Years of Life Lost to Diabetes

Bendix Carstensen Steno Diabetes Center

Gentofte, Denmark

http://BendixCarstensen.com

LEAD symposiun at EDEG, Dubrovnik, 6 May 2017

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Expected Lifetime

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Life lost to disease

- ▶ Persons with disease live shorter than persons without
- ▶ The difference is the life lost to disease years of life lost
- Possibly depends on:
 - sex
 - age
 - duration of disease
 - definition of persons with/out disease
- Conditional or population averaged?
- ▶ ... the latter gives a seductively comfortable single number
- ...the former confusingly relevant insights
- YLL derives from Expected Lifetime

Expected Lifetime (erl-intro) 2/65

Expected Lifetime — the formals:

...the age at death integrated w.r.t. the distribution of age at death:

 $EL = \int_0^\infty a f(a) \, \mathrm{d}a$

The relation between the density f and the survival function S is f(a) = -S'(a), so integration by parts gives:

$$EL = \int_0^\infty a(-S'(a)) da = -\left[aS(a)\right]_0^\infty + \int_0^\infty S(a) da$$

The first term is 0 so:

$$EL = \int_0^\infty S(a) \, \mathrm{d}a$$

Expected Life to the area under the survival curve.

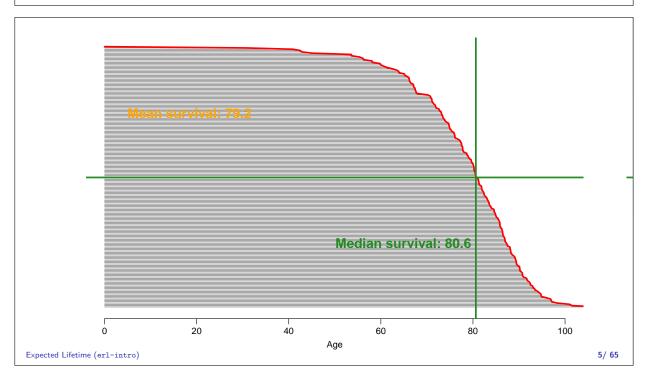
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Expected life time — illustrated

- ► Take, say 200, persons
- follow till all are dead
- compute the mean age at death (life time)
- that is the life expectancy (at birth)
- ...so let's do it and see how it works

Expected Lifetime (erl-intro)

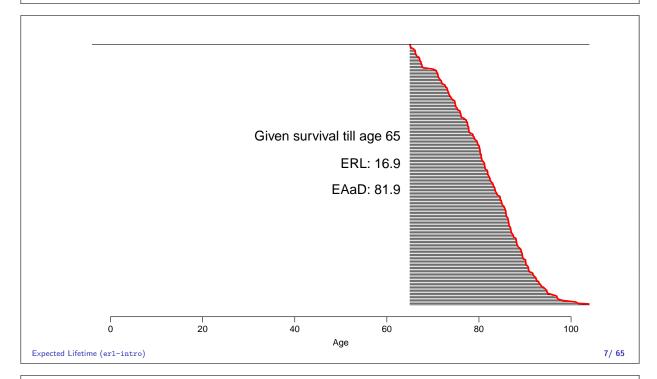
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Expected residual life time

- ▶ Assume that persons already attained age 65 (say).
- ▶ What is the expected time they have left to live?
- ▶ Same experiment as before
- ightharpoonup except that we only look at those who attain age 65
- ightharpoonup so we do not have 200 persons, only the 180 alive at 65
- \blacktriangleright re-scale to 100% at age 65

Expected Lifetime (erl-intro) 6/65



Expected lifetime and years lost

- ► ERL (Expected Residual Lifetime): Area under the survival curve
- ► YLL (**Y**ears of **L**ife **L**ost) (to diabetes, say): ERL_{pop} − ERL_{DM}
- difference between areas under survival curve for persons without DM and persons with DM
- \rightarrow area **between** the survival curves
- ▶ ... but not all use this approach

Expected Lifetime (erl-intro) 8/65

Years of Life Lost

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Wikipedia: PYLL

Potential Years of Life Lost

- \blacktriangleright Fix a threshold, T, (the population EL, or say 75)
- ▶ A person dead in age a < T contributes T a
- ▶ A person dead in age a > T contributes 0

 \ldots seems to assume that the expected age at death is T regardless of attained age ?

Years of Life Lost (yll-intro) 9/65

WHO — Years of Life Lost

Rationale for use

Years of life are lost (YLL) take into account the age at which deaths occur by giving greater weight to deaths at younger age and lower weight to deaths at older age. The years of life lost (percentage of total) indicator measures the YLL due to a cause as a proportion of the total YLL lost in the population due to premature mortality.

Definition

YLL are calculated from the number of deaths multiplied by a standard life expectancy at the age at which death occurs. The standard life expectancy used for YLL at each age is the same for deaths in all regions of the world (\dots)

www.who.int/whosis/whostat2006YearsOfLifeLost.pdf

 \Rightarrow a person dying in age a contributes ERL(a) > 0

Years of Life Lost (yll-intro) 10/65

Comparing men and women

- \blacktriangleright When a man dies age a, say,
 - ▶ YLL is $ERL_w(a) > 0$
 - ▶ the expected residual life time of a woman aged a.
- ▶ When a woman dies age a, say,
 - ▶ YLL is $ERL_m(a) > 0$
 - ightharpoonup the expected residual life time of a man aged a.
- ...so each sex lose years relative to the other!
- So maybe not a terribly useful measure.

