c("drsex_00", "drage_00", "drweight_00", "drheight_00", "drdate_00", "urbrural_00", "q5_schoo_00")])
```

```
'data.frame':      11247 obs. of  7 variables:
 $ drsex_00    : Factor w/ 2 levels "Male","Female": 1 2 2 1 2 2 1 1 1 2 ...
 $ drage_00     : int  54 52 52 64 66 57 34 39 49 48 ...
 $ drweight_00: num  77.5 61.5 72.5 99.9 81.8 55.2 NA 84.5 70.7 60 ...
 $ drheight_00: num  176 167 164 187 178 ...
 $ drdate_00   : int  14374 14374 14374 14374 14374 14374 14374 14374 14374 14374 ...
 $ urbrural_00: Factor w/ 2 levels "capital city CD",...: 1 1 1 1 1 1 1 1 1 1 ...
 $ q5_schoo_00: Factor w/ 3 levels "Normal","Overweight",...: 2 3 3 2 2 2 3 2 2 3 ...
```

```
> # ad[1:10,c("drsex_00","drage_00","drweight_00","drheight_00","drdate_00","urbrural_00","q5_schoo_00")]
```

We then select only persons in the urban areas for the further analysis.

```
> with( ad, table(urbrural_00) )
```

urbrural_00	
capital city CD	6911
non-capital city CD	4336

```
> ad <- subset( ad, ad$urbrural_00=="capital city CD")
> dim( ad )
```

```
[1] 6911 375
```

```
> sex <- factor( as.integer( ad$drsex_00 ), labels=c("M","F") )
> table( ad$drsex_00, sex )
```

sex	M	F
Male	3150	0
Female	0	3761

```
> dos <- ad[,"drdate_00"]/365.25+1960
> age <- ad[,"drage_00"]+runif(nrow(ad),0,1)
> dob <- dos - age
> ht  <- ad$drheight_00/100
> wt  <- ad$drweight_00
> bmi <- wt/ht^2
> edu <- factor( as.integer(ad$q5_schoo_00)==2, labels=c("lo","hi") )
> table( ad$q5_schoo_00, edu, exclude=NULL )
```

edu	lo	hi	<NA>
Normal	0	0	0
Overweight	0	3529	0
Obese	3340	0	0
<NA>	0	0	42

```
> smk <- with( ad, factor( smokstat_00=="Current Smoker", labels=c("non","cur") ) )
> table( ad$smokstat_00, smk, exclude=NULL )
```

```

smk
  non cur <NA>
Current Smoker    0 979   0
Ex-smoker      1984 0   0
Non-smoker     3819 0   0
<NA>           0 0 129

> aus <- Relevel( ad$ethn6, list("aus"=1,"no"=2:6) )
> table( ad$ethn6, aus )

```

```

aus
  aus no
Aust/NZ        4870 0
Other English speaking 0 999
South Europe      0 295
Other Europe       0 252
Asia             0 417
Other             0 78

```

There seems to be no variable of the name `ethn6` in the dataset:

```
> names(ad)[grep( "e", names(ad) )]
```

```

[1] "drsex_00"          "drdate_00"         "drage_00"
[4] "agegrp_00"         "drpreg_00"         "drurine_00"
[7] "drheight_00"       "drweight_00"       "bioweigh_00"
[10] "drimped_00"        "drfatper_00"       "drpulse_00"
[13] "drecg_00"          "drgenq_00"          "drgenqob_00"
[16] "drdietetq_00"      "cd_area_00"        "cdcluste_00"
[19] "state_00"          "waistfe_00"        "site_no_00"
[22] "agebysex_00"       "type_00"           "obese_00"
[25] "overweig_00"       "absagegp_00"       "exercise_00"
[28] "wtonsite_05"       "wtehc_05"          "dr_genqu_00"
[31] "q1_gende_00"       "q2_date_00"        "q7_highhe_00"
[34] "q8_educa_00"       "q24_lose_00"       "q30_heav_00"
[37] "q43_pipe_00"       "q46_week_00"       "q47_age_00"
[40] "q47norem_00"       "q49_trie_00"       "q50a_age_00"
[43] "q50b_wee_00"       "q50b_yea_00"       "q51_time_00"
[46] "q53_time_00"       "q55_time_00"       "q57_time_00"
[49] "q59_time_00"       "q67e_00"            "q73_age_00"
[52] "q74_remo_00"       "q75_meno_00"       "q76_meno_00"
[55] "q77_estr_00"       "q79_ever_00"        "q82_preg_00"
[58] "q83_age_00"        "q84_test_00"        "q85_gest_00"
[61] "q86_gest_00"        "q87_inte_00"        "q88_inte_00"
[64] "q89_inte_00"        "tvtime_00"          "exertime_00"
[67] "sdte_00"            "creat_00"           "uprotein_00"
[70] "uproteininstr_00"  "egfr0"              "selfreportdm_05"
[73] "type_05"            "attendeestatus_05"  "ehcq1aco_05"
[76] "ehcq1b_05"          "ehcq1c_05"          "ehcq1d_05"
[79] "ehcq2a_05"          "ehcq2b_05"          "ehcq2c_05"
[82] "ehcq2d_05"          "ehcq2f_05"          "cleaningcomments_05"
[85] "sdte_05"             "Attendee_status_05" "sex_05"
[88] "agebysex_05"         "gender"             "drage_05"
[91] "agegrp_05"           "drdate_05"          "drheight_05"
[94] "drweight_05"         "drpreg_05"          "CDcluster_05"
[97] "drpulse_05"          "drgenq_05"          "drdiet_05"
[100] "drUrine_05"         "drecg_05"           "drurleuk_05"
[103] "waistfe_05"         "hypprev_05"         "hypertrt_05"
[106] "gribble_05"          "creatadj_05"         "uproteininstr_05"
[109] "uprotein_05"          "egfr_05"             "cholprev_05"
[112] "hdlprev_05"          "ldlprev_05"          "trigprev_05"
[115] "comment_05"          "energy_00"          "death_st"
[118] "dead_10"              "ethn6"                "europe"
[121] "cdcluste"            "state"

```

```
> names(ad)[grep( "b", names(ad) )]

[1] "drdob_00"      "drdiab_00"      "diabstat_00"   "drwhobsi_00"   "drbioobs_00"   "bioweigh_00"
[7] "drlbm_00"       "drtbw_00"       "drbpobsi_00"   "drgenqob_00"   "drhkaobs_00"   "choltabl_00"
[13] "bmi_00"         "bmigrp_00"     "agebysex_00"    "obese_00"      "absagegp_00"    "absabys_00"
[19] "urbrural_00"   "q21_bloo_00"   "q22_bloo_00"   "q23_tabl_00"   "q28_tabl_00"   "q34_numb_00"
[25] "q37_bad_00"    "q50b_day_00"   "q50b_mon_00"   "q50b_wee_00"   "q50b_yea_00"   "q60b_typ_00"
[31] "q65_job_00"    "q67b_00"       "fbg_00"        "fibr_00"       "malb_00"       "malbstr_00"
[37] "diabstat_05"   "drdiab_05"     "ehcq1b_05"     "ehcq2b_05"     "Gribcm_2"     "bp_cm_2"
[43] "agebysex_05"   "dob"          "Anthobid"      "bmi_05"       "bmigrp_05"     "drbiowt_05"
[49] "drbioimp_05"   "drlbm_05"      "drtbw_05"      "bpobid"       "drurbloo_05"   "fbg_05"
[55] "gibble_05"     "fibr_05"      "malbstr_05"   "malb_05"       "cob_gp2"      "cob_gp4"
[61] "cob_gp5"

> # aus <- factor( ad$ethn6=="Australia", labels=c("no","aus") )
> # table( ad$ethn6, aus, exclude=NULL )
>
> ad <- data.frame( sex, dob, dos, bmi, ht, wt, edu, smk, aus, srv="AusDiab" )
> head( ad )

  sex      dob      dos      bmi      ht      wt      edu      smk      aus      srv
1  M 1944.646 1999.354 25.01937 1.760 77.5  hi  non  no AusDiab
2  F 1946.379 1999.354 22.05170 1.670 61.5  lo  non  aus AusDiab
3  F 1946.432 1999.354 26.79207 1.645 72.5  lo  non  aus AusDiab
4  M 1934.874 1999.354 28.56816 1.870 99.9  hi  non  aus AusDiab
5  F 1932.413 1999.354 25.81745 1.780 81.8  hi  non  aus AusDiab
6  F 1941.967 1999.354 21.29547 1.610 55.2  hi  non  no AusDiab
```

The variable q5_schoo_00 looks fishy in its coding for using it as an education indicator:

```
> with( ad, tapply( bmi, edu, quantile, probs=0:5/5, na.rm=TRUE ) )

$lo
  0%      20%      40%      60%      80%      100%
15.23118 23.17740 25.51889 27.80099 30.86577 55.91479

$hi
  0%      20%      40%      60%      80%      100%
14.96094 22.41399 24.63795 26.64001 29.35547 59.39646
```

2.4 Merging all surveys

Once we have read in all the surveys we can stack them into one dataset:

```
> ABMI <- rbind( d1, d2, d3, n95, ad, n8 )
> summary( ABMI )

  sex      dob      dos      bmi      ht
M:24654  Min.   :1904  Min.   :1980  Min.   : 0.1  Min.   :0.000
F:26784  1st Qu.:1937  1st Qu.:1984  1st Qu.: 21.8  1st Qu.:1.591
          Median :1950  Median :1996  Median : 24.7  Median :1.672
          Mean   :1953  Mean   :1995  Mean   : 304.9  Mean   :2.062
          3rd Qu.:1965  3rd Qu.:2008  3rd Qu.: 27.9  3rd Qu.:1.760
          Max.   :2008  Max.   :2008  Max.   :860000.0  Max.   :10.000
          NA's   :5      NA's   :6      NA's   :3751  NA's   :134
      wt      edu      smk      aus      srv
Min.   : 0.0  lo   :26861  non :40350  no  :14453  RFPS1980: 5603
1st Qu.: 59.3  hi   :24534  cur  :10946  aus :36984  RFPS1983: 7615
Median : 71.0  NA's:   43  NA's: 142  NA's:     1  RFPS1989: 9279
Mean   :124.2
3rd Qu.: 84.0
Max.   :999.9
NA's   :203
```

```
> abmi <- ABMI[complete.cases(ABMI[,1:6]),]
> abmi$srv <- factor( abmi$srv )
> summary( abmi )

sex          dob        dos        bmi        ht
M:22866   Min.   :1904   Min.   :1980   Min.   : 0.1   Min.   :0.010
F:24813   1st Qu.:1936   1st Qu.:1984   1st Qu.: 21.8   1st Qu.:1.610
           Median :1949   Median :1995   Median : 24.7   Median :1.685
           Mean   :1949   Mean   :1994   Mean   : 304.9   Mean   :2.215
           3rd Qu.:1961   3rd Qu.:2001   3rd Qu.: 27.9   3rd Qu.:1.770
           Max.   :1994   Max.   :2008   Max.   :860000.0   Max.   :10.000
wt          edu        smk        aus        srv
Min.   : 1.00   lo  :23326   non :36726   no  :14041   RFPS1980: 5600
1st Qu.: 62.00  hi  :24327   cur  :10828   aus  :33637   RFPS1983: 7611
Median : 72.90 NA's:    26   NA's:   125   NA's:     1   RFPS1989: 9172
Mean   :133.45
3rd Qu.: 85.25
Max.   :999.90


```

2.4.1 Exclusions

We exclude persons under age 20 and outside the height and weight ranges:

```
> hw.ok <- with( abmi, ht > h.lo/100 & wt > w.lo &
+                  ht < h.hi/100 & wt < w.hi )
> a.ok <- with( abmi, dos-dob > 18 )
> with( abmi, ftable( addmargins( table( srv, hw.ok, a.ok, exclude=NULL ),
+                         margin=1 ),
+                         row.vars=1 ) )
```

srv	hw.ok FALSE		TRUE		NA					
	a.ok	FALSE	TRUE	NA	FALSE	TRUE	NA	FALSE	TRUE	NA
RFPS1980	0	25	0	0	5575	0	0	0	0	0
RFPS1983	0	39	0	0	7572	0	0	0	0	0
RFPS1989	0	36	0	0	9136	0	0	0	0	0
NNS1995	1013	117	0	531	6190	0	0	0	0	0
AusDiab	0	43	0	0	6760	0	0	0	0	0
NHS2008	0	3238	0	0	7404	0	0	0	0	0
NA	0	0	0	0	0	0	0	0	0	0
Sum	1013	3498	0	531	42637	0	0	0	0	0

```
> abmi <- subset( abmi, hw.ok & a.ok )
> str( abmi )
```

```
'data.frame': 42637 obs. of 10 variables:
$ sex: Factor w/ 2 levels "M","F": 1 2 1 1 2 2 2 1 1 2 ...
$ dob: num 1926 1935 1938 1955 1926 ...
$ dos: num 1980 1980 1980 1981 1980 ...
$ bmi: num 31.7 24.2 25.2 24.5 32.1 ...
$ ht : num 1.73 1.7 1.78 1.85 1.72 1.6 1.53 1.73 1.76 1.61 ...
$ wt : num 95 70 80 84 95 61 50 66 86 56 ...
$ edu: Factor w/ 2 levels "lo","hi": 2 2 2 2 1 2 1 2 2 2 ...
$ smk: Factor w/ 2 levels "non","cur": 2 2 1 2 1 1 1 1 1 1 ...
$ aus: Factor w/ 2 levels "no","aus": 1 2 2 2 2 2 2 2 2 2 ...
$ srv: Factor w/ 6 levels "RFPS1980","RFPS1983",...: 1 1 1 1 1 1 1 1 1 1 ...
```

We then plot BMI as function of age, for a 10% random sample of the entire data set, color-coded by survey:

```
> par( mar=c(3,3,1,1), mgp=c(3,1,0)/1.6 )
> with( subset(abmi, runif(nrow(abmi))<0.10),
+       plot( dos-dob, bmi, ylim=c(10,55),
+             pch=16, cex=0.5, col=rainbow(6)[srv],
+             xlab="Age at survey", ylab="BMI at survey" ) )
> abline( h=c(15,50), col=gray(0.8) )
```

From the figures it seems that something is fishy about some of the BMIs; we have some very high and very low BMI-values:

```
> subset(abmi, bmi<15)
```

	sex	dob	dos	bmi	ht	wt	edu	smk	aus	srv
2656	F	1945.357	1980.612	14.87879	1.6600	41.0	lo	non	aus	RFPS1980
9378	M	1949.228	1983.369	14.73930	1.7800	46.7	hi	cur	aus	RFPS1983
24042	F	1936.078	1995.712	14.86477	1.6445	40.2	lo	non	aus	NNS1995

```
> subset(abmi, bmi>50)
```

	sex	dob	dos	bmi	ht	wt	edu	smk	aus	srv
252	M	1929.447	1980.634	57.84627	1.4700	125.0	lo	non	no	RFPS1980
4095	F	1943.038	1980.366	50.67825	1.6200	133.0	lo	non	aus	RFPS1980
10001	F	1938.085	1983.895	50.19531	1.6000	128.5	lo	cur	aus	RFPS1983
10359	F	1934.876	1983.388	51.04848	1.6400	137.3	lo	non	aus	RFPS1983
17766	F	1930.427	1989.666	53.55186	1.4800	117.3	hi	non	aus	RFPS1989
20084	F	1921.622	1989.617	53.47701	1.5800	133.5	lo	non	aus	RFPS1989
22875	F	1945.744	1996.028	50.04084	1.5550	121.0	hi	non	no	NNS1995
23241	F	1952.791	1995.749	52.53404	1.5755	130.4	hi	non	aus	NNS1995
27297	F	1968.439	1995.259	51.99247	1.6280	137.8	lo	non	aus	NNS1995
29174	F	1948.870	1996.130	52.57433	1.6260	139.0	lo	non	aus	NNS1995
29707	F	1936.597	1995.832	52.27809	1.5745	129.6	lo	non	aus	NNS1995
35348	F	1964.856	2000.512	55.91479	1.5710	138.0	lo	non	aus	AusDiab
36702	F	1971.639	2000.704	50.37536	1.6340	134.5	lo	cur	aus	AusDiab
38431	F	1962.998	2007.711	51.05601	1.6500	139.0	lo	cur	aus	NHS2008
44608	F	1974.534	2008.399	50.78125	1.6000	130.0	lo	cur	aus	NHS2008
47552	F	1988.146	2007.633	53.41880	1.5600	130.0	hi	non	aus	NHS2008

However, these only constitute a very small fraction of the data, so we will exclude them in order to avoid undue influence on the results:

```
> abmi <- subset( abmi, bmi>15 & bmi<50 )
> with( abmi, addmargins( table( srv, sex ) ) )
```

sex			
srv	M	F	Sum
RFPS1980	2761	2811	5572
RFPS1983	3734	3835	7569
RFPS1989	4494	4640	9134
NNS1995	2962	3222	6184
AusDiab	3110	3648	6758
NHS2008	3554	3847	7401
Sum	20615	22003	42618

To get an overview of how data is distributed by age and date we plot the age and date of survey for the resulting persons:

```
> par( mar=c(3,3,1,1), mgp=c(3,1,0)/1.6 )
> with( subset(abmi, runif(nrow(abmi))<0.05),
+       plot( dos, dos-dob,
+             pch=16, cex=0.4, col=rainbow(6)[srv],
+             xlab="Date of survey", ylab="Age at survey" ) )
```

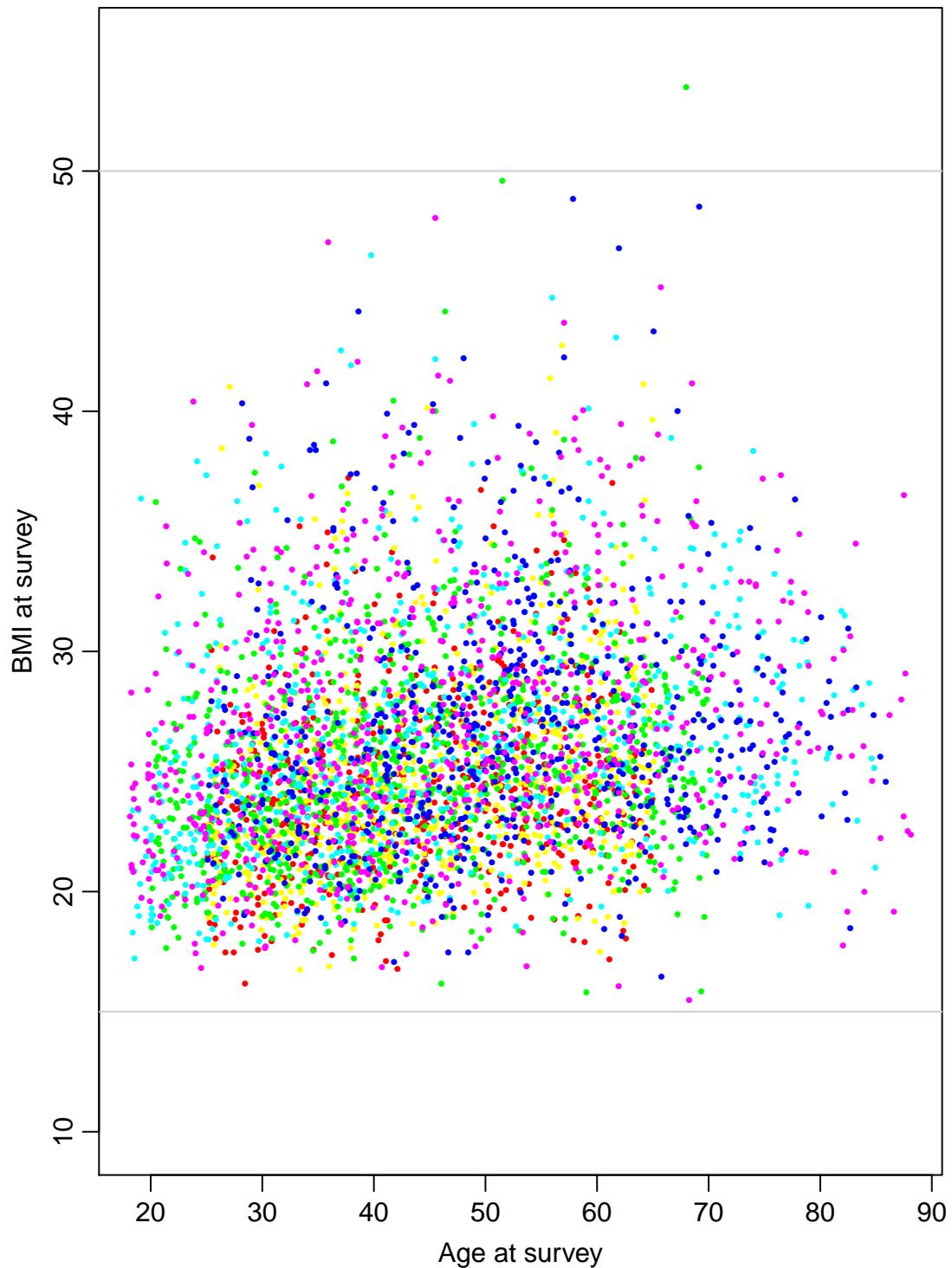


Figure 2.1: *BMI and age at survey as imputed for the 6 surveys, based on a 5% random sample of the final database. Colouring by survey (a proxy for date).*

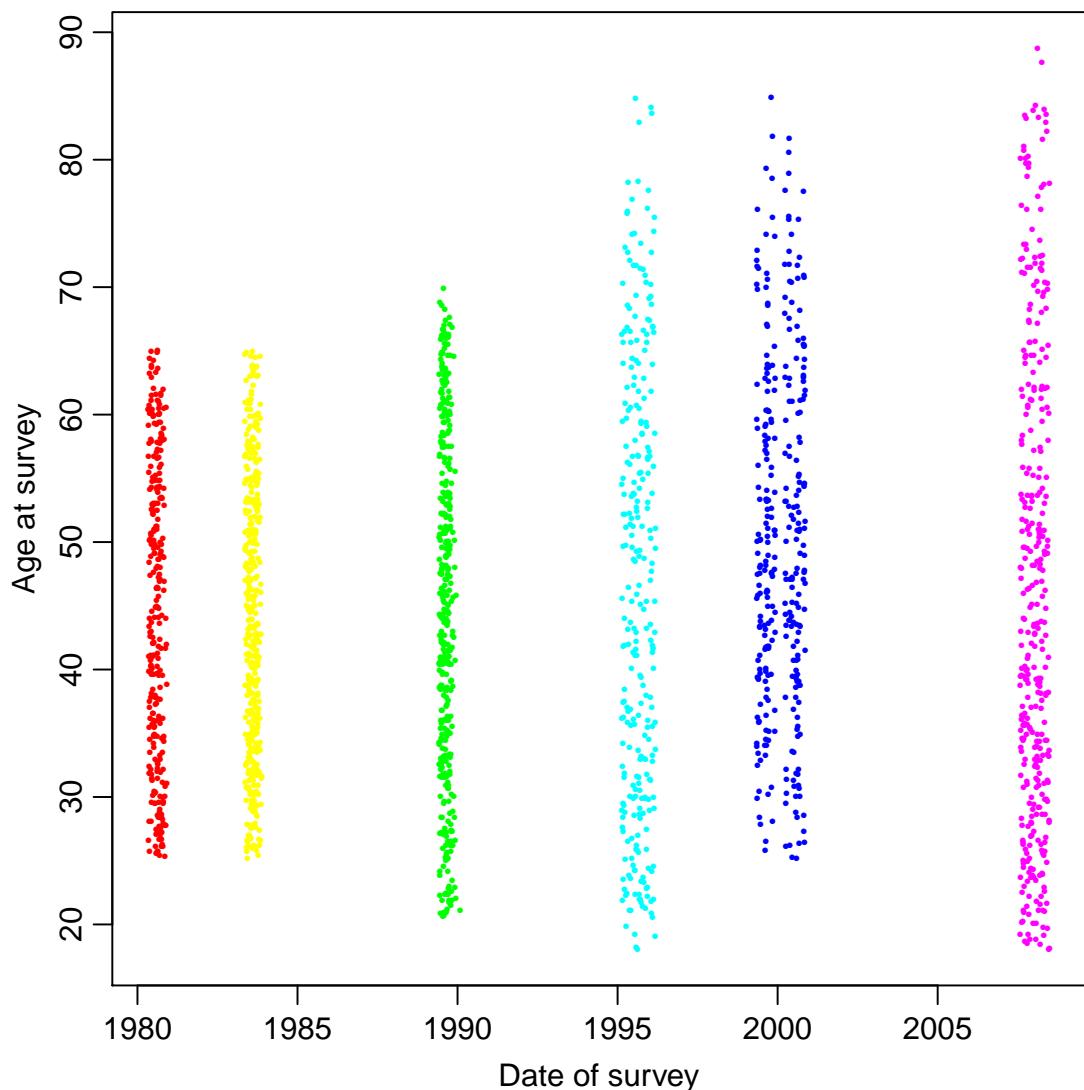


Figure 2.2: *Age and date of survey as imputed for the 6 surveys, based on a 5% random sample of the final database.*

Here is a version for the paper (the argument `mm` is the margin multiplier - margins have a total width of $8/\text{mm}$ inches bith in horizontal and vertical direction):

```
> temp.graph <-
+ function(mm)
+ {
+ par( mai=c(7,7,1,1)/mm, mgp=c(3,1,0)/1.6, las=1 )
+ plot( NA, bty="n",
+       xaxs="i", xlim=tlim, xlab="Date of survey",
+       yaxs="i", ylim=alim, ylab="Age at survey" )
+ for( da in -3:3*10 )
+ polygon( tlim[c(1,2,2,1,1)],
+           30+c(1,diff(tlim)+c(1,-1),-1,1)+da, col=gray(0.9), border="transparent" )
+ with( subset(abmi,runif(nrow(abmi))<0.05),
+       points( dos, dos-dob, pch=16, cex=0.4 ) )
+ axis( side=1 )
+ axis( side=2, at=seq(10,90,5), labels=FALSE )
+ axis( side=2, at=seq(10,90,20) )
+ }
> tlim <- c(1979,2011)
> alim <- c(15,96)
> ypi <- 10
> mm <- 12
> pdf("./graph/BMI-APC-Lexis.pdf", height=8/mm+diff(alim)/ypi,
+       width=8/mm+diff(tlim)/ypi ) ; temp.graph(mm) ; dev.off()

null device
1
```

Here is an annotated version of the same graph:

```
> temp.graph <-
+ function(mm)
+ {
+ par( mai=c(7,7,1,5)/mm, mgp=c(3,1,0)/1.6, las=1 )
+ plot( NA, bty="n", yaxt="n",
+       xaxs="i", xlim=tlim, xlab="Date of survey",
+       yaxs="i", ylim=alim, ylab="Age at survey" )
+ axis( side=1 )
+ axis( side=2, at=seq(10,90,5), labels=FALSE )
+ axis( side=2, at=seq(10,90,10) )
+ for( bc in bcoh )
+ polygon( tlim[c(1,2,2,1,1)],
+           tlim[c(1,2,2,1,1)] - bc + c(0,0,-1,-1,0),
+           col=gray(0.85), border="transparent" )
+ axis( side=4, at=tlim[2]-bcoh-0.5,
+       labels=bcoh, mgp=c(3,0,0)/2,
+       col.axis=gray(0.80), lty=0, font.axis=2 )
+ with( subset(abmi,runif(nrow(abmi))<0.05),
+       points( dos, dos-dob, pch=16, cex=0.4 ) )
+ with( abmi, text( tt <- tapply( dos, srv, mean ), rep(90,6),
+                   names(tt), srt=90, cex=0.9, adj=0 ) )
+ }
> tlim <- c(1979,2011)
> alim <- c(15,100)
> bcoh <- 1920+0:6*10
> ypi <- 10
> mm <- 12
> pdf("./graph/BMI-APC-Lexis-ann.pdf", height=8/mm+diff(alim)/ypi,
+       width=12/mm+diff(tlim)/ypi ) ; temp.graph(mm) ; dev.off()

null device
1
```

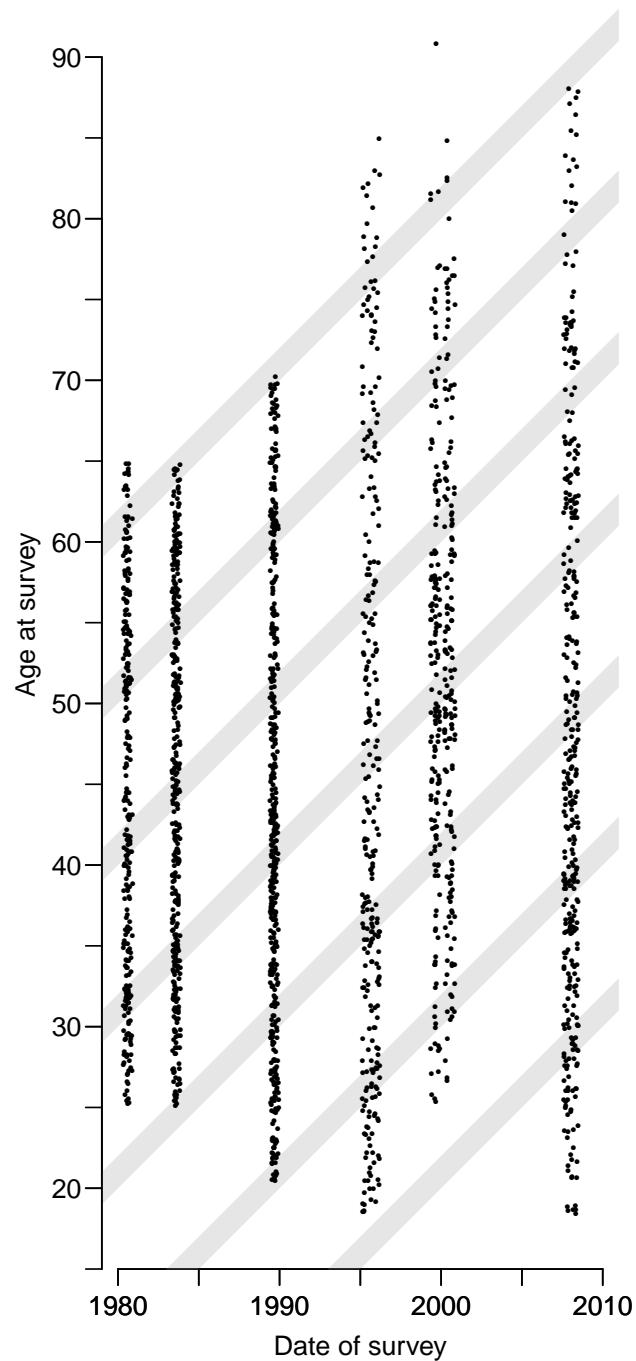


Figure 2.3: *Imputed ages and dates of survey for a 5% sample of the participants. The gray areas show birth-cohorts (top to bottom) 1920, 1930, . . . , 1980.*

```

> win.metafile(           "art/fig1.emf", height=8/mm+diff(alim)/ypi,
+                           width=12/mm+diff(tlim)/ypi ) ; temp.graph(mm) ; dev.off()

null device
1

> postscript(           "art/fig1.eps", height=8/mm+diff(alim)/ypi,
+                           width=12/mm+diff(tlim)/ypi ) ; temp.graph(mm) ; dev.off()

null device
1

> pdf(                 "art/fig1.pdf", height=8/mm+diff(alim)/ypi,
+                           width=12/mm+diff(tlim)/ypi ) ; temp.graph(mm) ; dev.off()

null device
1

```

Finally we save the dataset for further analysis

```
> with( abmi, addmargins( table( srv, sex, exclude=NULL ) ) )
```

		sex			
		M	F	<NA>	Sum
RFPS1980	2761	2811	0	5572	
RFPS1983	3734	3835	0	7569	
RFPS1989	4494	4640	0	9134	
NNS1995	2962	3222	0	6184	
AusDiab	3110	3648	0	6758	
NHS2008	3554	3847	0	7401	
<NA>	0	0	0	0	
Sum	20615	22003	0	42618	