Years of Life Lost (yll-intro) 11/65

The ad-hoc measures do not work

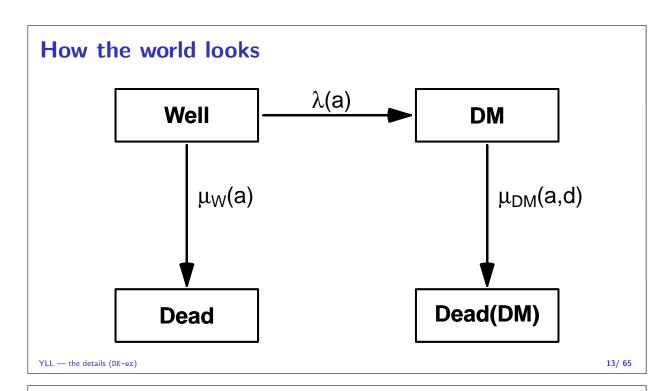
- ▶ anyone who dies before age 75 (PYLL)
- anyone who dies (WHO YLL)
- ... contribute a **positive** number to YLL
- → any subgroup of the population have positive years of life lost when compared to the general population!
- ...actually, compared to any population (ex: men vs. women)
- ▶ They only use the dead persons and ignore the living
- ▶ No shortcuts:
 - ▶ the YLL is a difference of expectations
 - use a statistical model (specify f(a), that is)
 - a statistical model for all persons
 - ▶ We will use diabetes in Denmark as an example

Years of Life Lost (yll-intro) 12/65

YLL — the details

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Comparing DM and well

$$YLL = \int_0^\infty S_W(a) - S_D(a) da$$

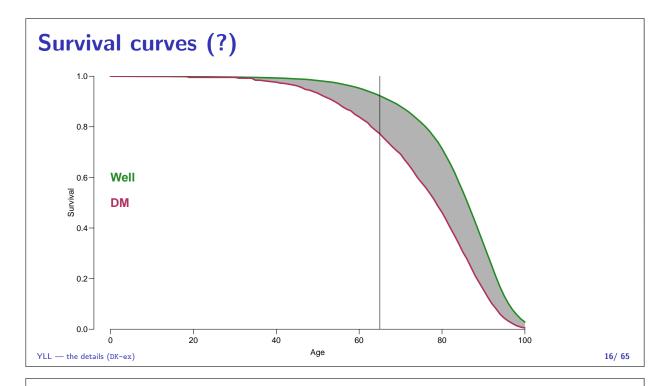
The survival functions we need are derived from mortality rates:

$$S_W(a) = \exp\left(-\int_0^a \mu_W(u) du\right), \qquad S_D(a) = \exp\left(-\int_0^a \mu_D(u) du\right)$$

YLL — the details (DK-ex)

Mortality rates from Denmark

```
> library( Epi )
    > clear()
    > data( DMepi )
    > w15 <- subset( DMepi, sex=="F" & P==2015 )
    > w15 <- w15[order(w15$A),]
                                          D.nD / Y.nD, # no DM mortality
    > w15 <- transform( w15, mW =
                                            X / Y.nD, # DM incidence
                               mD = pmax(0,D.DM / Y.DM,na.rm=TRUE), # DM mortality mT = (D.nD+D.DM)/(Y.nD+Y.DM)) # total mortality
    > Sw <- surv1( 1, w15$mW )
    > Sd <- surv1( 1, w15$mD)
    > cbind( Sw, Sd )[65:70,]
                  AO age
    65 64 0.9297246 64 0.7853495
       65 0.9226514 65 0.7721934
       66 0.9149180 66 0.7547042
       67 0.9070037
                       67 0.7381123
    69 68 0.8990846 68 0.7214464
    70 69 0.8909150 69 0.7061645
YLL — the details (DK-ex)
                                                                                       15/65
```



Comparing DM and well

$$YLL = \int_0^\infty S_W(a) - S_D(a) da$$

The survival functions we need are derived from mortality rates:

$$S_W(a) = \exp\left(-\int_0^a \mu_W(u) du\right), \qquad S_D(a) = \exp\left(-\int_0^a \mu_D(u) du\right)$$

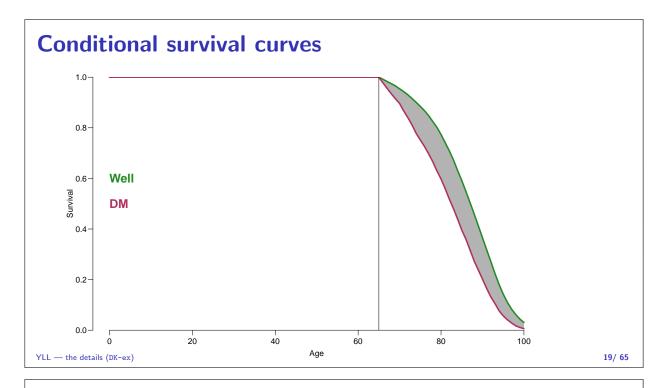
For the **conditional** YLL given attained age A, just use:

$$S_W(a|A) = S_W(a)/S_W(A), \qquad S_D(a|A) = S_D(a)/S_D(A)$$

YLL — the details (DK-ex) 17/ 65

Mortality rates from Denmark

YLL — the details (DK-ex)



Comparing DM and well

$$YLL = \int_0^\infty S_W(a) - S_D(a) da$$

The survival functions we need are derived from mortality rates:

$$S_W(a) = \exp\left(-\int_0^a \mu_W(u) du\right), \qquad S_D(a) = \exp\left(-\int_0^a \mu_D(u) du\right)$$

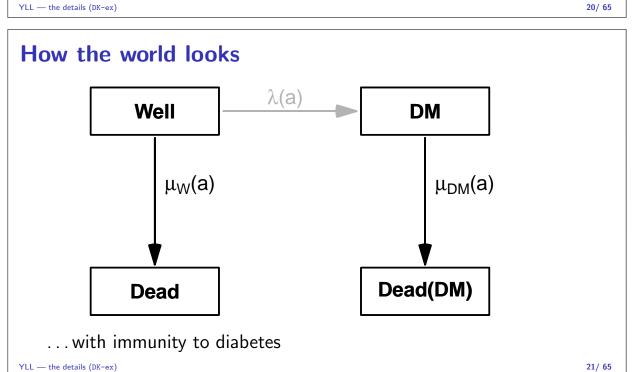
For the **conditional** YLL given attained age A, just use:

$$S_W(a|A) = S_W(a)/S_W(A), \qquad S_D(a|A) = S_D(a)/S_D(A)$$

This implicitly assumes that persons in "Well" cannot contract "DM"

The immunity assumption — which is widely used in the literature

YLL — the details (DK-ex)

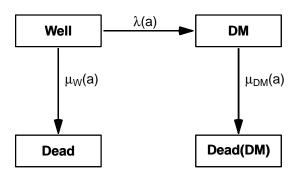


Comparing DM and Well in the real world

$$YLL = \int_0^\infty S_W(t) - S_D(t) dt$$

still the same, but $S_W(t)$ should be:

$$S_W(a) = P \{ Well \}(a) + P \{ DM \}(a)$$



YLL — the details (DK-ex)

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Comparing DM and well in the real world

The survival function $S_W(a)$ is the sum of:

$$P\{Well\}(a) = \exp\left(-\int_0^a \mu_W(u) + \lambda(u)\right) du$$

and

$$\begin{split} \mathrm{P} \left\{ \mathsf{DM} \right\} (a) &= \int_0^a \mathrm{P} \left\{ \mathsf{survive \ to} \ s, \ \mathsf{DM \ diagnosed \ at} \ s \right\} \\ &\quad \times \mathrm{P} \left\{ \mathsf{survive \ with \ DM \ from} \ s \ to} \ a \right\} \ \mathrm{d}s \\ &= \int_0^a \lambda(s) \exp \left(- \int_0^s \mu_W(u) + \lambda(u) \, \mathrm{d}u \right) \\ &\quad \times \exp \left(- \int_0^a \mu_D(u) \, \mathrm{d}u \right) \, \mathrm{d}s \end{split}$$

YLL — the details (DK-ex)

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Comparing DM and well in the real world

The ${\bf conditional}$ survival function given ${\bf Well}$ at A is the sum of

$$\begin{split} \mathrm{P} \left\{ \mathsf{Well} \middle| \mathsf{Well} \text{ at } A \right\}(a) &= \exp \left(- \int_{A}^{a} \mu_{W}(u) + \lambda(u) \right) \, \mathrm{d}u \\ \mathrm{P} \left\{ \mathsf{DM} \middle| \mathsf{Well} \text{ at } A \right\}(a) &= \int_{A}^{a} \lambda(s) \mathrm{exp} \left(- \int_{A}^{s} \mu_{W}(u) + \lambda(u) \, \mathrm{d}u \right) \\ &\times \exp \left(- \int_{s}^{a} \mu_{D}(u) \, \mathrm{d}u \right) \, \mathrm{d}s \end{split}$$

Note: This is **not** $S_W(a)/S_W(A)$ because we are not conditioning on being alive, but conditioning on being alive and well at age A

YLL — the details (DK-ex) 25/65

A brutal shortcut

... sooo hairy, so why don't we not just use the **total** population mortality, μ_T , and instead compare:

$$S_T(a) = \exp\left(-\int_0^a \mu_T(u) du\right), \qquad S_D(a) = \exp\left(-\int_0^a \mu_D(u) du\right)$$

- ▶ There is no simple relation between S_T and the correctly computed S_W so there is no guarantee that it will be useful, nor the direction of bias
- ► The comparison will be between a random person with diabetes and a random person (with or without diabetes)
- ▶ Empirical question whether this is a reasonable approximation

YLL — the details (DK-ex) 26/65

Practicals introduction

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Your turn to try:

- Not as bad as you may think:
- ▶ The Epi package has a couple of handy functions
 - surv1 computes a survival function from a mortality rate
 - surv2 computes a survival function for "Well" persons from two mortality rates and an incidence rate
 - erl, yll computes the expected residual life time and the years of life lost from two mortality rates and an incidence rate
 - ▶ access help by ?vll.
- ▶ These are what you should use to do the calculations.
- ▶ input is mortality and incidence rates in some form.
- ► Here is how to get your hands on those.