```
> save( abmi, file=".~/data/abmi.Rdata" )
```

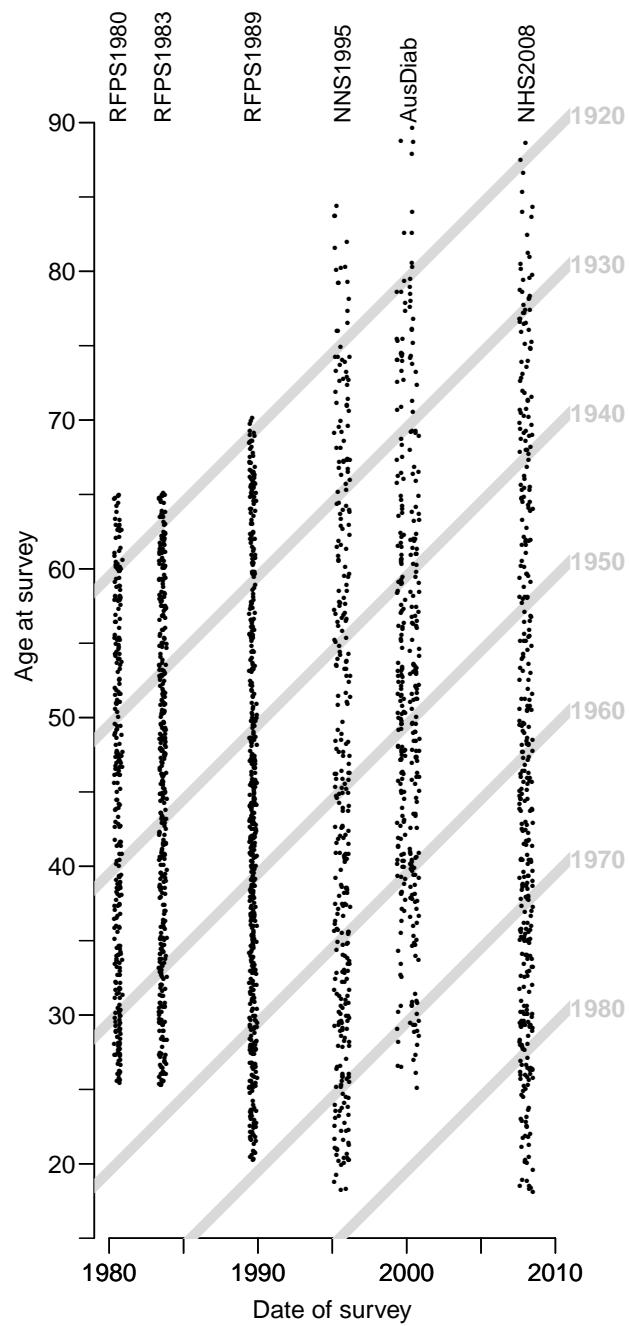


Figure 2.4: *Imputed ages and dates of survey for a 5% sample of the participants. The gray areas show birth-cohorts (top to bottom) 1920, 1930, . . . , 1980.*

Chapter 3

Simple regression models for BMI

```
> library( Epi )
> library( splines )
> library( quantreg )
> print( sessionInfo(), l=F )

R version 3.0.2 (2013-09-25)
Platform: i386-w64-mingw32/i386 (32-bit)

attached base packages:
[1] splines      utils       datasets    graphics   grDevices  stats       methods
[8] base

other attached packages:
[1] quantreg_4.98  SparseM_0.99   Epi_1.1.59    foreign_0.8-55

loaded via a namespace (and not attached):
[1] tools_3.0.2

> options( width=100 )
> load( file="./data/abmi.Rdata" )
> abmi$age <- abmi$dos - abmi$dob
> head( abmi )

  sex      dob      dos      bmi      ht wt edu smk aus      srv      age
1  M 1925.992 1980.368 31.74179 1.73 95  hi cur  no RFPS1980 54.37645
2  F 1935.027 1980.382 24.22145 1.70 70  hi cur aus RFPS1980 45.35524
3  M 1938.175 1980.385 25.24934 1.78 80  hi non aus RFPS1980 42.20945
4  M 1955.328 1980.502 24.54346 1.85 84  hi cur aus RFPS1980 25.17454
5  F 1925.795 1980.346 32.11195 1.72 95  lo non aus RFPS1980 54.55168
6  F 1946.315 1980.382 23.82812 1.60 61  hi non aus RFPS1980 34.06708
```

We start out by fitting a normal linear regression model to data, but first we find suitable knots for age and date of birth, and then fit separate models for males and females.

First we define a convenience function that easier allows us specify natural splines:

```
> source("c:/stat/r/bxc/library.sources/useful/R/Ns.R" )
> Ns

function (x, df = NULL, knots = NULL, intercept = FALSE, Boundary.knots = NULL)
{
  if (is.null(Boundary.knots)) {
    if (!is.null(knots)) {
```

```

        knots <- sort(unique(knots))
        ok <- c(1, length(knots))
        Boundary.knots <- knots[ok]
        knots <- knots[-ok]
    }
}
ns(x, df = df, knots = knots, intercept = intercept, Boundary.knots = Boundary.knots)
}

```

as well as a function that allows quicker specification of the arrays we need to store the various results:

```
> Array <- function( l1 ) array( NA, dimnames=l1, dim=sapply(l1,length) )
```

```

> a.kn <- with( abmi, quantile( dos-dob, probs=1:9/10 ) )
> b.kn <- with( abmi, quantile(      dob, probs=1:9/10 ) )
> m1M <- lm( bmi ~ Ns( dos-dob, kn=a.kn, intercept=TRUE ) - 1 +
+             Ns( dob,      kn=b.kn ),
+             data=subset(abmi,sex=="M") )
> m1F <- update( m1M, data=subset(abmi,sex=="F") )

```

We also fit the same model for log-transformed data (using natural log):

```
> l1M <- update( m1M, log(bmi) ~ . )
> l1F <- update( m1F, log(bmi) ~ . )
```

Just to get a feeling for how the models fits we do a residual plot:

```

> res4 <- function( m1, col="black" )
+ {
+ n1 <- length(residuals(m1))
+ abmi <- eval(as.list(m1$call)$data) # This is how to retrieve the dataframe used
+ par( mfrow=c(2,2), mar=c(3,3,1,1), mgp=c(3,1,0)/1.6 )
+ with( abmi, plot( dos-dob, residuals(m1), pch=".",
+                    xlab="Age at survey", ylab="Residuals" ) )
+ with( abmi, plot( dob , residuals(m1), pch=".",
+                    xlab="Date of birth", ylab="Residuals" ) )
+ hist( residuals(m1), breaks=100, col=col, border=col, main="", xlab="Residuals" )
+ plot( pnorm( sort( residuals(m1)/sd(residuals(m1)) ) ), (1:n1-0.5)/n1,
+        pch=".",
+        col=col, ylab="Uniform", xlab=expression(Phi^-1*["sort(std. res.)"]) )
+ abline(0,1)
+ }
> res4( m1M, col="blue" )

> res4( m1F, col="red" )

```

We also see if the log-transformed response produces a better fit:

```
> res4( l1M, col="blue" )
```

```
> res4( l1F, col="red" )
```

Looking at figures 3.1, 3.2, 3.3 and 3.4 there is an indication that the normality assumption, and in particular the symmetry assumption is much better met for the log-transformed data.

But for the sake of completeness we shall also report the results from the traditional linear model.

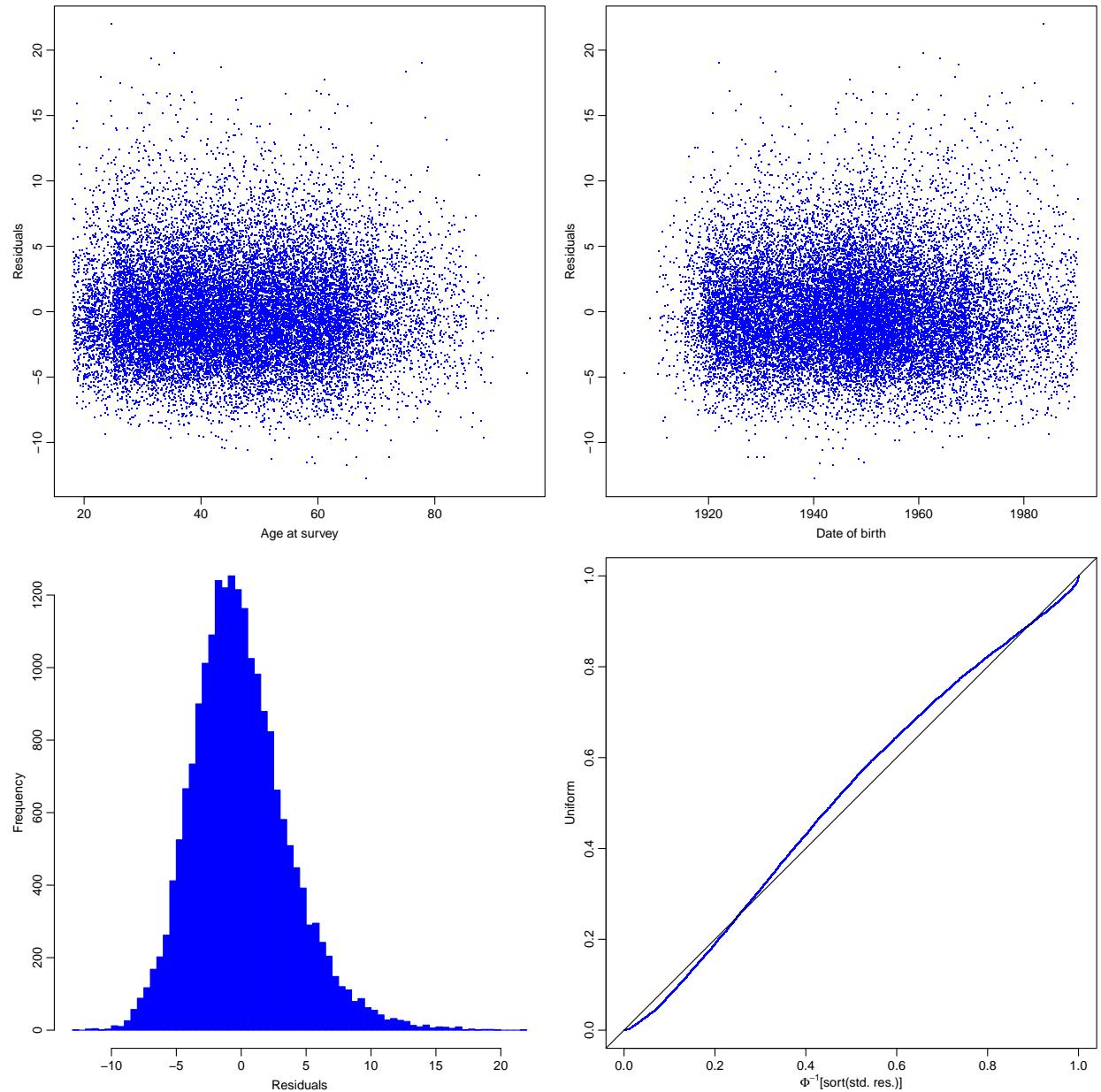


Figure 3.1: Residual plot for an age-cohort model for untransformed BMI-response for men.

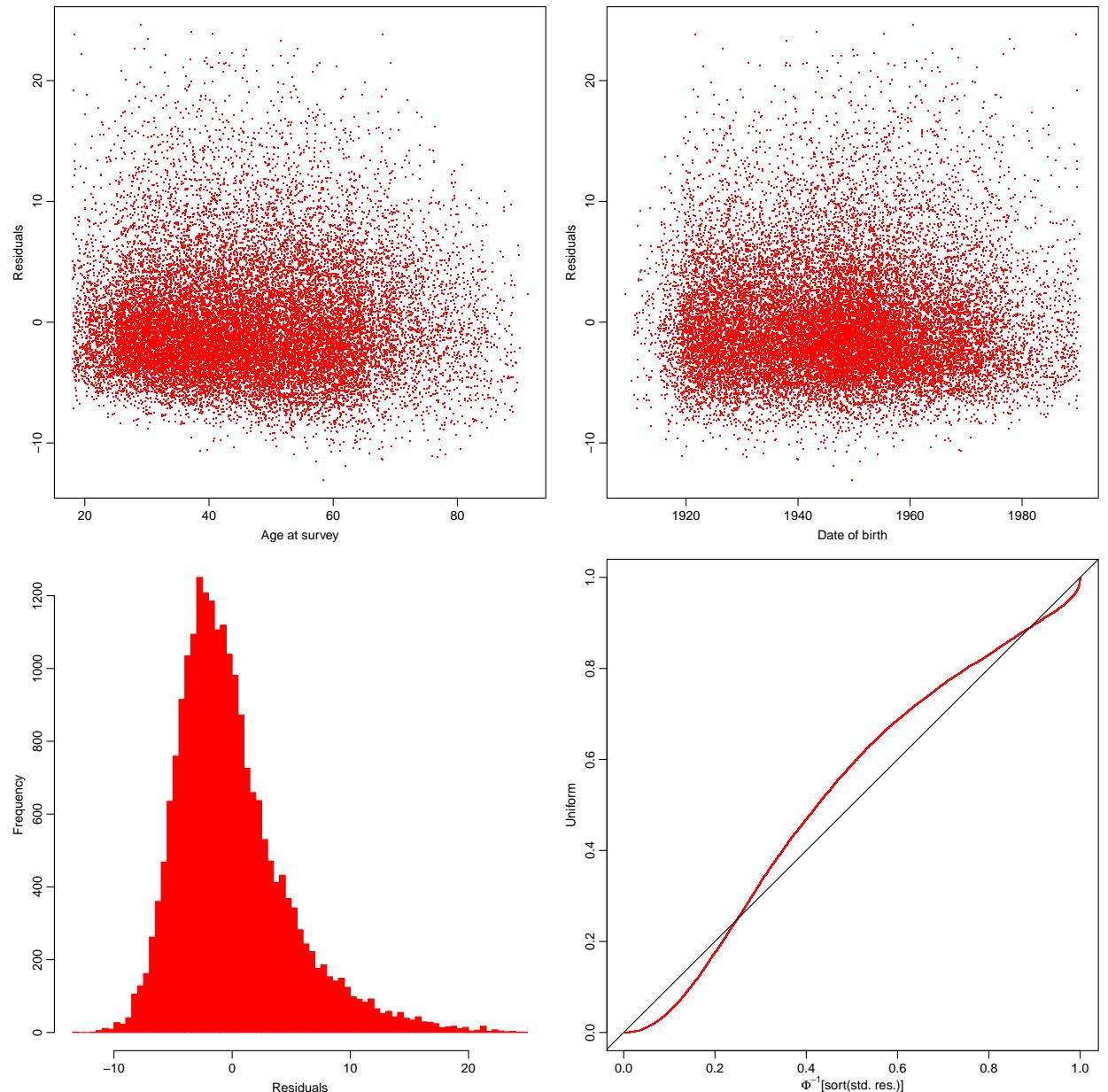


Figure 3.2: *Residual plot for an age-cohort model for untransformed BMI-response for women.*

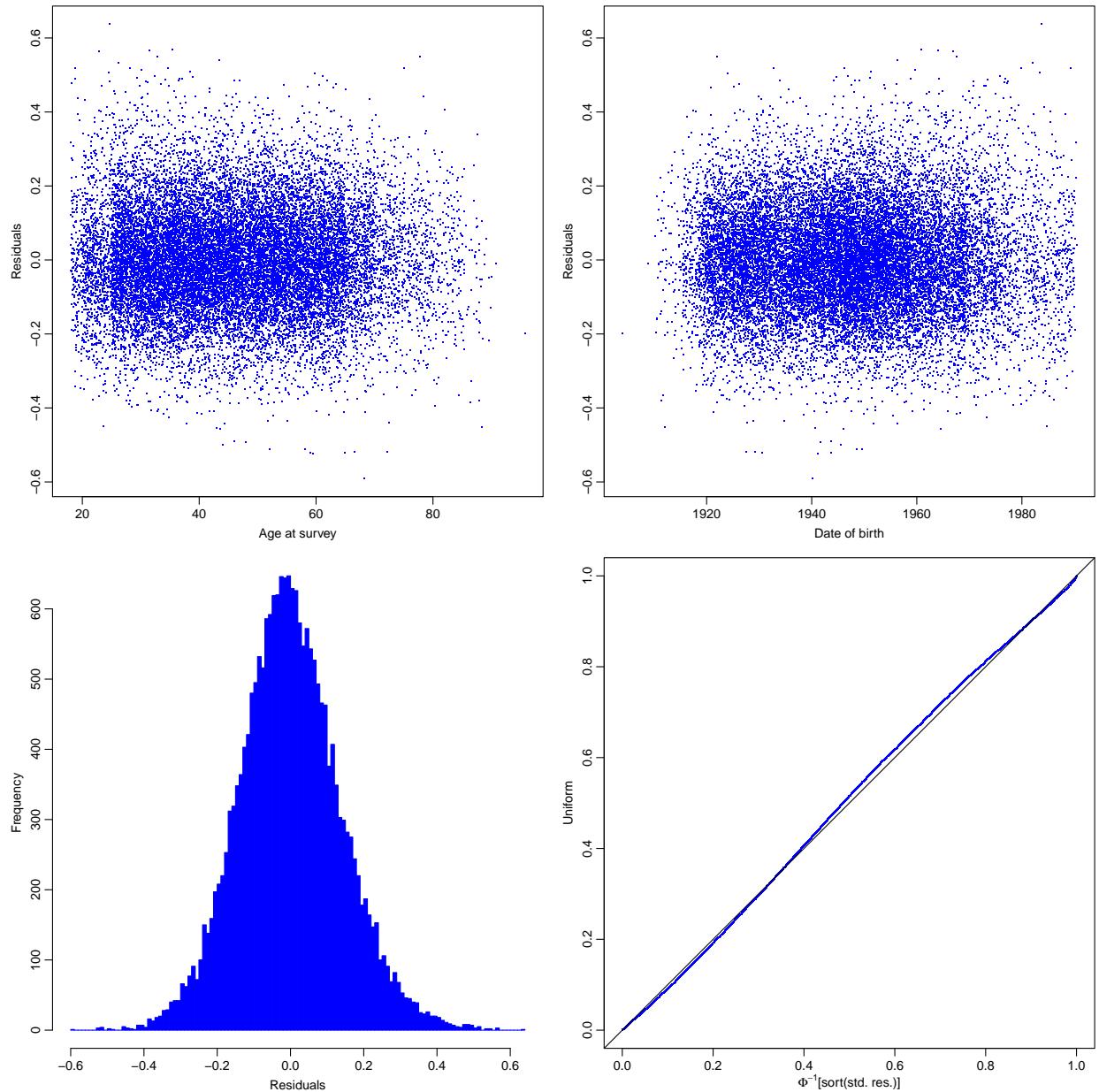


Figure 3.3: Residual plot for an age-cohort model for log-transformed BMI-response for men.

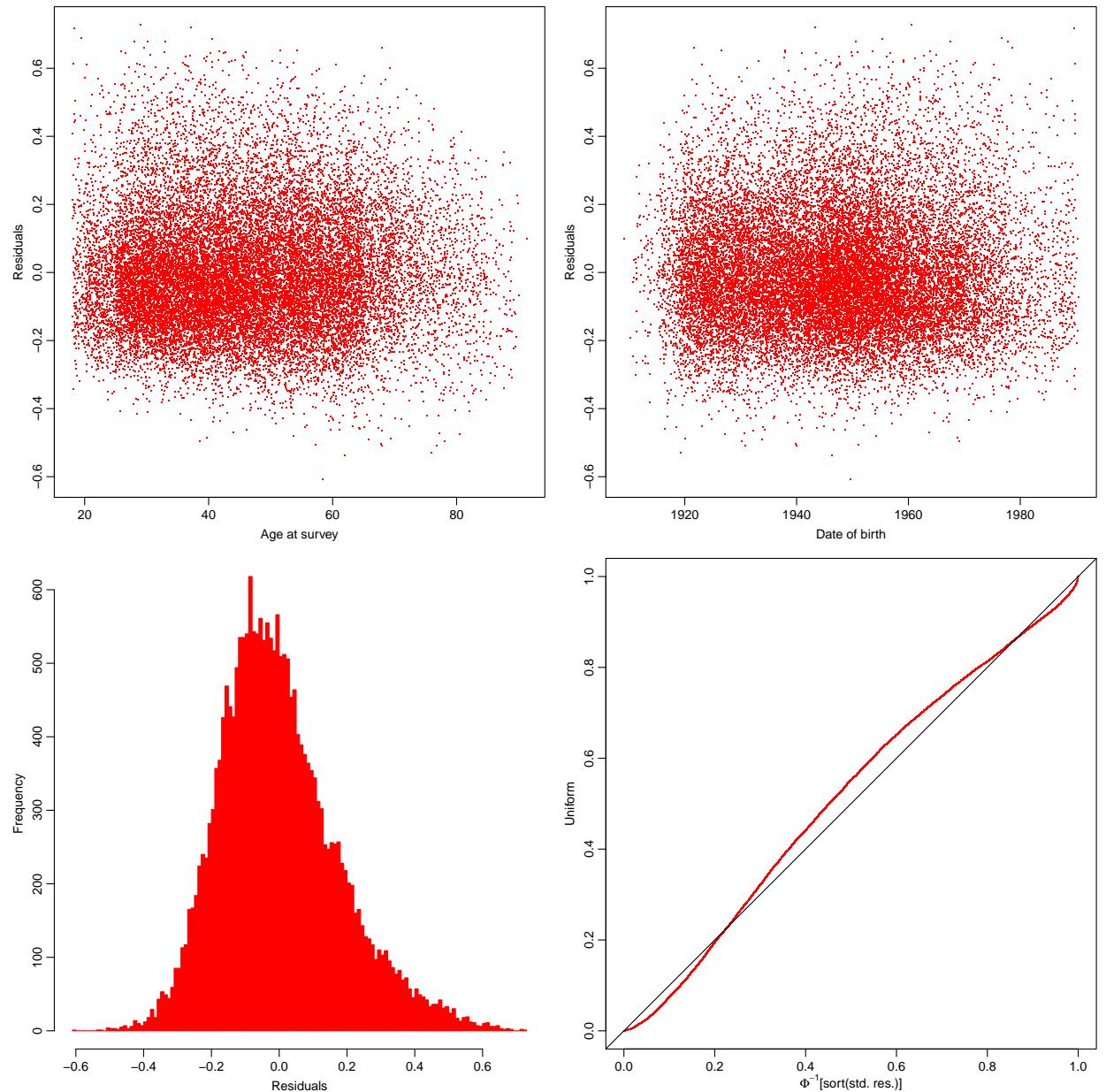


Figure 3.4: Residual plot for an age-cohort model for log-transformed BMI-response for women.

3.1 Estimates for BMI by age and date of birth

In order to extract estimates we need prediction points for age and date of birth, as well as a decision on the reference point on the date-of-birth scale, as well as matrices to multiply with the estimates from the spline models:

```
> a.pt <- seq(10,90,,200)
> b.pt <- seq(1915,1985,,200)
> b.ref <- 1950
> Ca <- Ns( a.pt, kn=a.kn, intercept=TRUE )
> Cb <- Ns( b.pt, kn=b.kn )
> Cb.ref <- Ns( rep(b.ref,length(a.pt)), kn=b.kn )
```

3.1.1 Linear model

The linear model does not fit so well as the model for log-transformed data, and the results we will get are estimates of the age-specific BMIs for a given birth cohort in case the 1950 birth cohort.

```
> par( mfrow=c(1,2), mar=c(3,3,1,1), mgp=c(3,1,0)/1.6 )
> a.linM <- ci.lin( m1M, ctr.mat=cbind(Ca,Cb.ref) )[c(1,5,6)]
> b.linM <- ci.lin( m1M, subset="b.kn", ctr.mat=Cb-Cb.ref )[c(1,5,6)]
> a.linF <- ci.lin( m1F, ctr.mat=cbind(Ca,Cb.ref) )[c(1,5,6)]
> b.linF <- ci.lin( m1F, subset="b.kn", ctr.mat=Cb-Cb.ref )[c(1,5,6)]
> matplot( a.pt, cbind(a.linM,a.linF), lwd=c(3,1,1), type="l", lty=1,
+           col=rep(c("blue","red"),each=3),
+           xlab="Age", ylab=paste("BMI in", b.ref, "cohort"),
+           ylim=c(15,30) )
> matplot( b.pt, cbind(b.linM,b.linF), lwd=c(3,1,1), type="l", lty=1,
+           col=rep(c("blue","red"),each=3),
+           xlab="Date of birth", ylab=paste("BMI difference from", b.ref, "cohort"),
+           ylim=7.5*c(-1,1) )
```

From figure 3.5 it seems reasonably safe to assume that the increase in BMI has been pretty constant from generation to generation, a test for linearity is obtained by comparing a model where the spline effect of date of birth is replaced by a linear term:

```
> m11M <- update( m1M, . ~ . - Ns( dob, kn=b.kn ) + I((dob-b.ref)/10) )
> m11F <- update( m1F, . ~ . - Ns( dob, kn=b.kn ) + I((dob-b.ref)/10) )
> anova( m11M, m1M )
```

Analysis of Variance Table

	Model 1: bmi ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) + I((dob - b.ref)/10) - 1	Model 2: bmi ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) - 1 + Ns(dob, kn = b.kn)			
Res.Df	RSS	Df	Sum of Sq	F	Pr(>F)
1	20605	288773			
2	20598	288451	7	322.14	3.2862 0.001709

```
> anova( m11F, m1F )
```

Analysis of Variance Table

	Model 1: bmi ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) + I((dob - b.ref)/10) - 1	Model 2: bmi ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) - 1 + Ns(dob, kn = b.kn)			
Res.Df	RSS	Df	Sum of Sq	F	Pr(>F)
1	21993	505207			
2	21986	504776	7	431.22	2.6832 0.008918

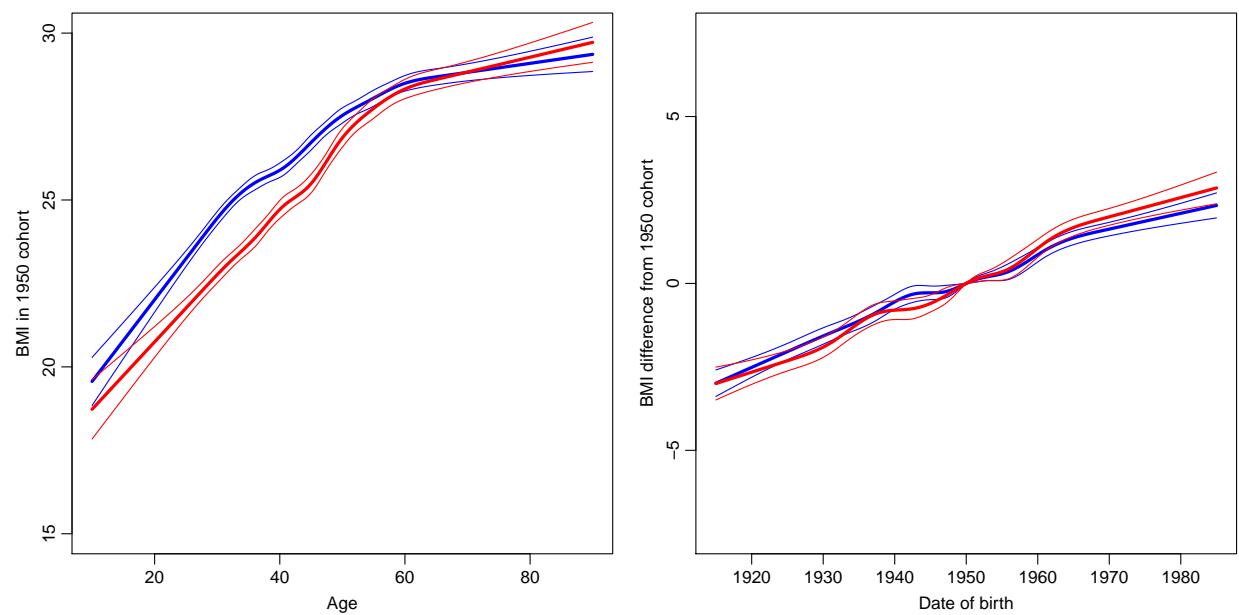


Figure 3.5: *Estimates of mean BMI in the Australian population in the 1950 birth cohort, and the change in mean BMI over cohorts. Blue curves are for men, red curves for women.*

```
> lchg <-
+ rbind( ci.lin( m11M, subset="ref"),
+         ci.lin( m11F, subset="ref") )[,c(1,5,6)]
> rownames(lchg) <- c("M","F")
> lchg
```

	Estimate	2.5%	97.5%
M	0.7837478	0.7267196	0.8407759
F	0.9184447	0.8474640	0.9894253

thus there is *formally* a non-linear effect for men, but given the massive amount of data a p-value of 0.006 is not particularly convincing. The estimated mean increase in BMI by birth cohort is 0.87 kg/m² per 10 years (0.22-0.92) for men and 1.08 kg/m² (1.01,1.14) for women.

3.1.2 Model for log-transformed data

The linear model does not fit so well as the model for log-transformed data, and the results we will get are estimates of the age-specific BMIs for a given birth cohort in casu the 1950 birth cohort.

```
> par( mfrow=c(1,2), mar=c(3,3,1,1), mgp=c(3,1,0)/1.6, las=1 )
> a.linM <- ci.exp( 11M, ctr.mat=cbind(Ca,Cb.ref) )
> b.linM <- ci.exp( 11M, subset="b.kn", ctr.mat=Cb-Cb.ref )
> a.linF <- ci.exp( 11F, ctr.mat=cbind(Ca,Cb.ref) )
> b.linF <- ci.exp( 11F, subset="b.kn", ctr.mat=Cb-Cb.ref )
> matplot( a.pt, cbind(a.linM,a.linF), lwd=c(3,1,1), type="l", lty=1,
+           col=rep(c("blue","red"),each=3),
+           xlab="Age", ylab=paste("BMI in", b.ref, "cohort"),
+           ylim=c(15,30) )
> matplot( b.pt, cbind(b.linM,b.linF), lwd=c(3,1,1), type="l", lty=1,
+           col=rep(c("blue","red"),each=3), log="y",
+           xlab="Date of birth", ylab=paste("Ratio of BMI relative to", b.ref, "cohort"),
+           ylim=c(1/1.4,1.4) )
> abline( h= 1 )
```

As for the linear model we also see a linear effect (that is a constant percent-wise increase from generation to generation) in the model for log-transformed data, see figure 3.6. As previously, the test for men is formally significant.