Practicals introduction (exc-intro)

Danish diabetes data

```
> library( Epi )
    > data( DMepi )
    > dim( DMepi )
    [1] 4000
    > head( DMepi )
              P X D.nD
      sex A
                           Y.nD D.DM
                                              Y.DM
       M 0 1996 1 28 35453.65 0 0.4757016
F 0 1996 9 19 33094.86 0 3.8767967
       M 1 1996 4 23 36450.73 0 4.9199179
       F 1 1996 7 19 34789.99 0 7.2484600
      M 2 1996 7
                     7 35328.92 0 12.4743326
       F 2 1996 2
                      8 33673.43
                                   0 8.0951403
    > w15 <- subset( DMepi, sex=="F" & P==2015 )
    > w15 <- w15[order(w15$A),]
    > dim( w15 )
    [1] 100
Practicals introduction (exc-intro)
```

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Danish diabetes data

```
D.nD / Y.nD, # no DM mortality
     > w15 <- transform( w15, mW =
                                    iW = X / Y.nD, # DM incidence mD = pmax(0,D.DM / Y.DM,na.rm=TRUE), # DM mortality
                                    mT = (D.nD+D.DM)/(Y.nD+Y.DM)) # total mortality
    > Sw <- surv1( 1, w15$mW, A=65 )
    > Sd <- surv1( 1, w15$mD, A=65 )
     > cbind( Sw, Sd )[63:72,]
                                  A65 age
                      ΑO
                                                    ΑO
     63 62 0.9418470 1.0000000 62 0.8169978 1.0000000
    64 63 0.9357472 1.0000000 63 0.7989680 1.0000000
65 64 0.9297246 1.0000000 64 0.7853495 1.0000000
66 65 0.9226514 1.0000000 65 0.7721934 1.0000000
     67 66 0.9149180 0.9916183 66 0.7547042 0.9773513
     68 67 0.9070037 0.9830406 67 0.7381123 0.9558646
     69 68 0.8990846 0.9744576 68 0.7214464 0.9342820
     70 69 0.8909150 0.9656030 69 0.7061645 0.9144918
         70 0.8803810 0.9541860 70 0.6918332 0.8959326
71 0.8700207 0.9429572 71 0.6689975 0.8663601
     71
Practicals introduction (exc-intro)
                                                                                                     29/65
```

Danish diabetes data exercise

- Exercises (which also contains the results you should see)
- ▶ pages 10–20: Simple calculations based on empirical rates
- covered in the recap after coffee
- link to the entire R-code on the course website http://BendixCarstensen.com/Epi/Courses/EDEG2017
- saves a lot of typing for you but try to explore what you get
- ▶ pages 21–36: Calculations based on models for incidence and mortality 1996—2015.
- ▶ partly covered in the recap, mainly the results on pp. 35–36.
- ▶ time permitting, recap will also cover more general aspects such as disease free time.

Practicals introduction (exc-intro)

Practicals — recap

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Recap: from probability theory to statistics:

- Data on:
 - diabetes and death events by diabetes status
 - risk time by diabetes status
- Fit models for the incidence and mortality rates
- Predict $\mu_W(a)$, $\lambda(a)$ and $\mu_D(a)$ at equidistant points of age
- Compute the YLL for say $A=50,60,\ldots$

Practicals — recap (exc-recap)

Data

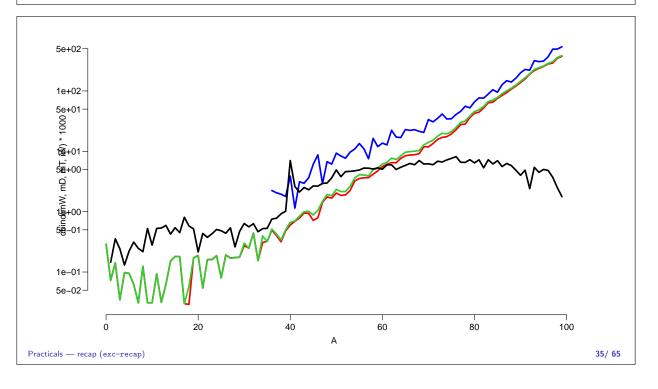
```
> library( Epi )
> data( DMepi )
> head( DMepi )
                 P X D.nD Y.nD D.DM
    1 M 0 1996 1 28 35453.65 0 0.4757016
2 F 0 1996 9 19 33094.86 0 3.8767967
        M 1 1996 4 23 36450.73 0 4.9199179
        F 1 1996 7 19 34789.99 0 7.2484600
                         7 35328.92
        M 2 1996 7
                                          0 12.4743326
0 8.0951403
         F 2 1996 2
                          8 33673.43
            Well
                                     DM
               \mu_W(a)
                                       \mu_{DM}(a)
                                  Dead(DM)
            Dead
Practicals
```

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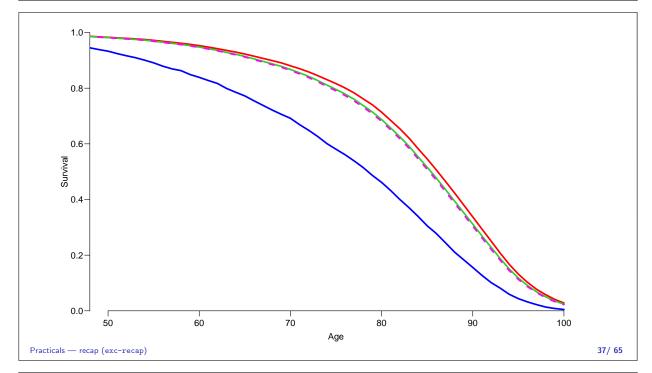
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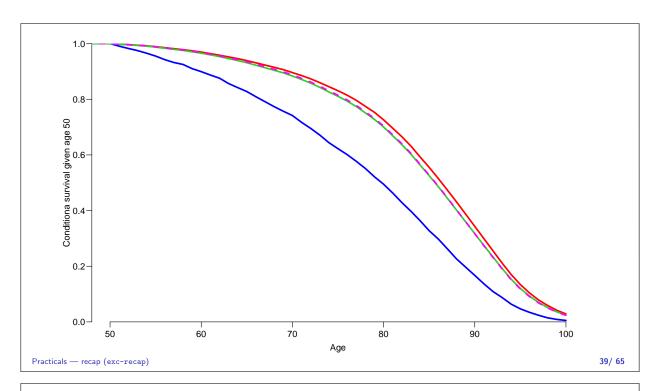
```
> w15 <- subset( DMepi, sex=="F" & P==2015 )</pre>
    > w15 <- w15[order(\overline{w15\$A}),] # data ordered by age
    > head( w15 )
                  P X D.nD
                                 Y.nD D.DM
         sex A
                                                  Y.DM
    3802
           F 0 2015 0
                           8 27692.48
                                          0.000000
                                          0 3.532512
           F 1 2015
    3804
                     4
                           2 27558.64
                                          0 9.576318
    3806
           F 2 2015 10
                           4 28204.69
    3808
           F 3 2015
                           1 28916.24
                                          0 14.725530
                     7
           F 4 2015
    3810
                     4
                           3 30704.35
                                          0 13.488022
    3812
          F 5 2015 7
                           3 31504.41
                                          0 22.655031
    > w15 <- transform( w15, mW =
                                           D.nD/Y.nD,
                              iW =
                                              X/Y.nD.
                              mD = pmax(0, D.DM/Y.DM, na.rm=TRUE),
                              mT = (D.nD+D.DM)/(Y.nD+Y.DM)
    > str( w15 )
Practicals — recap (exc-recap)
                                                                                     33/65
```

```
'data.frame': 100 obs. of 12 variables:
    : num
                2015 2015 2015 2015 2015 ...
    $ X : num 0 4 10 7 4 7 10 8 7 17 ...
    $ D.nD: num 8 2 4 1 3 3 2 1 4 1 ...
    $ Y.nD: num 27692 27559 28205 28916 30704 ...
    $ D.DM: num 0 0 0 0 0 0 0 0 0 ...
    $ Y.DM: num
                0 3.53 9.58 14.73 13.49
                2.89e-04 7.26e-05 1.42e-04 3.46e-05 9.77e-05 ...
    $ mW : num
    $ iW : num 0 0.000145 0.000355 0.000242 0.00013 ...
    $ mD : num 0 0 0 0 0 0 0 0 0 ...
    $ mT : num 2.89e-04 7.26e-05 1.42e-04 3.46e-05 9.77e-05 ...
   > with( w15, matplot( A, cbind( mW, mD, mT, iW)*1000,
                       log="y", lwd=3, type="1", lty=1,
                       col=c("red","blue","limegreen","black") ) )
                                                                         34/65
Practicals — recap (exc-recap)
```



```
> head( surv1( 1, w15$mW, A=50 ) )
                 AO A50
      age
       0 1.0000000
    1
                      1
    2
       1 0.9997112
                      1
        2 0.9996386
                      1
        3 0.9994968
                      1
    5
       4 0.9994623
                      1
        5 0.9993646
     surv1( 1, mT, A=50 )[,2],
                          surv2( 1, mW, mD, iW, A=50 )[,2] ),
                          lwd=3, type="1", lty=c(1,1,1,2), yaxs="i", ylim=0:1,
                          xlab="Age", ylab="Survival",
col=c("red","blue","limegreen","magenta"), xlim=c(50,100) )