```
> l11M <- update( 11M, . ~ . - Ns( dob, kn=b.kn ) + I((dob-b.ref)/10) )
> anova( l11M, 11M )
```

Analysis of Variance Table

Model 1:	log(bmi) ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) + I((dob - b.ref)/10) - 1				
Model 2:	log(bmi) ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) + Ns(dob, kn = b.kn) - 1				
Res.Df	RSS	Df	Sum of Sq	F	Pr(>F)
1	20605	398.98			
2	20598	398.51	7	0.47075	3.476 0.001001

```
> l11F <- update( 11F, . ~ . - Ns( dob, kn=b.kn ) + I((dob-b.ref)/10) )
> anova( l11F, 11F )
```

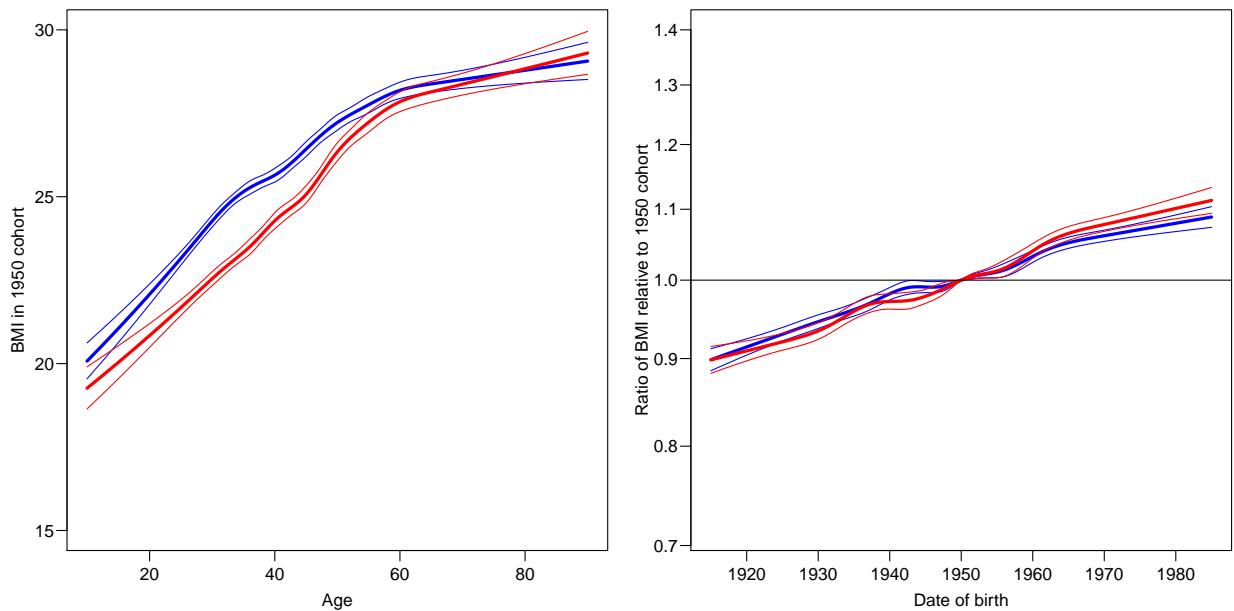


Figure 3.6: *Estimates of mean BMI in the Australian population in the 1950 birth cohort, and the relative change in mean BMI over cohorts. Blue curves are for men, red curves for women.*

Analysis of Variance Table

```

Model 1: log(bmi) ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) + I((dob -
    b.ref)/10) - 1
Model 2: log(bmi) ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) + Ns(dob,
    kn = b.kn) - 1
      Res.Df    RSS Df Sum of Sq      F   Pr(>F)
1  21993 682.02
2  21986 681.36  7    0.65726 3.0298 0.003484

```

```

> rchg <- ( exp(rbind(ci.lin(l1lM,subset="ref"),
+                  ci.lin(l1lF,subset="ref"))[,c(1,5,6)]) - 1 ) * 100
> rownames(rchg) <- c("M","F")
> round(rchg,2)

```

	Estimate	2.5%	97.5%
M	2.86	2.65	3.08
F	3.42	3.15	3.69

The estimate of the relative change is a 3.2% increase in BMI per 10 years (95% c.i.: 3.0–3.4%) for men and 4.0% (3.7–4.2%) for women.

3.2 Prediction interval / population quantiles

Finally, we can look at the residual variation from the log-transformed model, which is interpretable as the coefficient of variation of BMI in the population (cf. [2], chapter 9):

```

> res <- rbind(
+   c( summary( l11M )$sigma,
+     sd( residuals( l11M ) ) ),
+   c( summary( l11F )$sigma,
+     sd( residuals( l11F ) ) ) )
> colnames( res ) <- c("sigma", "sd(res)")
> rownames( res ) <- c("M", "F")
> res

```

	sigma	sd(res)
M	0.1391519	0.1391215
F	0.1760985	0.1760624

Hence we see that the coefficient of variation for men is about 14%, whereas it for women is 18%.

This means that 95% prediction intervals are computed from the mean estimate by multiplying / dividing by $\exp(1.96 \times 0.14)$ (for men). However we should also take the estimation error of the mean into account. Doing this we can make population quantiles separately for men and women.

We first set up an array to hold the prediction intervals (population quantiles) as a function of age, sex, cohort and quantile

```

logi [1:2, 1:3, 1:200, 1:9] NA NA NA NA NA NA ...
- attr(*, "dimnames")=List of 4
..$ sex: chr [1:2] "M" "F"
..$ coh: chr [1:3] "1930" "1950" "1970"
..$ age: chr [1:200] "10" "10.4020100502513" "10.8040201005025" "11.2060301507538" ...
..$ qnt: chr [1:9] "0.025" "0.05" "0.1" "0.25" ...
> for( ic in dimnames(pr.arr)[[2]] )
+   {
+     ib <- as.numeric( ic )
+     a.linM <- ci.lin( l11M, ctr.mat=cbind(Ca,(ib-b.ref)/10) )[,1:2]
+     a.linM[,2] <- sqrt( a.linM[,2]^2+summary(l11M)$sigma^2)
+     pr.arr["M",ic,,] <- a.linM %*% rbind( 1, qnorm(qnt) )
+     a.linF <- ci.lin( l11F, ctr.mat=cbind(Ca,(ib-b.ref)/10) )[,1:2]
+     a.linF[,2] <- sqrt( a.linF[,2]^2+summary(l11F)$sigma^2)
+     pr.arr["F",ic,,] <- a.linF %*% rbind( 1, qnorm(qnt) )
+   }
> pr.arr <- exp( pr.arr )
> range( pr.arr )

[1] 12.69292 44.51355

```

We want to plot the predicted quantiles for three different generations of persons, separately for men and women.

3.3 Using the empirical distribution of residuals

We saw that the model for men fitted very nicely to the normal distribution of the residuals, whereas the model for women produced quite skewed residuals. So in producing prediction intervals we should not just use a normal distribution with variance equal to the residual variance, but the empirical distribution of the residuals instead.

But we should incorporate the estimation variance, too. Now recall the classical normal-based theory for generation of prediction intervals, for a linear model:

$$\mathbf{y} = \mathbf{X}\beta + e, \quad e \sim \mathcal{N}(0, \sigma^2 \mathbf{I})$$

The prediction variance for a new observation y_n at the (new) covariate point \mathbf{x}_n ($< \times 1$) is:

$$\sigma^2 (1 + \mathbf{x}_n (\mathbf{X}' \mathbf{X})^{-1} \mathbf{x}'_n)$$

Thus, carrying this over to the use of the quantiles of the empirical residuals, just means that we compute the estimated mean under the model, and then add the empirical quantiles of the residuals multiplied by:

$$\sqrt{1 + \mathbf{x}_n (\mathbf{X}' \mathbf{X})^{-1} \mathbf{x}'_n}$$

Recall from the theory of linear models that:

$$\text{var}(\hat{\beta}) = \sigma^2 (\mathbf{X}' \mathbf{X})^{-1}$$

The matrix $(\mathbf{X}' \mathbf{X})^{-1}$ is available from a fitted `lm` object as `summary(m)$cov.unscaled`, so it is easy to set up a function that derives the required multiplier for the empirical residuals (`empirical_residuals_multiplier`), which takes the model and a matrix (with each row a prediction point) as the two arguments, and returns the fitted values plus the quantiles of the empirical residuals multiplied by this factor:

```
> erm <-
+ function( mm, xx )
+ as.vector( xx %*% coef(mm) ) +
+ outer( sqrt( 1 + diag(xx %*% summary(mm)$cov.unscaled %*% t(xx)) ), 
+ quantile( residuals( mm ), probs=qnt ) )
```

With this settled we can now make a variant of the predictions from before:

```
> pr.emp <- pr.arr * 0
> for( ic in dimnames(pr.emp)[[2]] )
+ {
+   ib <- as.numeric( ic )
+   xx <- cbind( Ns(a.pt, kn = a.kn, intercept = TRUE), (ib-b.ref)/10 )
+   pr.emp["M",ic,,] <- erm( l1lM, xx )
+   pr.emp["F",ic,,] <- erm( l1lF, xx )
+ }
> pr.emp <- exp( pr.emp )
> range( pr.emp )
```

[1] 13.4011 47.5601

```
> onefr <-
+ function( ints, col, lty, lwd=c(1:4,6,4:1), ann=FALSE, grid=TRUE )
+ {
+   pt <- as.numeric(rownames(ints))
+   plot( NA, xlab="Age", ylab=paste("BMI in", b.ref, "cohort"),
+         ylim=c(12,50), xlim=range(pt)*c(1,1.05),
+         xaxt="n", yaxt="n")
+   if( grid )
+   {
+     abline( h=10:50, col=gray(0.9) )
+     abline( h=seq(10,50,5), v=seq(0,100,5), col=gray(0.8) )
+   }
+   matlines( pt, ints, lwd=lwd, type="l", lty=lty,
+             col=col )
+   if( ann ) {
+     text( max(pt)*1.06, ints[nrow(ints),], floor(qnt*100), adj=1 )
+     text( max(pt)*1.06, ints[nrow(ints),c(1,9)], ".5", adj=0 )
+   }
+   box()
+ }
```



```
> par( mfcol=c(3,2), mar=c(0,0,0,0),
+       oma=c(4,4,1,2), mgp=c(3,1,0)/1.6, las=1 )
> for( sx in 1:2 )
+ for( ic in 1:3 )
+ {
+   onefr( pr.emp[sx,ic,,], col=c("blue","red")[sx], lty=1, ann=TRUE )
+   par( new=TRUE )
+   onefr( pr.arr[sx,ic,,], col=c(rgb(50,50,100,max=100),rgb(100,50,50,max=100))[sx], lty=2, lwd=1, gr
```

```

> par( mfcoll=c(3,2), mar=c(0,0,0,0),
+       oma=c(4,4,1,2), mgp=c(3,1,0)/1.6, las=1 )
> for( sx in 1:2 )
+ for( ic in 1:3 )
+ {
+ onefr( pr.emp[sx,ic,,], col=c("blue","red")[sx], lty=1, ann=TRUE )
+ if( ic==3 ) axis( side=1 )
+ if( sx==1 ) axis( side=2 )
+ if( sx==2 ) mtext( paste( dimnames(pr.arr)[["coh"]][ic], "generation" ),
+                     side=4, line=0.5, cex=0.8, las=0 )
+ }
> mtext( expression("BMI (kg/*m^2*)"), side=2, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Age (years)", side=1, line=2, outer=TRUE, las=0, cex=0.8 )

> par( mfrow=c(2,3), mar=c(0,0,0,0),
+       oma=c(4,4,2,1), mgp=c(3,1,0)/1.6, las=1 )
> for( sx in 1:2 )
+ for( ic in 1:3 )
+ {
+ onefr( pr.emp[sx,ic,,], col=c("blue","red")[sx], lty=1, ann=TRUE )
+ if( ic==1 ) axis( side=2 )
+ if( sx==1 ) mtext( paste( dimnames(pr.arr)[["coh"]][ic], "generation" ),
+                     side=3, line=0.5, cex=0.8 )
+ if( sx==2 ) axis( side=1 )
+ }
> mtext( expression("BMI (kg/*m^2*)"), side=2, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Age (years)", side=1, line=2, outer=TRUE, las=0, cex=0.8 )

```

It is clear from figure 3.7 that the distribution is somewhat skew, even after log-transformation, so that a simple model-based prediction would underestimate the higher quantiles of the BMI, particularly among women. Therefore, the relevant figures to consider are those based on the empirical distribution of the residuals, namely figures 3.8 and 3.9.

The figures 3.8 and 3.9 contain precisely the same curves, only arranged differently. From the figures it is seen that the middle 50% of the 1950 male generation in age 65 (that is in 2015) has BMI in the range 26–31, while for females the range is 25–32. The middle 90% of the males are in the range 22–34, for females that is 21–38.

3.4 Differential generational patterns of age-effect

Asking the question of whether the age-profile of BMI is the same across generations is statistically speaking one of an interaction between age and date of birth.

However, since the calendar time span of the data acquired is fairly narrow, a traditional approach of subdividing date of birth in a number of categories is not going to work, because different birth cohorts will span different age-ranges. Hence it will be more useful (and technically simpler too) to define a continuous interaction.

Since we expect curved deviations in age-specific deviations between birth cohorts, we simply introduce a quadratic in age which depends on date of birth, that is we add the terms

$$(dos - dob) \times dob \quad \text{and} \quad (dos - dob)^2 \times dob$$

The coefficients to these two added terms will have no meaning, but we can show how the BMI relates to age for different birth cohorts by plotting the fitted values for select dates of birth.

For numerical stability we center the date of birth around `b.ref` before multiplying:

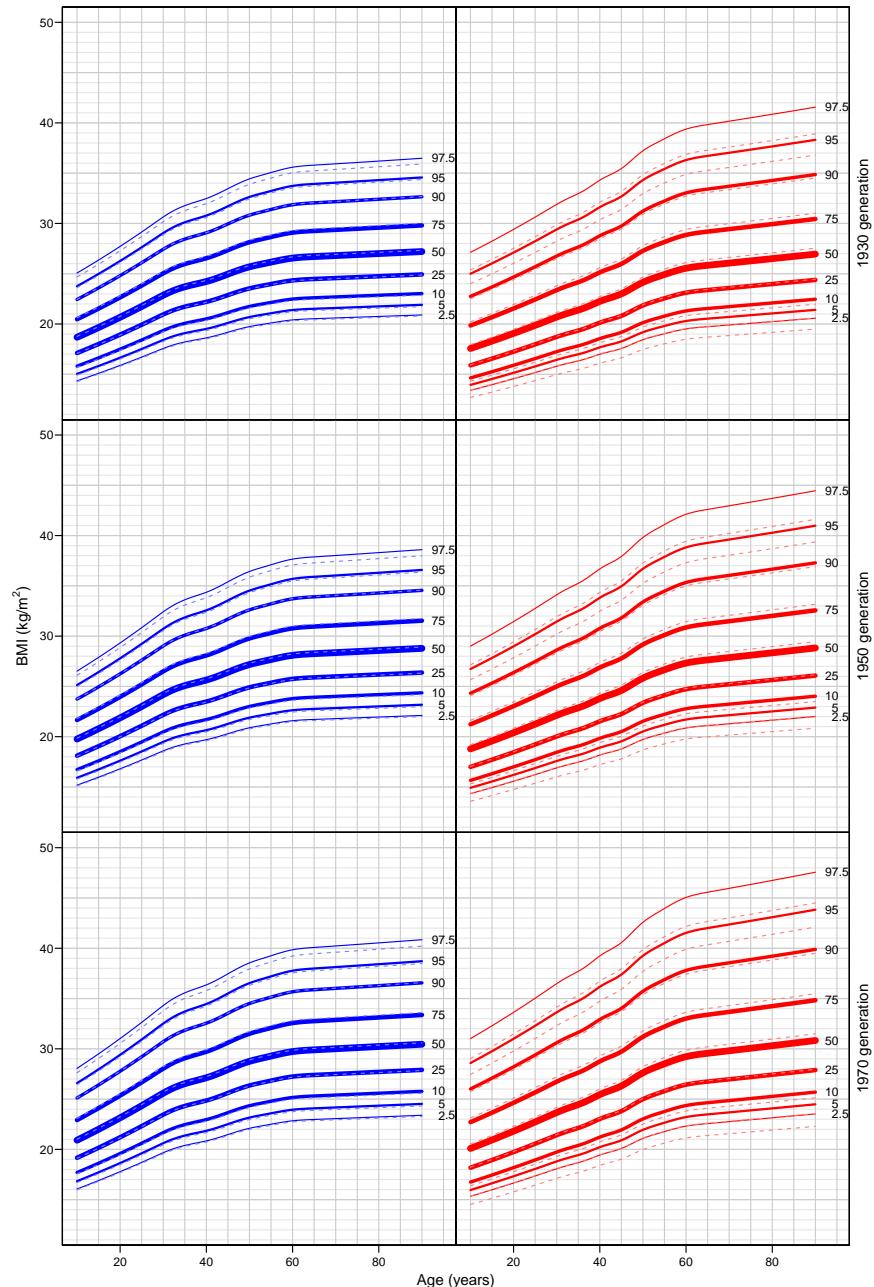


Figure 3.7: Estimated population percentiles in three generations, based on a model for log-BMI, assuming constant coefficient of variation across the age-range (broken lines), compared to the prediction limits based on the empirical distribution of the residuals from the model. Blue curves for men, red curves for women.

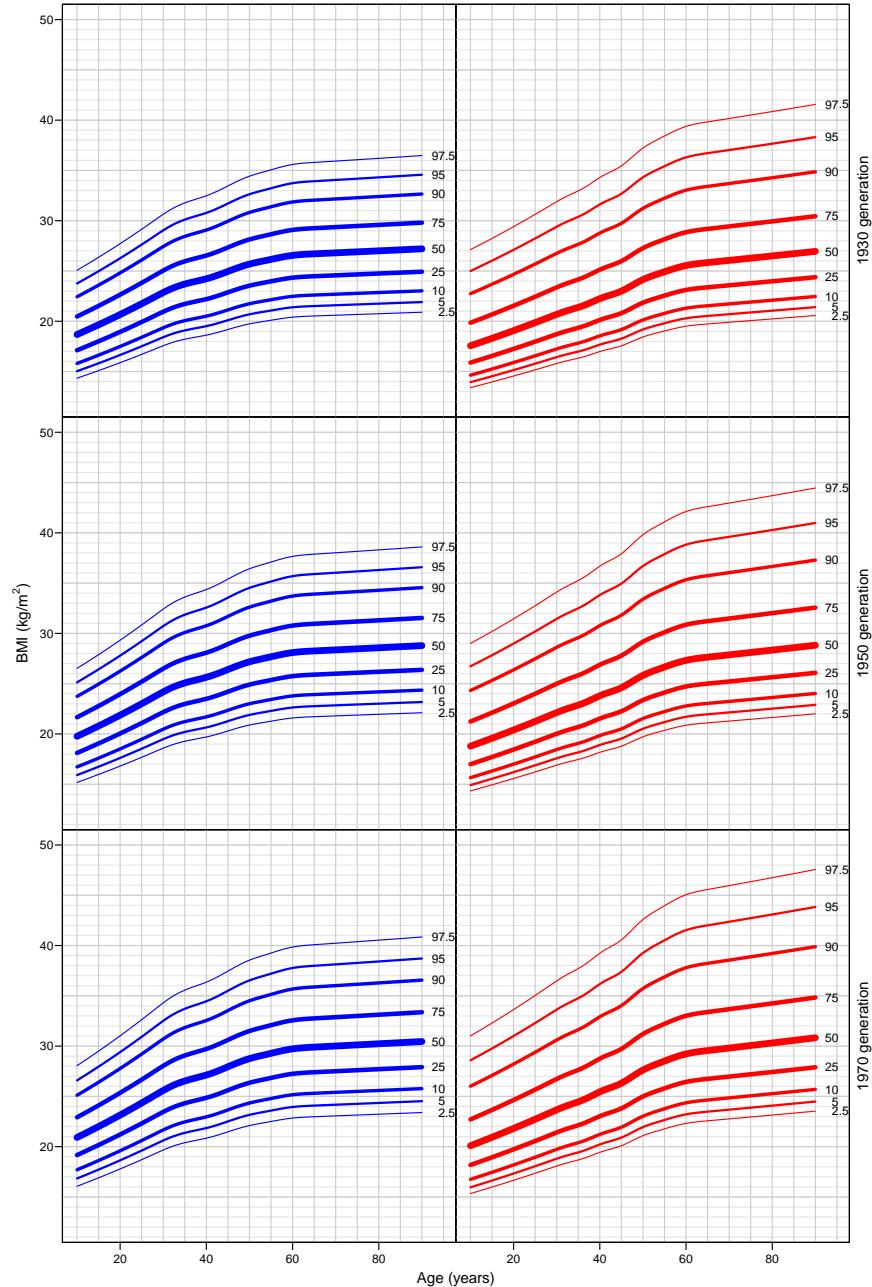


Figure 3.8: Estimated population percentiles in three generations, based on a model for log-BMI, using the empirical distribution of residuals to construct prediction intervals for BMI. Blue curves for men, red curves for women.

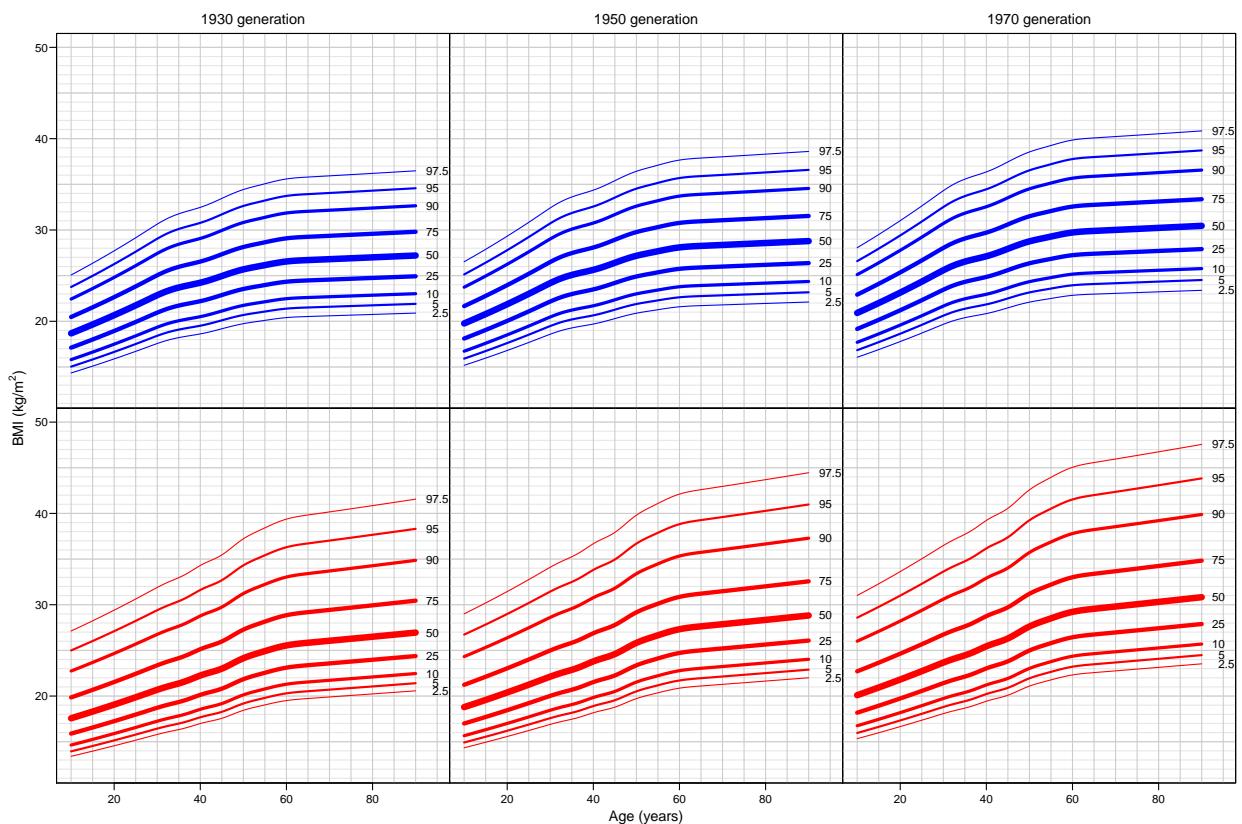


Figure 3.9: Estimated population percentiles in three generations, based on a model for log-BMI, using the empirical distribution of residuals to construct prediction intervals for BMI. Blue curves for men, red curves for women.

```
> summary(l1lM)
```

Call:
`lm(formula = log(bmi) ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) + I((dob - b.ref)/10) - 1, data = subset(abmi, sex == "M"))`

Residuals:

	Min	1Q	Median	3Q	Max
	-0.57996	-0.09165	-0.00450	0.08668	0.62673

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
Ns(dos - dob, kn = a.kn, intercept = TRUE)1	2.641428	0.003651	723.55	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)2	3.233977	0.005848	553.01	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)3	3.249296	0.006355	511.32	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)4	3.277834	0.006599	496.68	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)5	3.306802	0.006503	508.49	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)6	3.321951	0.005917	561.45	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)7	1.999558	0.004395	454.99	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)8	7.238208	0.003954	1830.49	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)9	0.794445	0.004512	176.07	<2e-16
I((dob - b.ref)/10)	0.028233	0.001082	26.11	<2e-16

Residual standard error: 0.1392 on 20605 degrees of freedom
Multiple R-squared: 0.9982, Adjusted R-squared: 0.9982
F-statistic: 1.131e+06 on 10 and 20605 DF, p-value: < 2.2e-16

```
> l1iM <- update( l1lM, . ~ . + I((dob-b.ref)/10 * (dos-dob) )  
+ I((dob-b.ref)/10 * (dos-dob)^2) )  
> summary( l1iM )
```

Call:
`lm(formula = log(bmi) ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) + I((dob - b.ref)/10) + I((dob - b.ref)/10 * (dos - dob)) + I((dob - b.ref)/10 * (dos - dob)^2) - 1, data = subset(abmi, sex == "M"))`

Residuals:

	Min	1Q	Median	3Q	Max
	-0.58879	-0.09174	-0.00432	0.08674	0.62998

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
Ns(dos - dob, kn = a.kn, intercept = TRUE)1	2.643e+00	3.876e-03	681.905	< 2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)2	3.235e+00	5.898e-03	548.507	< 2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)3	3.249e+00	6.367e-03	510.322	< 2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)4	3.278e+00	6.601e-03	496.620	< 2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)5	3.306e+00	6.571e-03	503.052	< 2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)6	3.325e+00	6.017e-03	552.549	< 2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)7	2.0000e+00	4.722e-03	423.613	< 2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)8	7.249e+00	6.471e-03	1120.267	< 2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)9	8.023e-01	5.500e-03	145.860	< 2e-16
I((dob - b.ref)/10)	3.061e-02	9.315e-03	3.286	0.00102
I((dob - b.ref)/10 * (dos - dob))	-3.189e-04	4.062e-04	-0.785	0.43242
I((dob - b.ref)/10 * (dos - dob)^2)	5.446e-06	4.260e-06	1.278	0.20117

Residual standard error: 0.1391 on 20603 degrees of freedom
Multiple R-squared: 0.9982, Adjusted R-squared: 0.9982
F-statistic: 9.427e+05 on 12 and 20603 DF, p-value: < 2.2e-16

```
> anova( l1iM, l1lM )
```

Analysis of Variance Table

```

Model 1: log(bmi) ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) + I((dob -
b.ref)/10) + I((dob - b.ref)/10 * (dos - dob)) + I((dob -
b.ref)/10 * (dos - dob)^2) - 1
Model 2: log(bmi) ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) + I((dob -
b.ref)/10) - 1
Res.Df   RSS Df Sum of Sq    F Pr(>F)
1  20603 398.84
2  20605 398.98 -2  -0.13859 3.5795 0.02791

```

```

> l1iF <- update( l1iM, data = subset(abmi, sex=="F") )
> summary( l1iF )

```

Call:

```

lm(formula = log(bmi) ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) +
I((dob - b.ref)/10) + I((dob - b.ref)/10 * (dos - dob)) +
I((dob - b.ref)/10 * (dos - dob)^2) - 1, data = subset(abmi,
sex == "F"))

```

Residuals:

Min	1Q	Median	3Q	Max
-0.60551	-0.12139	-0.02127	0.10047	0.73261

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
Ns(dos - dob, kn = a.kn, intercept = TRUE)1	2.577e+00	4.689e-03	549.688	< 2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)2	3.156e+00	7.248e-03	435.380	< 2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)3	3.200e+00	7.814e-03	409.510	< 2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)4	3.217e+00	8.133e-03	395.584	< 2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)5	3.273e+00	8.017e-03	408.296	< 2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)6	3.298e+00	7.300e-03	451.722	< 2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)7	2.016e+00	5.786e-03	348.453	< 2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)8	7.135e+00	8.043e-03	887.103	< 2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)9	8.403e-01	6.731e-03	124.846	< 2e-16
I((dob - b.ref)/10)	4.125e-02	1.173e-02	3.517	0.000437
I((dob - b.ref)/10 * (dos - dob))	-1.508e-04	5.083e-04	-0.297	0.766793
I((dob - b.ref)/10 * (dos - dob)^2)	-3.900e-07	5.296e-06	-0.074	0.941292

```

Residual standard error: 0.1761 on 21991 degrees of freedom
Multiple R-squared:  0.997,    Adjusted R-squared:  0.997
F-statistic: 6.119e+05 on 12 and 21991 DF,  p-value: < 2.2e-16

```

```

> anova( l1iF, l1lF )

```

Analysis of Variance Table

```

Model 1: log(bmi) ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) + I((dob -
b.ref)/10) + I((dob - b.ref)/10 * (dos - dob)) + I((dob -
b.ref)/10 * (dos - dob)^2) - 1
Model 2: log(bmi) ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) + I((dob -
b.ref)/10) - 1
Res.Df   RSS Df Sum of Sq    F Pr(>F)
1  21991 681.91
2  21993 682.02 -2  -0.10948 1.7654 0.1711

```

From the ANOVA we see that there is no significant interaction for men, but certainly there is for women. Incidentally, neither of the two separate terms added are significant for women, but the joint effect is. This is an example of collinear effects, where each of the two terms will be significant if the other is removed:

```
> summary(update(l11F, . ~ . + I((dob-b.ref)/10 * (dos-dob)) ))
```

Call:

```
lm(formula = log(bmi) ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) +
  I((dob - b.ref)/10) + I((dob - b.ref)/10 * (dos - dob)) -
  1, data = subset(abmi, sex == "F"))
```

Residuals:

Min	1Q	Median	3Q	Max
-0.60542	-0.12137	-0.02126	0.10046	0.73263

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
Ns(dos - dob, kn = a.kn, intercept = TRUE)1	2.578e+00	4.444e-03	580.075	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)2	3.156e+00	7.239e-03	435.935	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)3	3.200e+00	7.802e-03	410.152	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)4	3.217e+00	8.132e-03	395.616	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)5	3.273e+00	7.936e-03	412.464	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)6	3.298e+00	7.300e-03	451.760	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)7	2.016e+00	5.526e-03	364.842	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)8	7.134e+00	7.950e-03	897.469	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)9	8.406e-01	6.042e-03	139.124	<2e-16
I((dob - b.ref)/10)	4.204e-02	4.678e-03	8.988	<2e-16
I((dob - b.ref)/10 * (dos - dob))	-1.875e-04	9.984e-05	-1.878	0.0604

Residual standard error: 0.1761 on 21992 degrees of freedom

Multiple R-squared: 0.997, Adjusted R-squared: 0.997

F-statistic: 6.675e+05 on 11 and 21992 DF, p-value: < 2.2e-16

```
> summary(update(l11F, . ~ . + I((dob-b.ref)/10 * (dos-dob)^2)) )
```

Call:

```
lm(formula = log(bmi) ~ Ns(dos - dob, kn = a.kn, intercept = TRUE) +
  I((dob - b.ref)/10) + I((dob - b.ref)/10 * (dos - dob)^2) -
  1, data = subset(abmi, sex == "F"))
```

Residuals:

Min	1Q	Median	3Q	Max
-0.60598	-0.12141	-0.02139	0.10036	0.73253

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
Ns(dos - dob, kn = a.kn, intercept = TRUE)1	2.577e+00	4.450e-03	579.139	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)2	3.156e+00	7.228e-03	436.594	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)3	3.200e+00	7.800e-03	410.241	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)4	3.217e+00	8.132e-03	395.635	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)5	3.274e+00	7.938e-03	412.380	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)6	3.298e+00	7.298e-03	451.872	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)7	2.017e+00	5.454e-03	369.785	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)8	7.135e+00	7.665e-03	930.845	<2e-16
Ns(dos - dob, kn = a.kn, intercept = TRUE)9	8.396e-01	6.271e-03	133.885	<2e-16
I((dob - b.ref)/10)	3.786e-02	2.644e-03	14.320	<2e-16
I((dob - b.ref)/10 * (dos - dob)^2)	-1.930e-06	1.040e-06	-1.856	0.0635

Residual standard error: 0.1761 on 21992 degrees of freedom

Multiple R-squared: 0.997, Adjusted R-squared: 0.997

F-statistic: 6.675e+05 on 11 and 21992 DF, p-value: < 2.2e-16

The latter of these two models is not relevant; it violates the principle of marginality, so we might actually argue that the model with the linear interaction is sufficient for the interaction, but the *a priori* assumption was a curved interaction, so we maintain the

2-parameter interactions, fit them to data and show the resulting BMI-trajectories for select birth cohorts.

So we simply re-use the machinery from the previous section to tease out the estimates of the mean BMI as a function of age for different birth cohorts. To see what birth cohorts would be relevant to use, we make a quick plot of the distribution of the date of birth and date of survey.