                                                                                 36/65
Practicals — recap (exc-recap)
```





```
> with( w15, y11( int=1, muW=mW, muD=mD, lam=iW, A=c(40,50,60,70,80) ) )
                   A40
                             A50
                                       A60
                                                 A70
   43.202977 6.787443 5.956740 4.564222 3.168186 1.680120
    > with( w15, y11( int=1, muW=mW, muD=mD, A=c(40,50,60,70,80), n=F ) )
           ΑO
                   A40
                             A50
                                       A60
                                                  A70
                                                            A80
    44.155298 7.610837 6.584063 4.954874 3.358854 1.739498
    > with( w15, y11( int=1, muW=mT, muD=mD, A=c(40,50,60,70,80), n=F ) )
                             A50
                                       A60
          ΑO
                   A40
                                                 A70
   43.399315 6.859584 5.865477 4.333904 2.888800 1.488385
   > yllf2015 <- with( w15, yll( int=1, muW=mW, muD=mD, lam=iW, A=c(40:90) ) )
    > y11f2015x <- with( w15, y11( int=1, muW=mW, muD=mD, A=c(40:90) ) )
                                                                                40/65
Practicals — recap (exc-recap)
```

```
NOTE: Calculations assume that Well persons cannot get Ill (quite silly!).

> yllf2015t <- with( w15, yll( int=1, muW=mT, muD=mD, A=c(40:90), note=F))

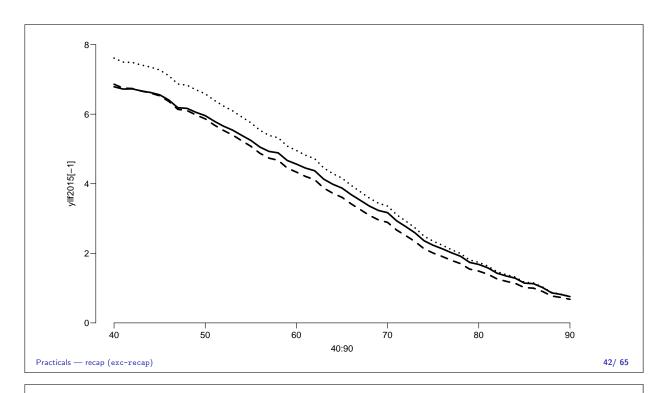
> plot( 40:90, yllf2015 [-1], type="l", lwd=3, ylim=c(0,8), yaxs="i")

> lines( 40:90, yllf2015x[-1], type="l", lwd=3, lty="12")

> lines( 40:90, yllf2015t[-1], type="l", lwd=3, lty="53")

Practicals — recap(exc-recap)

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```



From probability theory to statistics: models

... estimates mortality (and incidence) rates over the grid:

• age: 30 - 99

Practicals – calendar time: 1996-2015

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From probability theory to statistics: predictions

Mortality rates for men in ages 30 - 100 using rates from 2012:

Rate representation when used as arguments in integrals:

Compute the function values in small equidistant intervals

Practicals — recap (exc-recap)

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From probability theory to statistics: YLL calculation

Epi package for ${\bf R}$ contains functions erl and yll that implements the formulae:

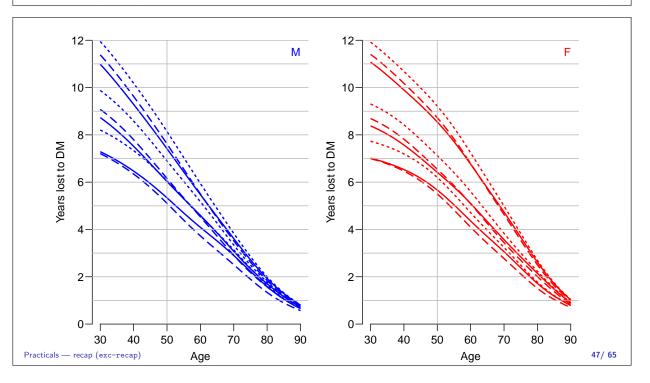
This is then done for different conditioning ages (A), men/women and based on predicted rates from 1996 - 2016.

Practicals — recap (exc-recap) 45/65

YLL calculations

- ▶ Compute YLL for all combinations of:
 - sex
 - conditioning ages 30–90
 - ▶ dates 1996–2016
 - ▶ methods: Susceptible / Immune / Total approx.
- Show for select combinations

Practicals — recap (exc-recap) 46/ 65



Years of Life Lost to diabetes: Conclusion

- ▶ Use a model
- for all your rates
- use your probability theory
- credible models for rates requires: smooth parametric function of age and calendar time
- continuous time formulation simplifies concepts and computing
- using non-DM mortality (immunity assumption) overestimates
 YLL
- ▶ If you cannot do it correctly for want of data: compare with the **total** population mortality
- but it may be misleading too...

Practicals — recap (exc-recap) 48/65

Sojourn times

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And now for something slightly different

- ▶ YLL is really difference in the time spent in the state "Alive"
- ▶ There might be more states than just "Alive" and "Dead"
- ► For example how much time is spent free of a particuar complication?
- ▶ Example here: Steno 2 study, and time spent with CVD.

Sojourn times (steno2)



ARTICLE

Years of life gained by multifactorial intervention in patients with type 2 diabetes mellitus and microalbuminuria: 21 years follow-up on the Steno-2 randomised trial

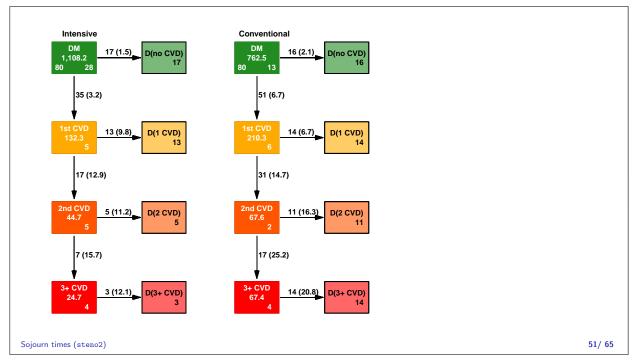
Peter Gæde $^{1,2}\cdot$ Jens Oellgaard $^{1,2,3}\cdot$ Bendix Carstensen $^3\cdot$ Peter Rossing $^{3,4,5}\cdot$ Henrik Lund-Andersen $^{3,5,6}\cdot$ Hans-Henrik Parving $^{5,7}\cdot$ Oluf Pedersen 8

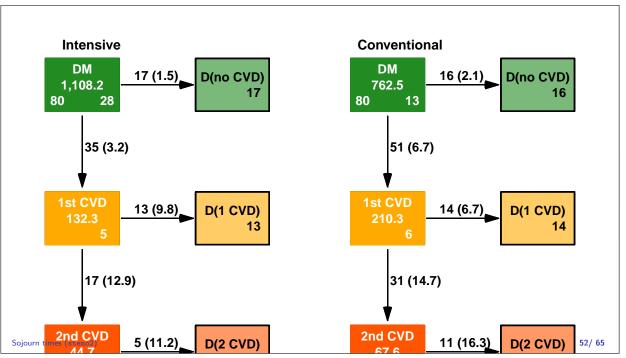
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Abstract

Aims/hypothesis. The aim of this work was to study the potensojourn times (steno2) tital long-term impact of a 7.8 years intensified multifactorial pharmacological approaches. After 7.8 years the study continued as an observational follow-up with all patients receiving treatment as for the original intensive-therapy group. The pri-





Models

- ▶ As we did for mortality and incidence rates:
- ▶ Fit a model for each of the transitions
- We used proportional hazards for:
 - CVD-rates
 - mortality rates
- rates depending on age, sex, randomization group and CVD status

Sojourn times (steno2) 53/65

Hazard ratios

	CVD event	Mortality
$\begin{array}{l} \mbox{HR, Int. vs. Conv.} \\ \mbox{H}_0 \mbox{: PH btw. CVD groups} \\ \mbox{H}_0 \mbox{: HR} = 1 \end{array}$	0.55 (0.39;0.77) p=0.261 p=0.001	0.83 (0.54; 1.30) p=0.438 p=0.425
HR vs. 0 CVD events:		
0 (ref.)	1.00	1.00
1	2.43 (1.67;3.52)	3.08 (1.82; 5.19)
2	3.48 (2.15;5.64)	4.42 (2.36; 8.29)
3+		7.76 (4.11;14.65)

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Practical modeling of rates

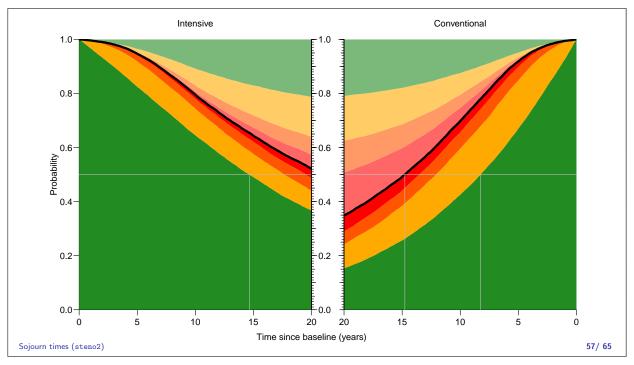
- ▶ Cut the follow-up time for each person by state
- ▶ Split the follow-up time in 1-month intervals
- ▶ Poisson model with smooth effect of time since randomization, sex and age at entry:
 - ▶ HR estimates
 - Estimates of baseline hazard
 - Hazard for any set of covariates
- Allows calcualtion of expected sojourn time in any state
- analytically this is totally intractable. . .

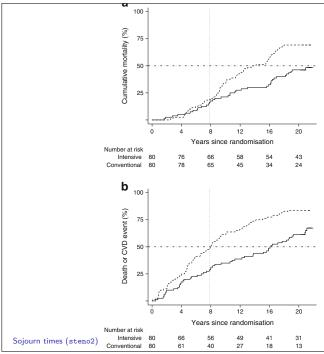
Sojourn times (steno2) 55/ 65

Estimating sojourn times

- ▶ Use simulation of the state occupancy probabilities:
- ► Lexis machinery in the Epi package for multistate representation
- splitLexis to subdivide follow-up for analysis
- simLexis for simulation to derive probabilities and sojourn times
- simulates a cohort through the model, so probabilities are just empirical fractions

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between groups (HK 0.85 [95% CI 0.54, 1.30], p=0.43). Thus, the reduced mortality was primarily due to reduced risk of CVD.