```
> par( mfrow=c(1,2) )
> with( abmi, hist( dob, breaks=100 ) )
> with( abmi, hist( dos, breaks=100 ) )
```

To get the predicted *mean* BMI in different cohort using the interaction model, we use the `predict` method, first we construct a data-frame where the only relevant combinations of age and birth cohort are present (that is, we do not plot outside the survey data combinations of age and date of birth):

```
> dob.pt <- seq(1920,1980,10)
> age.pt <- seq(10,90,0.2)
> nd <- data.frame( dob = rep(dob.pt, each=length(age.pt)),
+                     age = rep(age.pt,           length(dob.pt)) )
> nd$dos <- nd$dob + nd$age
> str( nd )

'data.frame':      2807 obs. of  3 variables:
$ dob: num  1920 1920 1920 1920 1920 1920 1920 1920 1920 ...
$ age: num  10 10.2 10.4 10.6 10.8 11 11.2 11.4 11.6 11.8 ...
$ dos: num  1930 1930 1930 1931 1931 ...
```



```
> nr <- subset( nd, dos>1975 & dos<2015 )
> str( nd )

'data.frame':      2807 obs. of  3 variables:
$ dob: num  1920 1920 1920 1920 1920 1920 1920 1920 1920 ...
$ age: num  10 10.2 10.4 10.6 10.8 11 11.2 11.4 11.6 11.8 ...
$ dos: num  1930 1930 1930 1931 1931 ...
```



Figure 3.10: *Histogram of data of birth in all included surveys*

```
> prM <- predict( l1iM, newdata=nr )
> prF <- predict( l1iF, newdata=nr )
> pfM <- predict( l1iM, newdata=nd )
> pfF <- predict( l1iF, newdata=nd )
```

With this in place we can now plot the predicted BMI under the interaction model for different ages. The dataframe `nd` was used for prediction, and hence we use the age-column from this (`nd$age`) when plotting against age.

```
> par( mfrow=c(1,2), mar=c(0,0,0,0), oma=c(3,3,1,1), mgp=c(3,1,0)/1.6 )
> plot( NA, xlab="Age", ylab="BMI",
+       ylim=c(15,35), xlim=c(10,90) )
> abline( h=10:50, col=gray(0.9) )
> abline( h=seq(10,50,5), v=seq(0,100,5), col=gray(0.8) )
> points( nd$age, exp(pfM), pch=16, col="gray", cex=0.5 )
> points( nr$age, exp(prM), pch=16, col="blue", cex=0.5 )
> box()
> plot( NA, xlab="Age", ylab="BMI",
+       ylim=c(15,35), xlim=c(10,90),
+       yaxt="n" )
> abline( h=10:50, col=gray(0.9) )
> abline( h=seq(10,50,5), v=seq(0,100,5), col=gray(0.8) )
> points( nd$age, exp(pfF), pch=16, col="gray", cex=0.5 )
> points( nr$age, exp(prF), pch=16, col="red", cex=0.5 )
```

From figure 3.11 it is difficult to say much about differential trends in bmi between generations, but there is a tendency that for men generations get further apart in old age than do women.

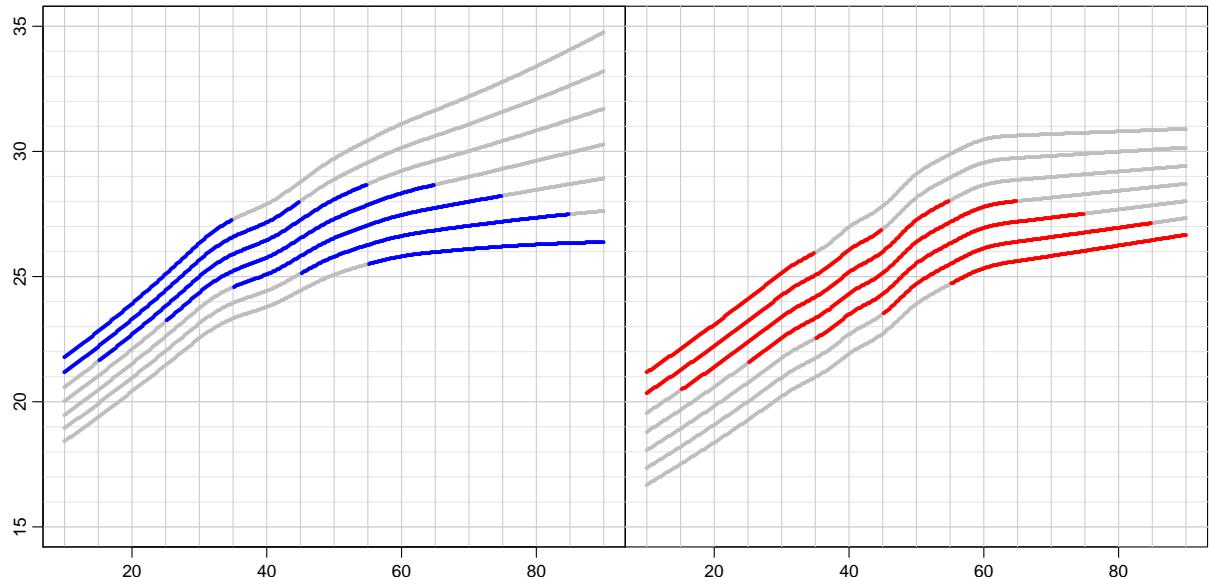


Figure 3.11: Predicted mean BMI under the logarithmic interaction model for birth cohorts 1920, 1930, ..., 1980. The colored part of the curves are where data are available from the surveys.

Chapter 4

Analysis by quantile regression

We first reload data etc.:

```
> library( Epi )
> library( splines )
> library( quantreg )
> print( sessionInfo(), l=F )

R version 3.0.2 (2013-09-25)
Platform: i386-w64-mingw32/i386 (32-bit)

attached base packages:
[1] splines     utils      datasets   graphics   grDevices stats       methods
[8] base

other attached packages:
[1] quantreg_4.98 SparseM_0.99   Epi_1.1.59    foreign_0.8-55

loaded via a namespace (and not attached):
[1] tools_3.0.2

> options( width=100 )
> load( file="./data/abmi.Rdata" )
> abmi$age <- abmi$dos - abmi$dob
> nk <- 6
> a.kn <- with( abmi, quantile( dos-dob, probs=1:nk/(nk+1) ) )
> b.kn <- with( abmi, quantile(     dob, probs=1:nk/(nk+1) ) )
> qnt <- c(5,10,25,50,75,90,95)/100
> save( nk, a.kn, b.kn, file="./data/knots.Rdata" )
```

In the light of the previous findings, the logical description of generational trends would therefore be to do plots as those in figure 3.11 for selected percentiles of the distribution, such as 5, 10, 25, 50, 75, 90 and 95.

This can be done by *quantile regression*. Basically this means that for a given selected quantile we make a model similar to the ones above for the mean. This is then done for different quantiles, and the shapes of the age-specific BMI-quantiles then shown graphically. This will allow us to see to what extent the distribution of BMI in the population depends on age, calendar time and birth cohort.

4.1 Age-Period-Cohort effects

We first fit a traditional age-period-cohort model to each of 7 different quantiles, 5, 10, 25, 50, 75, 90 and 95 %. Referring to the discussion of parametrization of rates in an

Age-Period-Cohort model by Carstensen [1], we can make a similar parametrization for each of the quantiles, by properly defining the design-matrices for the age, period and cohort effects.

4.1.1 APC parametrization

We want to use a parametrization where the period effect is constrained to be 0 on average with an average slope of 0. Since we have entered the period effect with a one-parameter non-linear term (a quadratic), we should construct a version of this that is orthogonal to the linear (and constant). Similarly we should do this for the cohort effect, but later add the linear trend in cohort to this, but also subtract the term corresponding to a reference cohort.

What we do is to set up a function that does this for a particular data frame, specifically

```
> age <- "age"
> coh <- "dob"
> c.kn <- b.kn
> ( p.kn <- quantile( abmi$dos, (1:3-0.5)/3 ) )
```

```
16.66667%      50% 83.33333%
1983.465 1989.811 2007.614
```

```
> c0 <- 1950
> qnt <- c(5,10,25,50,75,90,95)/100
> Gen.APC <-
+ function( dfr )
+ {
+ nr <- nrow( dfr )
+ # Base variables in the model
+ Age <- dfr[,age]
+ Coh <- dfr[,coh]
+ Per <- Coh+Age
+ # Design matrices for the models
+ Ma <- Ns( Age, knots=a.kn, intercept=TRUE )
+ Mc <- Ns( Coh, knots=c.kn ) -
+ Ns( rep(c0,length(Coh)), knots=c.kn )
+ mc <- detrend( Mc, Coh )
+ Mp <- detrend( Ns( Per, knots=p.kn ), Per )
+ # Points of prediction
+ prA <- sort(Age)[floor(seq(1,nr,,200))]
+ prC <- sort(Coh)[floor(seq(1,nr,,200))]
+ prP <- sort(Per)[floor(seq(1,nr,,200))]
+ # Contrast matrices to be used - use the relevant 200 rows of the
+ # design matrices
+ Ca <- Ma[match(prA, Age), ]
+ Cc <- Mc[match(prC, Coh), ]
+ Cp <- Mp[match(prP, Per), , drop=FALSE]
+ # Array for the tests for drift model
+ tarr <- NArray( list( qnt=qnt,
+                      c("lin P?", "lin C?",
+                        "Dr.ext", "lo", "hi",
+                        "Dr.raw", "lo", "hi") ) )
+ # Fit the relevant model
+ mod <- list()
+ lef <- list( A = prA,
+              C = prC,
+              P = prP )
+ for( q in qnt )
+ {
```

```

+   mod <- rq( bmi ~ Ma + Mc + Mp - 1,
+               tau = q,
+               data = dfr )
+   lef$A <- cbind( lef$A, ci.lin( mod, subset="Ma", ctr.mat=Ca )[,c(1,5,6)] )
+   lef$C <- cbind( lef$C, ci.lin( mod, subset="Mc", ctr.mat=Cc )[,c(1,5,6)] )
+   lef$P <- cbind( lef$P, ci.lin( mod, subset="Mp", ctr.mat=Cp )[,c(1,5,6)] )
+   mod <- rq( bmi ~ Ma + I((dob-1950)/5) + mc + Mp - 1,
+               tau = q,
+               data = dfr )
+   mdc <- update( mod, . ~ . - Mp )
+   mdr <- update( mdc, . ~ . - mc )
+   tarr[paste(q),1:2] <- anova( mod, mdc, mdr )$table[,"pvalue"]
+   tarr[paste(q),3:5] <- ci.exp( mod, subset="dob", Exp=FALSE )
+   tarr[paste(q),6:8] <- ci.exp( mdr, subset="dob", Exp=FALSE )
+ }
+ list( lef=lef, tarr=tarr )
+ }
```

With this we can now make separate models for males and females, collect the estimates and plot the age-, cohort- and period effects

```
> system.time( mm <- Gen.APC( subset(abmi,sex=="M") ) )
```

	user	system	elapsed
	45.88	0.39	46.43

```
> system.time( ff <- Gen.APC( subset(abmi,sex=="F") ) )
```

	user	system	elapsed
	47.05	0.09	47.32

```
> round( mt <- mm$tarr, 3 )
```

qnt	lin P?	lin C?	Dr.ext	lo	hi	Dr.raw	lo	hi
0.05	0.004	0.000	0.141	0.088	0.193	0.143	0.096	0.190
0.1	0.081	0.000	0.200	0.160	0.241	0.203	0.165	0.241
0.25	0.025	0.000	0.273	0.238	0.308	0.270	0.237	0.302
0.5	0.049	0.001	0.343	0.308	0.379	0.349	0.315	0.383
0.75	0.472	0.025	0.478	0.434	0.522	0.477	0.434	0.519
0.9	0.123	0.498	0.645	0.580	0.710	0.653	0.586	0.720
0.95	0.791	0.651	0.771	0.670	0.872	0.784	0.698	0.869

```
> round( ft <- ff$tarr, 3 )
```

qnt	lin P?	lin C?	Dr.ext	lo	hi	Dr.raw	lo	hi
0.05	0.000	0.000	0.106	0.069	0.143	0.117	0.079	0.155
0.1	0.000	0.000	0.135	0.100	0.169	0.135	0.102	0.168
0.25	0.000	0.001	0.214	0.182	0.247	0.213	0.181	0.244
0.5	0.000	0.001	0.385	0.343	0.427	0.391	0.351	0.431
0.75	0.001	0.006	0.665	0.602	0.727	0.677	0.615	0.738
0.9	0.000	0.001	0.895	0.789	1.001	0.911	0.810	1.011
0.95	0.003	0.008	1.008	0.867	1.148	1.021	0.884	1.157

```
> mm <- mm$lef
> ff <- ff$lef
```

We see that there are significant non-linear effects of both period and cohort, so we plot these for each of the selected quantiles. To get a maximally informative graph, we plot the effects using the same physical units for both cohort and period effects:

```
> xoff <- 1800
> xl   <- c(20+xoff,2005)
> yoff <- 25
> yl   <- c(13,42)
> temp.graph <-
+ function()
+ {
+ par( mfrow=c(2,1), mar=c(0,0,0,0), oma=c(3,3,1,3), mgp=c(3,1,0)/1.6,
+      las=1, cex=1 )
+ # Men
+ clr <- rep(rgb(0,0,1,2:8/10),each=3)
+ plot( NA, xlim=xl, xaxt="n", ylim=yl )
+ abline( h=seq(0,50,5), v=seq(1800,2020,10), col=gray(0.9) )
+ matlines( mm$A[,1]+xoff, mm$A[,-1], type="l", lty=c(1,2,2), lwd=c(3,1,1), col=clr )
+ lines( c(1903,2030), rep(yoff,2) )
+ matlines( mm$C[,1], mm$C[,-1]+yoff, type="l", lty=c(1,2,2), lwd=c(3,1,1), col=clr )
+ matlines( mm$P[,1], mm$P[,-1]+yoff, type="l", lty=c(1,2,2), lwd=c(3,1,1), col=clr )
+ axis( side=4, at=seq(15,40,5), labels=seq(15,40,5)-yoff )
+ # abline( v=1903 )
+ text( rep(max(mm$A[,1]),7)+xoff+1, mm$A[dim(mm$A)[1],2+0:6*3],
+       paste(c(5,10,25,50,75,90,95)), adj=0 )
+ # Women
+ clr <- rep(rgb(1,0,0,2:8/10),each=3)
+ plot( NA, xlim=xl, xaxt="n", ylim=yl )
+ abline( h=seq(0,50,5), v=seq(1800,2020,10), col=gray(0.9) )
+ matlines( ff$A[,1]+xoff, ff$A[,-1], type="l", lty=c(1,2,2), lwd=c(3,1,1), col=clr )
+ lines( c(1903,2030), rep(yoff,2) )
+ matlines( ff$C[,1], ff$C[,-1]+yoff, type="l", lty=c(1,2,2), lwd=c(3,1,1), col=clr )
+ matlines( ff$P[,1], ff$P[,-1]+yoff, type="l", lty=c(1,2,2), lwd=c(3,1,1), col=clr )
+ axis( side=1, at=xoff+seq(20,80,20), labels=seq(20,80,20) )
+ axis( side=1, at=seq(1910,2010,20) )
+ axis( side=1, at=(xx<-seq(xoff,2010,10)), labels=rep("",length(xx)) )
+ axis( side=4, at=seq(15,40,5), labels=seq(15,40,5)-yoff )
+ # abline( v=1903 )
+ text( rep(max(ff$A[,1]),7)+xoff+1, ff$A[dim(ff$A)[1],2+0:6*3],
+       paste(c(5,10,25,50,75,90,95)), adj=0 )
+
+ mtext( side=2, expression("BMI percentiles in 1950 cohort (kg/*m^2*)"), 
+        line=1.7, outer=TRUE, las=0 )
+ mtext( "BMI differences" , side=4, outer=TRUE, line=1.9, las=0 )
+ mtext( side=1, "Age", at=40/diff(par("usr")[1:2]), line=1.5, outer=TRUE )
+ mtext( side=1, "Date of birth" , at=(1950-par("usr")[1])/diff(par("usr")[1:2]), line=1.5, outer=TRUE )
+ mtext( side=1, "Date of survey", at=(1995-par("usr")[1])/diff(par("usr")[1:2]), line=1.5, outer=TRUE )
+ }
> temp.graph()
> win.metafile( "art/fig2.emf", height=10, width=10) ; temp.graph() ; dev.off()
```

pdf
2

```
> postscript( "art/fig2.eps", height=10, width=10) ; temp.graph() ; dev.off()
```

pdf
2

```
> pdf( "art/fig2.pdf", height=10, width=10) ; temp.graph() ; dev.off()
```

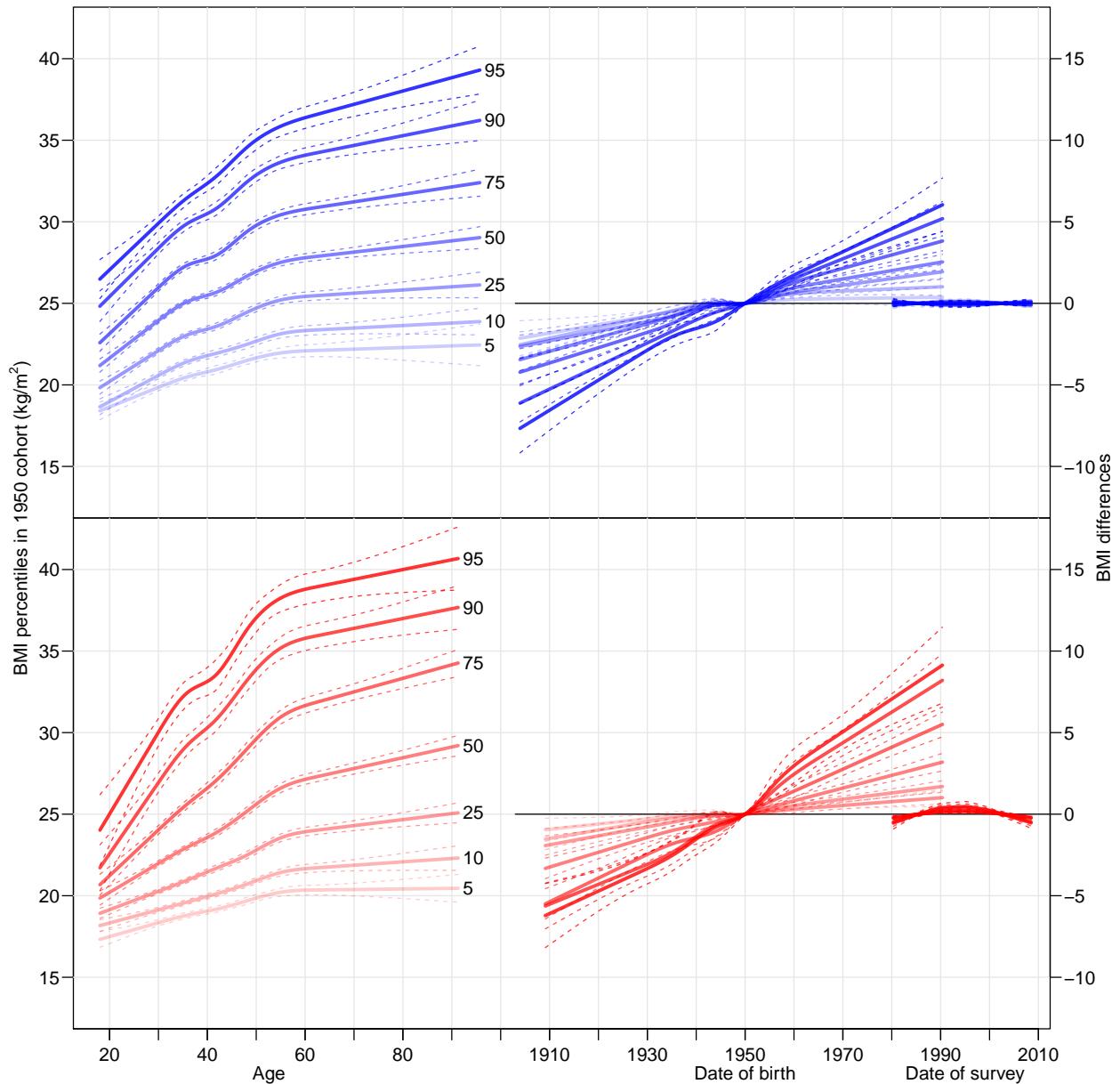


Figure 4.1: Estimated age-, cohort- and period effects for percentiles, with 95% confidence intervals (broken lines), using the 1950 birth cohort as reference, and constraining the period effects to be 0 on average.

pdf
2

Figure ?? shows longitudinal quantiles of BMI in the population, that is how the quantile in the population alive evolves by age. Since we only have a span of slightly less than 30 years of surveys, these curves are “patched” together from observation in different ages and periods.

It is seen from figure ?? that:

- Within a cohort, the major increase in BMI is before age 50, after that age the increase is moderate. However this may to some extent be due to the effect of mortality, where the most obese are known to have the highest mortality.
- The spread among women is considerably larger for women than for men, at age 60 the 5 and 95th percentiles are 20 and 38 kg/m² for women, but 22 and 37 men, while the median is 27 for both sexes.
- The increase across birth cohorts is much stronger in the highest quantiles, than for the smallest quantiles.
- This effect is more pronounced among women than among men, the annual average increase in the 5th and 95th percentiles BMI are 0.12 and 1.02 kg/m² for women but 0.14 and 0.78 for men.
- There is no detectable period effect (apart from the linear trend that cannot be separated from the cohort effect).
- For most practical purposes the cohort effects are linear for each percentile, despite the fact that the formal tests of linearity are highly significant (except for the highest percentiles for men, which are not significant).
- As a summary of the secular trends in BMI it is therefore sufficient to quote constant change in each of the quantiles. This can be interpreted both as the change per calendar time or the change per birth cohort.

4.2 Trend across quantiles

The age-period-cohort models we just fitted produce results that are quite close to an age-drift model — virtually no period effect and only a slight curvature in the cohort effects are seen, despite the formally significant tests for linearity.

We therefore estimate the drift parameter for each of the percentiles between 2 and 98 and plot them:

```
> qnt <- 2:98/100
> tdr <- NArray( list( qnt=qnt, sex=levels(abmi$sex), c("Est","lo","hi") ) )
> system.time(
+ for( iq in dimnames(tdr)[["qnt"]] )
+ for( sx in dimnames(tdr)[["sex"]] )
+ {
+ tdr[iq,sx,] <- ci.exp( rq( bmi ~ Ns(age,kn=a.kn) + I((dob-1950)/5),
+ tau = as.numeric(iq),
+ data=subset( abmi, sex==sx ) ),
```

```

+
subset="dob",
Exp=FALSE )
+
)

```

	user	system	elapsed
	158.16	0.00	158.44

We can now put these estimated 5-year-changes into a graph:

```

> temp.abs <-
+ function(trsp=TRUE)
+ {
+ par( mar=c(3,3.2,1,1), mgp=c(3,1,0)/1.6 )
+ plot( NA, bty="n", las=1,
+       xlim=c(-2,100), xlab="BMI percentile", xaxs="i",
+       ylim=c(0,1.2), yaxs="i",
+       ylab=expression("Change per 5 years (*kg/m^2*)" ) )
+ abline( h=seq(0.1,1.4,0.1), v=seq(0,100,10), col=gray(0.9) )
+ matlines( qq <- as.numeric(dimnames(tdr)[["qnt"]])*100,
+            cbind( tdr[, "M",], tdr[, "F",] ),
+            lty=c(1,0,0), lwd=c(3,1,1), col=rep( c("blue","red"), each=3 ) )
+ if( trsp ) {
+ polygon( c(qq,rev(qq)), c(tdr[, "M",2], rev(tdr[, "M",3]) ),
+           col=rgb(0,0,1,0.2), border="transparent" )
+ polygon( c(qq,rev(qq)), c(tdr[, "F",2], rev(tdr[, "F",3]) ),
+           col=rgb(1,0,0,0.2), border="transparent" )
+ }
+ else
+ matlines( qq, cbind( tdr[, "M",-1], tdr[, "F",-1] ),
+            lty="23", lwd=1, col=rep( c("blue","red"), each=2 ) )
+ }
> win.metafile(      "art-BMI-chg.emf", height=7, width=7) ; temp.abs(trsp=FALSE) ; dev.off()

null device
1

> pdf("./graph/BMI-APC-art-BMI-chg.pdf", height=7, width=7) ; temp.abs(trsp=FALSE) ; dev.off()

null device
1

> pdf("./graph/BMI-APC-art-BMI-cht.pdf", height=7, width=7) ; temp.abs( ) ; dev.off()

null device
1

```

Figure ?? (and ??) shows the changes in each of the BMI-percentiles over time (assuming that the change is constant over the period 1980–2010). The 90th BMI percentile among women has changed by 1 kg/m^2 per 5 years and the higher percentiles even more; meaning that the 10% most obese women have a bmi more than 4 kg/m^2 above that 20 year ago.

It should be noted that there are no inherent assumptions that these curves should necessarily be increasing; the increase is a feature of the data — the most obese parts of the population grow faster.

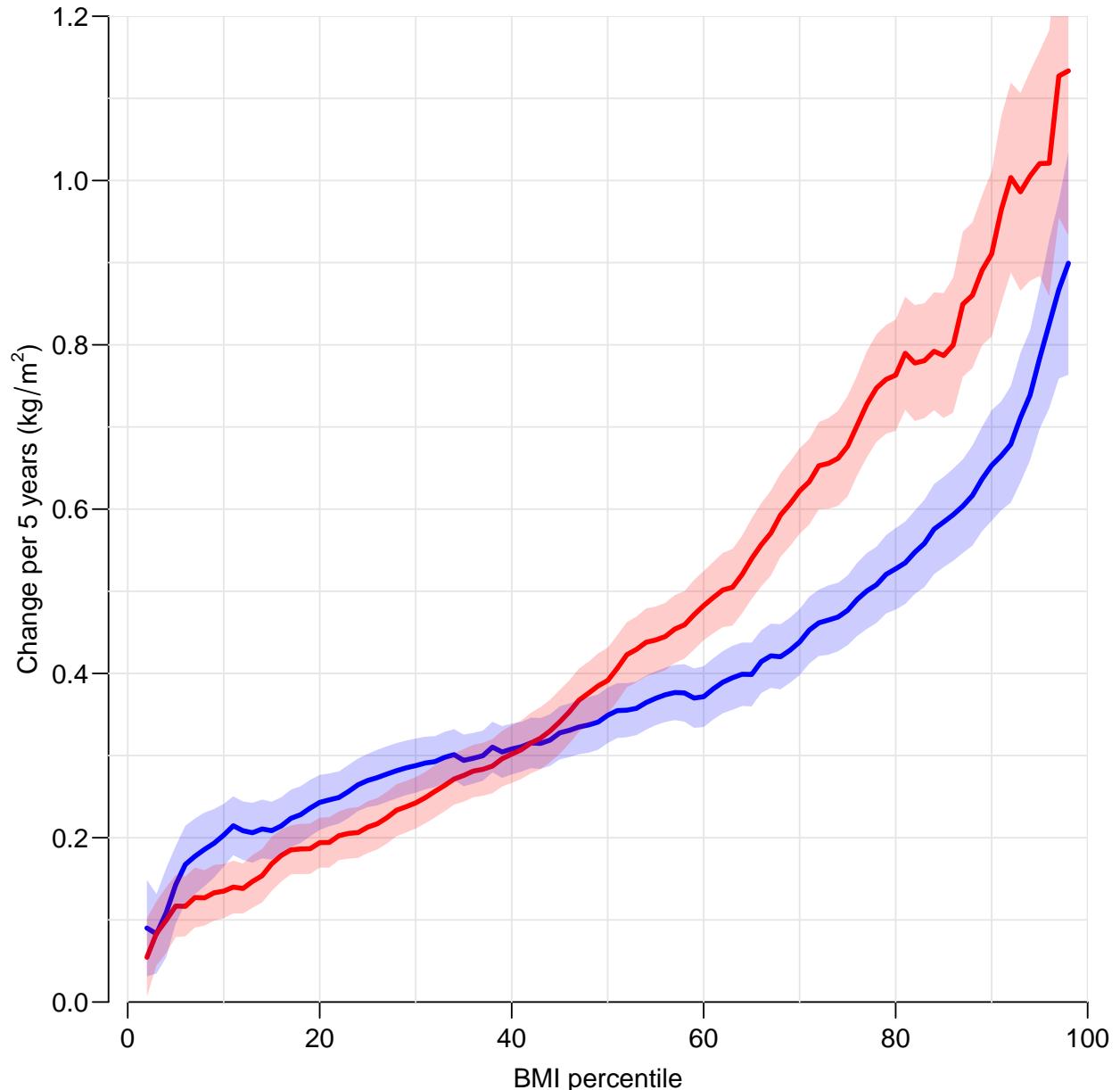


Figure 4.2: *Changes in each percentile of the BMI-distribution per 5 years. Thus, for women the 80th percentile has on average changed by 0.75 kg/m² every 5 years, the 90th by 0.90 kg/m². For men the corresponding figures are 0.52 and 0.65. Moreover, the 40% leanest in the population has seen an increase in BMI of less than 0.3 kg/m² per 5 years; significant but moderate.*

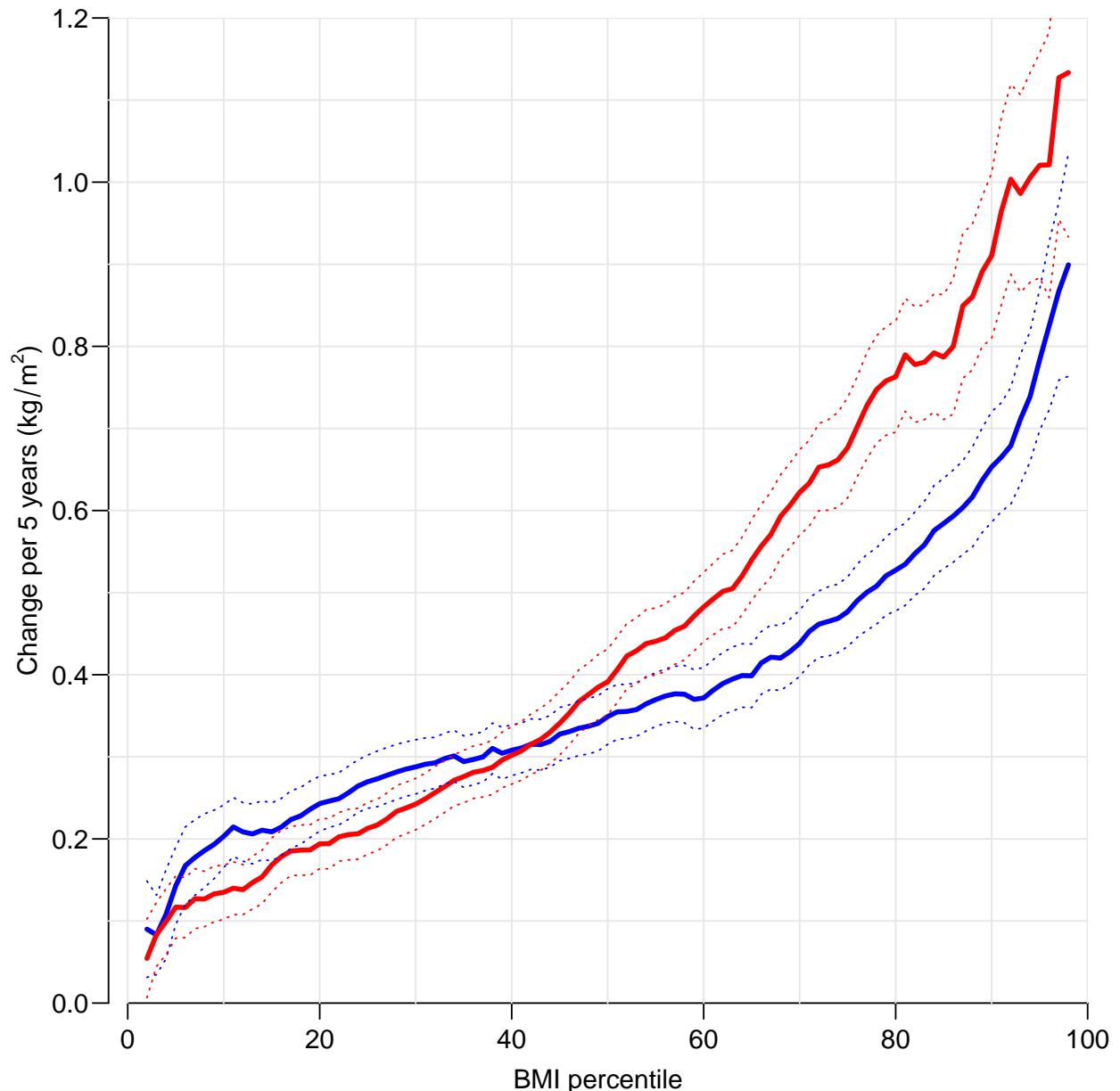


Figure 4.3: *Changes in each percentile of the BMI-distribution per 5 years. Thus, for women the 80th percentile has on average changed by 0.75 kg/m² every 5 years, the 90th by 0.90 kg/m². For men the corresponding figures are 0.52 and 0.65. Moreover, the 40% leanest in the population has seen an increase in BMI of less than 0.3 kg/m² per 5 years; significant but moderate.*

4.2.1 Relative increase in BMI

It would of course be of interest to see whether the *relative* increase in BMI was largest for the most obese people too. This amounts to fitting a model where the response is now $\log(\text{BMI})$, and then back-transforming the parameter to a percentage change by $100(\exp(\beta) - 1)$, otherwise it is all the same all over again:

```
> qnt <- 2:98/100
> pdr <- NArray( list( qnt=qnt, sex=levels(abmi$sex), c("Est","lo","hi") ) )
> system.time(
+ for( iq in dimnames(tdr)[["qnt"]] )
+ for( sx in dimnames(tdr)[["sex"]] )
+ pdr[iq,sx,] <- ( ci.exp( rq( log(bmi) ~ Ns(age,kn=a.kn) + I((dob-150)/5),
+ tau = as.numeric(iq),
+ data=subset( abmi, sex==sx ) ),
+ subset="dob" ) - 1 ) * 100
+
+ )

user  system elapsed
164.02    0.01 164.19

> temp.rel <-
+ function(trsp=TRUE)
+ {
+ par( mar=c(3,3.2,1,1), mgp=c(3,1,0)/1.6 )
+ plot( NA, bty="n", las=1,
+       xlim=c(-2,100), xlab="BMI percentile", xaxs="i",
+       ylim=c(0,3.5), yaxs="i",
+       ylab="Relative change per 5 years (%)")
+ abline( h=seq(0.5,5,0.5), v=seq(0,100,10), col=gray(0.9) )
+ matlines( qq <- as.numeric(dimnames(pdr)[["qnt"]])*100,
+           cbind( pdr[, "M",], pdr[, "F",] ),
+           lty=c(1,0,0), lwd=c(3,1,1), col=rep( c("blue","red"), each=3 ) )
+ if( trsp ) {
+ polygon( c(qq,rev(qq)), c(pdr[, "M",2], rev(pdr[, "M",3]) ),
+           col=rgb(0,0,1,0.2), border="transparent" )
+ polygon( c(qq,rev(qq)), c(pdr[, "F",2], rev(pdr[, "F",3]) ),
+           col=rgb(1,0,0,0.2), border="transparent" )
+ }
+ else
+ matlines( qq, cbind( pdr[, "M",-1], pdr[, "F",-1] ),
+           lty="23", lwd=1, col=rep( c("blue","red"), each=2 ) )
+ }
> win.metafile(      "art-BMI-relchg.emf", height=7, width=7) ; temp.rel(trsp=FALSE) ; dev.off()

null device
1

> pdf("./graph/BMI-APC-art-BMI-relcht.pdf", height=7, width=7) ; temp.rel(          ) ; dev.off()

null device
1

> pdf("./graph/BMI-APC-art-BMI-relchg.pdf", height=7, width=7) ; temp.rel(trsp=FALSE) ; dev.off()
```

```
null device
1

> win.metafile( "art/fig3.emf", height=6, width=10) ;
> par( mfrow=c(1,2), mgp=c(3,1,0)/1.6, las=1 )
> temp.abs(trsp=FALSE) ; temp.rel(trsp=FALSE) ; dev.off()

null device
1
```

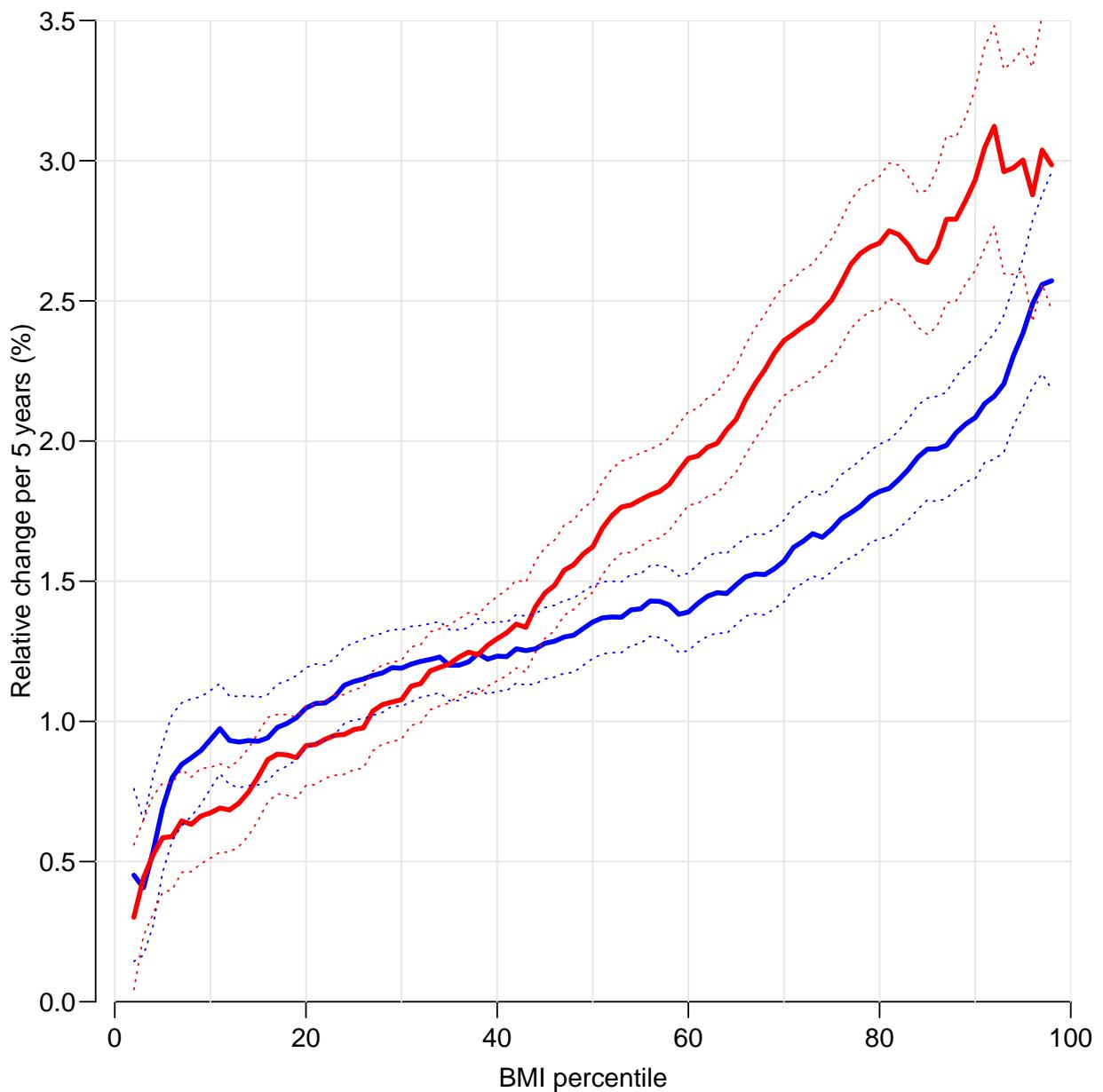


Figure 4.4: Relative changes in each percentile of the BMI-distribution per 5 years. Thus, for women the 80th percentile has on average changed by 2.8% every 5 years, the 90th by 3%. For men the corresponding figures are 2.0 and 2.5%. Moreover, the 40% leanest in the population has seen an increase in BMI of less than 1.5% per 5 years; significant different from 0, but moderate.

```

>   postscript("art/fig3.eps", height=6, width=10) ;
> par( mflow=c(1,2), mgp=c(3,1,0)/1.6, las=1 )
> temp.abs(trsp=FALSE) ; temp.rel(trsp=FALSE) ; dev.off()

null device
1

>   pdf( "art/fig3.pdf", height=6, width=10) ;
> par( mflow=c(1,2), mgp=c(3,1,0)/1.6, las=1 )
> temp.abs(trsp=FALSE) ; temp.rel(trsp=FALSE) ; dev.off()

null device
1

>   pdf( "art/fig3t.pdf", height=6, width=10) ;
> par( mflow=c(1,2), mgp=c(3,1,0)/1.6, las=1 )
> temp.abs(trsp=TRUE) ; temp.rel(trsp=TRUE) ; dev.off()

null device
1

```

4.3 Models

We now model BMI letting BMI depend additively on age and date of birth, slightly more detailed than in the APC-model before. We could in principle include a more detailed period effect too, by the very nature of data with essentially only 6 different dates of survey (see figure 2.2), this would essentially be modeling survey-specific departures from the overall (linear) trend already included in the models when age and cohort are there. Moreover, there is indeed very little period effect in the data.

4.3.1 Reporting

In order to show the evolution of BMI in the population in more detail than by the estimates from the age-period-cohort model above we will show age-specific BMI quantiles for different birth cohorts, and for different time-points.

The cohort reporting will to a large extent be extrapolations showing how the distribution of BMI will be in a given generation, even if we only have a span of 30 years observation. Hence for each generation we will only have a limited age-range covered. The period reporting will be based on the same models, but when reporting the cross-sectional BMI-distribution we will actually have the entire age-range covered.

So we define arrays to hold the predicted quantiles from regressions involving age, cohort and possibly an interaction. For convenience we create two different sets of arrays, one with a period-classification and one with a cohort classification, but first we get a few utility functions and define the relevant knots for use in the analyses:

Here is the definition of the two arrays:

```

> qnt <- c(5,10,25,50,75,90,95)/100
> q.per <- NArray( list( mod = c("lin","add","per","int"),
+                         sex = levels( abmi$sex ),
+                         qnt = qnt,
+                         age = 10:85,
+                         dos = seq(1980,2010,5) ) )
> q.coh <- NArray( list( mod = c("lin","add","per","int"),
+                         sex = levels( abmi$sex ),
+                         qnt = qnt,
+                         age = 10:85,
+                         dob = seq(1920,1980,10) ) )
> str( q.per )

logi [1:4, 1:2, 1:7, 1:76, 1:7] NA NA NA NA NA NA ...
- attr(*, "dimnames")=List of 5
..$ mod: chr [1:4] "lin" "add" "per" "int"
..$ sex: chr [1:2] "M" "F"
..$ qnt: chr [1:7] "0.05" "0.1" "0.25" "0.5" ...
..$ age: chr [1:76] "10" "11" "12" "13" ...
..$ dos: chr [1:7] "1980" "1985" "1990" "1995" ...

> str( q.coh )

logi [1:4, 1:2, 1:7, 1:76, 1:7] NA NA NA NA NA NA ...
- attr(*, "dimnames")=List of 5
..$ mod: chr [1:4] "lin" "add" "per" "int"
..$ sex: chr [1:2] "M" "F"
..$ qnt: chr [1:7] "0.05" "0.1" "0.25" "0.5" ...
..$ age: chr [1:76] "10" "11" "12" "13" ...
..$ dob: chr [1:7] "1920" "1930" "1940" "1950" ...

```

We also define an array of exactly the same structure as the cohort-classified, with a 1 for those entries (combinations of age an birth cohort) where there are actually survey data.

```

> o.coh <- q.coh*0
> str( o.coh )

num [1:4, 1:2, 1:7, 1:76, 1:7] NA NA NA NA NA NA NA NA ...
- attr(*, "dimnames")=List of 5
..$ mod: chr [1:4] "lin" "add" "per" "int"
..$ sex: chr [1:2] "M" "F"
..$ qnt: chr [1:7] "0.05" "0.1" "0.25" "0.5" ...
..$ age: chr [1:76] "10" "11" "12" "13" ...
..$ dob: chr [1:7] "1920" "1930" "1940" "1950" ...

> for( ia in dimnames( o.coh )[["age"]] )
+ for( ic in dimnames( o.coh )[["dob"]] )
+   o.coh[,,ia,ic] <- ( as.numeric(ic)+as.numeric(ia)>1978 &
+                       as.numeric(ic)+as.numeric(ia)<2011 )
> o.coh[o.coh==0] <- NA
> table(o.coh,exclude=NULL)

o.coh
    1 <NA>
11592 18200

```

Finally we define an array to hold the estimated trends in the BMI-quantiles, separately for men and women:

```
> Trend <- NArray( list( est = c("BMI/5y","lower","upper"),
+                         sex = levels( abmi$sex ),
+                         qnt = qnt ) )
> Curve <- NArray( list( est = c("per^2","lower","upper"),
+                         sex = levels( abmi$sex ),
+                         qnt = qnt ) )
```

So now we can fill the arrays with the predictions from the quantile regression models:

```
> aa <- as.numeric(dimnames(q.coh)[["age"]])
> bb <- as.numeric(dimnames(q.coh)[["dob"]])
> ss <- as.numeric(dimnames(q.per)[["dos"]])
> nd.coh <- data.frame( age = rep(aa,      length(bb)),
+                         dob = rep(bb,each=length(aa)) )
> nd.coh <- transform( nd.coh, dos = dob+age )
> nd.per <- data.frame( age = rep(aa,      length(ss)),
+                         dos = rep(ss,each=length(aa)) )
> nd.per <- transform( nd.per, dob = dos-age )
> for( sx in dimnames( q.coh )[["sex"]] )
+ for( iq in dimnames( q.coh )[["qnt"]] )
+ {
+   m.lin <- rq( bmi ~ Ns(age,kn=a.kn) + dob,
+                 tau=as.numeric(iq),
+                 data=subset( abmi, sex==sx ) )
+   m.add <- rq( bmi ~ Ns(age,kn=a.kn) +
+                 Ns(dob,kn=b.kn),
+                 tau=as.numeric(iq),
+                 data=subset( abmi, sex==sx ) )
+   m.per <- rq( bmi ~ Ns(age,kn=a.kn) +
+                 Ns(dob,kn=b.kn) +
+                 I(((dos-1990)/10)^2),
+                 tau=as.numeric(iq),
+                 data=subset( abmi, sex==sx ) )
+   m.int <- rq( bmi ~ Ns(age,kn=a.kn) +
+                 Ns(dob,kn=b.kn) +
+                 I((age-50) *(dob-1950)) +
+                 I((age-50)^2*(dob-1950)),
+                 tau=as.numeric(iq),
+                 data=subset( abmi, sex==sx ) )
+   cf <- summary(m.lin)$coef[grep("dob",names(coef(m.lin))),1:2,drop=F]
+   Trend[,sx,iq] <- (cf*5) %*% ci.mat()
+   cf <- summary(m.per)$coef[grep("dos",names(coef(m.per))),1:2,drop=F]
+   Curve[,sx,iq] <- cf %*% ci.mat()
+   q.coh[["lin",sx,iq,,]] <- predict( m.lin, newdata = nd.coh )
+   q.coh[["add",sx,iq,,]] <- predict( m.add, newdata = nd.coh )
+   q.coh[["per",sx,iq,,]] <- predict( m.per, newdata = nd.coh )
+   q.coh[["int",sx,iq,,]] <- predict( m.int, newdata = nd.coh )
+   q.per[["lin",sx,iq,,]] <- predict( m.lin, newdata = nd.per )
+   q.per[["add",sx,iq,,]] <- predict( m.add, newdata = nd.per )
+   q.per[["per",sx,iq,,]] <- predict( m.per, newdata = nd.per )
+   q.per[["int",sx,iq,,]] <- predict( m.int, newdata = nd.per )
+ }
```

We see that also in the simple model setting, the changes in BMI-quantiles is larger for the higher quantiles, but the increases in the lower ones are also there.

We also checked to see if there was a curvature component (a quadratic) to the period effect, and checked how this changed estimates in the plots:

```
> round( ftable( Curve, col.vars=2:1 ), 3 )

      sex      M          F
      est per^2 lower upper per^2 lower upper
qnt
0.05     -0.179 -0.305 -0.054 -0.238 -0.336 -0.140
```

```

0.1      -0.093 -0.193  0.007 -0.219 -0.303 -0.135
0.25     -0.098 -0.185 -0.012 -0.150 -0.228 -0.072
0.5      -0.085 -0.169 -0.001 -0.204 -0.301 -0.107
0.75     0.044 -0.064  0.152 -0.241 -0.383 -0.098
0.9      0.132 -0.029  0.293 -0.471 -0.715 -0.228
0.95     0.035 -0.179  0.248 -0.526 -0.864 -0.187

```

For the lower quantiles among males and for all quantiles among women there seems to be a negative curvature (steeper increase early, flatter later) but opposite for the quantiles above the median for males. These effects are just detectable in the rightmost panels of figure ??, but from the figure it is also seen that the effects are very small and of no practical importance.

Once we have filled the arrays `q.coh` and `q.per` with the BMI-quantiles, and we have an indicator of the relevant range of the cohort data in the array `o.coh`, we can plot the quantile predictions and show what parts of the predictions that are directly supported by the data.

```

> par( mfrow=dim(q.coh)[c("sex", "qnt")],
+       mar=c(0,0,0,0), mgp=c(3,1,0)/1.6, oma=c(3,3,3,1), las=1 )
> for( sx in 1:dim(q.coh)[["sex"]] )
+ for( iq in 1:dim(q.coh)[["qnt"]] )
+ {
+   plot( NA, xlim=c(20,85), ylim=c(15,45),
+         xaxt="n", yaxt="n", xlab="", ylab="" )
+   if( sx==2 ) axis( side=1 )
+   if( sx==1 ) mtext( 100*as.numeric(dimnames(q.coh)[["qnt"]][iq]),
+                      side=3, line=0.5, cex=0.8 )
+   if( iq==1 ) axis( side=2 )
+   abline( h=seq(0,50,5), v=seq(0,100,10), col=gray(0.85) )
+   matlines( aa, q.coh["add",sx,iq,,], lwd=1, lty=1, col=gray(0.5) )
+   matlines( aa, q.coh["add",sx,iq,,]*o.coh["add",sx,iq,,], lwd=2, lty=1,
+             col=c("blue", "red")[sx] )
+ }
> mtext( expression("BMI (kg/*m^2*")"), side=2, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Age (years)", side=1, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Percentile of the BMI-distribution",
+         side=3, line=1.5, cex=0.8, outer=TRUE )

```

Here is the code that produces the plot for the article:

```

> temp.graph <-
+ function()
+ {
+   par( mfrow=c(2,3), mar=c(0,0,0,0), mgp=c(3,1,0)/1.6, oma=c(3.5,3.5,3,2.5),
+        las=1, cex=1 )
+   for( sx in 1:2 )
+   for( iq in c(2,4,6) )
+   {
+     plot( NA, xlim=c(20,85), ylim=c(15,45),
+           xaxt="n", yaxt="n", xlab="", ylab="" )
+     if( sx==2 ) axis( side=1 )
+     if( sx==1 ) mtext( 100*as.numeric(dimnames(q.coh)[["qnt"]][iq]),
+                        side=3, line=0.5, cex=0.8 )
+     if( iq==2 ) axis( side=2 )
+     if( iq==6 ) axis( side=4 )
+     abline( h=seq(0,50,5), v=seq(0,100,10), col=gray(0.85) )
+     matlines( aa, q.coh["add",sx,iq,,], lwd=1 , lty=1, col=gray(0.5) )
+     matlines( aa, q.coh["add",sx,iq,,]*o.coh["add",sx,iq,,], lwd=3:2, lty=1,
+               col=c("blue", "red")[sx] )
+     text( 60, q.coh["add",sx,iq,"60","1920"]*0.99, "1920", adj=c(0,1), col=c("blue", "red")[sx] )
+     text( 30, q.coh["add",sx,iq,"30","1980"]*1.01, "1980", adj=c(1,0), col=c("blue", "red")[sx] )
+   }

```

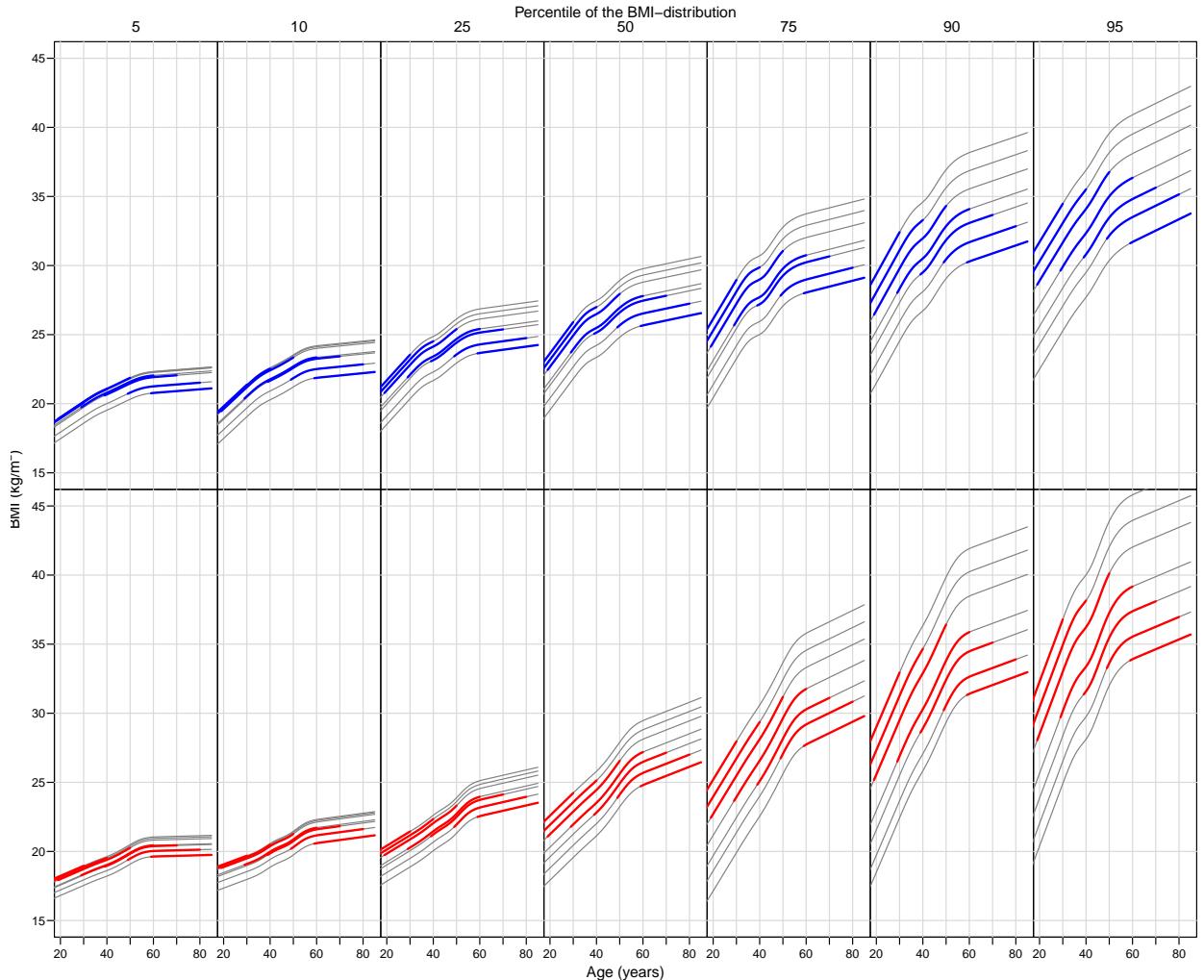


Figure 4.5: Age-specific percentiles of BMI by sex. Each curve represents a birth cohort (1920, 1930, ..., 1980). Gray lines are estimates from quantile regression models, the colored part of the lines indicate the areas in which data is available.

Note that the curves in each panel come from the same model-fit (namely that for the corresponding quantile) and are assumed to be parallel, that is to have the same shape. This is a model which allows a non-linear cohort effect; the model with linear cohort effect would assume that the curves were equidistant.

```

+ mtext( expression("BMI (kg/*m^2*)"), side=2, line=2, outer=TRUE, las=0 )
+ mtext( "Age (years)", side=1, line=2, outer=TRUE, las=0 )
+ mtext( "Percentile of the BMI-distribution",
+         side=3, line=1.5, cex=0.8, outer=TRUE )
+ }
> temp.graph()
> win.metafile( "art/fig4a.emf", height=10, width=10 ) ; temp.graph() ; dev.off()

pdf
2

> postscript( "art/fig4a.eps", height=10, width=10 ) ; temp.graph() ; dev.off()

pdf
2

> pdf( "art/fig4a.pdf", height=10, width=10 ) ; temp.graph() ; dev.off()

pdf
2

> par( mfrow=dim(q.coh)[c("sex", "qnt")],
+       mar=c(0,0,0,0), mgp=c(3,1,0)/1.6, oma=c(3,3,3,1), las=1 )
> for( sx in 1:dim(q.coh)[["sex"]] )
+ for( iq in 1:dim(q.coh)[["qnt"]] )
+ {
+ plot( NA, xlim=c(20,85), ylim=c(15,45),
+       xaxt="n", yaxt="n", xlab="", ylab="" )
+ if( sx==2 ) axis( side=1 )
+ if( sx==1 ) mtext( 100*as.numeric(dimnames(q.coh)[["qnt"]][iq]),
+                     side=3, line=0.5, cex=0.8 )
+ if( iq==1 ) axis( side=2 )
+ abline( h=seq(0,50,5), v=seq(0,100,10), col=gray(0.85) )
+ matlines( aa, q.per[["add",sx,iq,,], lwd=2, lty=1,
+             col=c("blue","red")[sx] )
+ }
> mtext( expression("BMI (kg/*m^2*)"), side=2, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Age (years)", side=1, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Percentile of the BMI-distribution",
+         side=3, line=1.5, cex=0.8, outer=TRUE )

```

Here is the code for the plot in the paper

```

> temp.graph <- function()
+ {
+ par( mfrow=c(2,3), mar=c(0,0,0,0), mgp=c(3,1,0)/1.6,
+       oma=c(3.5,3.5,3,2.5), las=1, cex=1 )
+ for( sx in 1:2 )
+ for( iq in c(2,4,6) )
+ {
+ plot( NA, xlim=c(20,85), ylim=c(15,45),
+       xaxt="n", yaxt="n", xlab="", ylab="" )
+ if( sx==2 ) axis( side=1 )
+ if( sx==1 ) mtext( 100*as.numeric(dimnames(q.coh)[["qnt"]][iq]),
+                     side=3, line=0.5 )
+ if( iq==2 ) axis( side=2 )
+ if( iq==6 ) axis( side=4 )
+ abline( h=seq(0,50,5), v=seq(0,100,10), col=gray(0.85) )

```

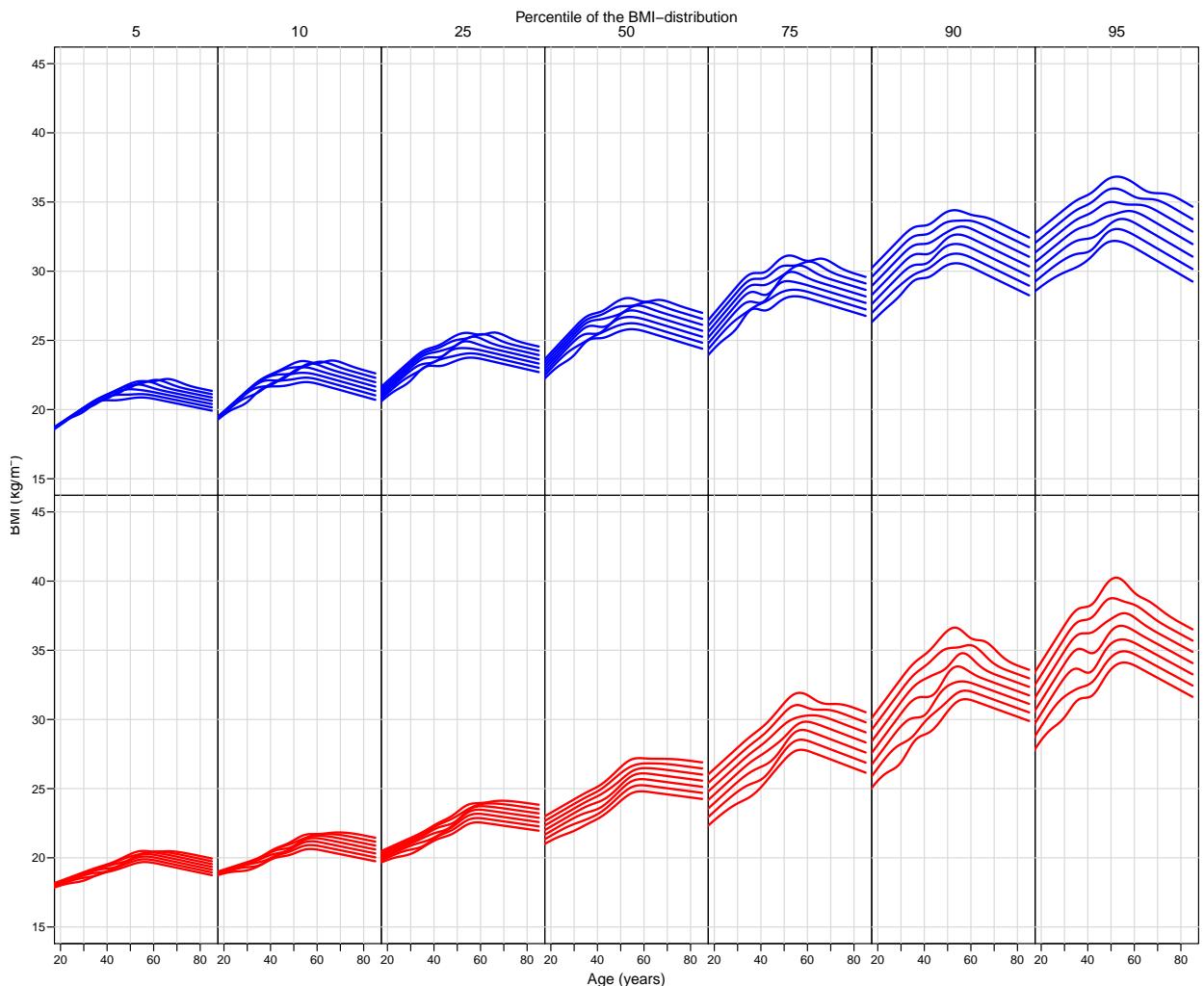


Figure 4.6: *Age-specific percentiles of BMI by sex. Each curve represents a date (1980, 1985, ..., 2010).*

Note that the curves in each panel come from the same model-fit (namely that for the corresponding quantile) and are assumed to be parallel, that is to have the same shape between cohorts, but not necessarily between periods.

```

+ matlines( aa, q.per["add",sx,iq,,], lwd=3:2, lty=1, col=c("blue","red")[sx] )
+ text( 70, q.per["add",sx,iq,"70","1980"]*0.99, "1980", adj=c(1,1), col=c("red","blue")[3-sx] )
+ text( 40, q.per["add",sx,iq,"40","2010"]*1.01, "2010", adj=c(1,0), col=c("red","blue")[3-sx] )
+ }
+ mtext( expression("BMI (kg/*m^2*)"), side=2, line=2, outer=TRUE, las=0 )
+ mtext( "Age (years)", side=1, line=2, outer=TRUE, las=0 )
+ mtext( "Percentile of the BMI-distribution", side=3, line=1.5, outer=TRUE )
+ }
> temp.graph()
> win.metafile( "art/fig4b.emf", height=10, width=10) ; temp.graph() ; dev.off()

windows
2

> postscript( "art/fig4b.eps", height=10, width=10) ; temp.graph() ; dev.off()

windows
2

> pdf( "art/fig4b.pdf", height=10, width=10) ; temp.graph() ; dev.off()

windows
2

> par( mfrow=dim(q.coh)[c("sex", "dob")],
+       mar=c(0,0,0,0), mgp=c(3,1,0)/1.6, oma=c(4,4,3,1), las=1 )
> for( sx in 1:dim(q.coh)[["sex"]] )
+ for( ib in 1:dim(q.coh)[["dob"]] )
+ {
+ plot( NA, xlim=c(20,85), ylim=c(15,45),
+       xaxt="n", yaxt="n", xlab="", ylab="" )
+ if( sx==2 ) axis( side=1 )
+ if( sx==1 ) mtext( side=3, line=0.5, dimnames(q.coh)[["dob"]][ib], cex=0.8 )
+ if( ib==1 ) axis( side=2 )
+ abline( h=seq(0,50,5), v=seq(0,100,10), col=gray(0.85) )
+ matlines( aa, t(q.coh["add",sx,,,ib]) , lwd=1, lty=1, col=gray(0.5) )
+ matlines( aa, t(q.coh["add",sx,,,ib]*o.coh["add",sx,,,ib]), lwd=2, lty=1,
+           col=c("blue","red")[sx] )
+ }
> mtext( expression("BMI (kg/*m^2*)"), side=2, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Age (years)", side=1, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Birth cohort", side=3, line=1.5, cex=0.8, outer=TRUE )

> par( mfrow=dim(q.coh)[c("sex", "dob")],
+       mar=c(0,0,0,0), mgp=c(3,1,0)/1.6, oma=c(4,4,3,1), las=1 )
> for( sx in 1:dim(q.coh)[["sex"]] )
+ for( ib in 1:dim(q.coh)[["dob"]] )
+ {
+ plot( NA, xlim=c(20,85), ylim=c(15,45),
+       xaxt="n", yaxt="n", xlab="", ylab="" )
+ if( sx==2 ) axis( side=1 )
+ if( sx==1 ) mtext( side=3, line=0.5, dimnames(q.coh)[["dob"]][ib], cex=0.8 )
+ if( ib==1 ) axis( side=2 )
+ abline( h=seq(0,50,5), v=seq(0,100,10), col=gray(0.85) )
+ matlines( aa, t(q.coh["add",sx,,,ib]) , lwd=1, lty=1, col=gray(0.5) )
+ matlines( aa, t(q.coh["int",sx,,,ib]*o.coh["int",sx,,,ib]), lwd=2, lty=1,
+           col=c("blue","red")[sx] )
+ }
> mtext( expression("BMI (kg/*m^2*)"), side=2, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Age (years)", side=1, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Birth cohort", side=3, line=1.5, cex=0.8, outer=TRUE )

```

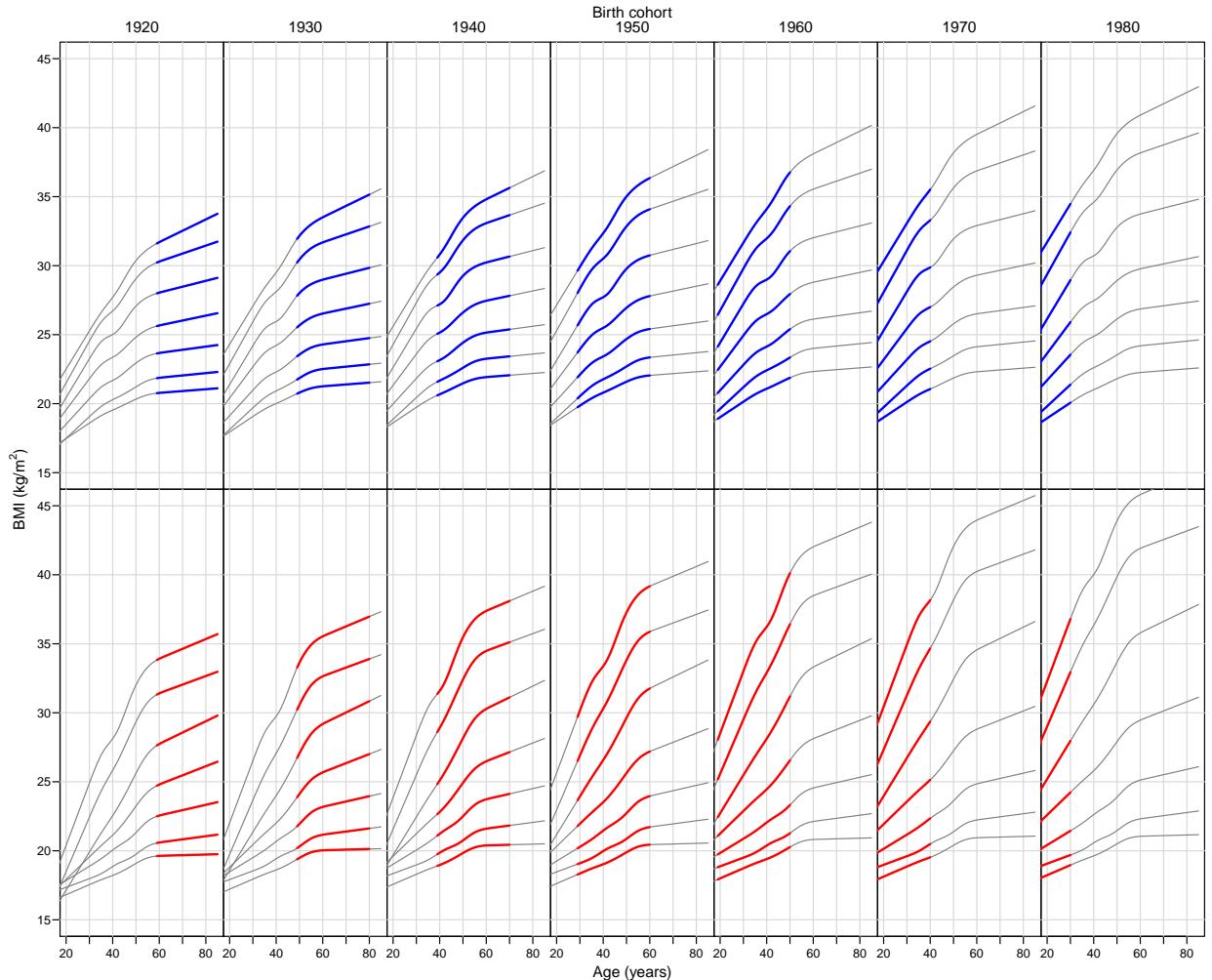


Figure 4.7: *Age-specific percentiles (5,10,25,50,75,90,95) of BMI, by sex and birth cohort. Gray lines are estimates from quantile regression models, the colored part of the lines indicate the areas in which data is available.*

The different lines in each panel are from different models (one model for each quantile).

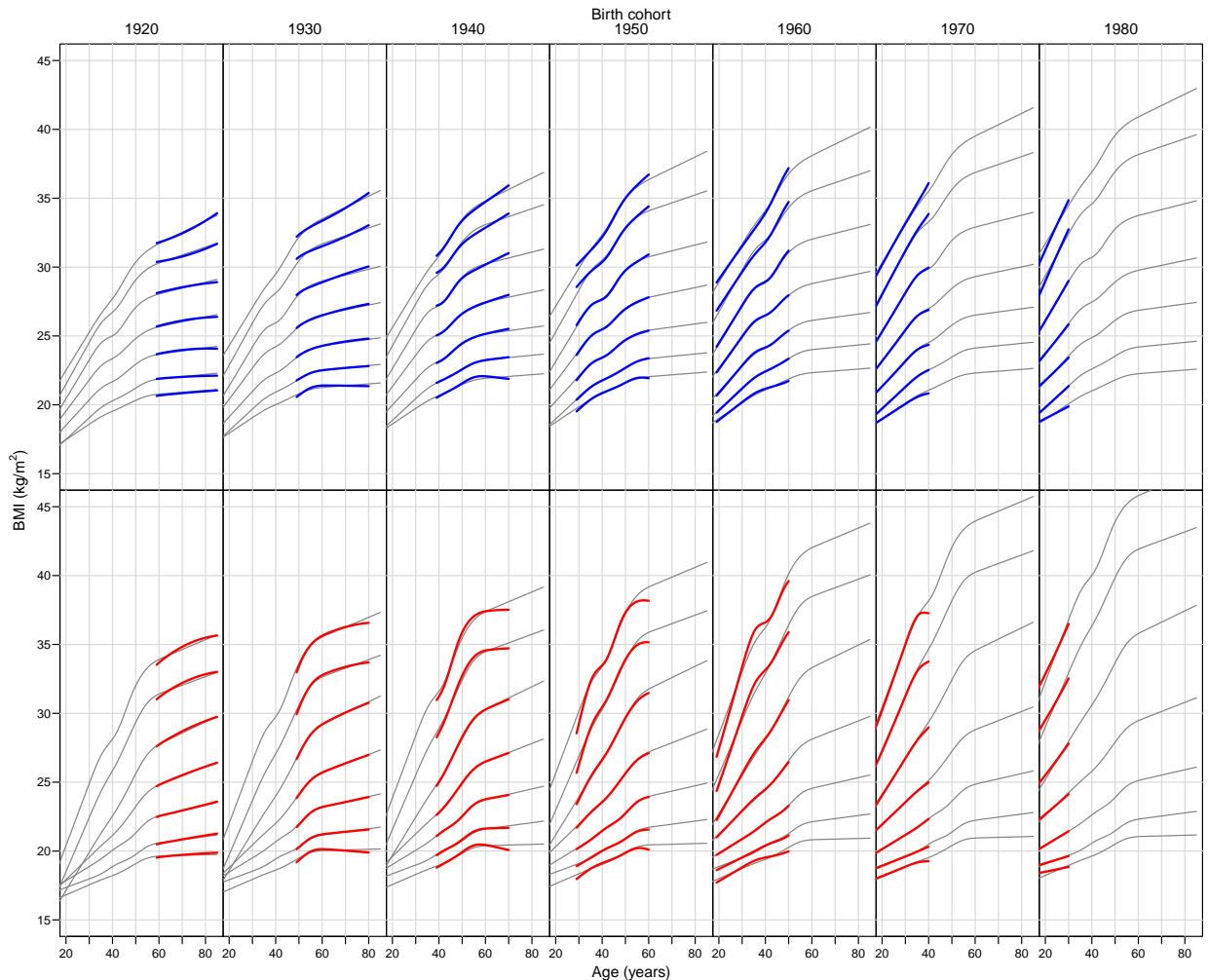


Figure 4.8: *Age-specific percentiles (5,10,25,50,75,90,95) of BMI, by sex and birth cohort. Gray lines are estimates from age-cohort quantile regression models. The colored part of the lines indicate where data is available and show estimates from models with 2-parameter interaction between age and birth cohort.*

```

> par( mfrow=dim(q.coh)[c("sex", "dob")],
+       mar=c(0,0,0,0), mgp=c(3,1,0)/1.6, oma=c(4,4,3,1), las=1 )
> for( sx in 1:dim(q.coh)[["sex"]] ) 
> for( ib in 1:dim(q.coh)[["dob"]] ) 
> {
+ plot( NA, xlim=c(20,85), ylim=c(15,45),
+       xaxt="n", yaxt="n", xlab="", ylab="" )
+ if( sx==2 ) axis( side=1 )
+ if( sx==1 ) mtext( side=3, line=0.5, dimnames(q.coh)[["dob"]][ib], cex=0.8 )
+ if( ib==1 ) axis( side=2 )
+ abline( h=seq(0,50,5), v=seq(0,100,10), col=gray(0.85) )
+ matlines( aa, t(q.coh["add",sx,,,ib]) , lwd=1, lty=1, col=gray(0.5) )
+ matlines( aa, t(q.coh["per",sx,,,ib]*o.coh["per",sx,,,ib]), lwd=2, lty=1,
+           col=c("blue","red")[sx] )
+ }
> mtext( expression("BMI (kg/m^2)"), side=2, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Age (years)", side=1, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Birth cohort", side=3, line=1.5, cex=0.8, outer=TRUE )

```

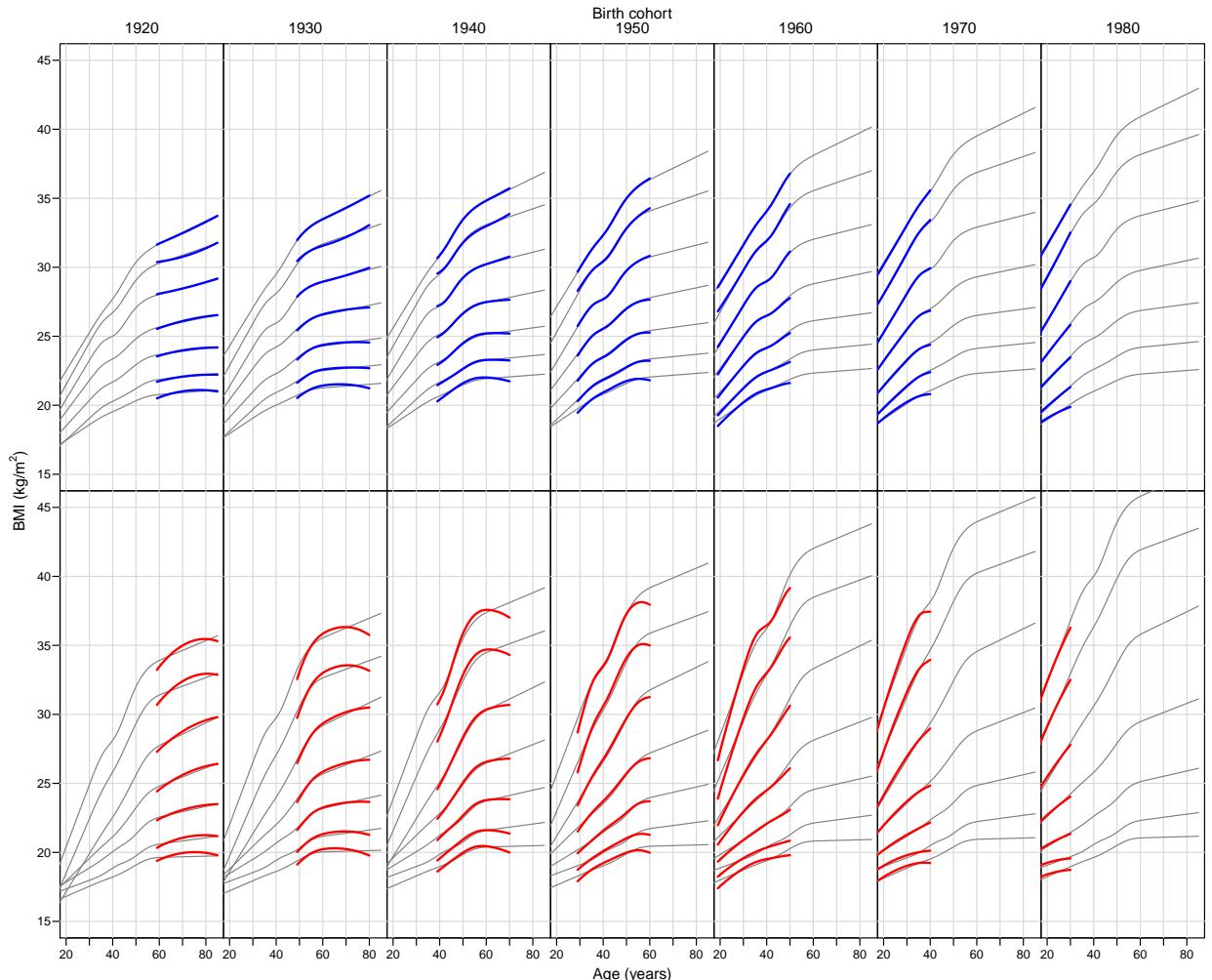


Figure 4.9: *Age-specific percentiles (5,10,25,50,75,90,95) of BMI, by sex and birth cohort. Gray lines are estimates from age-cohort quantile regression models. The colored part of the lines indicate where data is available and show estimates from models with an extra 1-parameter quadratic term in date of survey (period).*

```

> par( mfrow=dim(q.per)[c("sex","dos")],
+       mar=c(0,0,0,0), mgp=c(3,1,0)/1.6, oma=c(4,4,3,1), las=1 )
> for( sx in 1:dim(q.per)[["sex"]] ) 
+ for( ip in 1:dim(q.per)[["dos"]] ) 
+ {
+ plot( NA, xlim=c(20,85), ylim=c(15,45),
+       xaxt="n", yaxt="n", xlab="", ylab="" )
+ if( sx==2 ) axis( side=1 )
+ if( sx==1 ) mtext( side=3, line=0.5, dimnames(q.per)[["dos"]][ip], cex=0.8 )
+ if( ip==1 ) axis( side=2 )
+ abline( h=seq(0,50,5), v=seq(0,100,10), col=gray(0.85) )
+ matlines( aa, t(q.per["add",sx,,ip]), lwd=2, lty=1, col=c("blue","red")[sx] )
+ }
> mtext( expression("BMI (kg/*m^2*)"), side=2, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Age (years)", side=1, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Survey date", side=3, line=1.5, cex=0.8, outer=TRUE )

> par( mfrow=dim(q.per)[c("sex","dos")],
+       mar=c(0,0,0,0), mgp=c(3,1,0)/1.6, oma=c(4,4,3,1), las=1 )
> for( sx in 1:dim(q.per)[["sex"]] ) 
+ for( ip in 1:dim(q.per)[["dos"]] ) 
+ {

```

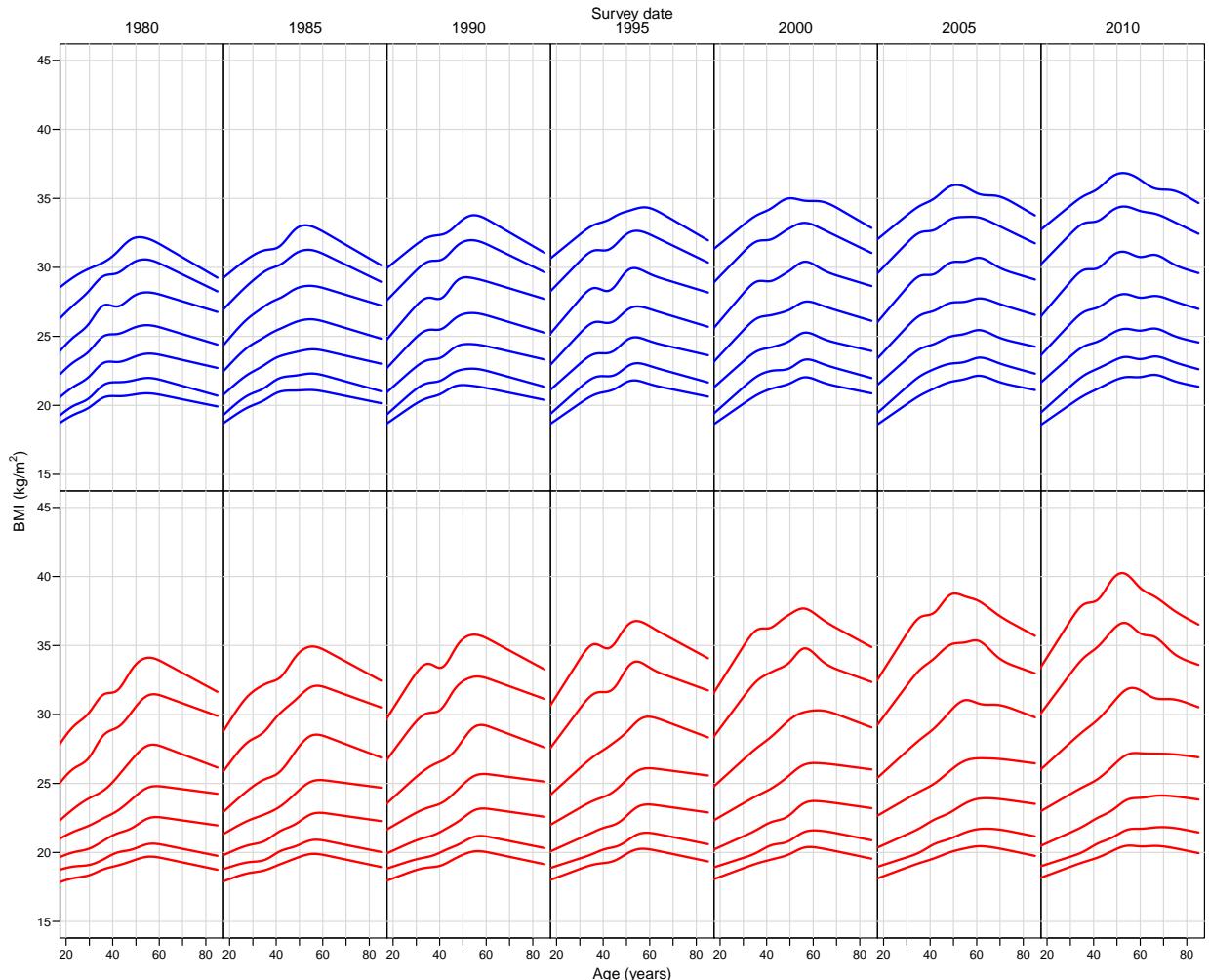


Figure 4.10: *Age-specific percentiles (5,10,25,50,75,90,95) of BMI, by sex and date of survey. The different lines in each panel are from different models (one model for each quantile).*

```

+ plot( NA, xlim=c(20,85), ylim=c(15,45),
+       xaxt="n", yaxt="n", xlab="", ylab="" )
+ if( sx==2 ) axis( side=1 )
+ if( sx==1 ) mtext( side=3, line=0.5, dimnames(q.per)[["dos"]][ip], cex=0.8 )
+ if( ip==1 ) axis( side=2 )
+ abline( h=seq(0,50,5), v=seq(0,100,10), col=gray(0.85) )
+ matlines( aa, t(q.per["add",sx,,,ip]), lwd=2, lty=1, col=c("blue","red")[sx] )
+ matlines( aa, t(q.per["per",sx,,,ip]), lwd=1, lty=2, col=c("blue","red")[sx] )
+ }
> mtext( expression("BMI (kg/*m^2*") ), side=2, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Age (years)", side=1, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Survey date", side=3, line=1.5, cex=0.8, outer=TRUE )

```

It is seen from the plots in figure 4.10 that the BMI-quantiles are decreasing after age 60. This is however a phenomenon that is attributable to the fact that BMI is increasing from generation to generation, and we therefore when comparing different generations in a cross-sectional study see a mixture of the “true” age-effect (what happens in a cohort traveling through life) and the cohort effect (change from one cohort to the next).

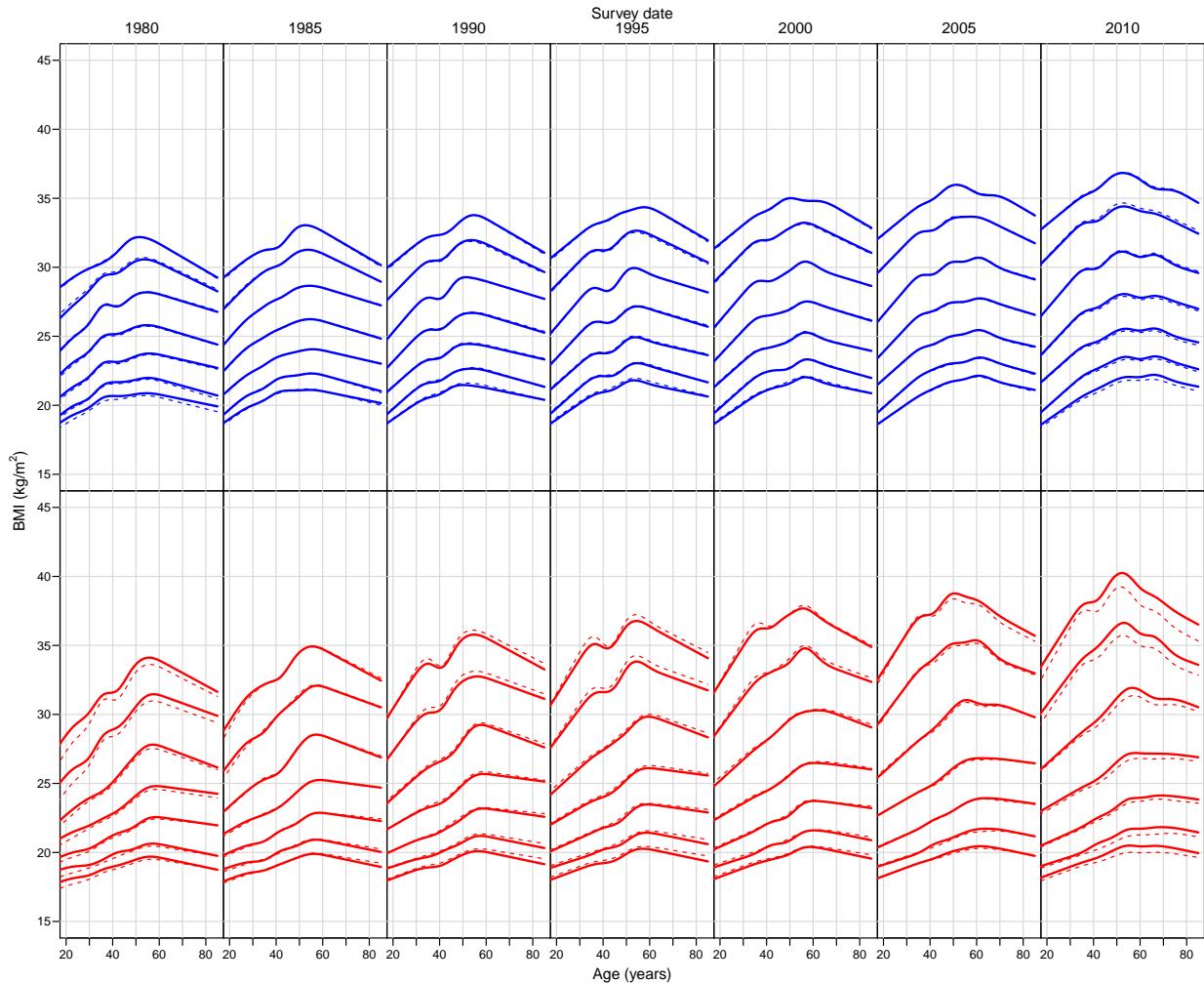


Figure 4.11: Age-specific percentiles (5,10,25,50,75,90,95) of BMI, by sex and date of survey. The different lines in each panel are from different models (one model for each quantile). The broken lines are the model fit from models with an extra quadratic term in date of survey (period).

Chapter 5

The prevalence of obesity

The “inverse” question to that answered in the previous chapter where we modelled prespecified quantiles of BMI, is to ask the question of how large a fraction of a given cohort will have a BMI above a certain cutpoint (say 30, 35 or 40 kg/m²).

This is essentially an interpolation problem, that could be solved by making quantile regression for percentiles 99,98,...,85, say. For a given age and date of birth we could then find out which of these percentiles were above the cutpoint and take that as the estimated percentage. Or slightly more sophisticated, make an interpolation to find the precise probability of being above the cutpoint.

We will do the latter for the age-period-cohort model with the quadratic period term in it. So we set up an array as before to hold the estimated quantiles in the range 99 to 60%, as this is the likely range in which we shall see BMI 30.

5.1 Models

First we load the data ad the knots and the necessary

```
> load( file=".~/data/knots.Rdata" )
```

Here is the definition of the array to hold the estimated fractions:

```
> qnt <- 60:99/100
> qx.per <- NArray( list( sex = levels( abmi$sex ),
+                         age = 10:85,
+                         dos = 1980:2010,
+                         qnt = qnt ) )
> length( qx.per )
```

```
[1] 188480
```

So now we can fill the array with the predictions from the quantile regression models:

```
> aa <- as.numeric(dimnames(qx.per)[["age"]])
> ss <- as.numeric(dimnames(qx.per)[["dos"]])
> nd.per <- data.frame( age = rep(aa,      length(ss)),
+                         dos = rep(ss,each=length(aa)) )
> nd.per <- transform( nd.per, dob = dos-age )
> dim( nd.per )
```

```
[1] 2356     3
```

```
> system.time(
+ for( sx in dimnames( qx.per )[["sex"]] )
+ {
+   m.apc <- rq( bmi ~ Ns(age,kn=a.kn) +
+                 Ns(dob,kn=b.kn) +
+                 I(((dos-1990)/10)^2),
+                 tau=qnt,
+                 data=subset( abmi, sex==sx ) )
+   qx.per[sx,,,] <- predict( m.apc, newdata=nd.per )
+ }
```

user	system	elapsed
52.90	0.45	54.60

This was in essence fitting the same model as in the previous chapter, however here for a much tighter grid of quantiles (60th–99th percentile).

In order to get estimates of the proportions exceeding some cutpoint, we set up a similar array, however not classified by the quantiles but by the cutpoints on the BMI scale:

```
> cut <- c(30,35,40)
> cx.per <- NArray( list( sex = levels( abmi$sex ),
+                         age = 10:85,
+                         dos = 1980:2010,
+                         cut = cut ) )
> length( cx.per )
```

[1] 14136

We can then compute the fractions by interpolating between quantiles from qx.per. But first we just check that the quantiles are actually monotonely increasing:

```
> table( apply( qx.per, 1:3, FUN=function(x) any(diff(x)<0) ) )
```

FALSE
4712

Then we can make the interpolation between the estimated quantiles to derive the fraction below each of the cutpoints by age and calendar time:

```
> int.qn <-
+ function( x, cut )
+ {
+   bl <- max( x[x<cut] )
+   bu <- min( x[x>cut] )
+   ql <- max( qnt[x<cut] )
+   qu <- min( qnt[x>cut] )
+   ql + (qu-ql) * (cut-bl)/(bu-bl)
+ }
> for( ic in dimnames(cx.per)[["cut"]] )
+   cx.per[,,ic] <- apply( qx.per, 1:3, FUN=int.qn, as.numeric(ic) )
```

Now we have the fractions of persons in a given age and year that are below any one of the three given cutpoints, which enables us to show how these fractions evolve with age, either cross-sectionally or by birth cohort:

```

> temp.graph <-
+ function()
+ {
+ par( mfrow=c(2,3), mar=c(0,0,0,0), oma=c(3,3,3,1), mgp=c(3,1,0)/1.6,
+      las=1, cex=1 )
+ for( sx in dimnames(cx.per)[["sex"]] )
+ for( ct in dimnames(cx.per)[["cut"]] )
+ {
+ plot( NA,
+       xlim=c(10,85), xaxs="i", xaxt="n",
+       ylim=c( 0,36), yaxs="i", yaxt="n", bty="o" )
+ abline( h=seq(5,30,5), v=seq(5,85,5), col=gray(0.95) )
+ matlines( as.numeric( dimnames(cx.per)[["age"]] ),
+            prv <- 100*(1-cx.per[sx,,paste(seq(1980,2010,5)),ct]),
+            lty=1, lwd=c(3,2), col=c("red","blue")[1+(sx=="M")] )
+ if( sx=="F" ) axis( side=1, at=seq(10,80,10), labels=FALSE )
+ if( sx=="F" ) axis( side=1, at=seq(20,80,20) )
+ if( ct=="30" ) axis( side=2, at=seq(0,30,5) )
+ if( sx=="M" ) mtext( ct, side=3, line=0.5 )
+ text( 70, prv["70","1980"]*0.99, "1980", adj=c(1,1), col=c("red","blue")[1+(sx=="M")] )
+ text( 25, prv["25","2010"]*1.01, "2010", adj=c(1,0), col=c("red","blue")[1+(sx=="M")] )
+ box()
+ }
+ mtext( "Age" , side=1, outer=TRUE, line=2 )
+ mtext( "% above BMI-limit", side=2, outer=TRUE, line=2, las=0 )
+ mtext( "BMI-limit" , side=3, outer=TRUE, line=2, las=0 )
+ }
> temp.graph()
> win.metafile( "art/fig5b.emf", height=10, width=10) ; temp.graph() ; dev.off()

```

pdf
2

```
> postscript( "art/fig5b.eps", height=10, width=10) ; temp.graph() ; dev.off()
```

pdf
2

```
> pdf( "art/fig5b.pdf", height=10, width=10) ; temp.graph() ; dev.off()
```

pdf
2

```

> temp.graph <-
+ function()
+ {
+ par( mfrow=c(2,3), mar=c(0,0,0,0), oma=c(3,3,3,1), mgp=c(3,1,0)/1.6,
+      las=1, cex=1 )
+ aa <- as.numeric( dimnames(cx.per)[["age"]] )
+ pp <- as.numeric( dimnames(cx.per)[["dos"]] )
+ cc <- seq(1920,1980,10)
+ for( sx in dimnames(cx.per)[["sex"]] )
+ for( ct in dimnames(cx.per)[["cut"]] )
+ {
+ # Cohort array initialized to NA
+ cA <- NArray( list( age = aa,
+                      coh = cc ) )
+ # Tease out the probabilities by cohort:
+ for( ic in cc )

```

```

+ for( ia in aa )
+ {
+   ip <- ic+ia
+   AA <- paste(ia)
+   PP <- paste(ip)
+   CC <- paste(ic)
+   if( ip<2011 & ip>1979 )
+     cA[AA,CC] <- 100*(1-cx.per[sx,AA,PP,ct])
+   }
+ plot( NA,
+       xlim=c(10,85), xaxs="i", xaxt="n",
+       ylim=c( 0,36), yaxs="i", yaxt="n", bty="o" )
+ abline( h=seq(5,30,5), v=seq(5,85,5), col=gray(0.95) )
+ matlines( aa, cA, lty=1, lwd=3:2, col=c("red","blue")[1+(sx=="M")] )
+ if( sx=="F" )
+ {
+   axis( side=1, at=seq(10,80,10), labels=FALSE )
+   axis( side=1, at=seq(20,80,20) )
+ }
+ if( sx=="M" ) mtext( ct, side=3, line=0.5 )
+ if( ct=="30" ) axis( side=2, at=seq(0,30,5) )
+ text( 70, cA["70","1920"]*0.99, "1920", adj=c(0,1), col=c("red","blue")[1+(sx=="M")] )
+ text( 25, cA["25","1980"]*1.01, "1980", adj=c(1,0), col=c("red","blue")[1+(sx=="M")] )
+ box()
+ }
+ mtext( "Age" , side=1, outer=TRUE, line=2,      )
+ mtext( "% above BMI-limit", side=2, outer=TRUE, line=2, las=0 )
+ mtext( "BMI-limit" , side=3, outer=TRUE, line=2, las=0 )
+ }
> temp.graph()
> win.metafile( "art/fig5a.emf", height=10, width=10) ; temp.graph() ; dev.off()

```

pdf
2

```
> postscript( "art/fig5a.eps", height=10, width=10) ; temp.graph() ; dev.off()
```

pdf
2

```
> pdf( "art/fig5a.pdf", height=10, width=10) ; temp.graph() ; dev.off()
```

pdf
2

5.2 Bootstrapping confidence intervals

In order to get a handle on the uncertainty of the estimates we set up an array like `cx.per` expanded with an extra dimension of 1000 to hold the results based on each of 1000 bootstrap samples. There are severe memory problems in handling arrays of this size, so we set it up to hold 100 bootstrap samples, fill them in and store on disc. This is repeated 10 times, and the results then retrieved and used for construction of the confidence intervals.

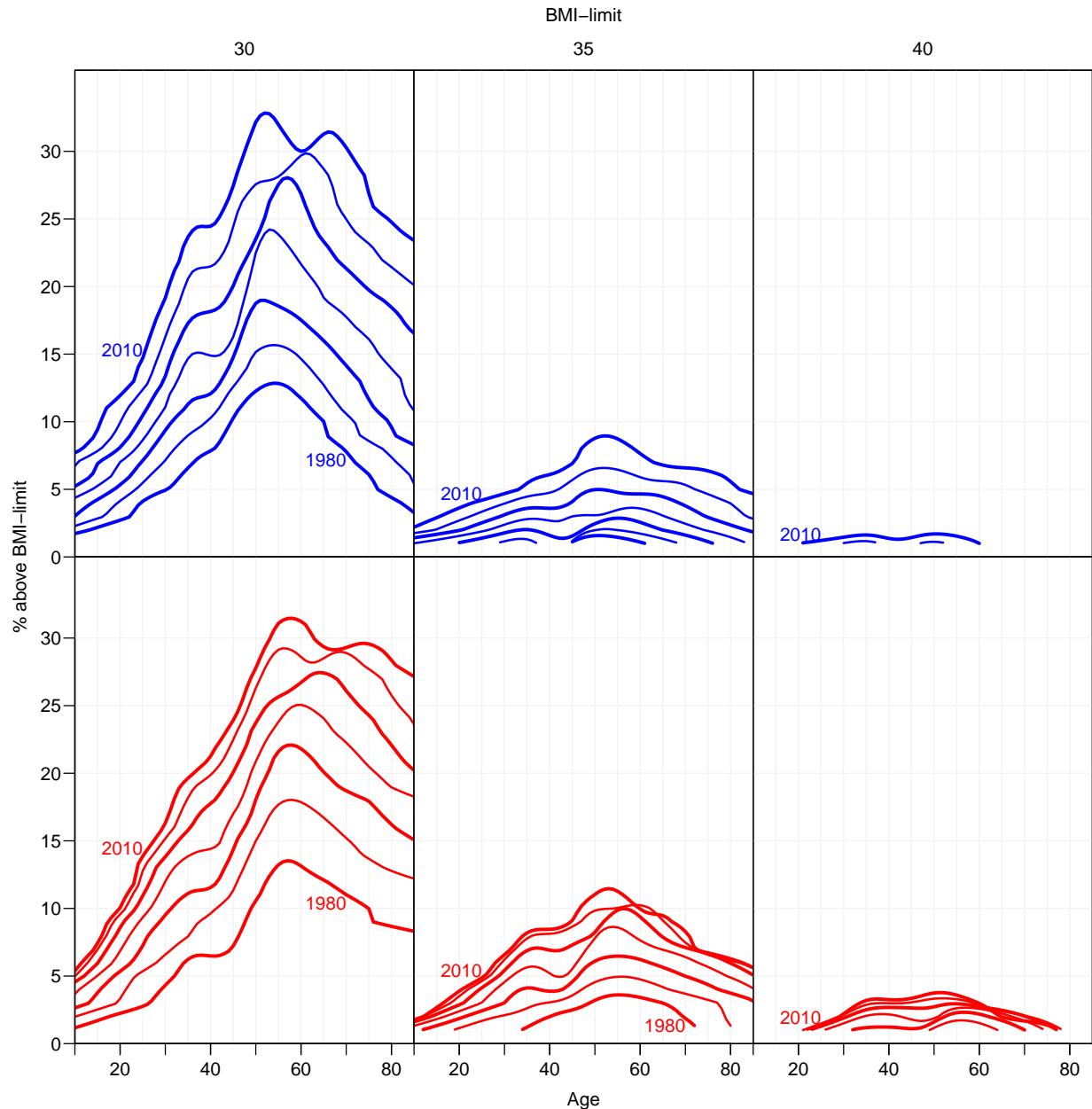


Figure 5.1: Fraction of persons that exceed BMI 30, 35 and 40 at the dates 1980, 1985, ..., 2010, as a function of age. Blue curves are for males, red for females

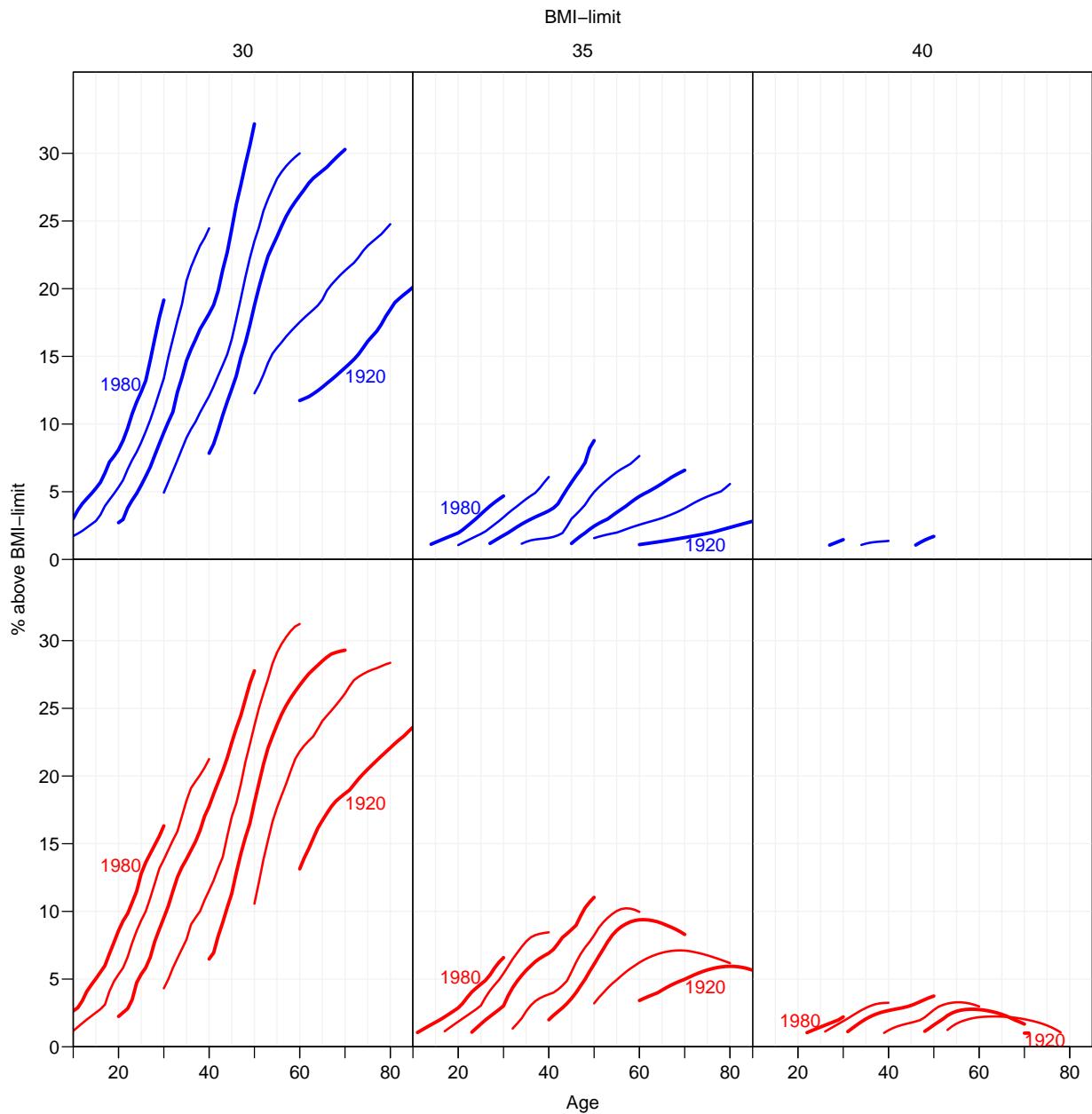


Figure 5.2: *Fraction of persons that exceed BMI 30, 35 and 40 from birth cohorts 1920, 1930, ..., 1980, as a function of age. Blue curves are for males, red for females*

```
> bx.per <- NArray( list( bsm = 1:100,
+                         sex = levels( abmi$sex ),
+                         age = 10:85,
+                         dos = 1980:2010,
+                         cut = cut ) )
> length( bx.per )
```

```
[1] 1413600
```

In order to generate a bootstrap sample of the estimated predictions, we must resample from the datasets, hence we start by defining the function that generates a resampled dataset:

```
> smpl <-
+ function( dfr )
+ dfr[sample( 1:nrow(dfr), nrow(dfr), replace=TRUE ),]
```

So now we can estimate, predict and interpolate for this sample:

```
> snum <- 1:2 #100
> for( bs in snum )
+   {
+     cat( "Bootstrap sample", bs, "start at", format(Sys.time(), "%d-%m-%Y %X"), "\n" )
+     flush.console()
+     for( sx in dimnames( qx.per )[["sex"]] )
+       {
+         m.apc <- rq( bmi ~ Ns(age,kn=a.kn) +
+                       Ns(dob,kn=b.kn) +
+                       I(((dos-1990)/10)^2),
+                       tau=qnt,
+                       data = smpl( subset(abmi,sex==sx) ) )
+         qx.per[sx,,,] <- predict( m.apc, newdata=nd.per )
+       }
+     for( ic in dimnames(bx.per)[["cut"]] )
+       {
+         ct <- as.numeric( ic )
+         bx.per[bs,,,ic] <- apply( qx.per, 1:3, FUN=int.qn, ct )
+       }
+     cat( "Bootstrap sample", bs, "done at", format(Sys.time(), "%d-%m-%Y %X"), "\n" )
+     flush.console()
+   }
```

```
Bootstrap sample 1 start at 11-11-2013 17:03:05
Bootstrap sample 1 done at 11-11-2013 17:03:59
Bootstrap sample 2 start at 11-11-2013 17:03:59
Bootstrap sample 2 done at 11-11-2013 17:04:52
```

```
> save( bx.per, file=".~/data/bx.perx.Rdata" )
> # save( bx.per, file=".~/data/bx.per9.Rdata" )
> # save( bx.per, file=".~/data/bx.per8.Rdata" )
> # save( bx.per, file=".~/data/bx.per7.Rdata" )
> # save( bx.per, file=".~/data/bx.per6.Rdata" )
> # save( bx.per, file=".~/data/bx.per5.Rdata" )
> # save( bx.per, file=".~/data/bx.per4.Rdata" )
> # save( bx.per, file=".~/data/bx.per3.Rdata" )
> # save( bx.per, file=".~/data/bx.per2.Rdata" )
> # save( bx.per, file=".~/data/bx.per1.Rdata" )
> # save( bx.per, file=".~/data/bx.per0.Rdata" )
```

We have done the bootstrapping in chunks of 100 resamplings, so now we need to assemble these in one array.

```
> Bx.per <- NArray( list( bsm = 1:1000,
+                         sex = levels( abmi$sex ),
+                         age = 10:85,
+                         dos = 1980:2010,
+                         cut = cut ) )
> length( Bx.per )

[1] 14136000

> for( i in 0:9 )
+   {
+     load( file=paste("./data/bx.per",i,".Rdata",sep="") )
+     bx.per[is.na(bx.per)] <- 1
+     Bx.per[i*100+1:100,,] <- 1-bx.per
+   }
> table( Bx.per==0, exclude=NULL )

  FALSE    TRUE    <NA>
10263671 3872329      0
```

Now we have all bootstrap samples in one array, and we now want the upper and lower bootstrap confidence limits. For the sake of completeness we also compute the median of the bootstrap samples to check whether this is in reasonable accordance with the estimate:

```
> Cx.per <- NArray( list( lim = c("Est","med","lo","hi"),
+                         sex = levels( abmi$sex ),
+                         age = 10:85,
+                         dos = 1980:2010,
+                         cut = cut ) )
> length( Cx.per )

[1] 56544

> Cx.per["Est",,,,] <- 1-cx.per
> Cx.per[-1,,,] <- apply( Bx.per[,,,],
+                          2:5,
+                          quantile,
+                          probs=c(500,25,975)/1000,
+                          na.rm=TRUE )
> # Remove estimates that are outside the interpolation range
> Cx.per[Cx.per<0.01] <- NA
```

Once we have the estimated prevalences with confidence intervals, we can repeat the plots we did previously, but now including confidence limits to allow us to see how precise the prevalence predictions are:

```
> temp.graph <-
+ function(cl=2)
+ {
+   par( mfrow=c(2,3), mar=c(0,0,0,0), oma=c(3,3,3,1), mgp=c(3,1,0)/1.6,
+        las=1, cex=1 )
+   for( sx in dimnames(cx.per)[["sex"]] )
+     for( ct in dimnames(cx.per)[["cut"]] )
+   {
+     plot( NA,
+           xlim=c(10,85), xaxs="i", xaxt="n",
+           ylim=c( 0,36), yaxs="i", yaxt="n", bty="o" )
+     abline( h=seq(5,30,5), v=seq(5,85,5), col=gray(0.95) )
```

```

+ matlines( as.numeric( dimnames(Cx.per)[["age"]] ), 
+           100*cbind(t(Cx.per[-1,sx,, "1980",ct]),
+           t(Cx.per[-1,sx,, "1985",ct]),
+           t(Cx.per[-1,sx,, "1990",ct]),
+           t(Cx.per[-1,sx,, "1995",ct]),
+           t(Cx.per[-1,sx,, "2000",ct]),
+           t(Cx.per[-1,sx,, "2005",ct]),
+           t(Cx.per[-1,sx,, "2010",ct])),
+           lty=c(1,cl,cl), lwd=c(3,1,1,2,1,1), col=c("red","blue")[1+(sx=="M")] )
+ if( sx=="F" ) axis( side=1, at=seq(10,80,10), labels=FALSE )
+ if( sx=="F" ) axis( side=1, at=seq(20,80,20) )
+ if( ct=="30" ) axis( side=2, at=seq(0,30,5) )
+ if( sx=="M" ) mtext( ct, side=3, line=0.5 )
+ text( 70, Cx.per["med",sx,"70","1980",ct]* 99, "1980", adj=c(1,1), col=c("red","blue")[1+(sx=="M")]
+ text( 25, Cx.per["med",sx,"25","2010",ct]*101, "2010", adj=c(1,0), col=c("red","blue")[1+(sx=="M")]
+ box()
+ }
+ mtext( "Age" , side=1, outer=TRUE, line=2 )
+ mtext( "% above BMI-limit", side=2, outer=TRUE, line=2, las=0 )
+ mtext( "BMI-limit" , side=3, outer=TRUE, line=2, las=0 )
+ }
> temp.graph()
> win.metafile( "art/fig5b.ci.emf", height=10, width=10) ; temp.graph() ; dev.off()

```

pdf
2

```
> postscript( "art/fig5b.ci.eps", height=10, width=10) ; temp.graph() ; dev.off()
```

pdf
2

```
> pdf( "art/fig5b.ci.pdf", height=10, width=10) ; temp.graph() ; dev.off()
```

pdf
2

```

> temp.graph <-
+ function(cl=2)
+ {
+ par( mfrow=c(2,3), mar=c(0,0,0,0), oma=c(3,3,3,1), mgp=c(3,1,0)/1.6,
+       las=1, cex=1 )
+ aa <- as.numeric( dimnames(cx.per)[["age"]] )
+ pp <- as.numeric( dimnames(cx.per)[["dos"]] )
+ cc <- seq(1920,1980,10)
+ for( sx in dimnames(cx.per)[["sex"]] )
+ for( ct in dimnames(cx.per)[["cut"]] )
+ {
+ # Cohort array initialized to NA
+ cA <- NArray( list( est = c("Est","med","lo","hi"),
+                     age = aa,
+                     coh = cc ) )
+ # Tease out the probabilities by cohort:
+ for( ic in cc )
+ for( ia in aa )
+ {
+   ip <- ic+ia
+   AA <- paste(ia)
+   PP <- paste(ip)

```

```
+   CC <- paste(ic)
+   if( ip<2011 & ip>1979 )
+     cA[,AA,CC] <- 100*Cx.per[,sx,AA,PP,ct]
+
+ plot( NA,
+       xlim=c(10,85), xaxs="i", xaxt="n",
+       ylim=c( 0,36), yaxs="i", yaxt="n", bty="o" )
+ abline( h=seq(5,30,5), v=seq(5,85,5), col=gray(0.95) )
+ for( i in c(2,3,4) )
+ matlines( aa, cA[i,,], lty=if(i>2.1) 1 else 1,
+           lwd=if(i>2.1) 1 else 3:2, col=c("red","blue")[1+(sx=="M")] )
+ if( sx=="F" ) axis( side=1, at=seq(10,80,10), labels=FALSE )
+ if( sx=="F" ) axis( side=1, at=seq(20,80,20) )
+ if( sx=="M" ) mtext( ct, side=3, line=0.5 )
+ if( ct=="30" ) axis( side=2, at=seq(0,30,5) )
+ text( 25, cA[2,"25","1980"]*0.99, "1980", adj=c(1,0), col=c("red","blue")[1+(sx=="M")] )
+ text( 70, cA[2,"70","1920"]*1.01, "1920", adj=c(0,1), col=c("red","blue")[1+(sx=="M")] )
+ box()
+
+ mtext( "Age" , side=1, outer=TRUE, line=2 )
+ mtext( "% above BMI-limit", side=2, outer=TRUE, line=2, las=0 )
+ mtext( "BMI-limit" , side=3, outer=TRUE, line=2, las=0 )
+
> temp.graph()
> win.metafile( "art/fig5a.ci.emf", height=10, width=10) ; temp.graph() ; dev.off()
```

pdf
2

```
> postscript( "art/fig5a.ci.eps", height=10, width=10) ; temp.graph() ; dev.off()
```

pdf
2

```
> pdf( "art/fig5a.ci.pdf", height=10, width=10) ; temp.graph() ; dev.off()
```

pdf
2

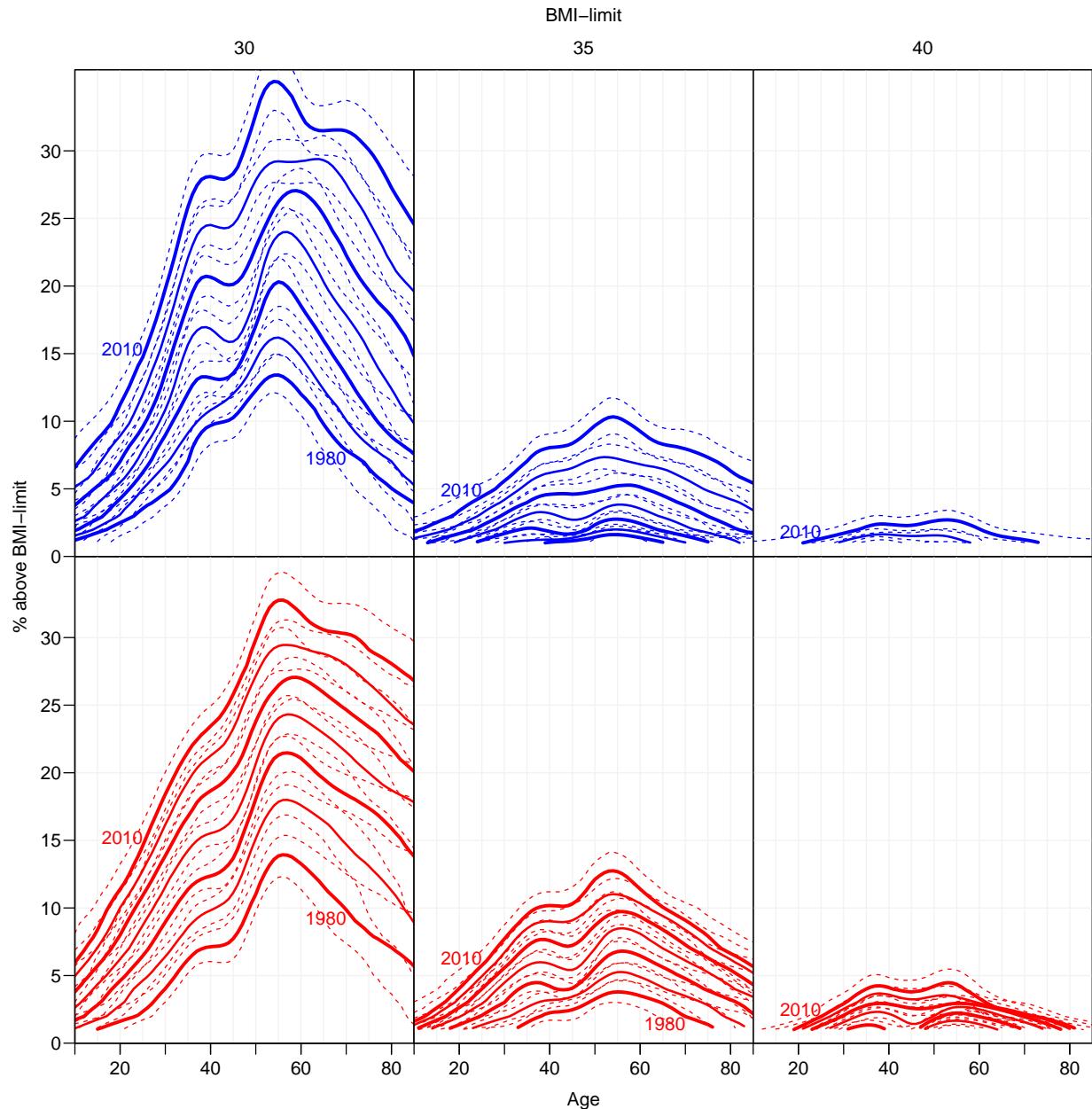


Figure 5.3: Fraction of persons that exceed BMI 30, 35 and 40 at the dates 1980, 1985, ..., 2010, as a function of age. Blue curves are for males, red for females. Full curves shows the median from a bootstrap sample of 1000, dotted curves the 2.5th and 97.5th percentiles.

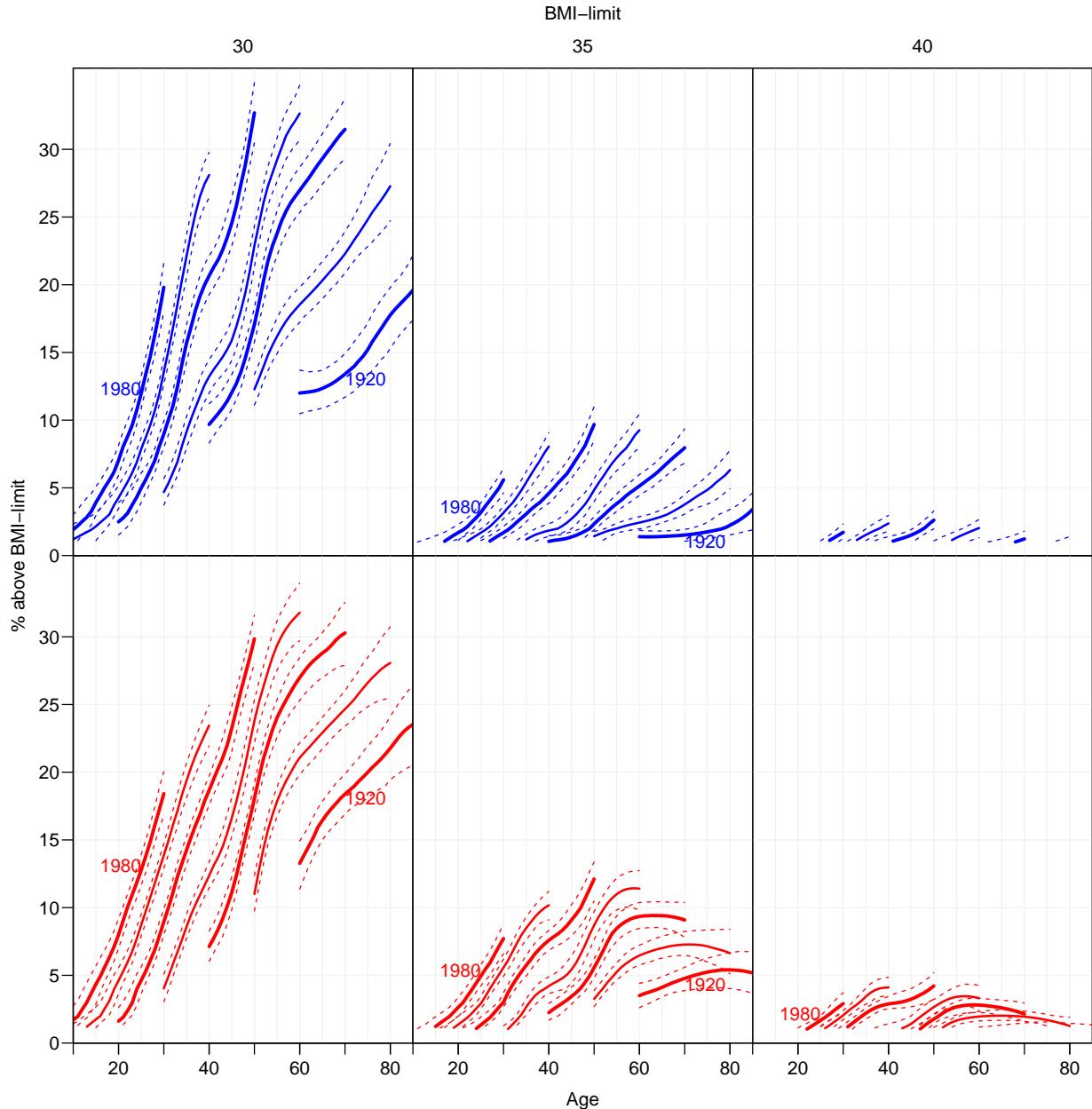


Figure 5.4: Fraction of persons that exceed BMI 30, 35 and 40 from birth cohorts 1920, 1930, . . . , 1980, as a function of age. Blue curves are for males, red for females. Full curves shows the median from a bootstrap sample of 1000, dotted curves the 2.5th and 97.5th percentiles.

Chapter 6

Quantile regression by education status

Here we repeat the analyses and reporting in the previous chapter, but subdivided not only by sex but also by education, high (at least completed high school or low (less than this). Since this variable is only meaningful after age approximately 20, we restrict these analyses to ages at survey over 20:

```
> abmi <- subset( abmi, age>20 )
```

The analysis now procedes pretty much as the previous, but with an extra dimension to all arrays, so here is the definition of the two arrays:

```
> qnt <- c(5,10,25,50,75,90,95)/100
> q.per <- NArray( list( mod = c("lin", "add", "per", "int"),
+                         sex = levels( abmi$sex ),
+                         edu = levels( abmi$edu ),
+                         qnt = qnt,
+                         age = 10:85,
+                         dos = seq(1980,2010,5) ) )
> q.coh <- NArray( list( mod = c("lin", "add", "per", "int"),
+                         sex = levels( abmi$sex ),
+                         edu = levels( abmi$edu ),
+                         qnt = qnt,
+                         age = 10:85,
+                         dob = seq(1920,1980,10) ) )
> str( q.per )

logi [1:4, 1:2, 1:2, 1:7, 1:76, 1:7] NA NA NA NA NA NA ...
- attr(*, "dimnames")=List of 6
..$ mod: chr [1:4] "lin" "add" "per" "int"
..$ sex: chr [1:2] "M" "F"
..$ edu: chr [1:2] "lo" "hi"
..$ qnt: chr [1:7] "0.05" "0.1" "0.25" "0.5" ...
..$ age: chr [1:76] "10" "11" "12" "13" ...
..$ dos: chr [1:7] "1980" "1985" "1990" "1995" ...