The patients in the intensive group experienced a total of 90 cardiovascular events vs 195 events in the conventional group. Nineteen intensive-group patients (24%) vs 34 conventional-group patients (43%) experienced more than one cardiovascular event. No significant between-group difference in the distribution of specific cardiovascular first-event types was observed (Table 2 and Fig. 4).

Microvascular complications Hazard rates of progression rates in microvascular complications compared with baseline status are shown Fig. 3. Sensitivity analyses showed a negligible effect of the random dates imputation.

Progression of retinopathy was decreased by 33% in the intensive-therapy group (Fig. 5). Blindness in at least one eye was reduced in the intensive-therapy group with an HR of 0.47 (95% CI 0.23, 0.98, p=0.044). Autonomic neuropathy was decreased by 41% in the intensive-therapy group (Fig. 5). We observed no difference between groups in the progression of peripheral neuropathy (Fig. 5). Progression to diabetic nephropathy (macroalbuminuria) was reduced by 48% in the intensive-therapy group (Fig. 5). Ten patients in the conventional-therapy groups vs five patients in the intensive-therapy group progressed to end-stage renal disease (p=0.061).

Discussion 58/65

Expected lifetime and YLL (well, gained)

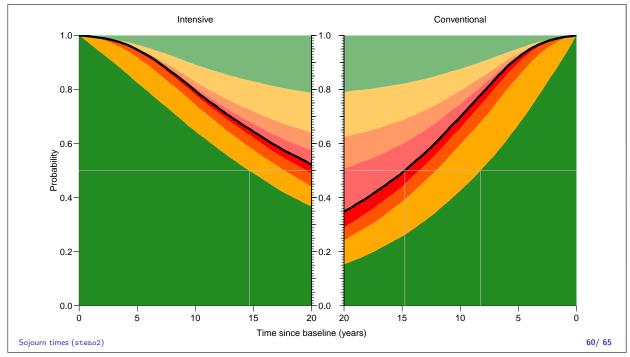
Expected lifetime (years) in the Steno 2 cohort during the first 20 years after baseline by treatment group and CVD status.

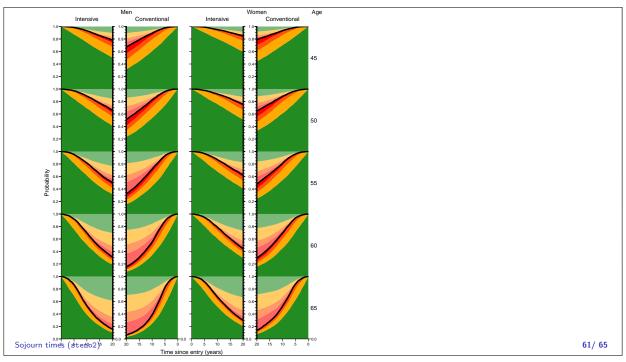
State	Intensive	Conventional	Int.—Conv.	
Alive	15.6	14.1	1.5	
No CVD	12.7	10.0	2.6	
Any CVD	3.0	4.1	-1.1	

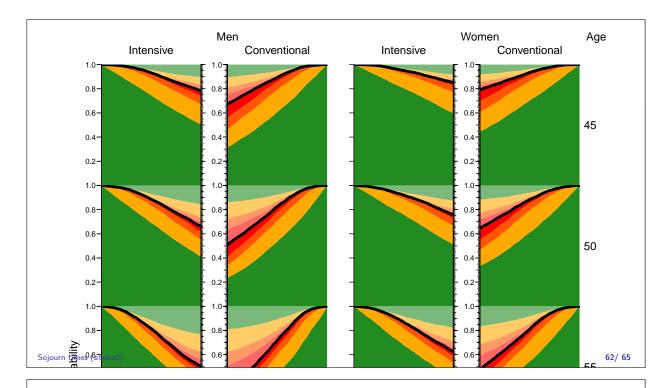
- Simulate a cohort with same covariate dist'n as the study
- ▶ Population averaged years gained alive / CVD-free
- ▶ Refer **only** to the Steno 2 trial population
- ▶ **Not** generalizable
- ▶ ...but we have a **model**

Sojourn times (steno2)

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Expected lifetime (years) and $-\mathrm{YLL}$ (YLG) during the first 20 years after baseline by sex, age, treatment group and CVD status.

sex		Men			Wo	Women		
state	age	Int.	Conv.	YLG	Int.	Conv.	YLG	
Alive	45	18.5	17.5	1.0	19.1	18.4	0.7	
	50	17.2	16.1	1.1	18.0	17.2	0.8	
	55	15.6	13.8	1.8	17.4	15.9	1.6	
	60	13.9	11.6	2.2	15.5	13.7	1.8	
	65	11.2	9.5	1.8	13.3	11.4	2.0	
No CVD	45	14.9	12.5	2.4	15.8	14.3	1.5	
	50	14.0	11.1	2.9	15.1	12.9	2.2	
	55	12.2	9.7	2.5	14.3	11.6	2.7	
	60	10.9	8.2	2.7	12.4	9.9	2.6	
	65	9.0	6.7	2.2	10.7	8.3	2.4	

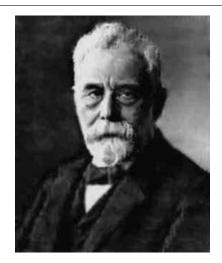
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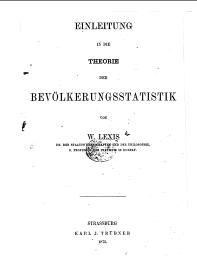
History

Sojour

- ► Epi package grew out of "Statistical Practice in Epidemiology with R" annually since 2002 in Tartu Estonia http://BendixCarstensen.com/SPE
- ▶ Lexis machinery conceived by Martyn Plummer, IARC
- Naming originally by David Clayton & Michael Hills, stlexis in Stata, later renamed stsplit
- ► David Clayton wrote a lexis function for the Epi package. Obsolete now.

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Thanks for your attention

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