> str( q.coh )

logi [1:4, 1:2, 1:2, 1:7, 1:76, 1:7] NA NA NA NA NA NA ...
- attr(*, "dimnames")=List of 6
..$ mod: chr [1:4] "lin" "add" "per" "int"
..$ sex: chr [1:2] "M" "F"
..$ edu: chr [1:2] "lo" "hi"
..$ qnt: chr [1:7] "0.05" "0.1" "0.25" "0.5" ...
..$ age: chr [1:76] "10" "11" "12" "13" ...
..$ dob: chr [1:7] "1920" "1930" "1940" "1950" ...
```

We also define an array of exactly the same structure as the cohort-classified, with a 1 for those entries (combinations of age and birth cohort) where there are actually survey data.

```
> o.coh <- q.coh*0
> str( o.coh )

num [1:4, 1:2, 1:2, 1:7, 1:76, 1:7] NA ...
- attr(*, "dimnames")=List of 6
..$ mod: chr [1:4] "lin" "add" "per" "int"
..$ sex: chr [1:2] "M" "F"
..$ edu: chr [1:2] "lo" "hi"
..$ qnt: chr [1:7] "0.05" "0.1" "0.25" "0.5" ...
..$ age: chr [1:76] "10" "11" "12" "13" ...
..$ dob: chr [1:7] "1920" "1930" "1940" "1950" ...

> for( ia in dimnames( o.coh )[["age"]] )
+ for( ic in dimnames( o.coh )[["dob"]] )
+     o.coh[,,,ia,ic] <- ( as.numeric(ic)+as.numeric(ia)>1979 &
+                           as.numeric(ic)+as.numeric(ia)<2011 )
> o.coh[o.coh==0] <- NA
> table(o.coh,exclude=NULL)

o.coh
 1  <NA>
22624 36960
```

We also define an array to hold the estimated trends in the BMI-quantiles, separately for men and women:

```
> Trend <- NArray( list( est = c("BMI/5y","lower","upper"),
+                         sex = levels( abmi$sex ),
+                         edu = levels( abmi$edu ),
+                         qnt = qnt ) )
> Curve <- NArray( list( est = c("per^2","lower","upper"),
+                         sex = levels( abmi$sex ),
+                         edu = levels( abmi$edu ),
+                         qnt = qnt ) )
```

So now we can fill the arrays with the predictions from the quantile regression models:

```
> aa <- as.numeric(dimnames(q.coh)[["age"]])
> bb <- as.numeric(dimnames(q.coh)[["dob"]])
> ss <- as.numeric(dimnames(q.per)[["dos"]])
> nd.coh <- data.frame( age = rep(aa,      length(bb)),
+                         dob = rep(bb,each=length(aa)) )
> nd.coh <- transform( nd.coh, dos = dob+age )
> nd.per <- data.frame( age = rep(aa,      length(ss)),
+                         dos = rep(ss,each=length(aa)) )
> nd.per <- transform( nd.per, dob = dos-age )
> for( sx in dimnames( q.coh )[["sex"]] )
+ for( ed in dimnames( q.coh )[["edu"]] )
+ for( iq in dimnames( q.coh )[["qnt"]] )
+ {
+   m.lin <- rq( bmi ~ Ns(age,kn=a.kn) + dob,
+                 tau=as.numeric(iq),
+                 data=subset( abmi, sex==sx & edu==ed ) )
+   m.add <- rq( bmi ~ Ns(age,kn=a.kn) +
+                 Ns(dob,kn=b.kn),
+                 tau=as.numeric(iq),
+                 data=subset( abmi, sex==sx & edu==ed ) )
+   m.per <- rq( bmi ~ Ns(age,kn=a.kn) +
```

```

+
+           Ns(dob,kn=b.kn) +
+           I(((dos-1990)/5)^2),
+           tau=as.numeric(iq),
+           data=subset( abmi, sex==sx & edu==ed ) )
+ m.int <- rq( bmi ~ Ns(age,kn=a.kn) +
+           Ns(dob,kn=b.kn) +
+           I((age-50) *(dob-1950)) +
+           I((age-50)^2*(dob-1950)),
+           tau=as.numeric(iq),
+           data=subset( abmi, sex==sx & edu==ed ) )
+ cf <- summary(m.lin)$coef[grep("dob",names(coef(m.lin))),1:2,drop=F]
+ Trend[,sx,ed,iq] <- (cf*5) %*% ci.mat()
+ cf <- summary(m.per)$coef[grep("dos",names(coef(m.per))),1:2,drop=F]
+ Curve[,sx,ed,iq] <- cf %*% ci.mat()
+ q.coh["lin",sx,ed,iq,,] <- predict( m.lin, newdata = nd.coh )
+ q.coh["add",sx,ed,iq,,] <- predict( m.add, newdata = nd.coh )
+ q.coh["per",sx,ed,iq,,] <- predict( m.per, newdata = nd.coh )
+ q.coh["int",sx,ed,iq,,] <- predict( m.int, newdata = nd.coh )
+ q.per["lin",sx,ed,iq,,] <- predict( m.lin, newdata = nd.per )
+ q.per["add",sx,ed,iq,,] <- predict( m.add, newdata = nd.per )
+ q.per["per",sx,ed,iq,,] <- predict( m.per, newdata = nd.per )
+ q.per["int",sx,ed,iq,,] <- predict( m.int, newdata = nd.per )
+   }

```

We see that in the simple model setting, the changes in BMI-quantiles is larger for the higher quantiles, but the increases in the lower ones are also there. This table shows increases in kg/m²/5 years subdivided by sex and educational status, and the second one the *ratio* of the annual changes between those with low relative to thse with a higher education:

```
> round( ftable( Trend, col.vars=2:1, row.vars=4:3 ), 2 )
```

qnt	edu	sex	M			F		
			est	BMI/5y	lower	upper	BMI/5y	lower
0.05	lo		0.18	0.11	0.24	0.15	0.10	0.21
	hi		0.11	0.05	0.17	0.09	0.05	0.14
0.1	lo		0.24	0.19	0.30	0.18	0.13	0.23
	hi		0.18	0.13	0.23	0.12	0.09	0.16
0.25	lo		0.31	0.26	0.36	0.28	0.24	0.33
	hi		0.24	0.21	0.28	0.19	0.16	0.23
0.5	lo		0.38	0.34	0.43	0.50	0.45	0.56
	hi		0.32	0.28	0.35	0.34	0.30	0.39
0.75	lo		0.59	0.52	0.65	0.75	0.66	0.84
	hi		0.45	0.40	0.50	0.67	0.60	0.75
0.9	lo		0.82	0.72	0.91	0.87	0.73	1.01
	hi		0.62	0.53	0.71	0.96	0.83	1.08
0.95	lo		1.05	0.93	1.17	1.00	0.81	1.19
	hi		0.68	0.57	0.79	1.20	1.04	1.36

```
> round( t( Trend[,,"lo"],]/Trend[,,"hi"], ), 2 )
```

qnt	edu	sex	
		M	F
0.05	1.54	1.64	
0.1	1.34	1.46	
0.25	1.27	1.45	
0.5	1.21	1.47	
0.75	1.29	1.11	
0.9	1.32	0.91	
0.95	1.54	0.84	

We see that the overall increase in BMI is larger among those with lower education than among those with higher education. We can make a forest plot for the 5-year increases in BMI by sex, education and quantile:

```
> dimnames(Trend)[["qnt"]] <-  
+ paste( as.numeric(dimnames(Trend)[["qnt"]])*100, "%", sep="" )  
> par( mar=c(3,1,1,1), mgp=c(3,1,0)/1.6 )  
> plotEst( t(Trend[, "F", "hi", ]), txtpos=7:1, y=7:1+0.21, col=rgb(1,0,0,0.4),  
+           xlab=expression("BMI change per 5 years (kg/"*m^2*)"),  
+           vref=0, grid=TRUE )  
> linesEst( t(Trend[, "F", "lo", ]), txtpos=7:1, y=7:1+0.07, col=rgb(1,0,0,1.0) )  
> linesEst( t(Trend[, "M", "hi", ]), txtpos=7:1, y=7:1-0.07, col=rgb(0,0,1,0.4) )  
> linesEst( t(Trend[, "M", "lo", ]), txtpos=7:1, y=7:1-0.21, col=rgb(0,0,1,1.0) )
```

From figure 6.1 it is pretty obvious that the increase is stronger for the higher percentiles, particularly for the most obese 25% of the population. Interestingly, high educated men have smaller rates of increase than do highly educated, whereas the pattern seems to be the opposite among women.

We also checked to see if there was a curvature component (a quadratic) to the period effect:

```
> round( ftable( Curve, col.vars=2:1, row.vars=4:3 ), 3 )
```

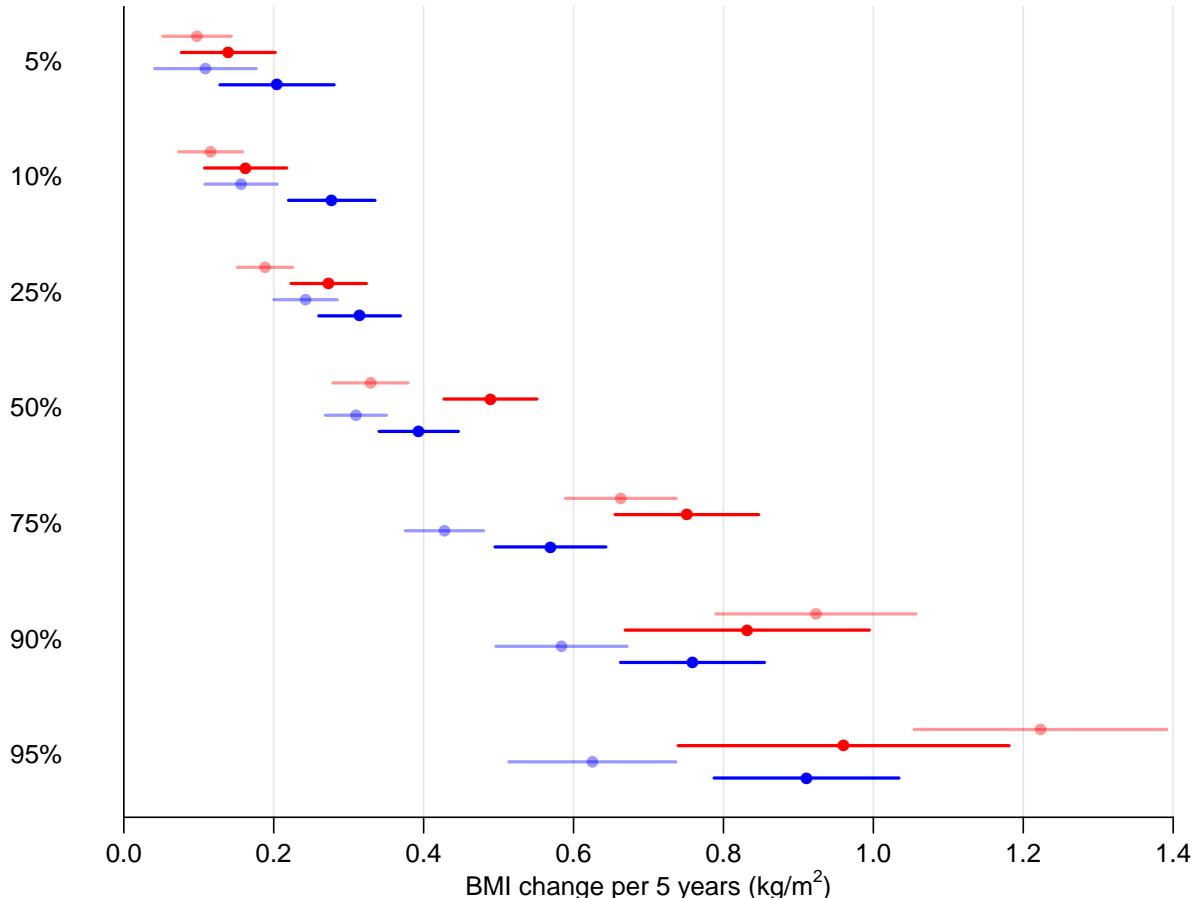


Figure 6.1: Average change in BMI percentile per 5 years for men (blue) and women (red), by education (high — pale; low — full).

		M			F				
qnt	edu	est	per^2	lower	upper	est	per^2	lower	upper
0.05	lo	-0.067	-0.108	-0.026	-0.066	-0.100	-0.031		
	hi	-0.021	-0.057	0.015	-0.038	-0.069	-0.007		
0.1	lo	-0.046	-0.080	-0.012	-0.057	-0.084	-0.030		
	hi	-0.014	-0.043	0.016	-0.041	-0.069	-0.013		
0.25	lo	-0.038	-0.068	-0.009	-0.023	-0.051	0.004		
	hi	-0.021	-0.046	0.004	-0.030	-0.053	-0.006		
0.5	lo	-0.028	-0.056	0.000	-0.041	-0.071	-0.010		
	hi	-0.008	-0.031	0.016	-0.035	-0.065	-0.005		
0.75	lo	0.007	-0.031	0.045	-0.070	-0.117	-0.023		
	hi	0.035	0.003	0.067	-0.008	-0.052	0.037		
0.9	lo	0.046	-0.011	0.102	-0.123	-0.198	-0.047		
	hi	0.049	0.005	0.092	-0.065	-0.138	0.007		
0.95	lo	0.021	-0.058	0.100	-0.110	-0.217	-0.002		
	hi	0.043	-0.031	0.116	-0.114	-0.208	-0.021		

For the lower quantiles among males and for all quantiles among women there seems to be a negative curvature (steeper increase early, flatter later) but opposite for the quantiles above the median for males. But there seems to be no consistent pattern in curvatures between high and low education.

Once we have filled the arrays `q.coh` and `q.per` with the BMI-quantiles, and we have an indicator of the relevant range of the cohort data in the array `o.coh`, we can plot the quantile predictions and show what parts of the predictions that are directly supported by the data.

```
> par( mfrow=dim(q.coh)[c("sex", "qnt")],  
+       mar=c(0,0,0,0), mgp=c(3,1,0)/1.6, oma=c(3,3,3,1), las=1 )  
> for( sx in 1:dim(q.coh)[["sex"]] )  
> for( iq in 1:dim(q.coh)[["qnt"]] )  
> {  
>   plot( NA, xlim=c(20,85), ylim=c(15,45),  
>         xaxt="n", yaxt="n", xlab="", ylab="" )  
>   if( sx==2 ) axis( side=1 )  
>   if( sx==1 ) mtext( 100*as.numeric(dimnames(q.coh)[["qnt"]])[iq]),  
>                     side=3, line=0.5, cex=0.8 )  
>   if( iq==1 ) axis( side=2 )  
>   abline( h=seq(0,50,5), v=seq(0,100,10), col=gray(0.85) )  
>   matlines( aa, q.coh["add",sx,"lo",iq,,] , lwd=1, lty=1, col=gray(0.5) )  
>   matlines( aa, q.coh["add",sx,"lo",iq,,]*o.coh["add",sx,"lo",iq,,], lwd=2, lty=1,  
>             col=c("blue","red")[sx] )  
>   matlines( aa, q.coh["add",sx,"hi",iq,,] , lwd=1, lty="11", col=gray(0.5) )  
>   matlines( aa, q.coh["add",sx,"hi",iq,,]*o.coh["add",sx,"hi",iq,,], lwd=2, lty="11",  
>             col=c("blue","red")[sx] )  
> }  
> mtext( expression("BMI (kg/*m^2*)"), side=2, line=2, outer=TRUE, las=0, cex=0.8 )  
> mtext( "Age (years)", side=1, line=2, outer=TRUE, las=0, cex=0.8 )  
> mtext( "Percentile of the BMI-distribution",  
>         side=3, line=1.5, cex=0.8, outer=TRUE )  
  
> par( mfrow=dim(q.coh)[c("sex", "qnt")],  
+       mar=c(0,0,0,0), mgp=c(3,1,0)/1.6, oma=c(3,3,3,1), las=1 )  
> for( sx in 1:dim(q.coh)[["sex"]] )  
> for( iq in 1:dim(q.coh)[["qnt"]] )  
> {  
>   plot( NA, xlim=c(20,85), ylim=c(15,45),  
>         xaxt="n", yaxt="n", xlab="", ylab="" )  
>   if( sx==2 ) axis( side=1 )  
>   if( sx==1 ) mtext( 100*as.numeric(dimnames(q.coh)[["qnt"]])[iq]),  
>                     side=3, line=0.5, cex=0.8 )
```

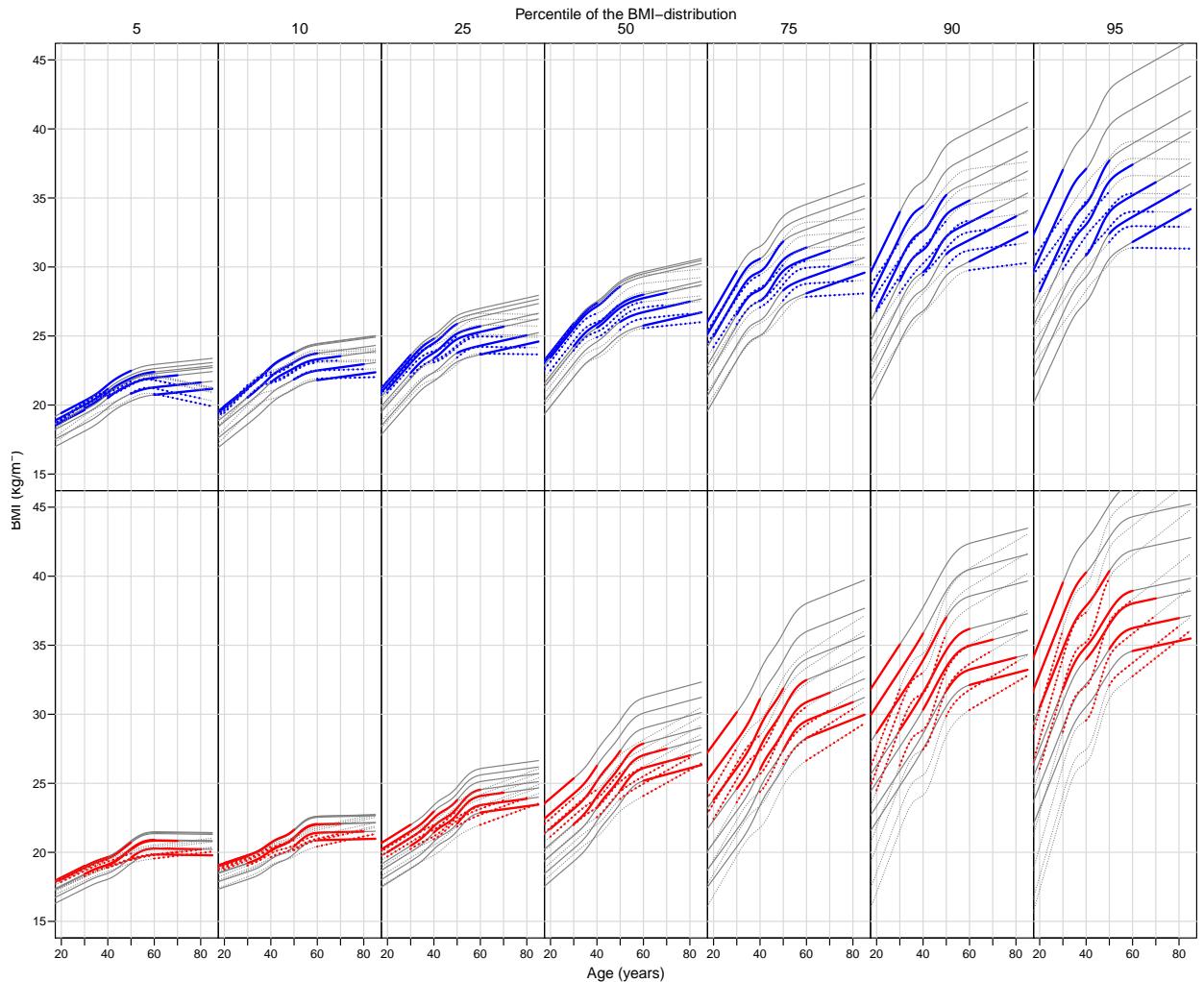


Figure 6.2: Age-specific percentiles of BMI by sex and education. Each curve represents a birth cohort (1920, 1930, ..., 1980). Gray lines are estimates from quantile regression models, the colored part of the lines indicate the areas in which data is available. Full lines are low education, dotted lines high.

Note that the curves in each panel come from the same model-fit (namely that for the corresponding quantile) and are assumed to be parallel, that is to have the same shape. This is a model which allows a non-linear cohort effect; the model with linear cohort effect would assume that the curves were equidistant.

```

+ if( iq==1 ) axis( side=2 )
+ abline( h=seq(0,50,5), v=seq(0,100,10), col=gray(0.85) )
+ matlines( aa, q.per["add",sx,"lo",iq,,], lwd=2, lty=1 , col=c("blue","red")[sx] )
+ matlines( aa, q.per["add",sx,"hi",iq,,], lwd=2, lty="11", col=c("blue","red")[sx] )
+ }
> mtext( expression("BMI (kg/*m^2*)"), side=2, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Age (years)", side=1, line=2, outer=TRUE, las=0, cex=0.8 )
> mtext( "Percentile of the BMI-distribution",
+         side=3, line=1.5, cex=0.8, outer=TRUE )

```

Here are the figures that we use in the paper; they are only for the 10, 50 and 90th percentiles:

```

> temp.graph <- function()
+ {
+ par( mfrow=c(2,3), mar=c(0,0,0,0), mgp=c(3,1,0)/1.6, oma=c(3.5,3.5,3,2.5), las=1 )

```

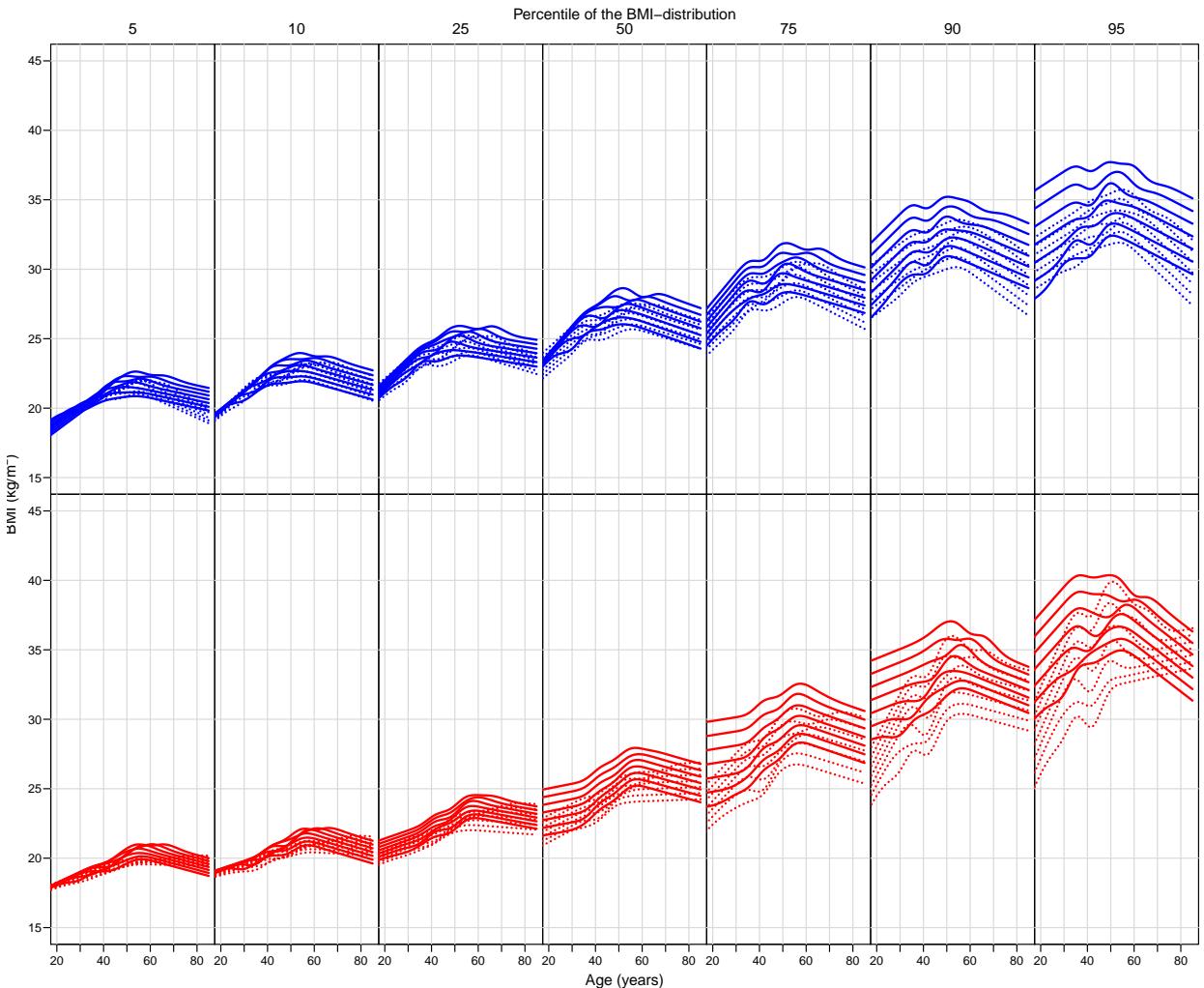


Figure 6.3: *Age-specific percentiles of BMI by sex and education. Each curve represents a date (1980, 1985,...,2010). Men are blue, women red, low education are full lines, high education broken lines.*

Note that the curves in each panel come from the same model-fit (namely that for the corresponding quantile) and are assumed to be parallel, that is to have the same shape between cohorts, but not necessarily between periods.

```

+ for( sx in 1:dim(q.coh)[["sex"]] )
+ for( iq in c(2,4,6) )
+ {
+ plot( NA, xlim=c(20,85), ylim=c(15,45),
+       xaxt="n", yaxt="n", xlab="", ylab="" )
+ if( sx==2 ) axis( side=1 )
+ if( sx==1 ) mtext( 100*as.numeric(dimnames(q.coh)[["qnt"]][iq]),
+                     side=3, line=0.5, cex=0.8 )
+ if( iq==2 ) axis( side=2 )
+ if( iq==6 ) axis( side=4 )
+ abline( h=seq(0,50,5), v=seq(0,100,10), col=gray(0.85) )
+ matlines( aa, q.coh["add",sx,"lo",iq,,] , lwd=1, lty=1, col=gray(0.5) )
+ matlines( aa, q.coh["add",sx,"lo",iq,,]*o.coh["add",sx,"lo",iq,,], lwd=2, lty=1,
+           col=c("blue","red")[sx] )
+ matlines( aa, q.coh["add",sx,"hi",iq,,] , lwd=1, lty="11", col=gray(0.5) )
+ matlines( aa, q.coh["add",sx,"hi",iq,,]*o.coh["add",sx,"hi",iq,,], lwd=2, lty="11",
+           col=c("blue","red")[sx] )
+ }
+ mtext( expression("BMI (kg/*m^2*)"), side=2, line=2, outer=TRUE, las=0, cex=0.8 )
+ mtext( "Age (years)", side=1, line=2, outer=TRUE, las=0, cex=0.8 )
+ mtext( "Percentile of the BMI-distribution",
+         side=3, line=1.5, cex=0.8, outer=TRUE )
+ }
> win.metafile(      "art-coh-edu.emf", height=7, width=7 ) ; temp.graph() ; dev.off()

null device
1

> pdf("./graph/BMI-APC-art-coh-edu.pdf", height=7, width=7 ) ; temp.graph() ; dev.off()

null device
1

> temp.graph <- function()
+ {
+ par( mfrow=c(2,3), mar=c(0,0,0,0), mgp=c(3,1,0)/1.6, oma=c(3.5,3.5,3,3), las=1 )
+ for( sx in 1:dim(q.coh)[["sex"]] )
+ for( iq in c(2,4,6) )
+ {
+ plot( NA, xlim=c(20,85), ylim=c(15,45),
+       xaxt="n", yaxt="n", xlab="", ylab="" )
+ if( sx==2 ) axis( side=1 )
+ if( sx==1 ) mtext( 100*as.numeric(dimnames(q.coh)[["qnt"]][iq]),
+                     side=3, line=0.5, cex=0.8 )
+ if( iq==2 ) axis( side=2 )
+ if( iq==6 ) axis( side=4 )
+ abline( h=seq(0,50,5), v=seq(0,100,10), col=gray(0.85) )
+ matlines( aa, q.per["add",sx,"lo",iq,,], lwd=2, lty=1 , col=c("blue","red")[sx] )
+ matlines( aa, q.per["add",sx,"hi",iq,,], lwd=2, lty="11", col=c("blue","red")[sx] )
+ }
+ mtext( expression("BMI (kg/*m^2*)"), side=2, line=2, outer=TRUE, las=0, cex=0.8 )
+ mtext( "Age (years)", side=1, line=2, outer=TRUE, las=0, cex=0.8 )
+ mtext( "Percentile of the BMI-distribution",
+         side=3, line=1.5, cex=0.8, outer=TRUE )
+ }
> win.metafile(      "art-per-edu.emf", height=7, width=7 ) ; temp.graph() ; dev.off()

null device
1

> pdf("./graph/BMI-APC-art-per-edu.pdf", height=7, width=7 ) ; temp.graph() ; dev.off()

null device
1

```

Bibliography

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